Table of Stable Chemical Elements Based on the "Intensity–Compressibility Factor" Diagram and on Mean Square Fluctuations of Energy and Time

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Dedicated to the memory of my dear pupil Mikhail Vladimirovich Karasev

Abstract. In this paper, a new physical notion, intensity, is introduced. The notion of intensity occurs in a special statistics, known as Gentile statistics, which is asymptotically close to ordinary thermodynamics. The introduction of the new notion of intensity in the theory of nuclear matter essentially changes the thermodynamical picture. Moreover, we can say that the thermodynamics of nuclear matter is the antipode of standard thermodynamics. On the basis of the "intensity–compressibility factor" diagram and mean square fluctuations of energy and time, a new table of properties of stable chemical elements is obtained and presented in this paper.

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THE UNCERTAINTY RELATION IN GENERAL FORM

The uncertainty relation for the coordinate p and the momentum x in the form $\delta x \delta p \sim \hbar$, where δp , δx are the mean square deviations of the momentum operator \hat{p} and the coordinate operator \hat{x} , while \hbar is the Planck constant, was obtained by Heisenberg in [1] in 1927.

At the present time, the Heisenberg uncertainty relation is generally written in the form of the following inequality for the operators p and q

$$\delta q \delta p \geqslant \hbar/2. \tag{1}$$

This inequality was obtained in 1927 by Kennard [2].

Three years later, Schrödinger [3] and Robertson [4] generalized inequality (1) to the case of an arbitrary pair of quantum observables X and Y:

$$\delta X \delta Y \ge \frac{1}{2} \sqrt{\left(\overline{XY - YX}\right)^2 + \left(\overline{XY + YX}\right)^2}.$$
(2)

The right-hand side of the last inequality contains the commutator, as well as the anticommutator, of the operators X and Y. Here the operators are assumed self-adjoint. These formulas reflect the Heisenberg uncertainty principle for the quantities appearing in the left-hand side and determine their fluctuations.

As a rule, the Schrödinger equation is written in one of two forms: as an equation containing the time t and the self-adjoint operator \hat{H}

$$i\hbar\frac{\partial}{\partial t}\Psi = \hat{H}\Psi,\tag{3}$$

or in the form of a stationary equation (not involving time) which sets the spectrum problem for the operator \hat{H}

$$\Lambda \Psi = \hat{H} \Psi. \tag{4}$$

It is natural to relate the operator \hat{H} with the eigenvalue Λ , or, as physicists say, indicate the time and the phase.

Since the Cauchy problem is considered for the Schrödinger equation, i.e., the initial-value problem with t = 0, if follows that time changes from 0 to plus infinity and the operator $i\hbar \frac{\partial}{\partial t}$ cannot be self-adjoint.

In quantum physics, since the time of von Neumann and Pauli, the notion of observable quantity has been considered and put in correspondence with a self-adjoint operator in Hilbert space. Von Neumann and Stone considered only self-adjoint operators and observable quantities.

One of the difficulties in the standard formulation of quantum mechanics is in the impossibility of assigning to such quantities as time (Pauli), phase (Dirac), angle, and so on, an appropriate operator in the Hilbert space of the system. However, such difficulties can be avoided by taking for observable quantities nonorthogonal partitions of unity subjected to covariance constraints that generalize the Weyl commutation relations in the Stone–von Neumann theorem.

A. S. Holevo in [5] and other papers was the first to propose a mathematical approach which allowed to assign observable quantities to non-self-adjoint operators. The general outline of his approach is to consider partitions of unity forming a convex set satisfying the covariance conditions and to distinguish the extreme points of this set that minimize the uncertainty functional in a certain state. In this way, one can obtain generalized observables, canonically corresponding to achievement time. In spectral theory, nonorthogonal partitions of unity arise, in particular, as generalized spectral measures for non-self-adjoint operators. In this context, for example, the operator corresponding to observable time turns out to be maximal Hermitian (but not self-adjoint). Using this approach, one can also show that relativistic massless particles turn out to be "approximately localized" if, in the definition of localization, arbitrary partitions of unity are allowed [6, 7].

From the contemporary point of view, the standard notion of observable corresponds to "sharp" observables, while the nonorthogonal partition of unity describes "unsharp" observables. In this situation, one can assign a probability distribution to sharp as well as unsharp observables in any state, which allows to calculate all the statistical characteristics – mean values, dispersion, correlation, and to establish the uncertainty relation for nonstandard canonically conjugate pairs [7, 8].

The time operator and the corresponding uncertainty relation has been studied by other authors, but the approach from the point of view of covariant observables appears to be most natural.

In the work of Olkhovsky (see [9] and other papers) based on Holevo's work, an approach convenient for physicists was developed. It allows to obtain the uncertainty relation for the time and energy operators in the form

$$\delta E \delta t \ge \hbar/2. \tag{5}$$

In particular, Olkhovsky considered the Yukawa potential and the BBGKY hierarchy (Bogolyubov–Born–Green–Kirkwood–Yvon hierarchy). In the paper [10], an explicit analytic formula for the S-matrix in the case of an arbitrary central interaction inside a sphere of finite radius with the "tail" of the Yukawa potential at large distances was obtained. This method uses the completeness of the space of wave functions outside a finite sphere, as well as the unitarity and symmetry of S-matrices.

In the present paper, we shall consider the uncertainty relation for time and energy. The problem of introducing the time operator in quantum mechanics goes back to its very origins. The time operator \hat{t} , defined as

$$\hat{t} = t, \quad \text{time-like } t \text{ -representation,}$$

$$\hat{t} = -i\hbar \frac{\partial}{\partial E}, \quad \text{energy-like } E \text{ -representation,}$$
(6)

is not self-adjoint [11], but is Hermitian. It is precisely for this reason that V. Pauli, one of the founders of quantum mechanics, refused to use the time operator given by (6).

PASSAGE FROM BOSE TO FERMI

Consider the case in which at every energy level E_p , there can be no more than K particles (so called Gentile statistics, or parastatistics). For an ideal gas of dimension D = 3, the following

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relations for the number of particles N and the energy E hold:

$$N = \frac{V}{\lambda^3} (\mathrm{Li}_{3/2}(\mathbf{I}) - \frac{1}{(K+1)^{1/2}} \,\mathrm{Li}_{3/2}(\mathbf{I}^{K+1})), \tag{7}$$

$$E = \frac{3}{2} \frac{V}{\lambda^3} T(\operatorname{Li}_{5/2}(\mathbf{I}) - \frac{1}{(K+1)^{3/2}} \operatorname{Li}_{5/2}(\mathbf{I}^{K+1})),$$
(8)

where V is the volume, T is the temperature, $\operatorname{Li}_{(\cdot)}(\cdot)$ is the polylogarithmic function, **I** is a new quantity that we will call *intensity* and λ is the de Broglie wavelength:

$$\lambda = \sqrt{\frac{2\pi\hbar^2}{mT}};\tag{9}$$

here m is the mass.

Gentile statistics, which coincides with the notion of polylogarithm and based on the formula

$$\operatorname{Li}_{s}(z) = \sum_{k=1}^{\infty} \frac{z^{k}}{k^{s}},$$

is related to the Bose–Einstein and Fermi–Dirac distributions in the following way. The integral of the Bose–Einstein distribution is expressed in terms of the polylogarithm as:

$$\mathrm{Li}_{s+1}(z) = \frac{1}{\Gamma(s+1)} \int_0^\infty \frac{t^s}{e^t/z - 1} \, dt.$$

The integral of the Fermi-Dirac distribution is also expressed in terms of the polylogarithm:

$$\text{Li}_{s+1}(-z) = \frac{1}{\Gamma(s+1)} \int_0^\infty \frac{t^s}{e^t/z+1} \, dt.$$

Therefore, the passage from the Bose–Einstein distribution to the Fermi-Dirac distribution corresponds to the passage, in the Hougen–Watson P - F diagram (P is the pressure, F = PV/(NT) is the compressibility factor), from the quadrant II (P < 0, F > 0) to the quadrant IV (P > 0, F < 0).

The values of s in relations for the polylogarithm can be arbitrary. However, in the case when only fixed values (e.g. s = 2, s = 3, etc) are given, one can consider all other values of s as holes. Holes are the values that we leave out.

The polylogarithm function sometimes appears in thermodynamics. However, the polylogarithm, as well as Gentile statistics, have no direct relationship to classical thermodynamics, which includes temperature, chemical potential, energy, lifetime, entropy, and other parameters used in classical and quantum thermodynamics. From the purely mathematical viewpoint, as well as asymptotically, the relations of Gentile statistics and of thermodynamics are very similar. But it should be stressed that Gentile statistics and the notion of polylogarithm have no relationship to thermodynamics.

Nevertheless, we introduce, as a new physical thermodynamical quantity, a certain constant related to Gentile statistics and to the polylogarithm. We have called this constant the intensity and denote it by **I**. It is close to the notion of activity $a = e^{\mu/T}$ in standard thermodynamics, but certainly does not coincide with it. Basically, the new parameter **I** is related to the notion of "lacunary indeterminacy" [12], in situations when not all quantities are exactly defined. In [12], the meaning of lacunary indeterminacy was explained as follows: in a certain region we cannot distinguish and number particles, however, we can determine the total number of particles. This region is a lacuna of sorts in the general deterministic picture.

In order to relate the Bose–Einstein and Fermi–Dirac distributions with the principle of lacunary indeterminacy, it is necessary to construct an analog of Mendeleev's periodic table of elements for stable gases on the basis of experimental data. In the present paper, we present such a table



Fig. 1. Dependence of the compressibility factor F = PV/(NT) on the pressure P expressed in MeV/fm^3 for helium-4, litium-6, litium-7, berillium-9 (from top to bottom along the F(vertical) axis). The continuous lines represent the Fermi branch. The hashed lines are isotherms of the Bose branch, constructed according to formulas (7) - (8).

for stable chemical elements; this table is related to lacunary indeterminacy and, except for the parameter \mathbf{I} , has nothing to do with Gentile statistics.

The table presented by the author is indeed related to lacunary indeterminacy, but does not pretend to explain any law of nature, just as Mendeleev's table, which initially was purely empirical and gave no explanation of all the physical phenomena that lead to it (see, for example, [13]).

The passage of particles from the domain where the Bose–Einstein statistics is obeyed to that where the Fermi–Dirac statistics rules, goes through a domain known as a fur coat or a region of lacunary indeterminacy [12]. The minimal value of the intensity I for which the number of Bose particles N tends to 0 will be denoted by I_0 . The quantity I_0 shows for what minimal intensity the decomposition of a boson into fermions begins.

In our previous papers [12,14–15], we have obtained an expression for \mathbf{I}_0 , i.e., for those values of \mathbf{I} for which K = N = 0:

$$\frac{1}{2}\operatorname{Li}_{3/2}(\mathbf{I}_0) - \log(\mathbf{I}_0)\operatorname{Li}_{1/2}(\mathbf{I}_0) - B^{-1} = 0,$$
(10)

where $B = \frac{V}{\lambda^3} > 0$.

In thermodynamics, it is customary to use the Hougen–Watson P-F diagram (P is the pressure, F = PV/(NT) is the compressibility factor), which illustrates the Van der Waals law of corresponding states. On the P-F diagram, the Fermi–Dirac distribution corresponds to the domain of positive values. Figure 1 represents the P-F diagram for helium-4, litium-6, litium-7, and berillium-9.

At this point, the author's approach consists in using an analogous diagram, the I-F diagram (I is the intensity, F, the compressibility factor), for very high temperature isotherms. This diagram is in a certain sense the antipode of the P-F diagram. Figure 2 shows the Bose branch on the I-F diagram for the same chemical elements.



Fig. 2. Dependence of the compressibility factor F on the intensity I, for berillium-9, litium-7, litium-6, helium-4 (from left to right). The curves are the isotherms of the Bose branch and are plotted according to formulas (0.7)–(0.8). The temperature is equal to the binding energy E_b of the nucleus (see Table 1).

In the paper [15], it was established that in the passage from the Bose branch to the Fermi branch a jump in the specific energy E_{sp} occurs, and the value of this jump is given by the formula

$$\Delta E_{sp} = T(\gamma + 1)(F|_{\mathbf{I}=\mathbf{I}_0} - 1), \tag{11}$$

where $\gamma = D/2 - 1$. According to the formula

$$\delta t_{min} = \hbar/(2\Delta E_{sp}) \geqslant \delta t,\tag{12}$$

we can compute the minimal interval of time δt_{min} required to discover the energy jump ΔE_{sp} . If we introduce the time operator, we can consider its mean square fluctuation δt . Then δt_{min} is the minimal time fluctuation corresponding to the energy jump ΔE_{sp} .

Let us use the approach due to Kvasnikov [16] and show how one can find the mean square fluctuation for the number of particles N in the case when N is infinitely small.

PASSING TO INFINITELY SMALL QUANTITIES

From now on, we shall denote the mean square value of the number of particles by N, omitting the bar. Let us find the value of $\left(\frac{\partial \overline{N}}{\partial \mu}\right)_{TV}$, which is needed to compute N. We shall assume that K = N. Let us introduce the notation

$$\phi(\mu, N) = \left(\frac{2\pi mT}{(2\pi\hbar)^2}\right)^{\gamma+1} V(\mathrm{Li}_{1+\gamma}(\mathbf{I}) - \frac{1}{(N+1)^{\gamma}} \mathrm{Li}_{1+\gamma}(\mathbf{I}^{N+1})) - N.$$
(13)

As was shown in [12], there is a one-to-one correspondence between the chemical potential μ and the number of particles N. Let us expand the function $\phi(\mu(N), N)$ into a Maclaurin series in the variable N

$$\phi(\mu_0, 0) + N[\phi_\mu(\mu_0, 0)\mu_N + \phi_N(\mu_0, 0)] + N^2[\phi_{\mu\mu}(\mu_0, 0)\mu_N^2 + \phi_\mu(\mu_0, 0)\mu_{NN} + 2\phi_{\mu N}(\mu_0, 0)\mu_N + \phi_{NN}(\mu_0, 0)] + O(N^3), \quad (14)$$

where the derivative of μ_N is computed at the point $\mu = \mu_0$.

