ARTICLE

Ranking the quality of life indexes by years in Asian countries using multi‑criteria decision‑making methods

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Abstract

The objective weighting methods recently introduced in the literature include method based on the removal efects of criteria (MEREC), logarithmic percentage change-driven objective weighting (LOPCOW), and modifed preference selection index method (MPSI). The aim of this study was to analyze the effects of the above methods on criteria weights and rank in decision problems involving over 20 alternatives. Based on the quality of life index (QLI), the ranking of Asian countries was carried out by combining the above weighting methods with the multi-attributive ideal-real comparative analysis (MAIRCA). Combination of these methods has not been used before in this research area. Capitals of Asian countries were selected and evaluated with eight diferent criteria. MEREC, LOPCOW, and MPSI methods were used to weight the criteria. The MAIRCA method was used to rank the alternatives. These results were compared with Numbeo rankings. The MPSI method showed the closest ranking to the Numbeo ranking, exhibiting the highest Spearman rank correlation and lowest Euclidean distance. Given its straightforward applicability, the MPSI method is preferred among the aforementioned objective weighting methods, followed by the MEREC and then the LOPCOW methods. In addition, we also examined the applicability of the preference selection index (PSI) method to the data sets. The results indicate the PSI method may not calculate the criteria weights in decision-making problems where the number of alternatives is high.

Keywords LOPCOW · MAIRCA · MCDM · MEREC · MPSI · Quality of life index · Ranking

1 Introduction

Determination of the weights of the criteria in the multi-criteria decision-making (MCDM) problems is incredibly signifcant since it remarkably afects the results. In decision problems, failure to obtain reliable criterion weights can create uncertainty about the accuracy of the solution of the decision problem (Jessop [2004\)](#page-29-0). In cases

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of uncertainty, subjective methods can be used by taking opinions of decision makers. However, there is also the possibility of error in human judgment. Due to such possible errors, it is difficult to ensure accurate evaluation of criterion weights (Pala [2023](#page-30-0)). For this reason, using objective weighting methods and determining criterion weights reliably in decision problems is particularly important. Depending on this situation, new MCDM methods are developed to be used in the solution of decision problems. Three of them are the method based on the removal efects of criteria (MEREC) method introduced by Keshavarz-Ghorabaee et al. [\(2021](#page-29-1)), the logarithmic percentage change-driven objective weighting (LOPCOW) Method proposed by Ecer and Pamucar [\(2022](#page-29-2)), and modifed preference selection index (MPSI) Method suggested by Gligori'c et al. [\(2022](#page-29-3)). Since they are newly introduced to the literature and being objective methods, the diference between them has been a matter of curiosity for researchers. Therefore, it is aimed to examine the impact of MEREC, LOP-COW, and MPSI weighting methods to criteria weights and the ranking results in this study. In addition, the applicability of PSI method instead of MPSI method has been questioned, since MPSI is a modifed version of PSI method. In this context, the quality of life index (QLI) values are used as data set. For this purpose, MEREC, LOPCOW, MPSI and multi-attributive ideal-real comparative analysis (MAIRCA) methods are used as a combined method. The criteria weights for the QLI were calculated with the MEREC, LOPCOW and MPSI methods, and the capitals of 30 Asian countries were ranked according to the QLI using the MAIRCA method.

The QLI values to be used in the study are published by Numbeo every 6 months and the general QLI of the cities is estimated based on eight diferent indexes (Numbeo [2022\)](#page-30-1). By calculating the QLI for selected cities around the world, these cities are ranked by the efects of certain criteria. Since the Numbeo database contains both the data of the criteria and the ranking results of the cities, it allows testing the developed MCDM methods.

The indexes in the QLI can be considered as criteria in MCDM problems. Among these criteria, purchasing power, safety, health services, and climate indexes are the beneft criteria (maximization oriented); pollution, property price/income ratio, cost of living and traffic indices are cost criteria (minimization oriented). It is preferred that the criteria with the maximization direction be large, and the criteria with the minimization direction be small. The eight indexes used in this study are explained in Numbeo web site (Numbeo [2022\)](#page-30-1).

The aim of this study is to determine criteria weights with MEREC, LOPCOW, and MPSI weighting methods, which are new and objective methods in the literature, to compare them and to reveal their efects on ranking. The competence of these methods in decision models with a large number of alternatives was also evaluated. The results that will solve the problems that other scientists who will use the method may encounter have been reached. In the application part of the study, MAIRCA was combined for the frst time with the weighting methods mentioned. The novelty of the study is explained below.

1.1 Highlights

- It is aimed to examine the effects of MEREC, LOPCOW, and MPSI weighting methods, which are new and objective methods in the literature, on criteria weights and ranking results.
- A new usage area for the MEREC method has been added to the literature.
- The applicability of the Preference Selection Index (PSI) method, which is a modifed version of this method instead of the MPSI method, was investigated and it was found that the PSI method was inadequate in calculating the criteria weights in decision-making problems with a large number of alternatives. This result is an important problem solver for other studies. Therefore, MPSI method was preferred instead of PSI method.
- MEREC, LOPCOW, MPSI, and MAIRCA methods were used as a combined method. With the MPSI method, methods that have not been encountered in the literature have been added to the combined MCDM methods and have been guiding the way for new areas of use by comparing them.
- The usage of MAIRCA method with the mentioned weighting methods was encountered only in this study. The rest of the article consists of the literature review in the second section, methods in the third section, results in the fourth section, discussion in the ffth section, and conclusion in the fnal section.

2 Literature review

Although MEREC and LOPCOW methods have recently been added to the literature as weighting methods, they have been used in various studies alone or integrating with other methods.

Table [1](#page-3-0) shows the studies in which MEREC, LOPCOW, and MAIRCA methods are preferred for weighting and ranking the criteria in various decision-making problems.

Unlike MEREC and LOPCOW methods, MPSI method has been appeared in very few studies which are the support system selection in an underground mine (Gligori´c et al. [2022\)](#page-29-3), the anti-fatigue lightweight design of heavy tractor frame (Zhang et al. [2022\)](#page-31-0) and the bank selection problem (Yılmaz [2023\)](#page-31-1).

While there are studies in the literature where MEREC and LOPCOW methods are used together (Bektaş, [2022;](#page-28-0) Yalman et al. [2023;](#page-31-2) Yaşar and Ünlü, [2023;](#page-31-2) Yürüyen et al. [2023\)](#page-31-3), only one study was found in which MEREC, LOPCOW, and PSI methods were used (Ulutaş et al. [2023\)](#page-30-2). However, no study comparing MEREC, LOPCOW, and MPSI methods has yet been found.

In the literature, it is seen that the studies in which MEREC and MAIRCA methods are used together are few and mostly in mechanical engineering (Trung and Thinh [2021;](#page-30-3) Nguyen et al. [2022](#page-30-4); Sapkota et al. [2022\)](#page-30-5). The literature examples of studies which uses MEREC and MAIRCA methods in social sciences were mostly based on fnancial performance of BIST insurance index (Çilek [2022](#page-28-1)) and

on banking sector (Özcan [2022\)](#page-30-19). Few studies have been found in which MCDM methods are used for the ranking of the QLI. Some studies using MCDM methods for QLI ranking are given in Table [2](#page-5-0).

De Vicente Oliva and Romero-Ania [\(2022](#page-29-16)) aimed to develop a multidimensional QLI which can replace the current methodology designed by Eurostat and implemented by the national statistical institutes of the European Union member states using ELECTRE III method.