Since $\phi(\mu, 0) \equiv 0$, the quantities $\phi(\mu_0, 0)$, $\phi_{\mu}(\mu_0, 0)$ and $\phi_{\mu\mu}(\mu_0, 0)$ are all equal to zero. Dividing by N, we obtain the equality

$$\phi_N(\mu_0, 0) + N[2\phi_{\mu N}(\mu_0, 0)\mu_N + \phi_{NN}(\mu_0, 0)] + O(N^2) = 0.$$
(15)

Let us compute $\phi_N(\mu_0, 0)$:

$$\phi_N(\mu_0, 0) = \left(\frac{2\pi mT}{(2\pi\hbar)^2}\right)^{\gamma+1} V[\gamma \text{Li}_{\gamma+1}(\exp[\mu_0/T]) - \log(\exp[\mu_0/T])\text{Li}_{\gamma}(\exp[\mu_0/T])] - 1$$
(16)

The value of μ_0 is chosen so as to have $\phi_N(\mu_0, 0) = 0$ (see formula (10) for the calculation of \mathbf{I}_0). If we now pass to the limit as $N \to 0$ in the expression (15), then the derivative

$$\mu_N = -\frac{\phi_N(\mu_0, 0)}{\phi_\mu(\mu_0, 0)}.$$
(17)

will have an uncertainty of type

 $\langle \langle 0/0 \rangle \rangle$

and, therefore, cannot be calculated according to this formula.

Dividing by N once again, we obtain

$$2\phi_{\mu N}(\mu_0, 0)\mu_N + \phi_{NN}(\mu_0, 0) + O(N) = 0.$$
(18)

The passage to the limit as $N \to 0$ in (18) gives the value of the derivative μ_N at the point $\mu = \mu_0$

$$\mu_N = -\frac{\phi_{NN}(\mu_0, 0)}{2\phi_{\mu N}(\mu_0, 0)}.$$
(19)

The expressions for the partial derivatives $\phi_{NN}(\mu_0, 0), \phi_{\mu N}(\mu_0, 0)$ are of the form

$$\phi_{NN}(\mu_0, 0) = -\left(\frac{2\pi mT}{(2\pi\hbar)^2}\right)^{\gamma+1} V[\log^2(\mathbf{I}_0) \mathrm{Li}_{\gamma-1}(\mathbf{I}_0) + \gamma((\gamma+1)\mathrm{Li}_{\gamma+1}(\mathbf{I}_0) - 2\log(\mathbf{I}_0)\mathrm{Li}_{\gamma}(\mathbf{I}_0))],\tag{20}$$

$$\phi_{\mu N}(\mu_0, 0) = -\frac{1}{T} \left(\frac{2\pi m T}{(2\pi\hbar)^2} \right)^{\gamma+1} V[(1-\gamma) \mathrm{Li}_{\gamma}(\mathbf{I}_0) + \log(\mathbf{I}_0) \mathrm{Li}_{\gamma-1}(\mathbf{I}_0)].$$
(21)

Substituting the last two expressions into formula (19), leads to a formula for the derivative at the point $\mathbf{I} = \mathbf{I}_0$

$$\left(\frac{\partial\mu}{\partial N}\right)_{TV} = -\frac{T}{2} \frac{\log^2(\mathbf{I}_0) \operatorname{Li}_{\gamma-1}(\mathbf{I}_0) + \gamma((\gamma+1) \operatorname{Li}_{\gamma+1}(\mathbf{I}_0) - 2\log(\mathbf{I}_0) \operatorname{Li}_{\gamma}(\mathbf{I}_0))}{(1-\gamma) \operatorname{Li}_{\gamma}(\mathbf{I}_0) + \log(\mathbf{I}_0) \operatorname{Li}_{\gamma-1}(\mathbf{I}_0)}$$
(22)

and to an expression for the dispersion of the number of particles of the system

$$\overline{(\Delta N)^2} = -2 \frac{(1-\gamma)\mathrm{Li}_{\gamma}(\mathbf{I}_0) + \log(\mathbf{I}_0)\mathrm{Li}_{\gamma-1}(\mathbf{I}_0)}{\log^2(\mathbf{I}_0)\mathrm{Li}_{\gamma-1}(\mathbf{I}_0) + \gamma((\gamma+1)\mathrm{Li}_{\gamma+1}(\mathbf{I}_0) - 2\log(\mathbf{I}_0)\mathrm{Li}_{\gamma}(\mathbf{I}_0))}.$$
(23)

Recall that for an arbitrary quantity x, its mean square fluctuation is defined as $\delta x = \sqrt{(\Delta x)^2}$. Using the well known uncertainty relation $\delta N \delta \mu \ge T$ for grand canonical ensembles (see [17]), we can find the value of the minimal admissible mean square fluctuation

$$\delta\mu_{min} = T/\delta N \leqslant \delta\mu. \tag{24}$$

The values of $\delta \mu_{min}$ (in MeV units) and δN are given in Table 1 below.

The quantity $\delta \mu_{min}$ determines the width of the region of lacunary indeterminacy and also changes monotonically with all the columns of the table, except the columns Z, ΔE_{sp} , δt_{min} .

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MASLOV

TABLE OF STABLE NUCLEI

We obtained Table 1 of stable nuclei of chemical elements using the data base IsotopeData, included in the software Wolfram Mathematica and containing 255 stable elements.

In Table 1, the values for the fluctuation of energy and time were obtained by means of formulas (11) and (12), respectively. The time t and the intensity I are related by the uncertainty equation.

Thus, the intensity **I** plays the main role in this table. If the value of \mathbf{I}_0 is sufficiently small, the corresponding temperature (and the energy) will be huge. If the quantity \mathbf{I}_0 is of the order of 1, then the temperature (and the excitation energy) will be small.

Remark 1. In the table, we have not taken in consideration the tunnel effect, which can substantially affect the stability of nuclei.

In Table 1, the following parameters of stable isotopes of different nuclei are presented:

- (1) No the number of the nucleus in our list
- (2) isotope the name of the corresponding chemical element, with its mass number A (i.e., the number of nucleons in the nucleus) after the hyphen
- (3) Z the charge number (i.e., the number of protons in the nucleus)
- (4) \mathbf{I}_0 the minimal value of the intensity I for Bose particles, calculated according to formula (10)
- (5) E_b the binding energy, which is equal to the temperature T of the nucleus
- (6) ΔE_{sp} the jump in the specific energy in the passage from the Bose branch to the Fermi branch (formula (11))
- (7) $\delta t_{min} = \hbar/(2\Delta E_{sp})$ time fluctuation (in seconds)
- (8) δN mean square fluctuation of the number of particles equal to $\sqrt{(\Delta N)^2}$ and computed at the point \mathbf{I}_0 according to formula (23)
- (9) $\delta \mu_{min}$ minimal mean square fluctuation of the chemical potential at the point \mathbf{I}_0 , equal to $T/\delta N$
- (10) μ_0 chemical potential $\mu_0 = T \log \mathbf{I}_0$
- (11) $F(\mathbf{I}_0)$ value of the compressibility factor at the point $\mathbf{I} = \mathbf{I}_0$

The value of \mathbf{I}_0 in the case of the disintegration of the nucleus is found from formula (10) taking into account the expression for the de Broglie wavelength λ , calculated from the known volume V of the nucleus, the temperature T of the nucleus and the mass m. The volume of the nucleus is taken to be equal to the volume of a ball of radius $r_0 = A^{1/3} 1.2 \times 10^{-15}$ m. The temperature T of the nucleus expressed in energy units, is taken to be equal to the binding energy E_b of the nucleus (taken from the database IsotopeData). In the table, all the quantities having the dimension of energy are given in MeV units. The mass m is taken to be the mass of the whole nucleus. In all the calculations, the three-dimensional case was considered, i.e., $\gamma = D/2 - 1 = 1/2$.

In conclusion, let us note that the notion of intensity \mathbf{I}_0 introduced by the author is a new quantity related to Gentile statistics, to the notion of infinitely small quantity, and to the polylogarithm function. This quantity bears no relationship to thermodynamics and statistical physics, just as the $\mathbf{I}_0 - F$ diagram has no relationship to ordinary thermodynamics. We have obtained this new thermodynamics by transforming ordinary thermodynamics into its "antipode". An example of the antipode of a physical quantity can be the same quantity taken with a minus sign. Thus, the antipode of a particle is an antiparticle.

The notion of antiparticle was introduced speculatively. There was nothing in reality corresponding to it until physicists gave it the meaning of a hole, i.e., the absence of a particle. Similarly, before the author's recent papers, the notion of "infinitely small number of particles" did not exist. This important notion is part of the antipode of standard thermodynamics. It allows to develop nuclear physics in connection with nuclear matter.

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isotope Z I_0	Z I ₀	I_0		E_b	ΔE_{sp}	δt_{min}	δN	$\delta \mu_{min}$	μ_0	$F(\mathbf{I_0})$
lead-208 82 $1.636*10^{\circ}(3)$ $1.1341*10^{\circ}(2)$ 2.901	$ 82 1.636^{*}10^{\circ}(3) 1.1341^{*}10^{\circ}(2) 2.901$	$1.636^{10^{(3)}}$ $1.1341^{10^{(2)}}$ 2.901	$1.1341^{*}10^{\circ}(2)$ 2.901	2.901	$8*10^{(-24)}$	$2.9672*10^{\circ}(-1)$	$5.515^*10^{\circ}(3)$	$6.57*10^{\circ}(-10)$	$-3.46^{*}10^{\sim}(4)$	1.046203
lead-207 82 $1.629*10^{\circ}(3)$ $1.13*10^{\circ}(2)$ 2.9123	$ \begin{vmatrix} 82 & 1.629^*10^{\circ}(3) & 1.13^*10^{\circ}(2) & 2.9123 \end{vmatrix} $	$1.629^{\pm}10^{\circ}(3) 1.13^{\pm}10^{\circ}(2) 2.9123$	$1.13*10^{\circ}(2)$ 2.9123	2.9123	$*10^{\circ}(-24)$	$2.9685*10^{-}(-1)$	$5.488^*10^{\circ}(3)$	$6.7*10^{\circ}(-10)$	$-3.44^{*}10^{\circ}(4)$	1.046245
lead-206 82 $1.622^{*}10^{\circ}(3)$ $1.1264^{*}10^{\circ}(2)$ 2.9218^{*}	$ 82 1.622*10^{(3)} 1.1264*10^{(2)} 2.9218*$	$1.622*10^{\circ}(3)$ $1.1264*10^{\circ}(2)$ $2.9218*$	$1.1264*10^{\circ}(2)$ $2.9218*$	2.9218^{*}	$10^{\circ}(-24)$	$2.9697*10^{\circ}(-1)$	$5.463^{*}10^{\circ}(3)$	$6.83^{*}10^{\circ}(-10)$	$-3.42*10^{-4}$	1.046286
thallium-205 81 $1.615*10^{\circ}(3)$ $1.1224*10^{\circ}(2)$ 2.9322^{*}	$ 81 1.615*10^{(3)} 1.1224*10^{(2)} 2.9322*$	$1.615*10^{(3)}$ $1.1224*10^{(2)}$ $2.9322*$	$1.1224*10^{\circ}(2)$ 2.9322*	2.932^{4}	$(10^{\circ}(-24))$	$2.971^*10^{\circ}(-1)$	$5.436^*10^{\circ}(3)$	$6.96^{*}10^{\circ}(-10)$	$-3.41*10^{-4}$	1.046328
mercury-204 80 $1.609*10^{\circ}(3)$ $1.1189*10^{\circ}(2)$ $2.9413*$	$80 1.609^{*}10^{(3)} 1.1189^{*}10^{(2)} 2.9413^{*}$	$ 1.609^{*}10^{\circ}(3) 1.1189^{*}10^{\circ}(2) 2.9413^{*}$	$1.1189*10^{\circ}(2)$ 2.9413*	2.9413^{*}	$10^{\circ}(-24)$	$2.9723*10^{-}(-1)$	$5.412^*10^{\circ}(3)$	$7.1^{*}10^{\circ}(-10)$	$-3.39*10^{\circ}(4)$	1.046369
lead-204 82 $1.608*10^{\circ}(3)$ $1.1181*10^{\circ}(2)$ $2.9433*$	$ 82 1.608*10^{\circ}(3) 1.1181*10^{\circ}(2) 2.9433*$	$1.608*10^{(3)}$ $1.1181*10^{(2)}$ $2.9433*$	$1.1181*10^{\circ}(2)$ 2.9433*	2.9433^{*}	$10^{\circ}(-24)$	$2.9723*10^{-1}$	$5.408^*10^{\circ}(3)$	$7.11^*10^{\circ}(-10)$	$-3.39*10^{\circ}(4)$	1.046372
thallium-203 81 1.601*10 $^{\circ}(3)$ 1.1145*10 $^{\circ}(2)$ 2.9528*	$ 81 1.601^{*}10^{(3)} 1.1145^{*}10^{(2)} 2.9528^{*}$	$1.601*10^{(3)}$ $1.1145*10^{(2)}$ $2.9528*$	$1.1145*10^{\circ}(2)$ 2.9528*	2.9528^{*}	$10^{(-24)}$	$2.9736^*10^{\circ}(-1)$	$5.384^*10^{\circ}(3)$	$7.25*10^{-10}$	$-3.37*10^{-4}$	1.046414
mercury-202 80 1.595*10 $^{\circ}(3)$ 1.1115*10 $^{\circ}(2)$ 2.9608	$ 80 1.595*10^{(3)} 1.1115*10^{(2)} 2.9608$	$1.595*10^{\circ}(3)$ $1.1115*10^{\circ}(2)$ 2.9608	$1.1115*10^{\circ}(2)$ 2.9608	2.9608	$*10^{\circ}(-24)$	$2.9748*10^{-}(-1)$	$5.362^*10^{\circ}(3)$	$7.38^{*}10^{\circ}(-10)$	$-3.35*10^{\circ}(4)$	1.046454
mercury-201 80 $1.587*10^{\circ}(3)$ $1.1072*10^{\circ}(2)$ 2.9724	$80 1.587*10^{(3)} 1.1072*10^{(2)} 2.9724$	$1.587*10^{(3)}$ $1.1072*10^{(2)}$ 2.9724	$1.1072^{*}10^{\circ}(2)$ 2.9724	2.9724	$*10^{\circ}(-24)$	$2.9762*10^{\circ}(-1)$	$5.334^*10^{\circ}(3)$	$7.54^{*}10^{\circ}(-10)$	$-3.33*10^{\circ}(4)$	1.046498
mercury-200 80 1.581*10 $^{\circ}(3)$ 1.1038*10 $^{\circ}(2)$ 2.9815	$ 80 1.581*10^{(3)} 1.1038*10^{(2)} 2.9815$	$1.581*10^{(3)}$ $1.1038*10^{(2)}$ 2.9815	$1.1038*10^{\circ}(2)$ 2.9815	2.9815	$*10^{\circ}(-24)$	$2.9774^*10^{\circ}(-1)$	$5.311^*10^{\circ}(3)$	$7.68^{*}10^{\circ}(-10)$	$-3.32*10^{\circ}(4)$	1.04654
mercury-199 80 $1.573*10^{\circ}(3)$ $1.0993*10^{\circ}(2)$ 2.9937^{4}	$ 80 1.573*10^{\circ}(3) 1.0993*10^{\circ}(2) 2.9937^{*}$	$1.573*10^{(3)}$ $1.0993*10^{(2)}$ $2.9937*$	$1.0993*10^{\circ}(2)$ 2.9937*	2.9937^{*}	$(10^{\circ}(-24))$	$2.9788*10^{-}(-1)$	$5.281^*10^{\circ}(3)$	$7.85*10^{\circ}(-10)$	$-3.3*10^{\circ}(4)$	1.046586
platinum-198 78 1.567 $*10^{\circ}(3)$ 1.096 $*10^{\circ}(2)$ 3.0028 *	$ 78 1.567*10^{\circ}(3) 1.096*10^{\circ}(2) 3.0028^{3}$	$1.567*10^{\circ}(3)$ $1.096*10^{\circ}(2)$ 3.0028^{3}	$1.096^{*}10^{\circ}(2)$ 3.0028^{*}	3.0028^{4}	<10^(-24)	$2.9801*10^{-}(-1)$	$5.258^*10^{\circ}(3)$	$8.*10^{-10}$	$-3.28*10^{-4}$	1.046628
mercury-198 80 $1.566*10^{\circ}(3)$ $1.0957*10^{\circ}(2)$ 3.0037^{3}	$ 80 1.566^{10^{(3)}} 1.0957^{10^{(2)}} 3.0037^{3}$	$ 1.566^{10^{(3)}} 1.0957^{10^{(2)}} 3.0037^{3} $	$1.0957*10^{\circ}(2)$ 3.0037^{4}	3.0037^{4}	<10 [^] (-24)	$2.9802*10^{-}(-1)$	$5.256^*10^{\circ}(3)$	$8.*10^{\circ}(-10)$	$-3.28*10^{-4}$	1.046629
gold-197 79 1.559*10 $^{\circ}(3)$ 1.0917*10 $^{\circ}(2)$ 3.0145	$ 79 1.559*10^{(3)} 1.0917*10^{(2)} 3.0145$	$1.559*10^{\circ}(3)$ $1.0917*10^{\circ}(2)$ 3.0145	$1.0917*10^{\circ}(2)$ 3.0145	3.0145	$*10^{-}(-24)$	$2.9815*10^{-}(-1)$	$5.23^{*}10^{\circ}(3)$	$8.17*10^{-10}$	$-3.26*10^{\circ}(4)$	1.046673
platinum-196 78 1.554*10 $^{\circ}(3)$ 1.0887*10 $^{\circ}(2)$ 3.023*	$ 78 1.554^{*}10^{\circ}(3) 1.0887^{*}10^{\circ}(2) 3.023^{*}$	$1.554^{*}10^{\circ}(3)$ $1.0887^{*}10^{\circ}(2)$ 3.023^{*}	$1.0887*10^{\circ}(2)$ $3.023*$	3.023^{4}	$(10^{\circ}(-24))$	$2.9828*10^{-}(-1)$	$5.209^*10^{\circ}(3)$	$8.33*10^{\circ}(-10)$	$-3.25*10^{-}(4)$	1.046715
mercury-196 80 1.551*10 $^{\circ}(3)$ 1.0871*10 $^{\circ}(2)$ 3.0273*	$ 80 1.551*10^{(3)} 1.0871*10^{(2)} 3.0273*$	$1.551*10^{\circ}(3)$ $1.0871*10^{\circ}(2)$ $3.0273*$	$1.0871*10^{\circ}(2)$ $3.0273*$	3.0273^{4}	$(10^{\circ}(-24))$	$2.9829*10^{-}(-1)$	$5.2^*10^{\circ}(3)$	$8.35^*10^{\circ}(-10)$	$-3.24^{*}10^{\circ}(4)$	1.046721
platimum-195 78 1.546*10 $^{\circ}(3)$ 1.0842*10 $^{\circ}(2)$ 3.0354*	$\left \begin{array}{c} 78 \end{array} \right 1.546^{*}10^{\circ}(3) \end{array} \left \begin{array}{c} 1.0842^{*}10^{\circ}(2) \end{array} \right 3.0354^{*}$	$1.546*10^{\circ}(3)$ $1.0842*10^{\circ}(2)$ $3.0354*$	$1.0842*10^{\circ}(2)$ $3.0354*$	3.0354^{*}	$10^{\circ}(-24)$	$2.9842*10^{-}(-1)$	$5.18^*10^{\circ}(3)$	$8.51*10^{-10}$	$-3.23*10^{\circ}(4)$	1.046762
platimum-194 78 $1.540^{*}10^{\circ}(3)$ $1.0809^{*}10^{\circ}(2)$ 3.0447^{*}	$ 78 1.540^*10^{\circ}(3) 1.0809^*10^{\circ}(2) 3.0447^*$	$1.540*10^{\circ}(3)$ $1.0809*10^{\circ}(2)$ $3.0447*$	$1.0809*10^{\circ}(2)$ 3.0447*	3.0447^{4}	$(10^{\circ}(-24))$	$2.9855*10^{-}(-1)$	$5.157^*10^{\circ}(3)$	$8.68^{*}10^{\circ}(-10)$	$-3.21*10^{-4}$	1.046805
iridium-193 77 1.532*10 $^{\circ}(3)$ 1.0767*10 $^{\circ}(2)$ 3.0566	$ 77 1.532^{10^{(3)}} 1.0767^{10^{(2)}} 3.0566^{(3)}$	$1.532*10^{\circ}(3)$ $1.0767*10^{\circ}(2)$ 3.0566°	$1.0767*10^{\circ}(2)$ 3.0566°	3.0566°	*10^(-24)	$2.9869*10^{\circ}(-1)$	$5.129^*10^{\circ}(3)$	$8.86^{*}10^{\circ}(-10)$	$-3.19*10^{\circ}(4)$	1.046852
osmium-192 76 $1.526*10^{\circ}(3)$ $1.0735*10^{\circ}(2)$ 3.0656	$\left \begin{array}{c} 76 \\ 1.526^{*}10^{\circ}(3) \\ \end{array} \right 1.0735^{*}10^{\circ}(2) \\ \end{array} \left \begin{array}{c} 3.0656 \\ 3.0656 \\ \end{array} \right $	$1.526*10^{(3)}$ $1.0735*10^{(2)}$ 3.0656	$1.0735*10^{\circ}(2)$ 3.0656	3.0656	i*10^(-24)	$2.9882^*10^{-}(-1)$	$5.107^*10^{\circ}(3)$	$9.04^{*}10^{\circ}(-10)$	$-3.18*10^{-4}$	1.046895
platimum-192 78 $1.525*10^{\circ}(3)$ $1.0728*10^{\circ}(2)$ 3.0676	$ 78 1.525*10^{(3)} 1.0728*10^{(2)} 3.067$	$1.525*10^{\circ}(3)$ $1.0728*10^{\circ}(2)$ 3.0676	$1.0728^{*}10^{\circ}(2)$ 3.0678	3.0678	$8*10^{-}(-24)$	$2.9883*10^{-}(-1)$	$5.103^{*}10^{\circ}(3)$	$9.05*10^{\circ}(-10)$	$-3.18*10^{-4}$	1.046898
iridium-191 77 1.518*10 $^{\circ}(3)$ 1.069*10 $^{\circ}(2)$ 3.0787	77 1.518*10 ^{\circ} (3) 1.069*10 ^{\circ} (2) 3.0787	$1.518*10^{(3)}$ $1.069*10^{(2)}$ 3.0787	$1.069*10^{\circ}(2)$ 3.0787	3.0787	^{7*} 10 [^] (-24)	$2.9897*10^{-}(-1)$	$5.078^{*}10^{\circ}(3)$	$9.24^{*}10^{\circ}(-10)$	$-3.16*10^{\circ}(4)$	1.046944
osmium-190 76 1.513*10 ^{\circ} (3) 1.0662*10 ^{\circ} (2) 3.0866	76 1.513*10 ⁽³⁾ 1.0662*10 ⁽²⁾ 3.0866	$1.513*10^{(3)}$ $1.0662*10^{(2)}$ 3.0866	$1.0662^{*}10^{\circ}(2)$ 3.086(3.0866	$3*10^{-}(-24)$	$2.991^*10^{\circ}(-1)$	$5.058^*10^{\circ}(3)$	$9.42^{*}10^{\circ}(-10)$	$-3.14^{*}10^{\circ}(4)$	1.046986
osmium-189 76 $1.505*10^{\circ}(3)$ $1.0618*10^{\circ}(2)$ 3.099°	76 1.505*10 $^{\circ}(3)$ 1.0618*10 $^{\circ}(2)$ 3.099	$1.505*10^{(3)}$ $1.0618*10^{(2)}$ $3.099^{(2)}$	$1.0618^{*}10^{\circ}(2)$ 3.099°	3.099_{2}	$1^*10^{-}(-24)$	$2.9924*10^{-}(-1)$	$5.029^*10^{\circ}(3)$	$9.63^{*}10^{\circ}(-10)$	$-3.12*10^{-4}$	1.047035
osmium-188 76 $1.499*10^{\circ}(3)$ $1.0586*10^{\circ}(2)$ 3.108°	76 1.499*10 ⁽³⁾ 1.0586*10 ⁽²⁾ 3.108	$1.499*10^{\circ}(3)$ $1.0586*10^{\circ}(2)$ 3.1087	$1.0586^{*}10^{\circ}(2)$ 3.1087	3.108	$7*10^{(-24)}$	$2.9938*10^{-}(-1)$	$5.007^*10^{\circ}(3)$	$9.83^{*}10^{\circ}(-10)$	$-3.11*10^{-4}$	1.047079
osmium-187 76 $1.491*10^{\circ}(3)$ $1.0541*10^{\circ}(2)$ 3.1221	76 1.491*10 $^{(3)}$ 1.0541*10 $^{(2)}$ 3.122	$1.491*10^{(3)}$ $1.0541*10^{(2)}$ 3.122	$1.0541^{*}10^{\circ}(2)$ 3.122	3.122	$ *10^{\circ}(-24)$	$2.9953*10^{\circ}(-1)$	$4.978^*10^{\circ}(3)$	$1.*10^{\circ}(-9)$	$-3.09*10^{\circ}(4)$	1.047129
tungsten-186 74 $1.486*10^{\circ}(3)$ $1.0514*10^{\circ}(2)$ 3.1301	$ 74 1.486*10^{(3)} 1.0514*10^{(2)} 3.1301$	$1.486*10^{\circ}(3)$ $1.0514*10^{\circ}(2)$ 3.1301	$1.0514^{*}10^{\circ}(2)$ 3.1301	3.1301	$*10^{-}(-24)$	$2.9966*10^{-}(-1)$	$4.959^*10^{\circ}(3)$	$1.02*10^{\circ}(-9)$	$-3.08*10^{-4}$	1.047173
rhenium-185 75 $1.478*10^{\circ}(3)$ $1.0472*10^{\circ}(2)$ 3.1428	$ 75 1.478*10^{(3)} 1.0472*10^{(2)} 3.1428$	$1.478*10^{\circ}(3)$ $1.0472*10^{\circ}(2)$ 3.1428	$1.0472^*10^{\circ}(2)$ 3.1428	3.1428	$8*10^{-}(-24)$	$2.9981*10^{-1}$	$4.931^*10^{\circ}(3)$	$1.05*10^{\circ}(-9)$	$-3.06*10^{\circ}(4)$	1.047222
tungsten-184 74 $1.473*10^{\circ}(3)$ $1.0443*10^{\circ}(2)$ 3.151°	$\begin{array}{ c c c c c c c c } 74 & 1.473*10^{\circ}(3) & 1.0443*10^{\circ}(2) & 3.151^{\circ} \end{array}$	$1.473*10^{\circ}(3)$ $1.0443*10^{\circ}(2)$ 3.151°	$1.0443*10^{\circ}(2)$ 3.151_{-}	3.151_{4}	$4*10^{(-24)}$	$2.9994*10^{-(-1)}$	$4.911^*10^{\circ}(3)$	$1.07*10^{-10}$	$-3.04*10^{-10}$	1.047267
osmium-184 76 $1.470*10^{\circ}(3)$ $1.0423*10^{\circ}(2)$ 3.157	$\begin{array}{ c c c c c c c c } \hline 76 & 1.470^{*}10^{\circ}(3) & 1.0423^{*}10^{\circ}(2) & 3.157 \\ \hline \end{array}$	$1.470*10^{\circ}(3)$ $1.0423*10^{\circ}(2)$ 3.157	$1.0423^{*}10^{\circ}(2)$ 3.157	3.157	$^{73*10^{\circ}(-24)}$	$2.9996*10^{-}(-1)$	$4.9^{*}10^{\circ}(3)$	$1.07*10^{\circ}(-9)$	$-3.04*10^{-4}$	1.047274
tungsten-183 74 1.466*10 $^{\circ}(3)$ 1.0401*10 $^{\circ}(2)$ 3.164	$\begin{array}{ c c c c c c c c } 74 & 1.466^{*}10^{\circ}(3) & 1.0401^{*}10^{\circ}(2) & 3.164 \end{array}$	$1.466*10^{\circ}(3)$ $1.0401*10^{\circ}(2)$ 3.164	$1.0401^{*}10^{\circ}(2)$ 3.164	3.164	[*10^(-24)	$3.0009^*10^{\circ}(-1)$	$4.884^{*}10^{\circ}(3)$	$1.09^{*}10^{\circ}(-9)$	$-3.02*10^{-4}$	1.047316
tungsten-182 74 $1.459*10^{\circ}(3)$ $1.0368*10^{\circ}(2)$ 3.174	74 1.459*10 $^{\circ}(3)$ 1.0368*10 $^{\circ}(2)$ 3.174	$1.459*10^{\circ}(3)$ $1.0368*10^{\circ}(2)$ 3.174	$1.0368*10^{\circ}(2)$ 3.174	3.174	$2*10^{\circ}(-24)$	$3.0023*10^{\circ}(-1)$	$4.861^*10^{\circ}(3)$	$1.12^*10^{\circ}(-9)$	$-3.01*10^{\circ}(4)$	1.047363

 Table 1. Parameters of stable isotopes of different nuclei.