As a result of the literature review, any study comparing the diference of MEREC, LOPCOW, and MPSI methods or considering MAIRCA, LOPCOW, MPSI, and MEREC methods together has not been found. Furthermore, the studies which the mentioned weighting methods and MAIRCA method are used have never been focused on the feld of QLI. With this study, the use of weight determination in the ranking of countries according to QoL is also added to the used areas of the MEREC, LOPCOW, MPSI, and MAIRCA methods. The studies containing QLI-MCDM have not focused on the Asian countries. Based on the literature review, no studies have been conducted to measure and analyze the impact of using diferent weighting methods in ranking and prioritizing Asian countries according to QLI. Therefore, the research in question will contribute signifcantly to the literature. In addition to all these, it is thought that examining the applicability of the PSI method in decision problems with a large number of alternatives will contribute signifcantly to the literature. For this purpose, frst, the application steps of MEREC, LOPCOW, MPSI, PSI, and MAIRCA methods will be introduced. Then the weights of the criteria (quality of life indicators) will be calculated with the MEREC, LOPCOW, and MPSI methods. According to these weights, the Asian countries will be ranked with the MAIRCA method. Finally, the ranking results will be compared with the ranking on the Numbeo website.

3 Method

In this study, rankings were carried out for Asian countries using QLI between 2020 and 2023. While the indices were weighted by the MEREC, LOPCOW, and MPSI methods, rankings are computed by the MAIRCA method, and these methods were combined in the study. Eight index values, including purchasing power (including rent) index, pollution index, property prices to income ratio index, cost of living index, safety index, climate index, health care index, and traffic index were chosen as criteria and the values for the capitals of Asian countries were used. The data were pulled from numbeo.com for the years 2020, 2021, 2022, and 2023. Since 2023 data have not yet been completed, mid-year data were used as index values in the analysis. Concerning a convenient comparison with the other years, mid-year index values were also used for each year. The ranking results for quality of life by years are also available on this site. The ranking results obtained in this study were compared with the Numbeo ranking results by calculating correlation coefficients and Euclidean distances. During the analysis, EXCEL and SPSS programs were used.

The QLI available in the Numbeo website content (in Java) is calculated as (URL1):

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index.main=Math.max (0,100+purchasingPowerInclRentIndex/2.5- $(housePriceTo IncomeRatio \times 1.0) - costOf LivingIndex/10 + safetyIndex/2.0 + health-$ Index/2.5 – trafficTimeIndex/2.0 – pollutionIndex \times 2.0/3.0 + climateIndex/3.0).

Since the index data of some Asian countries or their capitals could not be reached, the evaluation was made over 29, 28, 28, and 25 countries for years 2020, 2021, 2022, and 2023, respectively. The data sets are given at Tables [9](#page-21-0), [10,](#page-23-0) [11](#page-25-0) and [12](#page-27-0) in Appendix A.

3.1 Method based on the removal efects of criteria (MEREC)

This method is added to MCDM techniques in 2021 by Keshavarz-Ghorabaee et al. The method called MEREC is used to determine the weights of the criteria and has been tested by its developers and found to give consistent and reliable results with other criteria weight calculation methods. For the criteria weights, subjective weighting methods, objective weighting methods, and hybrid weighting methods are used (Keshavarz-Ghorabaee et al [2021](#page-29-1)). There are places where each method is superior to the others. MEREC stands as one of the objective weighting methods.

In the MEREC method, the effects of each criterion on the overall performance of the alternatives are examined for criterion weights. The efect of removing a criterion on the overall performance of the alternatives is examined. If the total performance is more afected by the removal of which criterion, that criterion should have a greater weight. Thus, both the weights can be given to the criteria and the criteria deemed unnecessary by the expert can be removed. To obtain objective criteria weights, MEREC uses the perspective of subtraction rather than inclusion, which is the basis of other objective weighting methods (Keshavarz-Ghorabaee [2021](#page-29-21)). In this method, criteria and alternatives are evaluated simultaneously. The method is based on maximizing the overall performance of alternatives with variation within and between criteria, measured using standard deviation and correlation (Sabaghian et al. [2021](#page-30-6)). The application steps of the method are as follows (Keshavarz-Ghorabaee [2021;](#page-29-21) Keshavarz-Ghorabaee et al [2021](#page-29-1)):

Step 1. Creating decision matrix: a decision matrix is created showing the ratings of each alternative or the values of each alternative according to each criterion. The elements of this matrix are denoted by x_{ij} , and these elements must be greater than zero. If there is negative data, it should be converted to positive using appropriate methods. A decision matrix $X = [x_{ij}]$ of size $m \times n$ can be represented as follows, where *m* represents the number of alternatives and *n* the number of criteria:

$$
X = \begin{bmatrix} x_{11}x_{12} \cdots x_{1j} \cdots x_{1n} \\ x_{21}x_{22} \cdots x_{2j} \cdots x_{2n} \\ \vdots \\ x_{i1}x_{i2} \cdots x_{ij} \cdots x_{in} \\ \vdots \\ x_{m1}x_{m2} \cdots x_{mj} \cdots x_{mn} \end{bmatrix}
$$

Step 2. The normalized matrix $M^x = \begin{bmatrix} m_{ij}^x \end{bmatrix}$ is obtained using the following appropriate equations.

$$
m_{ij}^{x} = \frac{\min_{i} x_{ij}}{x_{ij}} \text{ if the j. criterion is maximization oriented (When high is preferred)} \tag{1}
$$
\n
$$
m_{ij}^{x} = \frac{x_{ij}}{\max_{i} x_{ij}} \text{ if the j. criterion is minimization oriented (When low is preferred)} \tag{2}
$$

Step 3. In this step, the performances of the alternatives are calculated with the help of a logarithmic measure with equal criterion weights.

$$
S_i = \ln\left[1 + \left(\frac{1}{n}\sum_j \left| \ln\left(m_{ij}^x\right) \right| \right) \right] \tag{3}
$$

Step 4. In this step, the logarithmic measure is used similarly to the previous step. The diference from Step 3 is that the performances of the alternatives are determined based on the removal of each criterion separately. By removing each criterion one by one, the performances of the alternatives are calculated. Let S_{ii} be the overall performance of the *i th* alternative computed with the removal of the *j th* criterion, then the value for each alternative is calculated as below:

$$
S_{ij'} = \ln\left[1 + \left(\frac{1}{n}\sum_{k,k\neq j} \left| \ln\left(m_{ik}^x\right) \right| \right)\right]
$$
 (4)

Step 5. The efect of removing the criterion is calculated. For this, the results of Step 3 and Step 4 are used. Thus, the sum of the absolute deviations is found and the effect of removing the criterion is computed. Let E_j be the removal effect. E_j is found with the help of the following equation:

$$
E_j = \sum_i \left| S_{ij}t - S_i \right| \tag{5}
$$

Step 6. The fnal weights of the criteria are determined. In this step, the objective weight of each criterion is calculated using the removal effects (E_i) calculated in Step 5. Let w_j represent the weight of the jth criterion:

$$
w_j = \frac{E_j}{\sum_k E_k} \tag{6}
$$

Here the sum of the weights of the criteria is equal to $1 (\sum_j w_j = 1)$.