33	tantalum-181	73	$1.452^*10^{\circ}(3)$	$1.0328^{*}10^{2}(2)$	$3.1864^{*}10^{\sim}(-24)$	$3.0038*10^{-1}$	$4.835^{*}10^{\circ}(3)$	$1.14^{*}10^{(-9)}$	$-2.99*10^{\circ}(4)$	1.047413
34	hafnium-180	72	$1.446^*10^{\circ}(3)$	$1.0296^*10^{\circ}(2)$	$3.1963^{*}10^{\circ}(-24)$	$3.0052^*10^{\circ}(-1)$	$4.813^{*}10^{\circ}(3)$	$1.17^{*}10^{\circ}(-9)$	-2.98^*10^{-4}	1.04746
35	tungsten-180	74	$1.445^*10^{\circ}(3)$	$1.0285^*10^{\circ}(2)$	$3.1998^*10^{\circ}(-24)$	$3.0054^{*}10^{\circ}(-1)$	$4.807^*10^{\circ}(3)$	$1.17*10^{(-9)}$	$-2.97^*10^{\circ}(4)$	1.047465
36	hafnium-179	72	$1.439^*10^{\circ}(3)$	1.0255^*10^{-2}	$3.2093^{*}10^{\circ}(-24)$	$3.0068^{*}10^{(-1)}$	$4.786^*10^{\circ}(3)$	$1.19^{*}10^{(-9)}$	$-2.96^{*}10^{\circ}(4)$	1.047512
37	hafnium-178	72	$1.433^*10^{\circ}(3)$	1.022^*10^{-2}	$3.2196^*10^{-}(-24)$	$3.0082^{*}10^{(-1)}$	$4.763^{*}10^{\circ}(3)$	$1.22^{*}10^{(-9)}$	$-2.94^{*}10^{\circ}(4)$	1.04756
38	hafnium-177	72	$1.425^*10^{\circ}(3)$	$1.0178^{*}10^{\circ}(2)$	$3.2333*10^{-24}$	$3.0098^{*}10^{-(-1)}$	$4.735^*10^{\circ}(3)$	$1.25^{*}10^{\circ}(-9)$	$-2.92^*10^{\circ}(4)$	1.047612
39	ytterbium-176	20	$1.419^*10^{(3)}$	1.0147^*10^{-2}	$3.2434^*10^{-}(-24)$	$3.0112*10^{(-1)}$	$4.713^{*}10^{\circ}(3)$	$1.27*10^{(-9)}$	$-2.91^*10^{\circ}(4)$	1.047661
40	hafnium-176	72	$1.419^*10^{(3)}$	$1.0143^{*}10^{\circ}(2)$	$3.2444^*10^{-}(-24)$	$3.0113^{*}10^{(-1)}$	$4.712^*10^{\circ}(3)$	$1.27*10^{(-9)}$	$-2.91^*10^{\circ}(4)$	1.047662
41	lutetium-175	71	$1.412^*10^{\circ}(3)$	$1.0106^{*}10^{\circ}(2)$	$3.2564^{*}10^{\circ}(-24)$	$3.0128^{*}10^{\circ}(-1)$	$4.687^*10^{\circ}(3)$	$1.3^{*}10^{\circ}(-9)$	$-2.89*10^{(4)}$	1.047713
42	ytterbium-174	20	$1.407^*10^{\circ}(3)$	$1.0077^*10^{\circ}(2)$	$3.2658^{*}10^{\circ}(-24)$	$3.0143^{*}10^{\circ}(-1)$	$4.666^*10^{\diamond}(3)$	$1.33^{*}10^{\circ}(-9)$	$-2.87^*10^{\circ}(4)$	1.047762
43	ytterbium-173	20	$1.399^*10^{\circ}(3)$	$1.0035^*10^{\circ}(2)$	$3.2795^*10^{\circ}(-24)$	$3.0159^{*}10^{\circ}(-1)$	$4.639^*10^{\diamond}(3)$	$1.36^{*}10^{(-9)}$	$-2.86^{*}10^{\circ}(4)$	1.047815
44	ytterbium-172	20	$1.393^*10^{\circ}(3)$	$1.^{*}10^{\circ}(2)$	$3.291^*10^{\circ}(-24)$	$3.0174^{*}10^{\circ}(-1)$	$4.616^{*}10^{\circ}(3)$	$1.39^{*}10^{(-9)}$	$-2.84^{*}10^{\circ}(4)$	1.047867
45	ytterbium-171	20	$1.385^*10^{\circ}(3)$	$9.9541^*10^{\circ}(1)$	$3.3062^{*}10^{\circ}(-24)$	$3.0191^*10^{\circ}(-1)$	$4.587^*10^{\circ}(3)$	$1.43^{*}10^{\circ}(-9)$	$-2.82^{*}10^{\circ}(4)$	1.047923
46	erbium-170	68	$1.379^*10^{\circ}(3)$	$9.9235^*10^{\circ}(1)$	$3.3164^*10^{\circ}(-24)$	$3.0206*10^{\circ}(-1)$	$4.566^*10^{\circ}(3)$	$1.46^{*}10^{(-9)}$	$-2.81^*10^{\circ}(4)$	1.047973
47	ytterbium-170	20	$1.378^*10^{\circ}(3)$	$9.9174^{*}10^{\circ}(1)$	$3.3184^*10^{\circ}(-24)$	$3.0206*10^{\circ}(-1)$	$4.562^*10^{\diamond}(3)$	$1.46^{*}10^{(-9)}$	$-2.8^{*}10^{\circ}(4)$	1.047975
48	thulium-169	69	$1.371^*10^{\circ}(3)$	$9.8797^*10^{\circ}(1)$	$3.3311^*10^{\circ}(-24)$	$3.0222*10^{-}(-1)$	$4.538^*10^{\circ}(3)$	$1.5^{*}10^{\circ}(-9)$	$-2.79^*10^{\circ}(4)$	1.048029
49	erbium-168	68	$1.366^*10^{\circ}(3)$	$9.8499^*10^{\circ}(1)$	$3.3411^*10^{\circ}(-24)$	$3.0237*10^{-}(-1)$	$4.517^*10^{\circ}(3)$	$1.53^{*}10^{\circ}(-9)$	$-2.77*10^{-4}$	1.04808
50	ytterbium-168	20	$1.363^*10^{\circ}(3)$	$9.83^{*}10^{\circ}(1)$	$3.3479^*10^{\circ}(-24)$	$3.024^*10^{\circ}(-1)$	$4.507^*10^{\circ}(3)$	$1.53^{*}10^{\circ}(-9)$	$-2.77*10^{-4}$	1.048088
51	erbium-167	68	$1.358^*10^{\circ}(3)$	$9.8055^*10^{\circ}(1)$	$3.3563^{*}10^{\circ}(-24)$	$3.0254^{*}10^{\circ}(-1)$	$4.489^*10^{\circ}(3)$	$1.57*10^{\circ}(-9)$	$-2.75*10^{-4}$	1.048137
52	erbium-166	68	$1.352^*10^{\circ}(3)$	$9.77^*10^{\circ}(1)$	$3.3685^*10^{\circ}(-24)$	$3.0271^*10^{-}(-1)$	$4.465^*10^{\diamond}(3)$	$1.6^{*}10^{\circ}(-9)$	$-2.74^{*}10^{\circ}(4)$	1.048191
53	holmium-165	67	$1.344^*10^{\circ}(3)$	$9.7285^*10^{\circ}(1)$	$3.3828^*10^{\circ}(-24)$	$3.0287*10^{-}(-1)$	$4.438^*10^{\circ}(3)$	$1.64^{*}10^{\circ}(-9)$	$-2.72^*10^{\circ}(4)$	1.048248
54	dysprosium-164	66	$1.338^*10^{\circ}(3)$	$9.6944^*10^{\circ}(1)$	$3.3947*10^{-}(-24)$	$3.0304^{*}10^{\circ}(-1)$	$4.415^*10^{\circ}(3)$	$1.68^{*}10^{\circ}(-9)$	$-2.7^*10^{\circ}(4)$	1.048302
55	erbium-164	68	$1.336^*10^{\circ}(3)$	$9.6838^{*}10^{\circ}(1)$	$3.3985^*10^{-}(-24)$	$3.0305*10^{-1}$	$4.41^*10^{\circ}(3)$	$1.69^{*}10^{\circ}(-9)$	$-2.7^*10^{\circ}(4)$	1.048306
56	dysprosium-163	66	$1.330^*10^{\circ}(3)$	$9.6506^{*}10^{\circ}(1)$	$3.4101^*10^{-}(-24)$	$3.0321^*10^{\circ}(-1)$	$4.388^*10^{\circ}(3)$	$1.72^{*}10^{\circ}(-9)$	$-2.68^{*}10^{\circ}(4)$	1.04836
57	dysprosium-162	66	$1.324^*10^{\circ}(3)$	$9.6161^*10^{\circ}(1)$	$3.4224^*10^{-}(-24)$	$3.0337*10^{-}(-1)$	$4.365^*10^{\diamond}(3)$	$1.77*10^{\circ}(-9)$	$-2.67*10^{-4}$	1.048416
58	erbium-162	68	$1.321^*10^{\circ}(3)$	$9.5933^*10^{\circ}(1)$	$3.4305^*10^{\circ}(-24)$	$3.034^*10^{\circ}(-1)$	$4.353^*10^{\circ}(3)$	$1.77*10^{\circ}(-9)$	$-2.66*10^{\circ}(4)$	1.048425
59	dysprosium-161	66	$1.316^*10^{\circ}(3)$	$9.5687^*10^{\circ}(1)$	$3.4393^{*}10^{\sim}(-24)$	$3.0355*10^{-}(-1)$	$4.335^*10^{\circ}(3)$	$1.81^{*}10^{\circ}(-9)$	$-2.65*10^{\circ}(4)$	1.048477
60	dysprosium-160	66	$1.309^*10^{\circ}(3)$	$9.5329^*10^{\circ}(1)$	$3.4523^{*}10^{\circ}(-24)$	$3.0372^*10^{\circ}(-1)$	$4.311^*10^{\circ}(3)$	$1.86^{*}10^{\circ}(-9)$	$-2.63*10^{\circ}(4)$	1.048534
61	gadolinium-160	64	$1.309^*10^{\circ}(3)$	$9.5318^*10^{\circ}(1)$	$3.4527*10^{-}(-24)$	$3.0372^*10^{\circ}(-1)$	$4.311^*10^{\circ}(3)$	$1.86^{*}10^{\circ}(-9)$	$-2.63*10^{\circ}(4)$	1.048534
62	terbium-159	65	$1.302^*10^{\circ}(3)$	$9.4905^*10^{\circ}(1)$	$3.4677*10^{-}(-24)$	$3.039^*10^{\circ}(-1)$	$4.284^*10^{\circ}(3)$	$1.9^{*}10^{\circ}(-9)$	$-2.61^*10^{\circ}(4)$	1.048594
63	gadolinium-158	64	$1.296^*10^{\circ}(3)$	$9.4569^*10^{\circ}(1)$	$3.48^{*}10^{\circ}(-24)$	$3.0407*10^{-1}$	$4.262^*10^{\diamond}(3)$	$1.95^{*}10^{\circ}(-9)$	$-2.6^{*}10^{\circ}(4)$	1.04865
64	dysprosium-158	66	$1.294^*10^{\circ}(3)$	$9.444^*10^{(1)}$	$3.4846^*10^{-}(-24)$	$3.0408^{*}10^{\circ}(-1)$	$4.256^*10^{\circ}(3)$	$1.96^{*}10^{\circ}(-9)$	$-2.59^{*}10^{\circ}(4)$	1.048656
65	gadolinium-157	64	$1.288^*10^{\circ}(3)$	$9.411^*10^{\circ}(1)$	$3.497*10^{\circ}(-24)$	$3.0425*10^{-}(-1)$	$4.233^*10^{\circ}(3)$	$2.*10^{(-9)}$	$-2.58*10^{\circ}(4)$	1.048713

1.048771	1.048782	1.048837	1.048896	1.048896	1.04896	1.049019	1.049088	1.049146	1.049213	1.049275	1.049402	1.04947	1.049544	1.049604	1.049669	1.049669	1.049739	1.049803	1.049877	1.049946	1.049953	1.050023	1.050095	1.050098	1.050109	1.050176	1.050247	1.050249	1.050328	1.050401	1.050409	
$-2.56*10^{\circ}(4)$	$-2.56*10^{\circ}(4)$	$-2.54*10^{\circ}(4)$	$-2.53*10^{\circ}(4)$	$-2.53*10^{\circ}(4)$	$-2.51*10^{\circ}(4)$	$-2.49*10^{(4)}$	$-2.47*10^{(4)}$	$-2.46*10^{\circ}(4)$	$-2.44*10^{(4)}$	$-2.42*10^{\circ}(4)$	$-2.39*10^{\circ}(4)$	$-2.38*10^{\circ}(4)$	$-2.35*10^{\circ}(4)$	$-2.34^{*}10^{2}(4)$	$-2.33*10^{\circ}(4)$	$-2.33*10^{\circ}(4)$	$-2.31*10^{\circ}(4)$	$-2.3^{*}10^{\circ}(4)$	$-2.28*10^{\circ}(4)$	$-2.26^*10^{\circ}(4)$	$-2.26*10^{\circ}(4)$	$-2.24*10^{\circ}(4)$	$-2.22*10^{\circ}(4)$	$-2.22*10^{\circ}(4)$	$-2.22*10^{\circ}(4)$	$-2.2^*10^{\circ}(4)$	$-2.19*10^{\circ}(4)$	$-2.19^*10^{\circ}(4)$	$-2.17*10^{\circ}(4)$	$-2.15*10^{\circ}(4)$	$-2.15*10^{(4)}$	
$2.05*10^{(-9)}$	$2.06*10^{\circ}(-9)$	$2.11^*10^{\circ}(-9)$	$2.16*10^{(-9)}$	$2.16*10^{(-9)}$	$2.22*10^{\circ}(-9)$	$2.28^{*}10^{\circ}(-9)$	$2.34^{*}10^{\circ}(-9)$	$2.4^{*}10^{\circ}(-9)$	$2.47*10^{(-9)}$	$2.53*10^{(-9)}$	$2.67*10^{(-9)}$	$2.74^{*}10^{\circ}(-9)$	$2.83^{*}10^{\circ}(-9)$	$2.9^{*}10^{\circ}(-9)$	$2.97^{*}10^{\circ}(-9)$	$2.97^*10^{2}(-9)$	$3.06^{*}10^{\circ}(-9)$	$3.14^*10^{\circ}(-9)$	$3.23^{*}10^{\circ}(-9)$	$3.33*10^{\circ}(-9)$	$3.34^*10^{\circ}(-9)$	$3.43^{*}10^{\circ}(-9)$	$3.53^{*}10^{\circ}(-9)$	$3.53*10^{\circ}(-9)$	$3.55*10^{\circ}(-9)$	$3.64^{*}10^{\circ}(-9)$	$3.75*10^{\circ}(-9)$	$3.75*10^{\circ}(-9)$	$3.87*10^{\circ}(-9)$	$3.98*10^{\circ}(-9)$	$4.*10^{-0}$	_
$4.21^*10^{\circ}(3)$	$4.198*10^{\circ}(3)$	$4.179^*10^{\circ}(3)$	$4.157*10^{\circ}(3)$	$4.156^{*}10^{\circ}(3)$	$4.128^*10^{\circ}(3)$	$4.106^{*}10^{\circ}(3)$	$4.074^{*}10^{\circ}(3)$	$4.056^{*}10^{\circ}(3)$	$4.027*10^{\circ}(3)$	$4.005*10^{\circ}(3)$	$3.958^*10^{\circ}(3)$	$3.931^*10^{\circ}(3)$	$3.899^{*}10^{\circ}(3)$	$3.882^*10^{\circ}(3)$	$3.86^*10^{\sim}(3)$	$3.86^*10^{\sim}(3)$	$3.834^*10^{\circ}(3)$	$3.814^*10^{\circ}(3)$	$3.785^*10^{\circ}(3)$	$3.762^*10^{\circ}(3)$	$3.755^{*}10^{\circ}(3)$	$3.732^*10^{\circ}(3)$	$3.707^*10^{\circ}(3)$	$3.704^{*}10^{\circ}(3)$	$3.693^{*}10^{\circ}(3)$	$3.674^{*}10^{\circ}(3)$	$3.652^*10^{\circ}(3)$	$3.649^{*}10^{\circ}(3)$	$3.62^*10^{\sim}(3)$	$3.598^*10^{\circ}(3)$	$3.59^*10^{{\scriptscriptstyle \sim}}(3)$	
$3.0443^{*}10^{-}(-1)$	$3.0446^{*}10^{\circ}(-1)$	$3.0462^*10^{\circ}(-1)$	$3.0479*10^{\circ}(-1)$	$3.048*10^{\circ}(-1)$	$3.0498^{*}10^{\circ}(-1)$	$3.0516^*10^{\circ}(-1)$	$3.0536^*10^{\circ}(-1)$	$3.0553*10^{-1}$	$3.0573*10^{-1}$	3.0591^*10^{-1}	$3.0628^{*}10^{\circ}(-1)$	$3.0648^{*}10^{\circ}(-1)$	$3.067*10^{\circ}(-1)$	$3.0687^*10^{\circ}(-1)$	$3.0706*10^{-1}$	$3.0706*10^{\circ}(-1)$	$3.0727*10^{-1}$	$3.0745*10^{\circ}(-1)$	$3.0767*10^{-10}$	3.0787^*10^{-1}	3.0789^*10^{-1}	$3.0809*10^{-1}$	$3.083^{*}10^{\circ}(-1)$	3.0831^*10^{-1}	$3.0834^*10^{\circ}(-1)$	$3.0854^{*}10^{\circ}(-1)$	$3.0875*10^{-1}$	$3.0875*10^{\circ}(-1)$	$3.0898^{*}10^{\circ}(-1)$	$3.0919^*10^{\circ}(-1)$	$3.0922*10^{-1}$	
$3.5101^*10^{\circ}(-24)$	$3.5192^*10^{\circ}(-24)$	$3.5289^{*}10^{\circ}(-24)$	$3.5417*10^{-1.0}$	$3.5425*10^{\circ}(-24)$	$3.5593^{*}10^{\circ}(-24)$	$3.5718*10^{-1.24}$	$3.5924^{*}10^{\circ}(-24)$	$3.6024^{*}10^{\circ}(-24)$	$3.6208*10^{-1.0}$	$3.6347*10^{-24}$	$3.6631*10^{-24}$	$3.681^{*}10^{\circ}(-24)$	$3.7035^{*}10^{\circ}(-24)$	$3.7129^{*}10^{\circ}(-24)$	$3.7267*10^{\circ}(-24)$	$3.7272^*10^{\circ}(-24)$	$3.7448*10^{\circ}(-24)$	$3.7566^{*}10^{\circ}(-24)$	$3.7773*10^{\circ}(-24)$	$3.7925^*10^{\circ}(-24)$	$3.7993^{*}10^{\circ}(-24)$	$3.815*10^{\circ}(-24)$	$3.8325^*10^{\circ}(-24)$	$3.8353^{*}10^{\circ}(-24)$	$3.8448^{*}10^{\circ}(-24)$	$3.8571^*10^{\circ}(-24)$	$3.8729^{*}10^{\circ}(-24)$	$3.8752^*10^{\circ}(-24)$	$3.8974^{*}10^{\circ}(-24)$	$3.9131^*10^{\circ}(-24)$	$3.9209^{*}10^{\circ}(-24)$	
$9.3758*10^{\circ}(1)$	$9.3516^*10^{\circ}(1)$	$9.3258^*10^{\circ}(1)$	$9.2921^*10^{\circ}(1)$	$9.29^*10^{\circ}(1)$	$9.2461^*10^{\circ}(1)$	$9.214^*10^{\circ}(1)$	$9.1609*10^{\circ}(1)$	$9.1355*10^{\circ}(1)$	$9.0891^*10^{\circ}(1)$	$9.0545*10^{\circ}(1)$	$8.9843^{*}10^{\circ}(1)$	$8.9405*10^{\circ}(1)$	$8.8863*10^{\circ}(1)$	$8.8637*10^{\circ}(1)$	$8.8308^*10^{\circ}(1)$	$8.8298^*10^{\circ}(1)$	$8.7883^*10^{\circ}(1)$	$8.7605^*10^{\circ}(1)$	$8.7127*10^{\circ}(1)$	$8.6777*10^{\circ}(1)$	$8.6622^*10^{\circ}(1)$	$8.6265*10^{\circ}(1)$	$8.5871^*10^{\circ}(1)$	$8.5809^*10^{\circ}(1)$	$8.5595^*10^{\circ}(1)$	$8.5324^*10^{\circ}(1)$	$8.4975*10^{\circ}(1)$	$8.4924^*10^{\circ}(1)$	$8.4441^*10^{(1)}$	$8.4102^*10^{\circ}(1)$	$8.3934^*10^{\circ}(1)$	
$1.282^{*}10^{\circ}(3)$	$1.278^*10^{\circ}(3)$	$1.273^{*}10^{\circ}(3)$	$1.267*10^{\circ}(3)$	$1.267*10^{\circ}(3)$	$1.259^*10^{\circ}(3)$	$1.253*10^{\circ}(3)$	$1.244^{*}10^{\circ}(3)$	$1.239^*10^{\circ}(3)$	$1.231^*10^{\circ}(3)$	$1.225*10^{\circ}(3)$	$1.212^*10^{\circ}(3)$	$1.205*10^{\circ}(3)$	$1.196^{*}10^{\circ}(3)$	$1.191^*10^{\circ}(3)$	$1.185^*10^{\circ}(3)$	$1.185^*10^{\circ}(3)$	$1.178^*10^{\circ}(3)$	$1.173^{*}10^{\circ}(3)$	$1.165^*10^{\circ}(3)$	$1.158^*10^{\circ}(3)$	$1.156^{*}10^{\circ}(3)$	$1.150^*10^{\circ}(3)$	$1.143^*10^{\circ}(3)$	$1.142^*10^{\circ}(3)$	$1.139^*10^{\circ}(3)$	$1.134^*10^{\circ}(3)$	$1.127^*10^{\circ}(3)$	$1.127^*10^{\circ}(3)$	$1.119^*10^{\circ}(3)$	$1.112^*10^{\circ}(3)$	$1.110^{*}10^{\circ}(3)$	
64	66	64	62	64	63	62	63	62	62	60	60	60	62	60	58	60	59	58	57	56	58	56	56	54	58	56	54	56	55	54	56	_
gadolinium-156	dysprosium-156	gadolinium-155	samarium-154	gadolinium-154	europium-153	samarium-152	europium-151	samarium-150	samarium-149	neodymium-148	neodymium-146	neodymium-145	samarium-144	neodymium-143	cerium-142	neodymium-142	praseodymium-141	cerium-140	lanthanum-139	barium-138	cerium-138	barium-137	barium-136	xenon-136	cerium-136	barium-135	xenon-134	barium-134	cesium-133	xenon-132	barium-132	_
66	67	68	69	2	7	12	3	74	2	20	12	28	62	8	81	82	8	8	85	86	82	88	68	60	91	92	33	94	95	96	97	<u> </u>
		ł	ιU	221	Aſ	vЈ	Ο	JR.	ΝA	L	OF,	M	ΑΊ	H	ĽΜ	ΑΊ	ЛС	AL	ר י	H)	(SI)	CS)	V	/ol.	26)	Ν	ю.	3		2019

$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$27*10^{-10} - 2.11*10^{-10} = 1.050575$		$.39*10^{(-9)} - 2.09*10^{(4)} 1.050646$	$.52*10^{(-9)}$ -2.08*10 ⁽⁴⁾ 1.050725	$.67*10^{(-9)}$ -2.06*10 ⁽⁴⁾ 1.050809	$.81*10^{(-9)}$ -2.04*10 ⁽⁴⁾ 1.050886	$.83*10^{(-9)}$ -2.04*10 ⁽⁴⁾ 1.050896	$.98*10^{(-9)}$ -2.02*10 ⁽⁴⁾ 1.050976	$.14*10^{(-9)}$ -2.01*10 ⁽⁴⁾ 1.051057	$.15*10^{(-9)}$ $-2.*10^{(4)}$ 1.051059	$.17*10^{(-9)}$ -2.*10 ⁽⁴⁾ 1.051074	$.32^{*}10^{(-9)}$ -1.99 $^{*}10^{(4)}$ 1.051146	$.49*10^{(-9)} -1.97*10^{(4)} 1.051229$	$5.5*10^{\circ}(-9)$ $-1.97*10^{\circ}(4)$ 1.051234	$.69*10^{(-9)} -1.95*10^{(4)} 1.051323$	$.87*10^{(-9)}$ -1.93*10 ⁽⁴⁾ 1.051404	$5.9^{*}10^{\circ}(-9)$ -1.93 $^{*}10^{\circ}(4)$ 1.051418	$(.08^{*}10^{(-9)} -1.91^{*}10^{(4)} 1.0515$	$(.29^{*}10^{(-9)} -1.9^{*}10^{(4)} 1.051586$	$(52*10^{(-9)} -1.88*10^{(4)} 1.051685$	$(.75*10^{(-9)} -1.86*10^{(4)} 1.051775$	$(01^{*}10^{(-9)} -1.84^{*}10^{(4)} 1.051878$	$25*10^{(-9)} - 1.82*10^{(4)}$	$26*10^{(-9)}$ -1.82*10 ⁽⁴⁾ 1.051973	$.54*10^{(-9)}$ -1.8*10 ⁽⁴⁾ 1.052074	$(79*10^{(-9)} -1.79*10^{(4)} 1.052165$	$.84^{*}10^{\circ}(-9)$ $-1.78^{*}10^{\circ}(4)$ 1.05218	$8.1^*10^{\circ}(-9)$ $-1.77^*10^{\circ}(4)$ 1.052272	$8.4^{*}10^{\circ}(-9)$ $-1.75^{*}10^{\circ}(4)$ 1.052369	$8.4^{*}10^{\circ}(-9)$ $-1.75^{*}10^{\circ}(4)$ 1.052371	$.73*10^{(-9)}$ -1.73*10 ⁽⁴⁾ 1.052477	$.05*10^{(-9)}$ $-1.71*10^{(4)}$ 1.052574
	$3.542^{*}10^{\circ}(3)$	$3.528^{*}10^{\circ}(3)$	$3.51^{*}10^{(3)}$	$3.485^{*}10^{\circ}(3)$	$3.456^{*}10^{(3)}$	$3.433^{*}10^{(3)}$	$3.425^{*}10^{\circ}(3)$	$3.401^{*}10^{(3)}$	$3.377*10^{\circ}(3)$	$3.375^*10^{\circ}(3)$ ξ	$3.363^{*}10^{\sim}(3)$	$3.347^*10^{2}(3)$	3.323^*10^{2}	$3.32^*10^{\circ}(3)$	$3.291^*10^{\circ}(3)$ ξ	$3.27^{*}10^{\sim}(3)$	$3.259^*10^{\circ}(3)$	$3.238^*10^{2}(3)$ ($3.215^*10^{\circ}(3)$ ($3.182^{*}10^{\circ}(3)$ ($3.157^*10^{\circ}(3)$ ($3.124^{*}10^{\circ}(3)$ 7	$3.1^{*10^{(3)}}$	$3.097^*10^{\circ}(3)$ 7	$3.067^{*}10^{\sim}(3)$ 7	$3.045^{*}10^{\circ}(3)$ 7	$3.034^{*}10^{\circ}(3)$ 7	$3.013^*10^{\circ}(3)$	$2.988^*10^{\circ}(3)$	$2.986^*10^{\circ}(3)$	$2.957*10^{(3)}$	$2.933^*10^{\circ}(3)$ (
	$3.0965^{\circ}10^{\circ}(-1)$	$3.097*10^{(-1)}$	3.099^*10^{-1}	$3.1013^{*}10^{\circ}(-1)$	$3.1037*10^{(-1)}$	3.1059^*10^{-1}	3.1062^*10^{-1}	$3.1085^{*}10^{(-1)}$	$3.1108*10^{-1}$	$3.1109^*10^{\circ}(-1)$	$3.1113*10^{-1}$	$3.1134^{*}10^{\circ}(-1)$	$3.1158*10^{(-1)}$	$3.1159*10^{-1}$	$3.1185^{*}10^{(-1)}$	$3.1208^{*}10^{\circ}(-1)$	3.1212^*10^{-1}	3.1236^*10^{-1}	$3.126^*10^{\circ}(-1)$	$3.1289^*10^{-}(-1)$	$3.1314^*10^{\circ}(-1)$	$3.1343^{*}10^{\circ}(-1)$	$3.1369^*10^{\circ}(-1)$	3.1371^*10^{-1}	$3.1399*10^{-1}$	3.1425^*10^{-1}	3.1429^*10^{-1}	$3.1455*10^{(-1)}$	$3.1483^{*}10^{\circ}(-1)$	$3.1483^{*}10^{(-1)}$	$3.1513^{*}10^{(-1)}$	$3.1541^*10^{-(-1)}$
	$3.9561^{\circ}10^{\circ}(-24)$	$3.97^{*}10^{\circ}(-24)$	$3.9829^{*}10^{\circ}(-24)$	$4.0022^{*}10^{\circ}(-24)$	$4.026^{*}10^{\circ}(-24)$	$4.0432^*10^{-}(-24)$	$4.0518^{*}10^{-}(-24)$	$4.0709*10^{-24}$	$4.0899*10^{-}(-24)$	$4.0925^*10^{-}(-24)$	$4.1058^{*}10^{\circ}(-24)$	$4.1164^*10^{-}(-24)$	$4.1358^{*}10^{\circ}(-24)$	$4.1402^{*}10^{-}(-24)$	$4.1652^{*}10^{\circ}(-24)$	$4.1822*10^{-}(-24)$	$4.1945^*10^{-}(-24)$	$4.212^*10^{\circ}(-24)$	$4.2321^*10^{-}(-24)$	$4.2636^*10^{\circ}(-24)$	$4.286^*10^{\circ}(-24)$	$4.3193^{*}10^{\circ}(-24)$	$4.3407^*10^{\circ}(-24)$	$4.3449^*10^{-}(-24)$	$4.3747*10^{-}(-24)$	$4.3948^{*}10^{\circ}(-24)$	$4.4096^{*}10^{\circ}(-24)$	$4.4293^{*}10^{\circ}(-24)$	$4.4539^*10^{-}(-24)$	$4.4558^{*}10^{\circ}(-24)$	$4.4873^{*}10^{\circ}(-24)$	$4.5103^{*}10^{\circ}(-24)$
(T) NT #00000	8.3189*10^(1)	$8.2897^*10^{\circ}(1)$	$8.2628^{*}10^{\circ}(1)$	$8.223*10^{\circ}(1)$	8.1744^*10^{-1}	$8.1395^*10^{\circ}(1)$	8.1222^*10^{-1}	$8.0842^{*}10^{\circ}(1)$	8.0467^*10^{-1}	$8.0416^{*}10^{\circ}(1)$	8.0155^*10^{-1}	$7.9949^{*}10^{\sim}(1)$	$7.9573^{*}10^{\circ}(1)$	$7.9489^{*}10^{\circ}(1)$	$7.9011^*10^{\circ}(1)$	$7.869^{*}10^{\circ}(1)$	$7.8459^{*}10^{\circ}(1)$	$7.8134^*10^{\circ}(1)$	$7.7763^{*}10^{\circ}(1)$	$7.7189^{*}10^{\circ}(1)$	$7.6784^{*}10^{\circ}(1)$	$7.6192^*10^{\circ}(1)$	$7.5817^*10^{\circ}(1)$	$7.5744^*10^{\circ}(1)$	$7.5228^{*}10^{\circ}(1)$	$7.4883*10^{-1}$	$7.4633*10^{\circ}(1)$	$7.4301^*10^{\circ}(1)$	$7.3891^*10^{\circ}(1)$	$7.3859^*10^{\circ}(1)$	$7.3341^*10^{\circ}(1)$	$7.2966^*10^{\circ}(1)$
$1.104^{\circ}10(3)$	$1.097*10^{\circ}(3)$	$1.093^{*}10^{\circ}(3)$	$1.088*10^{-3}$	$1.081^{*}10^{\circ}(3)$	$1.073^{*}10^{\circ}(3)$	$1.066^{*}10^{\circ}(3)$	$1.064^{*}10^{\circ}(3)$	$1.057*10^{\circ}(3)$	$1.051^{*}10^{\circ}(3)$	$1.050^{*}10^{\circ}(3)$	$1.046^*10^{2}(3)$	$1.042^*10^{\circ}(3)$	$1.036^*10^{\circ}(3)$	$1.034^*10^{\circ}(3)$	$1.026^*10^{\circ}(3)$	$1.021^*10^{\circ}(3)$	$1.017^*10^{\circ}(3)$	$1.011^*10^{\circ}(3)$	$1.005^*10^{\circ}(3)$	995.6	988.7	979.1	972.6	971.6	963.1	957.0	953.5	947.6	940.6	940.2	931.7	925.2
5	54	56	54	54	53	52	54	52	52	50	54	51	50	52	51	50	52	50	50	50	50	50	48	50	49	48	50	48	48	46	47	46
Xenon-131	xenon-130	barium-130	xenon-129	xenon-128	iodine-127	tellurium-126	xenon-126	tellurium-125	tellurium-124	tin-124	xenon-124	antimony-123	tin-122	tellurium-122	antimony-121	tin-120	tellurium-120	tin-119	tin-118	tin-117	tin-116	tin-115	cadmium-114	tin-114	indium-113	cadmium-112	tin-112	cadmium-111	cadmium-110	palladium-110	silver-109	palladium-108
98 	99	100	101	102	103	104	105	106	107	108	109	110	111	112	113	114	115	116	117	118	119	120	121	122	123	124	125	126	127	128	129	130