3.2 LOgarithmic percentage change‑driven objective weighting (LOPCOW)

The LOPCOW method was introduced by Ecer and Pamucar in 2022 as an objective weighting method. The distinguishing features of the LOPCOW method are that it eliminates the diference (gap) caused by the size of the data by expressing it as a percentage of the standard deviations of the mean square values of the series and it provides the opportunity to work with negative values in the data set (Bektaş, [2022\)](#page-28-0). Therefore, the distribution of criterion weights is less afected by changes in the performance values of the alternatives and provides a reasonably accurate result (Biswas et al. [2022](#page-28-14)). In addition, it is not afected by the infuence of a large number of alternatives and criteria (Bektaş, [2022;](#page-28-0) Biswas et al. [2022](#page-28-14)). The steps of the LOPCOW method are as follows (Ecer and Pamucar [2022](#page-29-2)):

Step 1. A decision matrix is created with the ratings of each alternative or the values of each alternative according to each criterion. The elements of this matrix are denoted by x_{ii} , and these elements can be negative unlike the MEREC method. A decision matrix $X = [x_{ij}]$ of size $m \times n$ can be formed as in MEREC method, where *m* represents the number of alternatives and *n* the number of criteria.

Step 2. The normalized decision matrix $M^x = \left[m_{ij}^x\right]$ can be computed by Eqs. [7](#page-8-0) and [8](#page-8-1) in accordance with the characteristics of the criterion.

$$
m_{ij}^{x} = \frac{x_{ij} - x_{i}^{-}}{x_{i}^{+} - x_{i}^{-}}
$$
 if the j. criterion is maximization oriented (When low is preferred)

$$
m_{ij}^x = \frac{x_i^+ - x_{ij}}{x_i^+ - x_i^-}
$$
 if the j. criterion is minimization oriented (When low is preferred)

In equalities above, x_{ij} is the value of the ith alternative at jth criterion, $x_i^$ denotes the lowest value of the criterion gets from the alternative, and x_i^+ denotes the highest value of criterion takes from the alternative.

Step 3. Calculating the percentage values (PV) of the criteria: in this step, to eliminate the diference (gap) caused by the data size, the mean square value as a percentage of the standard deviations of each criterion is obtained with the help of Eq. [9](#page-8-2).

$$
PV_{ij} = \left| \ln \left(\frac{\sqrt{\frac{\sum_{i=1}^{m} (m_{ij}^{x})^2}{m}}}{\sigma} \right) \right| \tag{9}
$$

where σ is the standard deviation and m represents the number of alternatives.

Step 4. Objective weights for each criterion are computed by Eq. [10.](#page-9-0)

(7)

(8)

$$
w_j = \frac{PV_{ij}}{\sum_{i=1}^n PV_{ij}}\tag{10}
$$

where the sum of the weights of the criteria is $1(\sum_j w_j = 1)$.

3.3 Modifed preference selection index (MPSI)

Preference selection index (PSI) method introduced by Mania and Bhatt [\(2010\)](#page-29-22) eliminates the need to determine the relative importance of the criteria and is used both for fnding criterion weights and for ranking purposes (Mufazzal and Muzakkir [2017\)](#page-30-21), which makes it preferred in the literature. However, in decision problems with several alternatives as in this study, it is not possible to use the PSI method since the addition of numerous normalized values between 0 and 1 can be greater than 2 and as a result, overall preference value becomes negative. In addition, Zhang et al. [\(2022\)](#page-31-0) argued in their study that the PSI method "prefers" certain criteria, and this leads to injustice in making decisions. Due to such disadvantages, diferent normalization techniques have been tried for the PSI method in the literature (Do and Nguyen [2023](#page-29-23)) or the PSI method has been modifed (Gligorić et al. [2022;](#page-29-3) Zhang et al. [2022\)](#page-31-0). The MPSI method is a modifcation of the traditional PSI method, achieved only by eliminating a certain step from the original PSI method. This small change increases the fnal values of the weighting coefficients, bringing them closer to the values obtained with other objective weighting methods. MPSI method is one of them and the application steps are explained below (Gligorić et al. [2022](#page-29-3)):

Step 1. A decision matrix is formed with the ratings of each alternative or the values of each alternative according to each criterion same as LOPCOW and MEREC. A decision matrix $X = [x_{ij}]$ of size $m \times n$ is formed, where *m* represents the number of alternatives and *n* the number of criteria.

Step [2](#page-7-1). The normalized matrix $M^x = \left[m_{ij}^x\right]$ is obtained using Eqs. [1](#page-7-0) and 2.

Step 3. Calculate the preference variation value p_j as follows:

$$
p_j = \sum_{i=1}^{m} \left(m_{ij}^x - \overline{m}_j \right)^2 \tag{11}
$$

where \overline{m}_j is the mean normalized value given in Eq. [12](#page-9-1).

$$
\overline{m}_j = \frac{1}{n} \sum_{i=1}^n m_{ij}^x \tag{12}
$$

Step 4. The weights of criteria w_j are computed by Eq. [13](#page-9-2).

$$
w_j = \frac{p_j}{\sum_{j=1}^n p_j} \tag{13}
$$

where the sum of the weights of the criteria is $1(\sum_j w_j = 1)$. PSI method involves an extra step that computes PSI by $q_j = 1 - p_j$ and then calculate the weights according to $w_j = \frac{q_j}{\sum_{j=1}^n q_j}$.

3.4 Multi‑attributive ideal‑real comparative analysis (MAIRCA)

Pamucar et al. introduced the MAIRCA method, which was developed at the Center for Defense Logistics Studies at the University of Belgrade, at a conference in 2014 (Pamucar et al. [2014](#page-30-22)). The method is based on the logic of defning the diference between theoretical and real results. Thanks to the linear normalization algorithm used, very reliable results can be attained (Ecer [2022](#page-29-13)). It can also be used easily with other MCDM or alternative solution methods. There have been many studies for ranking aim where it is used alone or with other solution methods. The advantages of this method have been considered in choosing the MAIRCA method. These advantages are (Ecer [2022](#page-29-13)) listed below:

- It can be used in problems with many evaluation criteria and alternatives.
- It can solve decision problems with both qualitative and quantitative evaluation criteria.
- It is easy to understand and apply.
- It produces consistent solutions thanks to its own algorithm.

The method consists of six steps (Pamucar et al. [2014\)](#page-30-22):

Step 1. Creating the decision matrix: in this step, an initial matrix with alternatives and criteria is built. A decision matrix $X = [x_{ij}]$ is formed with $m \times n$ dimension, where *m* represents the number of alternatives and *n* the number of criteria.

Step 2: determination of preference according to alternatives: at this stage, there is no priority calculation for the decision maker to choose between alternatives. The decision maker gives equal priority to alternatives. Since there will be equal priority among *m* alternatives, the preference ratio (P_{A_i}) among the alternatives is calculated as follows:

$$
P_{A_i} = \frac{1}{m}; \sum_{i=1}^{m} P_{A_i} = 1, i = 1, 2, ..., m
$$
 (14)

Step 3: determination of theoretically considered matrix elements: this matrix is denoted by (T_p) , and the elements of the matrix are determined as the product of the preference ratio of the preferred alternatives (P_{A_i}) and the criterion weighting coefficients (w_n) . Let *n* be the number of criteria:

*w*1*w*² …*wn*

$$
w_1 w_2 \dots w_n
$$

\n
$$
T_p = P_{A_i} [P_{A_i} * w_1 P_{A_i} * w_2 \dots P_{A_i} * w_n]
$$
\n(15)

Step 4: calculation of real rating matrix (T_r) elements: here, *n* is the number of criteria and *m* is the total number of alternatives:

$$
C_1C_2\ldots C_n
$$

$$
T_r = \begin{array}{c} A_1 \\ A_2 \\ \dots \\ A_m \end{array} \begin{bmatrix} t_{r11} & t_{r12} & \dots & t_{r1n} \\ t_{r21} & t_{r22} & \dots & t_{r2n} \\ \dots & \dots & \dots & \dots \\ t_{rm11} & t_{rm22} & \dots & t_{rmn} \end{bmatrix}
$$

The real grading matrix (T_r) is made by multiplying the elements of the theoretically considered (T_p) matrix with the elements of the initial decision matrix (X) according to the formulas given below:

a) If the criterion is the beneft criterion, that is, if it is preferred to be maximum:

$$
t_{rij} = t_{pi} * \left(\frac{x_{ij} - x_i^-}{x_i^+ - x_i^-}\right)
$$
\n(16)

b) If the criterion is the cost criterion, that is, if it is preferred to be minimum:

$$
t_{rij} = t_{pi} * \left(\frac{x_{ij} - x_i^+}{x_i^- - x_i^+}\right)
$$
 (17)

In equalities above, x_{ij} is the value of the ith alternative at jth criterion, x_i^- denotes the lowest value of the criterion gets from the alternative, and x_i^+ denotes the highest value of criterion takes from the alternative.

Step 5: creating the total gap matrix. The elements of the total gap matrix (*G*) are obtained by calculating the difference between the theoretical considered matrix (T_p) and the actual grading matrix (T_r) created in Step 3.

Step 6: calculation of final values (Q_i) of criterion functions according to alternatives: at this stage, the fnal values are obtained by summing the rows of the gap matrix (*G*) for each alternative.

4 Results

The descriptive statistics of data sets for the years are given at Table [3](#page-12-0) where C1 is purchasing power index, C2 is safety index, C3 is health care index, C4 is cost of living index, C5 is property prices to income ratio index, C6 is traffic index, C7 is pollution index, and C8 is climate index.

Sd standard deviation, *Min* minimum, *Max* maximum, *K* kurtosis, *S* skewness

Table [1](#page-3-0) shows the descriptive statistical values of the data sets used for the analyses. Mean, standard deviation, minimum, maximum, skewness, and kurtosis values are presented, and it is observed that the data set does not have extreme values. The following sub-sections include weighting method results and applicability results of PSI method, then ranking results using MAIRCA method.

	2020 CI C2		C3	C4	C5	C6	C7	C8	
Mean 49.7		64.7	63.6	49.3 17.2		38.8	68.0	66.9	
Sd	24.9	15.4 10.8		17.7 10.3		9.9	18.7	20.2	
Min 18.1		34.7	41.1	22.5	3.4	20.8	33.3	20.2	
Max		95.5 88.5 87		89.7 41.6		60.1	95.9	94.7	
		0.6)					$K(S)$ - 1.2(0.5) - 0.4(- 0.0(0.1) - 0.4(0.6) 0.2(0.9) - 0.2(0.5) - 1.18(- 0.1(-0.7) 0.2)		
2021	C1	C2	C ₃	C4	C5	C6	C7	C8	
Mean 45.2		65.1	64.0	47.7	17.5	38.7	66.8	65.9	
Sd	23.7	15.7 10.8		17.2 12.2		9.9	18.2	19.9	
Min	12.4	35.1	39.9	24.3	2.7	21.1	33.1	20.2	
Max	90.4	88.1 87.3		85.3 52.7		59 — 10	95.7	92.6	
		$K(S)$ - 1.2(0.5) - 0.3(- 0.3(0.0) 0.7)					$-0.3(0.8)$ 1.5(1.2) $-0.5(0.5)$ $-1.0(-$ 0.2(-0.7) 0.2)		
2022	C1	C2	C3	C4	C5	C6	C7	C8	
Mean 50.3		64.8	64.1	47.4	18.3	38.9	68.2	68.5	
Sd	28.3	15.6 10.6		18.0 12.8		9.9	18.6	18.6	
Min	11.7	35.3	39.7	18.7	$3 \left(\frac{1}{2} \right)$	20.7	33	20.2	
Max	98.3	88.3 86.7		95.7	56.9	59.6	95.7	94.7	
		$K(S)$ - 1.4(0.4) - 0.6(- 0.3(0.1) (0.6)					$0.6(0.9)$ $1.4(1.1)$ $-0.3(0.4)$ $-0.9(0.2(-0.6)$ (0.3)		
2023	C1	C2	C3	C4	C5	C6	C7	C8	
Mean 53.9		64.5	64.6	45.2	18.3	40.0	67.6	67.0	
Sd	31.0	16.3 10.7		15.7 11.3		9.7	18.6	18.6	
Min	12.3	35.1	39.9	18.3	3.2	20.5	33	20.2	
Max	110.5	88 86.1			85.9 41.8 61		93.7	94.7	
		0.5)					${\rm K(S)} \quad -1.5(0.3) \quad -0.9(- \qquad 0.2(- \; 0.1) \quad 0.8(0.7) \qquad -0.5(0.7) \quad 0.0(0.4) \qquad -0.9(- \qquad 0.2(- \; 0.6)$ (0.3)		

Table 3 Descriptive statistics of criteria for mid points of 2020, 2021, 2022, and 2023

4.1 Criteria weights with MEREC, LOPCOW, and MPSI methods

The steps of the MEREC, LOPCOW, and MPSI methods were applied to the four decision matrices given in Appendix A. The criteria C1, C2, C3, and C8 are maximum oriented criteria and C4, C5, C6, and C7 are minimum oriented criteria in the analysis. The removal effect (E_j) values in MEREC method, the percentage values (PV_j) in LOPCOW method, and preference variation values (p_j) in MPSI method were calculated for each criterion and results are given in Table [4.](#page-13-0)

When the results for MPSI method are examined, it is seen that the preference variation values for a few criteria is higher than 1; namely, criterion C1, C5, and C8 in 2020 and 2022; C1, C4, C5, and C8 in 2021; C1, C5 in 2023. This situation caused to get negative values at the PSI values $(q_j = 1 - p_j)$ calculation step of PSI method. This occurs because as the number of alternatives increases, the sum of preference variation values increases and exceeds 1. For this reason, the PSI method becomes

2020	C1	C ₂	C ₃	C4	C ₅	C ₆	C7	C8
E_i	1.90	1.26	0.91	1.49	2.31	0.98	0.80	2.58
PV _j	47.16	78.00	83.46	90.78	94.31	86.11	57.90	92.04
p_i	1.91	0.85	0.43	0.96	1.19	0.61	0.84	1.28
2021	C1	C ₂	C ₃	C4	C5	C ₆	C7	C8
E_i	2.32	1.15	0.92	1.35	2.70	0.88	0.77	2.37
PV _j	52.90	76.76	89.50	87.27	111.60	81.75	62.22	91.74
p_i	1.85	0.85	0.41	1.02	1.17	0.62	0.82	1.24
2022	C1	C ₂	C ₃	C4	C5	C ₆	C7	C8
E_j	2.55	1.11	0.92	1.57	2.73	0.87	0.71	2.42
PV _j	51.85	75.50	91.55	104.76	115.21	83.95	57.17	102.40
p_i	2.24	0.85	0.40	0.82	1.47	0.61	0.85	1.04
2023	C1	C ₂	C ₃	C4	C5	C6	C7	C8
E_i	2.37	1.02	0.85	1.32	1.85	0.79	0.63	2.19
PV _j	50.74	71.87	91.64	102.15	83.12	86.62	53.74	99.24
p_j	1.89	0.83	0.37	0.72	1.27	0.49	0.80	0.93

Table 4 Analysis results for MEREC, LOPCOW, and MPSI

 E_j removal effect at MEREC method, PV_j percentage value at LOPCOW method, p_j preference variation value at MPSI method

dysfunctional when the number of alternatives is large. Therefore, PSI method could not be applied in this study, MPSI method was preferred instead. The criteria weights attained by MEREC, LOPCOW, and MPSI methods are illustrated with Fig. [1](#page-14-0).