1.052583	1.05269	1.052787	1.052808	1.052903	1.053008	1.053009	1.053125	1.053229	1.053243	1.05335	1.053461	1.053588	1.053698	1.053705	1.053823	1.05394	1.053964	1.054072	1.054193	1.054196	1.054328	1.054448	1.054467	1.054585	1.054716	1.054855	1.054989	1.055151	1.055297	1.055299	1.055457	1.0556
$-1.71*10^{\circ}(4)$	$-1.69*10^{-4}$	$-1.68*10^{-4}$	$-1.67*10^{\circ}(4)$	$-1.66*10^{\circ}(4)$	$-1.64^{*}10^{\circ}(4)$	$-1.64*10^{-4}$	$-1.62*10^{-4}$	$-1.61*10^{-4}$	$-1.6^{*}10^{\circ}(4)$	$-1.58*10^{-4}$	$-1.57*10^{-4}$	$-1.55*10^{\circ}(4)$	$-1.53*10^{\circ}(4)$	$-1.53*10^{\circ}(4)$	$-1.51*10^{\circ}(4)$	$-1.5^*10^{\circ}(4)$	$-1.49*10^{\circ}(4)$	$-1.48*10^{-4}$	$-1.46*10^{-4}$	$-1.46*10^{-4}$	$-1.44^*10^{\circ}(4)$	$-1.43*10^{-4}$	-1.42^*10^{-4}	$-1.41*10^{-4}$	$-1.39*10^{\circ}(4)$	$-1.38*10^{-4}$	$-1.36^*10^{\circ}(4)$	-1.34^*10^{-4}	$-1.32^*10^{\circ}(4)$	$-1.32^*10^{\circ}(4)$	$-1.3^{*}10^{\circ}(4)$	$-1.28*10^{-4}$
$9.08^{*}10^{\sim}(-9)$	$9.43*10^{\circ}(-9)$	$9.77*10^{\circ}(-9)$	$9.84^{*}10^{\sim}(-9)$	1.02^*10^{-8}	$1.06*10^{\circ}(-8)$	$1.06*10^{-8}$	$1.1^*10^{\circ}(-8)$	1.14^*10^{-8}	$1.15*10^{-8}$	$1.19*10^{(-8)}$	$1.24^{*}10^{\circ}(-8)$	$1.3^{*}10^{\circ}(-8)$	$1.35*10^{-1.8}$	$1.35*10^{-1.8}$	1.41^*10^{-8}	$1.46^{*}10^{\circ}(-8)$	$1.48^*10^{\circ}(-8)$	$1.53*10^{\circ}(-8)$	$1.6^*10^{\circ}(-8)$	$1.6^*10^{\circ}(-8)$	$1.67^*10^{\circ}(-8)$	$1.74^{*}10^{\circ}(-8)$	$1.75*10^{\circ}(-8)$	$1.82^*10^{\circ}(-8)$	$1.9^{*}10^{\circ}(-8)$	$2.*10^{\circ}(-8)$	$2.09^*10^{\circ}(-8)$	$2.2^*10^{\circ}(-8)$	$2.31^*10^{\circ}(-8)$	$2.31^*10^{\circ}(-8)$	$2.43*10^{\circ}(-8)$	$2.55*10^{\circ}(-8)$
$2.927*10^{\circ}(3)$	$2.899^{*10^{\sim}(3)}$	$2.878^{*10^{\uparrow}}(3)$	$2.864^{*}10^{\sim}(3)$	$2.845*10^{2}(3)$	$2.821^{*}10^{\circ}(3)$	$2.82^{*}10^{\circ}(3)$	$2.79*10^{\circ}(3)$	$2.767^{*}10^{\sim}(3)$	$2.758^{*}10^{\sim}(3)$	$2.735*10^{-3}$	$2.711^{*}10^{\circ}(3)$	$2.678^{*}10^{\sim}(3)$	$2.656^{*}10^{\circ}(3)$	$2.652^{*}10^{\circ}(3)$	$2.626^{*}10^{\sim}(3)$	$2.602^{*}10^{\circ}(3)$	$2.588*10^{\circ}(3)$	$2.571^{*}10^{\circ}(3)$	$2.546^{*}10^{\circ}(3)$	$2.545*10^{\circ}(3)$	$2.516^{*}10^{\circ}(3)$	$2.494^{*}10^{\circ}(3)$	$2.484^{*}10^{\sim}(3)$	$2.464^{*}10^{\sim}(3)$	$2.439^{*}10^{\circ}(3)$	$2.41*10^{-3}$	$2.386^{*}10^{\circ}(3)$	$2.348^{*}10^{\circ}(3)$	$2.32^{*}10^{\circ}(3)$	$2.319^{*}10^{\circ}(3)$	$2.286^{*}10^{\circ}(3)$	$2.261^{*}10^{\circ}(3)$
$3.1543^*10^{\circ}(-1)$	$3.1574^*10^{\circ}(-1)$	$3.1601*10^{\circ}(-1)$	$3.1607*10^{\circ}(-1)$	$3.1634^*10^{\circ}(-1)$	$3.1663*10^{\circ}(-1)$	$3.1663*10^{-1}$	$3.1696*10^{-1}$	$3.1725*10^{\circ}(-1)$	$3.1729*10^{\circ}(-1)$	$3.1759*10^{\circ}(-1)$	$3.179^*10^{\circ}(-1)$	$3.1826*10^{\circ}(-1)$	$3.1856*10^{\circ}(-1)$	$3.1858*10^{\circ}(-1)$	$3.1891*10^{-}(-1)$	$3.1924^*10^{\circ}(-1)$	$3.193^*10^{\circ}(-1)$	$3.196^*10^{\circ}(-1)$	$3.1994^*10^{\circ}(-1)$	$3.1995*10^{\circ}(-1)$	$3.2031*10^{-}(-1)$	$3.2065*10^{-}(-1)$	$3.207^*10^{\circ}(-1)$	$3.2103*10^{-1}$	$3.2139*10^{-}(-1)$	$3.2177*10^{-10}$	$3.2214^*10^{\circ}(-1)$	$3.2258*10^{-}(-1)$	$3.2298*10^{-}(-1)$	$3.2299*10^{-}(-1)$	$3.2342^*10^{\circ}(-1)$	$3.2381*10^{-}(-1)$
$4.5186^{*}10^{\circ}(-24)$	$4.5495*10^{-}(-24)$	$4.5701*10^{-}(-24)$	$4.5901^{*}10^{\circ}(-24)$	$4.6084^{*}10^{-}(-24)$	$4.6345*10^{-10}$	$4.6358*10^{-1.0}$	$4.671^{*}10^{-}(-24)$	$4.6948*10^{-}(-24)$	$4.7083*10^{-}(-24)$	$4.7339*10^{-}(-24)$	$4.7613^{*}10^{\circ}(-24)$	$4.804^{*}10^{\circ}(-24)$	$4.8282*10^{-}(-24)$	$4.8358*10^{-}(-24)$	$4.8667*10^{-}(-24)$	$4.896^{*}10^{\circ}(-24)$	$4.9192^*10^{-}(-24)$	$4.9385*10^{-}(-24)$	$4.9694^{*}10^{\circ}(-24)$	$4.9718^{*}10^{\circ}(-24)$	$5.0119*10^{\circ}(-24)$	$5.0387*10^{-}(-24)$	$5.0572*10^{-}(-24)$	$5.0809*10^{-}(-24)$	$5.1153*10^{\circ}(-24)$	$5.1572*10^{\circ}(-24)$	$5.192^*10^{\circ}(-24)$	$5.2527*10^{-}(-24)$	$5.2957*10^{\circ}(-24)$	$5.2976^{*}10^{\circ}(-24)$	$5.3515*10^{-}(-24)$	$5.3889*10^{-}(-24)$
$7.2833*10^{\circ}(1)$	$7.2337^*10^{\circ}(1)$	$7.2012^*10^{\circ}(1)$	$7.1698^{*}10^{\circ}(1)$	$7.1413^{*}10^{\circ}(1)$	$7.1011^*10^{\circ}(1)$	$7.0992^{*}10^{\circ}(1)$	$7.0456*10^{\circ}(1)$	$7.0099^{*}10^{\circ}(1)$	$6.9898^{*}10^{\circ}(1)$	$6.9521^*10^{\circ}(1)$	$6.9119^*10^{\circ}(1)$	$6.8506^{*}10^{\circ}(1)$	$6.8162^*10^{\circ}(1)$	$6.8055*10^{\circ}(1)$	$6.7623^{*}10^{\circ}(1)$	$6.7218^*10^{\circ}(1)$	$6.6901^*10^{\circ}(1)$	$6.664^*10^{\circ}(1)$	$6.6225^{*}10^{\circ}(1)$	$6.6194^*10^{\circ}(1)$	$6.5663^*10^{\circ}(1)$	$6.5315^*10^{\circ}(1)$	$6.5075*10^{\circ}(1)$	$6.4772^*10^{\circ}(1)$	$6.4337^*10^{\circ}(1)$	$6.3814^*10^{\circ}(1)$	$6.3386^*10^{\circ}(1)$	$6.2654^*10^{\circ}(1)$	$6.2145^*10^{\circ}(1)$	$6.2122^*10^{\circ}(1)$	$6.1497^*10^{\circ}(1)$	$6.107^*10^{\circ}(1)$
923.4	915.3	909.5	905.1	899.9	893.1	892.8	884.2	877.9	875.2	868.7	861.9	852.3	846.2	844.8	837.6	830.8	826.5	821.6	814.7	814.3	805.8	799.7	796.5	791.1	783.9	775.5	768.5	757.4	749.2	748.9	739.3	732.3
48	47	46	48	46	44	46	45	44	46	44	44	44	42	44	42	42	44	42	40	42	41	40	42	40	40	39	$\frac{38}{2}$	$\frac{38}{2}$	36	$\frac{38}{2}$	37	36
cadmium-108	silver-107	palladium-106	cadmium-106	palladium-105	ruthenium-104	palladium-104	rhodium-103	ruthenium-102	palladium-102	ruthenium-101	ruthenium-100	ruthenium-99	molybdenum-98	ruthenium-98	molybdenum-97	molybdenum-96	ruthenium-96	molybdenum-95	zirconium-94	molybdenum-94	niobium-93	zirconium-92	molybdenum-92	zirconium-91	zirconium-90	yttrium-89	strontium-88	strontium-87	krypton-86	strontium-86	rubidium-85	krypton-84
131	132	133	134	135	136	137	138	139	140	141	142	143	144	145	146	147	148	149	150	151	152	153	154	155	156	157	158	159	160	161	162	163