According to Fig. [1,](#page-14-0) while MEREC and MPSI methods gave the close and high values, LOPCOW gave very low value for criteria C1. The opposite situation was observed for the criteria C3 and C6. The highest weighted criterion was C8 in 2020, C5 in 2021 and 2022, and C4 in 2023 by MEREC method. The lowest weighted criterion was C7 in each year. In the results of LOPCOW method, the highest weighted criterion was found as C5 for 2020, 2021, and 2022, but C4 for 2023. The lowest weighted criterion was C8 at each year. The highest weighted criterion was found as C8 and lowest weighted criterion was C3 by MPSI method at each year.

4.2 Ranking by MAIRCA method

In this section, Asian countries are ranked according to eight criteria weighted by the MEREC, LOPCOW, and MPSI methods for each year. The decision matrices are same as the matrices used for weighting and are given in Appendix A. In the next step, since there will be equal priority among the alternatives, the preference rate (P_{A_i}) is calculated as in Table [5](#page-14-1) using Eq. [14.](#page-10-0)

After second step, all calculations are made using the weight values determined by the MEREC, LOPCOW, and MPSI methods, separately. The ranking results by years and methods are summarized at the following Table [6](#page-15-0).

Fig. 1 Criteria weights according to MEREC, LOPCOW, and MPSI methods by years

The results were tested by comparing the ranking results with the current ranking status on the Numbeo website. In the rankings, Oman is generally in the best condition among Asian countries according to the QLIs, while Philippines took the last place mostly. According to the results, there was no statistically signifcant diference between the rankings.

Spearman rank correlation results were analyzed to determine the correlations between the ranking scores. The Spearman correlation coefficient enables the comparison of rankings and the determination of the degree of relatedness between the

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2020	NU.			$M+M$ L+M MPSI+M 2021		NU			$M+M$ $L+M$ $MPSI+M$
NU	1				NU	1			
$M+M$	$0.92**$ 1				$M+M$	$0.92**$	$\overline{1}$		
$L+M$		$0.91**$ 0.97** 1			$L+M$	$0.92**$	$0.95**$ 1		
$MPSI + M$			$0.97**$ $0.96**$ $0.94**$ 1		$MPSI + M$	$0.97**$		$0.96**$ $0.95**$ 1	
2022			NU $M+M$ $L+M$	$MPSI + M$	2023	NU			$M+M$ $L+M$ $MPSI+M$
NU	$\mathbf{1}$				NU	1			
$M+M$	$0.96**$ 1				$M+M$	$0.95**$ 1			
$L+M$	$0.91**$ 0.94**		$\overline{1}$		$L+M$		$0.87**$ $0.95**$ 1		
$MPSI + M$			$0.98***$ $0.96***$ $0.88***$ 1		$MPSI + M$			$0.99**$ $0.97**$ $0.89**$ 1	

Table 7 Correlation coefficients of ranking results

NU Numbeo ranking results, *M*+*M* MEREC and MAIRCA ranking results, *L*+*M* LOPCOW and MAIRCA ranking results, *MPSI*+*M* MPSI and MAIRCA ranking results

***p* value < 0.01

results. The Spearman correlation coefficient approaching 1 indicates an increasing relationship between the two rankings. According to the results at Table [7](#page-17-0), high correlation was observed between all multi-criteria method rankings at 0.01 level of signifcance. Among them, the results of MPSI and MAIRCA methods have the highest correlation coefficient with Numbeo ranking results, which means that MPSI weights give the most successful criteria weights compared to MEREC and LOP-COW methods.

Euclidean distance shows the distance between two points, and with these distances, it can be determined how far the sets of rankings are from each other. A small distance value indicates that the two compared clusters are closer to each other. The Euclidean distance between the ranking results and Numbeo ranking was computed and presented at Table [8](#page-17-1), and the results implied that the closest ranking was MPSI+MAIRCA.

2020	NU			$M+M$ L+M MPSI+M 2021		NU.	$M+M$	$L+M$	$MPSI + M$
NU	0.00				NU	0.00			
$M+M$	18.06	0.00			$M+M$	17.38	0.00		
$L+M$	19.34	11.40	0.00		$L+M$	17.38	13.93	0.00	
$MPSI + M$	10.68	13.04	15.75	0.00	$MPSI + M$	10.58	11.92	13.57	0.00
2022	NU.	$M+M$	$L+M$	$MPSI + M$	2023	NU.		$M+M$ $L+M$	$MPSI + M$
NU.	0.00				NU.	0.00			
$M+M$	12.81	0.00			$M+M$	11.14	0.00		
$L+M$	17.78	15.17	0.00		$L+M$	18.06	11.66	0.00	
$MPSI + M$	9.06	11.83	20.93	0.00	$MPSI + M$	6.16	8.37	17.03	0.00

Table 8 Euclidean distances between the ranking results

NU Numbeo ranking results, *M*+*M* MEREC and MAIRCA ranking results, *L*+*M* LOPCOW and MAIRCA ranking results, *MPSI*+*M* MPSI and MAIRCA ranking results

5 Discussion

The aim of the study was to compare the MEREC, LOPCOW, and MPSI methods and their efects to criteria weights and ranking results in the decision problems involving over 20 alternatives. From the mathematical point of view, MEREC method is based on logarithmic function and measure the removal efects of the criteria. LOPCOW method is based on a percentage of the standard deviations of the mean square values and allows negative numbers in the data sets, unlike MEREC and MPSI methods. MPSI method considers relative importance of the criteria.

In the normalization step, a simple linear normalization is used, and all the criteria are transformed to the minimization type criteria in MEREC method. LOPCOW uses Weitendorf's Linear Normalization technique, and MPSI method involves 0–1 interval normalization using Max–Min values (Aytekin [2021\)](#page-28-15). In terms of ease of application, it has been seen that the MPSI method is the most easily applicable method at normalization and calculation steps.

Based on the criteria weighting results given with Fig. [1,](#page-14-0) it can be said that the MPSI method gives more stable criteria weights and is not afected by small changes in the data set. Comparing MPSI, MEREC, and LOPCOW weighting values, it can be said that MEREC and MPSI gives close results, in contrast to the LOPCOW method. The weight results could not be criticized with the literature, since there has been no study that compared the MEREC and MPSI or LOPCOW and MPSI methods as far as known. However, MEREC and LOPCOW results can be compared to literature. It is seen in the literature that the LOPCOW method gives exactly the opposite weights compared to the MEREC method. Bektaş [\(2022](#page-28-0)), Yalman et al. ([2023\)](#page-31-2), Ulutaş et al. ([2023](#page-30-2)), and Yaşar and Ünlü [\(2023](#page-31-2)) state in their study that since the criteria with higher weights in the MEREC method receive lower weights in the LOPCOW method, the results obtained from both objective criterion weighting methods are combined for a more stable weighting.