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1.055623	1.05577	1.055921	1.056093	1.05625	1.056261	1.056433	1.056588	1.056621	1.056777	1.056947	1.057136	1.057308	1.05733	1.05751	1.057688	1.057895	1.05809	1.058095	1.0583	1.058492	1.058722	1.058927	1.059155	1.059374	1.0594	1.059627	1.059842	1.060111	1.060355	1.060626	1.060878	1.060919
$-1.27*10^{-4}$	$-1.26^{*}10^{\circ}(4)$	-1.24^*10^{-4}	$-1.22^*10^{\circ}(4)$	$-1.2^*10^{\circ}(4)$	$-1.2^*10^{\circ}(4)$	$-1.18^*10^{\circ}(4)$	$-1.17*10^{(4)}$	$-1.16*10^{-4}$	$-1.15*10^{\circ}(4)$	$-1.13*10^{-4}$	$-1.11*10^{-4}$	$-1.09*10^{\circ}(4)$	$-1.09^*10^{\circ}(4)$	$-1.07^*10^{\circ}(4)$	$-1.06^{*}10^{\circ}(4)$	$-1.04^{*}10^{\sim}(4)$	$-1.02^*10^{\circ}(4)$	$-1.02^*10^{\circ}(4)$	$-1.*10^{\circ}(4)$	$-9.88^{*}10^{\circ}(3)$	$-9.67^{*}10^{\circ}(3)$	$-9.52^{*}10^{\circ}(3)$	$-9.34^{*}10^{\circ}(3)$	$-9.18^{*}10^{\circ}(3)$	$-9.13^{*}10^{\circ}(3)$	$-8.97^{*}10^{\circ}(3)$	$-8.84^{*}10^{\circ}(3)$	$-8.63*10^{\circ}(3)$	$-8.47*10^{\circ}(3)$	$-8.27*10^{\circ}(3)$	$-8.12^{*}10^{\circ}(3)$	$-8.06^{*}10^{\circ}(3)$
$2.57*10^{\circ}(-8)$	$2.69^{*}10^{\circ}(-8)$	$2.82^{*}10^{\circ}(-8)$	$2.98*10^{-1.0}$	$3.14^*10^{\circ}(-8)$	$3.15*10^{\circ}(-8)$	$3.32^*10^{\circ}(-8)$	$3.49*10^{-8}$	$3.52*10^{-1.0}$	$3.7^*10^{\circ}(-8)$	$3.9^*10^{\circ}(-8)$	$4.13^{*}10^{\circ}(-8)$	$4.35*10^{\circ}(-8)$	$4.38^{*}10^{\circ}(-8)$	$4.63^{*}10^{\circ}(-8)$	$4.88^{*}10^{\circ}(-8)$	$5.2^*10^{\circ}(-8)$	$5.51^{*}10^{\circ}(-8)$	$5.52^{*}10^{\circ}(-8)$	$5.86^{*}10^{\circ}(-8)$	$6.2^*10^{\circ}(-8)$	$6.63^{*}10^{\circ}(-8)$	$7.03*10^{\circ}(-8)$	$7.51^{*}10^{\circ}(-8)$	$7.99^{*}10^{\circ}(-8)$	$8.05*10^{-10}$	$8.58*10^{-1.5}$	$9.12^*10^{\circ}(-8)$	$9.82^{*}10^{\circ}(-8)$	$1.05*10^{\circ}(-7)$	$1.13^*10^{\circ}(-7)$	$1.21^*10^{\circ}(-7)$	$1.22^*10^{\circ}(-7)$
$2.251^*10^{\circ}(3)$	$2.226^*10^{\circ}(3)$	$2.2^{*}10^{\circ}(3)$	$2.166^{*}10^{\circ}(3)$	$2.14^*10^{\circ}(3)$	$2.136^*10^{\circ}(3)$	$2.105^*10^{\circ}(3)$	$2.083^{*}10^{\circ}(3)$	$2.069^{*}10^{\circ}(3)$	$2.047^*10^{\circ}(3)$	$2.022^{*}10^{\circ}(3)$	$1.99^*10^{\circ}(3)$	$1.966^*10^{\circ}(3)$	$1.957^*10^{\circ}(3)$	$1.932^*10^{\circ}(3)$	$1.908^*10^{\circ}(3)$	$1.876^*10^{\circ}(3)$	$1.849^*10^{\circ}(3)$	$1.847^*10^{\circ}(3)$	$1.818^*10^{\circ}(3)$	$1.796^*10^{\circ}(3)$	$1.762^*10^{\circ}(3)$	$1.737^*10^{\circ}(3)$	$1.708^*10^{\circ}(3)$	$1.682^*10^{\circ}(3)$	$1.674^*10^{\circ}(3)$	$1.648^*10^{\circ}(3)$	$1.627^*10^{\circ}(3)$	$1.592^*10^{\circ}(3)$	$1.566^*10^{\circ}(3)$	$1.534^*10^{\circ}(3)$	$1.509^*10^{\circ}(3)$	$1.499^*10^{\circ}(3)$
$3.2388*10^{-1}$	$3.2428*10^{-1}$	$3.2469*10^{-1}$	$3.2516*10^{-10}$	$3.2558*10^{-1}$	$3.2561*10^{-10}$	$3.2608*10^{-1}$	$3.265*10^{-1}$	$3.2659*10^{-1}$	$3.2701*10^{-1}$	$3.2747*10^{-1}$	$3.2797*10^{-10}$	$3.2844^*10^{-}(-1)$	$3.285*10^{-1}$	$3.2898*10^{-1}$	$3.2945*10^{-1}$	$3.3001*10^{-10}$	$3.3053*10^{\circ}(-1)$	$3.3054^*10^{\circ}(-1)$	$3.3108*10^{\circ}(-1)$	$3.3159*10^{\circ}(-1)$	$3.322*10^{-1}$	$3.3274^*10^{\circ}(-1)$	$3.3334^*10^{\circ}(-1)$	$3.3392*10^{\circ}(-1)$	$3.3399*10^{-1}$	$3.3458*10^{\circ}(-1)$	$3.3514^*10^{\circ}(-1)$	$3.3584^*10^{\circ}(-1)$	$3.3648*10^{\circ}(-1)$	$3.3718*10^{\circ}(-1)$	$3.3784^{*}10^{\circ}(-1)$	$3.3794^*10^{\circ}(-1)$
$5.4115*10^{-}(-24)$	$5.4508*10^{-24}$	$5.4928^{*}10^{\circ}(-24)$	$5.553*10^{\circ}(-24)$	$5.5971*10^{-24}$	$5.6076^{*}10^{-}(-24)$	$5.6647*10^{-24}$	$5.7018*10^{-24}$	$5.7357*10^{-24}$	$5.7719*10^{-24}$	$5.8192^{*}10^{\circ}(-24)$	$5.8845*10^{-}(-24)$	$5.9295*10^{-}(-24)$	$5.9527*10^{-}(-24)$	$6.0034^{*}10^{\circ}(-24)$	$6.0495*10^{-}(-24)$	$6.1227^*10^{-}(-24)$	$6.1806*10^{-}(-24)$	$6.1858^{*}10^{\circ}(-24)$	$6.2513*10^{-}(-24)$	$6.3^{*}10^{\circ}(-24)$	$6.3847*10^{-}(-24)$	$6.4401^{*}10^{-}(-24)$	$6.5159^{*}10^{\circ}(-24)$	$6.578*10^{\circ}(-24)$	$6.6063*10^{-}(-24)$	$6.6733*10^{\circ}(-24)$	$6.7239*10^{\circ}(-24)$	$6.8266*10^{-}(-24)$	$6.8998^{*}10^{\circ}(-24)$	$6.9956*10^{-}(-24)$	$7.0672*10^{-10}$	7.1112*10^(-24)
$6.0815^{*10^{\wedge}(1)}$	$6.0376^*10^{\circ}(1)$	$5.9915*10^{\circ}(1)$	$5.9265*10^{\circ}(1)$	$5.8798^{*}10^{\circ}(1)$	$5.8688*10^{\circ}(1)$	$5.8097*10^{\circ}(1)$	$5.7719*10^{\circ}(1)$	$5.7378*10^{\circ}(1)$	$5.7018^*10^{\circ}(1)$	$5.6554^*10^{\circ}(1)$	$5.5927^*10^{\circ}(1)$	$5.5502^*10^{\circ}(1)$	$5.5285^{*}10^{\circ}(1)$	$5.4819^*10^{\circ}(1)$	$5.4401^*10^{\circ}(1)$	$5.3751^*10^{\circ}(1)$	$5.3247^*10^{\circ}(1)$	$5.3202^*10^{\circ}(1)$	$5.2645*10^{\circ}(1)$	$5.2238^*10^{\circ}(1)$	$5.1545*10^{\circ}(1)$	$5.1102^*10^{\circ}(1)$	$5.0508^*10^{\circ}(1)$	$5.003^{*}10^{\circ}(1)$	$4.9816^*10^{\circ}(1)$	$4.9316^*10^{\circ}(1)$	$4.8945*10^{\circ}(1)$	$4.8209^{*}10^{\circ}(1)$	$4.7697^*10^{\circ}(1)$	$4.7044^*10^{\circ}(1)$	$4.6567^*10^{\circ}(1)$	$4.6279^{*}10^{\circ}(1)$
728.9	721.7	714.3	704.4	696.9	695.4	686.3	680.0	675.6	669.5	662.1	652.6	645.7	642.9	635.5	628.7	619.0	611.1	610.5	602.0	595.4	585.2	578.1	569.2	561.8	559.1	551.4	545.3	534.7	526.8	517.3	509.9	506.5
$\frac{38}{38}$	36	36	35	34	36	35	34	36	34	34	33	32	34	32	32	31	30	32	31	30	30	30	29	28	30	29	28	28	28	27	26	28
strontium-84	krypton-83	krypton-82	bromine-81	selenium-80	krypton-80	bromine-79	selenium-78	krypton-78	selenium-77	selenium-76	arsenic-75	germanium-74	selenium-74	germanium-73	germanium-72	gallium-71	zinc-70	germanium-70	gallium-69	zinc-68	zinc-67	zinc-66	copper-65	nickel-64	zinc-64	copper-63	nickel-62	nickel-61	nickel-60	cobalt-59	iron-58	nickel-58
164	165	166	167	168	169	170	171	172	173	174	175	176	177	178	179	180	181	182	183	184	185	186	187	188	189	190	191	192	193	194	195	196