Upon examination of the change in criterion weights over time, it becomes evident that C1, C5, and C8 receive the most weight in the MEREC and MPSI methods. While the criteria that receive the highest weight as a result of the LOP-COW method vary from year to year, they include criteria C1, C5, and C8. The purchasing power index (C1) indicates the relative purchasing power of goods and services in a given city in comparison to the average net salary. The property price-to-income ratio (C5) is defned as the ratio of average apartment prices to the average disposable family income. In the climate index (C8), settlements with high quality of life have moderate temperatures and low humidity. The criteria weights imply that countries seeking to enhance the quality of life should prioritize indexes pertaining to purchasing power, property price-to-income ratio, and climate. In other words, the increase of the purchasing power and climate index values, in conjunction with a reduction in the property price-to-income ratio, signifcantly infuences the ranking of countries. Consequently, while these countries endeavor to enhance climatic conditions, they should implement political measures to regulate purchasing power and property price-to-income ratios. Given their geographical location, countries are unable to alter air temperature and humidity, yet they can implement environmental policies that improve these conditions within the constraints of their own climatic conditions.

Additional to the above inferences, the usability of the PSI method is also discussed in this study. In Table [2](#page-5-0), the preference variation values of criteria such as C1, C5, and C8 are higher than 1. This situation caused to get negative values while computing the PSI values $(q_i = 1 - p_i)$ for PSI method. This occurs because as the number of alternatives increases, the sum of preference variation values increases, so that it exceeds 1. For this reason, the PSI method gives incorrect criteria weights, and it becomes useless as happened in this study, especially when the number of alternatives is large. Therefore, MPSI method was preferred instead of PSI method. This result will be an important guide when choosing the right MCDM method for other studies. Accordingly, when the results of the study are examined in terms of the number of alternatives, although PSI method is preferable, objective, and easy to apply, this study indicates that the PSI method is sensitive to the number of alternatives. However, the MEREC, LOPCOW, and MPSI methods are not afected by the number of alternatives.

When the ranking results were compared to Numbeo, there was no statistically signifcant diference between the rankings. Furthermore, it can be concluded that the MPSI method is more preferable compared to the MEREC and LOPCOW methods because the correlation between the MPSI+ MAIRCA and Numbeo rankings is between 0.97 and 0.99, the closest ranking is again MPSI+ MAIRCA with values between 6.16 and 10.68 based on the ranking distances, and the ease of application of MPSI.

6 Conclusion

In MCDM, subjective, objective, and combined methods can be used to determine the criteria weights. These combined methods can be created by hybridizing diferent subjective and objective weighting methods. The reason for using the combination method is that it is thought that more consistent results are obtained. In this study, the data reached at Numbeo website were analyzed by MEREC, LOPCOW, MPSI, and MAIRCA methods. The Numbeo QLI determines and calculates the quality of life of the world countries with eight diferent criteria. These data are shared in the database mentioned in certain periods of the year. This study presents the ranking of Asian countries in this database on the basis of selected QLIs by years with MCDM methods. Eight criteria and over twenty-fve alternative countries were used to calculate the index values. MEREC, LOPCOW, and MPSI methods were used to determine the weights of the criteria, and MAIRCA method was used to fnd the rankings of the alternatives. MEREC+ MAIRCA, LOPCOW+ MAIRCA, and MPSI+ MAIRCA values were compared with the results in Numbeo database.

The following results were obtained from the study:

- MEREC, LOPCOW, and MPSI methods are newly added to the literature and have been compared for the frst time and have been used for the frst time to rank countries according to their QLIs and make signifcant contributions to the domestic and foreign literature. Among these weighting methods, MPSI weights gave the closest ranking results to Numbeo.
- By combining the MPSI method with the MAIRCA method, methods that have not been encountered before in the literature have been added to the MCDM methods, thus this study has guided new areas of use.
- This study also examines the applicability of PSI method to the decision problems containing more than 20 alternatives, which indicated that PSI method cannot be applicable at problems with high number of alternatives. This result is an important problem solver while choosing the right MCDM method for other studies. Thus, MPSI method was preferred instead of PSI method.
- The MAIRCA method was used together with the mentioned weighting methods in only this study. Therefore, this study contributes to the feld.

In future studies, the weighting methods can be combined to a single weight, hybridized with diferent MCDM techniques and expanded according to diferent fuzzy set bases. A method can be developed to obtain a single weight by integrating these objective weighting results. Analyses can be performed for diferent countries and diferent year intervals and thus the generalizability of the method used can be examined. In addition, possible reasons for changes in country rankings during the study period, such as economic or social changes, and how these factors may have afected quality of life indices can be discussed in future studies.

6.1 Limitations of study

In the research, QLI data in Asian countries taken from the Numbeo website were used. The limitation of this study is that data for every country could not be accessed for every year. For this reason, the number of alternatives in the data sets between 2020 and 2023 included in the study is diferent. For this reason, analysis results may vary depending on diferent countries and diferent years. This situation also makes it difficult to interpret the change in the quality of life in countries over the years. To overcome these limitations in future studies, the data for other continents can be used or the countries with missing data for some years may not be included in the study.

Appendix A

See Tables [9,](#page-21-0) [10,](#page-23-0) [11](#page-25-0) and [12](#page-27-0).

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Declarations

Confict of interest There are no conficts of interest.

Ethical approval Ethics committee approval is not required.