1.061169	1.061439	1.061748	1.062038	1.062067	1.062359	1.062665	1.063017	1.063345	1.063385	1.063726	1.064077	1.064496	1.064875	1.064885	1.065313	1.065694	1.066168	1.0666	1.067095	1.067559	1.067596	1.068092	1.068562	1.069144	1.069707	1.069758	1.070352	1.070915	1.071651	1.072343	1.073079	1.073802
$ -7.92^*10^{\circ}(3) $	$-7.77*10^{\circ}(3)$	$-7.57^{*}10^{\circ}(3)$	$-7.4^{*}10^{\circ}(3)$	$-7.36*10^{\circ}(3)$	$-7.21*10^{\circ}(3)$	$-7.05*10^{(3)}$	$-6.85*10^{\circ}(3)$	$-6.69*10^{(3)}$	$-6.65*10^{2}(3)$	$-6.48*10^{\circ}(3)$	$-6.32^{*}10^{\circ}(3)$	$-6.11*10^{\circ}(3)$	$-5.95*10^{(3)}$	$-5.94^{*}10^{\circ}(3)$	$-5.74^{*}10^{\sim}(3)$	$-5.61*10^{\circ}(3)$	$-5.4^{*}10^{\circ}(3)$	$-5.25*10^{\circ}(3)$	$-5.06*10^{(3)}$	$-4.92*10^{\circ}(3)$	$-4.89*10^{\circ}(3)$	$-4.73*10^{(3)}$	$-4.61^{*}10^{\circ}(3)$	$-4.43*10^{\circ}(3)$	$-4.27*10^{(3)}$	$-4.24^{*}10^{\circ}(3)$	$-4.09*10^{(3)}$	$-3.97*10^{(3)}$	$-3.77*10^{\circ}(3)$	$-3.62^{*}10^{\circ}(3)$	$-3.47*10^{(3)}$	$-3.34^{*}10^{\circ}(3)$
$1.31^*10^{-1.7}$	$1.41^*10^{\circ}(-7)$	$1.53^{*}10^{\circ}(-7)$	$1.65^*10^{\circ}(-7)$	$1.66^{*}10^{\circ}(-7)$	$1.79^{*}10^{\circ}(-7)$	$1.94^{*}10^{\circ}(-7)$	$2.12^*10^{\circ}(-7)$	$2.3^{*}10^{\circ}(-7)$	$2.32^*10^{\circ}(-7)$	$2.52^*10^{\circ}(-7)$	$2.75*10^{\circ}(-7)$	$3.04^*10^{\circ}(-7)$	$3.33^*10^{\circ}(-7)$	$3.34^*10^{\circ}(-7)$	$3.7^*10^{\circ}(-7)$	$4.04^{*}10^{\circ}(-7)$	$4.51^{*}10^{\circ}(-7)$	$4.97^{*}10^{\circ}(-7)$	$5.55*10^{\circ}(-7)$	$6.15^*10^{\circ}(-7)$	$6.2^*10^{\circ}(-7)$	$6.9^*10^{\circ}(-7)$	$7.64^{*}10^{\circ}(-7)$	$8.63^{*}10^{\circ}(-7)$	$9.7^*10^{\circ}(-7)$	$9.81^*10^{\circ}(-7)$	$1.11^*10^{\circ}(-6)$	$1.24^{*}10^{\circ}(-6)$	$1.43^{*}10^{\circ}(-6)$	$1.64^{*}10^{\circ}(-6)$	$1.88^{*}10^{\circ}(-6)$	$2.15*10^{-6}$
$1.476^{*}10^{\circ}(3)$	$1.451^{*}10^{\circ}(3)$	$1.418^*10^{\circ}(3)$	$1.391^*10^{\circ}(3)$	$1.384^*10^{\circ}(3)$	$1.359*10^{\circ}(3)$	$1.333^*10^{\circ}(3)$	$1.299*10^{\circ}(3)$	$1.272^*10^{\circ}(3)$	$1.264^{*}10^{\circ}(3)$	$1.237^*10^{\circ}(3)$	$1.21^*10^{\circ}(3)$	$1.173^*10^{\circ}(3)$	$1.146^{*}10^{\circ}(3)$	$1.144^*10^{\circ}(3)$	$1.111^*10^{\circ}(3)$	$1.088^*10^{\circ}(3)$	$1.053^{*}10^{\circ}(3)$	$1.027^*10^{\circ}(3)$	$9.949^{*}10^{\circ}(2)$	$9.697^{*}10^{\circ}(2)$	$9.645*10^{\circ}(2)$	$9.379^*10^{\circ}(2)$	$9.17^*10^{\circ}(2)$	$8.849^{*}10^{\circ}(2)$	$8.583*10^{\circ}(2)$	$8.524^{*}10^{\circ}(2)$	$8.256^{*}10^{\circ}(2)$	$8.05*10^{\circ}(2)$	$7.698^{*}10^{\circ}(2)$	$7.428^*10^{\circ}(2)$	$7.153*10^{\circ}(2)$	$6.923*10^{-2}$
$3.3859*10^{-1}$	$3.3928^*10^{\circ}(-1)$	$3.4007*10^{\circ}(-1)$	$3.4082^*10^{\circ}(-1)$	$3.4089*10^{-10}$	$3.4163^*10^{\circ}(-1)$	$3.4241*10^{-10}$	$3.433*10^{\circ}(-1)$	$3.4413^*10^{\circ}(-1)$	$3.4423*10^{\circ}(-1)$	$3.4509*10^{\circ}(-1)$	$3.4597*10^{\circ}(-1)$	$3.4702^*10^{\circ}(-1)$	$3.4796*10^{\circ}(-1)$	$3.4799^*10^{\circ}(-1)$	$3.4905*10^{-1}$	$3.4999*10^{-10}$	$3.5116^*10^{\circ}(-1)$	$3.5221*10^{-10}$	$3.5342*10^{\circ}(-1)$	$3.5455*10^{\circ}(-1)$	$3.5464^*10^{\circ}(-1)$	$3.5583*10^{\circ}(-1)$	$3.5696*10^{\circ}(-1)$	$3.5836*10^{\circ}(-1)$	$3.597*10^{-10}$	$3.5982^*10^{\circ}(-1)$	$3.6123^*10^{\circ}(-1)$	$3.6255*10^{\circ}(-1)$	$3.6427^*10^{\circ}(-1)$	$3.6588*10^{\circ}(-1)$	$3.6758*10^{-1}$	$3.6924^{*}10^{\circ}(-1)$
$7.175*10^{\circ}(-24)$	$7.2544^{*}10^{\circ}(-24)$	$7.3706*10^{\circ}(-24)$	$7.4609*10^{\circ}(-24)$	$7.4929^{*}10^{\circ}(-24)$	$7.5779*10^{\circ}(-24)$	$7.672^{*}10^{\circ}(-24)$	$7.809*10^{\circ}(-24)$	$7.9117^*10^{-}(-24)$	$7.9563*10^{\circ}(-24)$	$8.0659*10^{-10}$	8.1777*10^(-24)	8.3566*10^(-24)	8.4808*10^(-24)	$8.4918^{*}10^{-}(-24)$	$8.6612*10^{-}(-24)$	8.7666*10^(-24)	8.9657*10^(-24)	$9.1029^*10^{\circ}(-24)$	$9.2998^{*}10^{\circ}(-24)$	$9.4457*10^{-10}$	$9.489^{*}10^{\circ}(-24)$	$9.6551*10^{-}(-24)$	$9.7758*10^{\circ}(-24)$	$1.0007*10^{-10}$	$1.0195*10^{-}(-23)$	$1.0254^{*}10^{\circ}(-23)$	$1.0458*10^{\circ}(-23)$	$1.0601^{*}10^{\circ}(-23)$	$1.0919^*10^{\circ}(-23)$	$1.1159*10^{\circ}(-23)$	$1.1419*10^{\circ}(-23)$	$1.163^{*}10^{\sim}(-23)$
$4.5868^{*}10^{\circ}(1)$	$4.5366^*10^{\circ}(1)$	$4.465^*10^{\circ}(1)$	$4.411^*10^{\circ}(1)$	$4.3922^*10^{\circ}(1)$	$4.3429^*10^{\circ}(1)$	$4.2896^*10^{\circ}(1)$	$4.2144^*10^{\circ}(1)$	$4.1597^*10^{\circ}(1)$	$4.1363^*10^{\circ}(1)$	$4.0801^*10^{\circ}(1)$	$4.0244^*10^{\circ}(1)$	$3.9382^*10^{\circ}(1)$	$3.8805*10^{\circ}(1)$	$3.8755*10^{\circ}(1)$	$3.7997^*10^{\circ}(1)$	$3.754^*10^{\circ}(1)$	$3.6706^*10^{\circ}(1)$	$3.6153^*10^{\circ}(1)$	$3.5388*10^{\circ}(1)$	$3.4841^*10^{\circ}(1)$	$3.4682^*10^{\circ}(1)$	$3.4086^*10^{\circ}(1)$	$3.3665^*10^{\circ}(1)$	$3.2888*10^{\circ}(1)$	$3.2279^*10^{\circ}(1)$	$3.2094^*10^{\circ}(1)$	$3.147^*10^{\circ}(1)$	$3.1044^*10^{\circ}(1)$	$3.0139^*10^{\circ}(1)$	$2.9492^*10^{\circ}(1)$	$2.882^*10^{\circ}(1)$	$2.8298*10^{-1}$
499.9	492.3	482.1	474.0	471.8	464.3	456.3	445.8	437.8	435.0	426.8	418.7	407.1	398.8	398.2	387.8	381.0	369.8	361.9	351.6	343.8	342.1	333.7	327.3	317.1	308.7	306.7	298.2	291.8	280.4	271.8	262.9	255.6
26	26	25	24	26	24	24	23	22	24	22	22	22	20	22	21	20	20	20	19	18	20	19	18	17	16	18	17	16	16	16	15	14
iron-57	iron-56	manganese-55	chromium-54	iron-54	chromium-53	chromium-52	vanadium-51	titanium-50	chromium-50	titanium-49	titanium-48	titanium-47	calcium-46	titanium-46	scandium-45	calcium-44	calcium-43	calcium-42	potassium-41	argon-40	calcium-40	potassium-39	argon-38	chlorine-37	sulfur-36	argon-36	chlorine-35	sulfur-34	sulfur-33	sulfur-32	phosphorus-31	silicon-30
197	198	199	200	201	202	203	204	205	206	207	208	209	210	211	212	213	214	215	216	217	218	219	220	221	222	223	224	225	226	227	228	229

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230	silicon-29	14	245.0	2.7448^*10^{-1}	$1.199*10^{(-23)}$	$3.7126^{*}10^{-}(-1)$	6.599^*10^{2}	$2.52^{*}10^{\circ}(-6)$	$-3.16^{*}10^{\circ}(3)$	1.074685
231	silicon-28	14	236.5	$2.6803^*10^{\circ}(1)$	$1.2279*10^{\circ}(-23)$	$3.732^*10^{\circ}(-1)$	6.338^*10^{2}	$2.94^{*}10^{\circ}(-6)$	$-3.01*10^{\circ}(3)$	1.075542
232	aluminum-27	13	225.0	$2.5841^*10^{\circ}(1)$	$1.2736*10^{\circ}(-23)$	$3.7553*10^{-1}$	$5.99^{*}10^{\circ}(2)$	3.52^*10^{-6}	$-2.82^{*}10^{\circ}(3)$	1.076583
233	magnesium-26	12	216.7	$2.5206*10^{\circ}(1)$	$1.3057*10^{\circ}(-23)$	$3.7769*10^{\circ}(-1)$	$5.737^*10^{\circ}(2)$	$4.14^{*}10^{\circ}(-6)$	$-2.69*10^{\circ}(3)$	1.077551
234	magnesium-25	12	205.6	$2.4276^*10^{\circ}(1)$	$1.3556*10^{\circ}(-23)$	$3.8027*10^{-1}$	$5.406^{*}10^{\circ}(2)$	$5.02^{*}10^{\circ}(-6)$	$-2.51*10^{(3)}$	1.078722
235	magnesium-24	12	198.3	$2.3728^*10^{\circ}(1)$	$1.387*10^{(-23)}$	$3.826*10^{\circ}(-1)$	$5.182^*10^{\circ}(2)$	$5.95^{*}10^{\circ}(-6)$	$-2.39*10^{(3)}$	1.07979
236	sodium-23	11	186.6	$2.2718^*10^{\circ}(1)$	$1.4486*10^{(-23)}$	$3.8561*10^{(-1)}$	$4.838^*10^{\circ}(2)$	$7.37*10^{-6}$	$-2.2^*10^{\circ}(3)$	1.081181
237	neon-22	10	177.8	$2.2004^*10^{\circ}(1)$	$1.4956*10^{(-23)}$	$3.8847*10^{(-1)}$	$4.576^*10^{\circ}(2)$	$9.*10^{\circ}(-6)$	$-2.07*10^{(3)}$	1.08252
238	neon-21	10	167.4	$2.1114^*10^{\circ}(1)$	$1.5587*10^{(-23)}$	$3.9178*10^{(-1)}$	$4.273^*10^{\circ}(2)$	$1.13^{*}10^{\circ}(-5)$	$-1.91^{*}10^{(3)}$	1.084081
239	neon-20	10	160.6	$2.0609*10^{\circ}(1)$	$1.5969*10^{(-23)}$	$3.9479*10^{(-1)}$	$4.069^{*}10^{\circ}(2)$	$1.38*10^{-5}$	$-1.8^{*}10^{\circ}(3)$	1.085525
240	fluorine-19	6	147.8	$1.9421^*10^{\circ}(1)$	$1.6945*10^{(-23)}$	$3.9907*10^{-1}$	$3.704^*10^{\circ}(2)$	$1.82^{*}10^{\circ}(-5)$	$-1.61*10^{(3)}$	1.0876
241	oxygen-18	∞	139.8	$1.8764^*10^{\circ}(1)$	$1.7538*10^{(-23)}$	$4.0288*10^{-1}$	$3.47^*10^{\circ}(2)$	$2.31^{*}10^{\circ}(-5)$	$-1.49*10^{(3)}$	1.089478
242	oxygen-17	∞	131.8	$1.8097*10^{(1)}$	$1.8185*10^{(-23)}$	$4.0704^{*}10^{-}(-1)$	$3.237^*10^{\circ}(2)$	$2.98^{*}10^{\circ}(-5)$	$-1.37*10^{(3)}$	1.091564
243	oxygen-16	x	127.6	$1.7888*10^{\circ}(1)$	$1.8398*10^{-}(-23)$	$4.1074^{*}10^{(-1)}$	$3.107^*10^{(2)}$	$3.72*10^{-5}$	$-1.3^{*}10^{\circ}(3)$	1.093442
244	nitrogen-15	2	115.5	$1.6724^*10^{\circ}(1)$	$1.9678*10^{(-23)}$	$4.1673*10^{(-1)}$	$2.771^*10^{\circ}(2)$	$5.24^{*}10^{\circ}(-5)$	$-1.14^{*}10^{\circ}(3)$	1.096538
245	nitrogen-14	2	104.7	$1.5692^*10^{\circ}(1)$	2.0972^*10^{-23}	$4.2319*10^{(-1)}$	$2.473^*10^{\circ}(2)$	$7.48^{*}10^{\circ}(-5)$	$-9.94^{*}10^{\circ}(2)$	1.099958
246	carbon-13	9	97.11	$1.5057*10^{\circ}(1)$	$2.1857*10^{(-23)}$	$4.2948^{*}10^{(-1)}$	$2.261^*10^{\circ}(2)$	$1.04^{*}10^{\sim}(-4)$	$-8.9^{*}10^{\circ}(2)$	1.103371
247	carbon-12	9	92.16	$1.4764^*10^{\circ}(1)$	$2.2291*10^{-}(-23)$	$4.3565*10^{(-1)}$	$2.116^*10^{\circ}(2)$	$1.42^{*}10^{\sim}(-4)$	$-8.16^{*}10^{\circ}(2)$	1.106795
248	boron-11	S	76.20	$1.2987^*10^{\circ}(1)$	$2.5341*10^{(-23)}$	$4.4753*10^{(-1)}$	$1.703^{*}10^{\circ}(2)$	$2.5*10^{(-4)}$	$-6.32^{*}10^{\circ}(2)$	1.113615
249	boron-10	5	64.75	$1.176^*10^{\circ}(1)$	$2.7985*10^{-23}$	$4.5996^{*}10^{(-1)}$	$1.408^*10^{\circ}(2)$	$4.32^*10^{-}(-4)$	$-5.02*10^{2}(2)$	1.121078
250	beryllium-9	4	58.16	$1.1215^*10^{\circ}(1)$	$2.9346*10^{(-23)}$	$4.7184^{*}10^{-}(-1)$	$1.233^*10^{\circ}(2)$	$7.01^*10^{\circ}(-4)$	$-4.22^{*}10^{\circ}(2)$	1.128538
251	lithium-7	3 S	39.24	9.2079	$3.5741^*10^{-}(-23)$	$5.1231*10^{-1}$	$7.66^{*}10^{\circ}(1)$	$2.9^{*}10^{\circ}(-3)$	$-2.29*10^{(2)}$	1.156422
252	lithium-6	3 S	31.99	8.5662	$3.8418^{*}10^{\circ}(-23)$	$5.4087*10^{-1}$	$5.915^*10^{\circ}(1)$	$6.64^{*}10^{\circ}(-3)$	$-1.6^{*}10^{\circ}(2)$	1.178496
253	helium-4	2	28.30	9.9942	$3.2929*10^{(-23)}$	$6.0521*10^{(-1)}$	$4.675^*10^{\circ}(1)$	$2.98^{*}10^{-}(-2)$	$-9.94^{*}10^{\circ}(1)$	1.235472
254	helium-3	2	7.718	7.2058	$4.5672^{*}10^{\circ}(-23)$	$9.2368^{*}10^{\circ}(-1)$	8.356	1.73	4.24	1.622418
255	deuterium	1	2.225	$1.358^*10^{\circ}(1)$	$2.4235*10^{\circ}(-23)$	2.6432	$8.416*10^{-1}$	$1.42^*10^{\circ}(5)$	$2.64^*10^{\circ}(1)$	5.069582