References

- Akram M, Ramzan N, Luqman A, Santos-García G (2023) An integrated MULTIMOORA method with 2-tuple linguistic Fermatean fuzzy sets: Urban quality of life selection application. AIMS Math 8(2):2798–2828. <https://doi.org/10.3934/math.2023147>
- Altın HA (2020) Comparison of the city life quality index for European cities using the WASPAS and VIKOR methods. J Bus Econ Financ 9(2):97–117. [https://doi.org/10.17261/Pressacademia.2020.](https://doi.org/10.17261/Pressacademia.2020.1217) [1217](https://doi.org/10.17261/Pressacademia.2020.1217)
- Altın H (2021) Karar verme sürecinde COPRAS yöntemi uygulaması. Ekonomi İşletme Ve Maliye Araştırmaları Dergisi 3(2):136–155
- Ayçin E, Güçlü P (2020) BİST Ticaret Endeksinde yer alan işletmelerin fnansal performanslarının Entropi ve MAIRCA yöntemleri ile değerlendirilmesi. Muhasebe Ve Finansman Dergisi 85:287–312
- Ayçin E, Orçun Ç (2019) Mevduat bankalarinin performanslarinin ENTROPİ ve MAIRCA yöntemleri ile değerlendirilmesi. Balıkesir Üniversitesi Sosyal Bilimler Enstitüsü Dergisi 22(42):175–194
- Aytekin A (2021) Comparative analysis of the normalization techniques in the context of MCDM problems. Decis Mak: Appl Manag Eng 4(2):1–25
- Ayyıldız E, Demirci E (2018) Türkiye'de yer alan şehirlerin yaşam kalitelerinin SWARA entegreli TOP-SIS yöntemi ile belirlenmesi. Pamukkale Üniversitesi Sosyal Bilimler Enstitüsü Dergisi. [https://doi.](https://doi.org/10.5505/pausbed.2018.16870) [org/10.5505/pausbed.2018.16870](https://doi.org/10.5505/pausbed.2018.16870)
- Badi I, Ballem M (2018) Supplier selection using the rough BWM-MAIRCA model: a case study in pharmaceutical supplying in Libya. Dec Mak: Appl Manag Eng 1(2):16–33
- Bektas S (2022) Evaluating the performance of the Turkish insurance sector for the period 2002–2021 with MEREC, LOPCOW, COCOSO, EDAS CKKV methods. J BRSA Bank Financial Markets 16(2):247–283
- Biswas S, Joshi N (2023) A performance based ranking of initial public oferings (IPOs) in India. J Decis Anal Int Comp 3(1):15–32
- Biswas S, Bandyopadhyay G, Mukhopadhyaya JN (2022) A multi-criteria based analytic framework for exploring the impact of Covid-19 on frm performance in emerging market. Decis Anal J 5:100143
- Biswas S, Datta D, Kar S (2023, May) Energy efficiency and environmental sustainability: a multi-criteria based comparison of BRICS and G7 countries. In: Emerging technology and management trends in environment and sustainability: proceedings of the international conference, EMTES-2022. Taylor & Francis, p 107
- Chatterjee K, Pamucar D, Zavadskas EK (2018) Evaluating the performance of suppliers based on using the R'AMATEL-MAIRCA method for green supply chain implementation in electronics industry. J Clean Prod 184:101–129
- Chen L, Wang Y, Liu J (2023) Picture fuzzy prospect theory-MAIRCA method considering optimal reference point for emergency decision-making. J Intell Fuzzy Syst 45(4:5493–5507. [https://doi.org/10.](https://doi.org/10.3233/JIFS-223279) [3233/JIFS-223279](https://doi.org/10.3233/JIFS-223279)
- Çilek A (2022) Entegre MEREC-MAIRCA teknikleri ile BİST sigorta endeksinde hisse senedi getirisi ve fnansal başarım ilişkisi. Üçüncü Sektör Sosyal Ekonomi Dergisi 57(4):2567–2589
- Çınaroğlu E (2021) CRITIC Temelli CODAS ve ROV Yöntemleri ile AB Ülkeleri Yaşam Kalitesi Analizi. Bingöl Üniversitesi İktisadi Ve İdari Bilimler Fakültesi Dergisi 5(1):337–364
- Coronicova Hurajova J, Hajduova Z (2021) Multiple-criteria decision analysis using TOPSIS and WSA method for quality of life: the case of Slovakia Regions. Mathematics 9(19):2440
- De Vicente Oliva MA, Romero-Ania A (2022) Improved multidimensional quality of life index based on outranking relations. Axioms 12(1):41
- Do DT, Tran VD, Duong VD, Nguyen NT (2022) Investigation of the appropriate data normalization method for combination with preference selection index method in MCDM. Oper Res Eng Sci Theory Appl 6(1).<https://doi.org/10.31181/oresta101122091d>
- Ecer F (2022) An extended MAIRCA method using intuitionistic fuzzy sets for coronavirus vaccine selection in the age of COVID-19. Neural Comput Applic 34:5603–5623. [https://doi.org/10.1007/](https://doi.org/10.1007/s00521-021-06728-7) [s00521-021-06728-7](https://doi.org/10.1007/s00521-021-06728-7)
- Ecer F, Pamucar D (2022) A novel LOPCOW-DOBI multi-criteria sustainability performance assessment methodology: an application in developing country banking sector. Omega 112:102690
- Ecer F, Küçükönder H, Kaya SK, Görçün ÖF (2023a) Sustainability performance analysis of micromobility solutions in urban transportation with a novel IVFNN-Delphi-LOPCOW-CoCoSo framework. Transp Res Part a: Policy Pract 172:103667
- Ecer F, Ögel İY, Krishankumar R, Tirkolaee EB (2023b) The q-rung fuzzy LOPCOW-VIKOR model to assess the role of unmanned aerial vehicles for precision agriculture realization in the agri-food 4.0 era. Artif Intell Rev 56(11):13373–13406
- Ersoy N (2023) BIST Perakende Ticaret Sektöründe LOPCOW-RSMVC Modeli ile Performans Ölçümü. Sosyoekonomi.<https://doi.org/10.17233/sosyoekonomi.2023.03.20>
- Gigović L, Pamučar D, Bajić Z, Milićević M (2016) The combination of expert judgment and GIS-MAIRCA analysis for the selection of sites for ammunition depots. Sustainability 8(4):372
- Gligorić M, Gligorić Z, Lutovac S, Negovanović M, Langović Z (2022) Novel hybrid MPSI–MARA decision-making model for support system selection in an underground mine. Systems 10(6):248
- Goswami SS, Mohanty SK, Behera DK (2022) Selection of a green renewable energy source in India with the help of MEREC integrated PIV MCDM tool. Mater Today Proc 52:1153–1160. [https://doi.](https://doi.org/10.1016/j.matpr.2021.11.019) [org/10.1016/j.matpr.2021.11.019](https://doi.org/10.1016/j.matpr.2021.11.019)
- Hadi A, Abdullah MZ (2022) Web and IoT-based hospital location determination with criteria weight analysis. Bull Electr Eng Inform 11(1):386–395
- Hadian S, Shahiri Tabarestani E, Pham QB (2022) Multi attributive ideal-real comparative analysis (MAIRCA) method for evaluating food susceptibility in a temperate mediterranean climate. Hydrol Sci J 67(3):401–418
- Haq RSU, Saeed M, Mateen N, Siddiqui F, Ahmed S (2023) An interval-valued neutrosophic based MAIRCA method for sustainable material selection. Eng Appl Artif Intell 123:106177
- Jessop A (2004) Sensitivity and robustness in selection problems. Comput Oper Res 31(4):607–622
- Kaklauskas A, Zavadskas EK, Radzeviciene A, Ubarte I, Podviezko A, Podvezko V, Bucinskas V (2018) Quality of city life multiple criteria analysis. Cities 72:82–93
- Kara Y (2019) Quality of life measurement: the application of analytic hierarchy process method. Avrasya Sosyal Ve Ekonomi Araştırmaları Dergisi 6(3):659–665
- Kehribar Ö, Karademir F, Evci S (2021) Evaluation of the fnancial performance of businesses during the COVID-19 pandemic process with entropy and MAIRCA methods: BIST food, beverage index example. Bus Manag Stud Int J 9(1):200
- Keleş N (2023a) A multi-criteria decision-making framework based on the MEREC method for the comprehensive solution of forklift selection problem. Eskişehir Osmangazi Üniversitesi İktisadi Ve İdari Bilimler Dergisi 18(2):573–590
- Keleş N (2023b) Lopcow ve Cradis yöntemleriyle G7 ülkelerinin ve Türkiye'nin yaşanabilir güç merkezi şehirlerinin değerlendirilmesi. Ömer Halisdemir Üniversitesi İktisadi Ve İdari Bilimler Fakültesi Dergisi 16(3):727–747
- Keshavarz-Ghorabaee M (2021) Assessment of distribution center locations using a multi-expert subjectiveobjective decision-making approach. Sci Rep.<https://doi.org/10.1038/s41598-021-98698-y>
- Keshavarz-Ghorabaee M, Amiri M, Zavadskas EK, Turskis Z, Antucheviciene J (2021) Determination of objective weights using a new method based on the removal efects of criteria (MEREC). Symmetry 13(4):525
- Küçükal NT, Ayaş P, Köse D, Kaya GK (2021) Çok kriterli karar verme yöntemlerinin karşılaştırmalı kullanımı ile Türkiye'deki illerin yaşam kalitelerinin değerlendirilmesi. Gazi İktisat Ve İşletme Dergisi 7(2):150–168
- Maniya K, Bhatt MG (2010) A selection of material using a novel type decision-making method: preference selection index method. Mater Des 31(4):1785–1789
- Mastilo Z, Štilić A, Gligović D, Puška A (2024) Assessing the banking sector of Bosnia and Herzegovina: an analysis of fnancial indicators through the MEREC and MARCOS methods. J Cent Bank Theory Pract 13(1):167–197
- Mishra AR, Saha A, Rani P, Hezam IM, Shrivastava R, Smarandache F (2022) An integrated decision support framework Using Single-Valued-MEREC-MULTIMOORA for Low Carbon Tourism Strategy Assessment. IEEE Access 10:24411–24432.<https://doi.org/10.1109/ACCESS.2022.3155171>
- Mufazzal S, Muzakkir SM (2017) Identifcation of optimal alternative as a prospective candidate for further design improvements using preference selection index method. In: 2017 international conference on innovations in control, communication and information systems (ICICCI). IEEE, pp 1–5
- Nguyen HQ, Nguyen VT, Phan DP, Tran QH, Vu NP (2022) Multi-criteria decision making in the PMEDM process by using MARCOS, TOPSIS, and MAIRCA Methods. Appl Sci 12(8):3720
- Nila B, Roy J (2023) A new hybrid MCDM framework for third-party logistic provider selection under sustainability perspectives. Expert Syst Appl 21009.<https://doi.org/10.1016/j.eswa.2023.121009>
- Numbeo (2022) Quality of life indices. https://www.numbeo.com/quality-of-life/indices_explained.jsp. Accessed 07 Jan 2024
- Özcan I (2023) Investigation of the efect of the Covid-19 outbreak on the performance of the participation banking sector with the MEREC-PSI-MAIRCA model. Nişantaşı Üniversitesi Sosyal Bilimler Dergisi 10(2). <https://doi.org/10.52122/nisantasisbd.1167829>
- Pala O (2023) A new objective weighting method based on robustness of ranking with standard deviation and correlation: the ROCOSD method. Inf Sci 636:118930
- Pamucar DS, Pejcic Tarle S, Parezanovic T (2018) New hybrid multi-criteria decision-making DEM-ATELMAIRCA model: sustainable selection of a location for the development of multimodal logistics centre. Econ Res Ekonomska Istraživanja 31(1):1641–1665
- Pamučar D, Vasin L, Lukovac L (2014) Selection of railway level crossings for investing in security equipment using hybrid DEMATEL-MARICA model. In: XVI international scientifc-expert conference on railway, railcon. pp 89–92
- Puška A, Božanić D, Mastilo Z, Pamučar D (2023) Extension of MEREC-CRADIS methods with double normalization-case study selection of electric cars. Soft Comput 27(11):7097–7113
- Rani P, Mishra AR, Saha A, Hezam IM, Pamucar D (2022) Fermatean fuzzy Heronian mean operators and MEREC-based additive ratio assessment method: an application to food waste treatment technology selection. Int J Intell Syst 37(3):2612–2647
- Rong Y, Yu L, Liu Y, Simic V, Garg H (2024) The FMEA model based on LOPCOW-ARAS methods with interval-valued Fermatean fuzzy information for risk assessment of R&D projects in industrial robot ofine programming systems. Comput Appl Math 43(1):25
- Sabaghian K, Khamforoosh K, Ghaderzadeh A (2021) Presentation of a new method based on modern multivariate approaches for big data replication in distributed environments. PLoS ONE. [https://doi.](https://doi.org/10.1371/journal.pone.0254210) [org/10.1371/journal.pone.0254210](https://doi.org/10.1371/journal.pone.0254210)
- Sapkota G, Das S, Sharma A, Ghadai RK (2022) Comparison of various multi-criteria decision methods for the selection of quality hole produced by ultrasonic machining process. Mater Today: Proc. <https://doi.org/10.1016/j.matpr.2022.02.221>
- Şeker M (2015) Quality of life index: A case study of Istanbul. Istanbul Univ Econ Stat e-J 23:1–15
- Tešić D, Božanić D, Stojković D, Puška A, Stojanović I (2023) DIBR–DOMBI–FUZZY MAIRCA model for strategy selection in the system of defense. Discrete Dyn Nat Soc. [https://doi.org/10.1155/](https://doi.org/10.1155/2023/4961972) [2023/4961972](https://doi.org/10.1155/2023/4961972)
- Toslak M, Aktürk B, Ulutaş A (2022) MEREC ve WEDBA Yöntemleri ile Bir Lojistik Firmasının Yıllara Göre Performansının Değerlendirilmesi. Avrupa Bilim Ve Teknoloji Dergisi 33:363–372
- Trung DD, Thinh HX (2021) A multi-criteria decision-making in turning process using the MAIRCA, EAMR, MARCOS and TOPSIS methods: a comparative study. Adv Prod Eng Manag 16(4):443–456
- Ulutas A, Balo F, Topal A (2023) Identifying the most efficient natural fibre for common commercial building insulation materials with an integrated PSI, MEREC. LOPCOW MCRAT Model Polym 15(6):1500
- Ulutaş A, Topal A, Görçün ÖF, Ecer F (2024) Evaluation of third-party logistics service providers for car manufacturing frms using a novel integrated grey LOPCOW-PSI-MACONT model. Expert Syst Appl 241:122680
- Wang Q, Cheng T, Lu Y, Liu H, Zhang R, Huang J (2024) Underground mine safety and health: a hybrid MEREC–CoCoSo system for the selection of best sensor. Sensors 24(4):1285
- Wu X, Gao Y, Zheng W (2023) Study on risk assessment and factors ranking of the LTE-M communication system. Transp Saf Environ 5(4):tdac067
- Yalman İN, Koşaroğlu ŞM, Işık Ö (2023) 2000–2020 döneminde Türkiye ekonomisinin makroekonomik performansının MEREC-LOPCOW-MARCOS modeliyle değerlendirilmesi. J Financial Polit Econ Rev 60(664):57–86
- Yaşar E, Ünlü M (2023) Üniversitelerde Sürdürülebilirliğin İncelenmesi: LOPCOW ve MEREC Tabanlı CoCoSo Yöntemleriyle Çevreci Üniversitelerin Analizi. İşletme Akademisi Dergisi 4(2):125–142
- Yılmaz N (2023) MPSI-MCRAT model for solvıng the bank selectıon problem ın Montenegro. In: Mete M, Toptaş A (ed) International studies in economics and administrative sciences. Publishing: Serüven Yayınevi, pp 119–132
- Yürüyen AA, Ulutaş A, Özdağoğlu A (2023) The evaluation of the performance of logistics companies with a hybrid MCDM model. Bus Manag Stud Int J.<https://doi.org/10.15295/bmij.v11i3.2245>
- Zhang X, Wang D, Kong D, Huang B, Zhang Z, He Y (2022) The anti-fatigue lightweight design of heavy tractor frame based on a modifed decision method. Struct Multidiscip Optim 65(10):280

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