

# **Discontinuities‑Driven Slope Stability Assessment and Mineralogical Studies Along Mughal Road, Jammu and Kashmir, India**

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## **Abstract**

In contrast to their serenity, the roads cut through the Himalayas pose a signifcant threat to life and property, owing to their geomorphology, lithology, and status of discontinuities. The demarcation of unstable stretches along these roads through diferent geoengineering approaches is a valuable tool to mitigate the risks caused by these failures. The present research aims at assessing the stability of rock slopes and delineates the failure-susceptible/unstable slopes along the Mughal Road in the Srinagar district of Jammu and Kashmir, administered by India. The Mughal Road falls under a high-risk seismic zone (Zone-IV). The study employs diferent conventional and numerical geoengineering approaches to correlate the failure potential with the orientation of discontinuities and slope directions. The rock mass rating (basic) and Geological Strength Index (visual and quantifed) have been utilized in the present study to determine the strength of the rock mass. Further, the discrete and continuous slope mass rating coupled with kinematic analysis and stereographic projections were adopted to assess the slope stability and identify the favorable discontinuity orientation for a particular type of failure. Eight sites along the study area were selected for the analysis, which was found to be partially stable to completely unstable. The seismic slope stability analysis is evaluated through pseudo-static analysis using Slope/W Software. Further, the mineralogical investigation studies used the X-ray difraction method to support the analysis. The proposed framework for the analysis of the stability of slopes is a promising approach to capturing the real-time status and helps prevent failures.

**Keywords** Rock slope · Slope stability · Static analysis · Kinematic analysis · Pseudo-static analysis

# **Introduction**

Slope failures are considered to be among the highly calamitous and most fatal types of natural hazard [[1,](#page-19-0) [2\]](#page-19-1). They are associated with a quick drawdown of geo-materials which may be rocks, soils, debris, etc. [[3\]](#page-19-2). Slope failure may be attributed to the basic strength criterion as, whenever the stresses accumulate, they surpass the strength of the material, and failure occurs. Several factors are triggering elements for slope failure, both natural and anthropogenic [[4,](#page-19-3) [5](#page-19-4)]. Natural factors include topography, heavy precipitation,

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seismic disturbances, neotectonic activities foliations, faults, schistosity, compositional banding, etc., while anthropogenic factors involve deforestation, urbanization, construction in the hilly areas, over-exploitation of natural vegetation, etc. [[6\]](#page-19-5). Consequently, the slope failures along the Himalayan highways are rapidly increasing and hence pose a signifcant threat to the locals and commuters regarding loss of lives and properties [\[7](#page-19-6)]. Climate variation and weather conditions such as rainfall, temperature variation, freezing, and thawing action play a signifcant role in slope failures [\[8](#page-19-7)]. Considering the lethality of the slope failures and their impact on the socio-economic and environmental parameters, researchers and experts have always been called upon to analyze, assess and predict the behavior of given slopes under a diferent set of disturbing factors to provide remedial and mitigation measures [\[8,](#page-19-7) [9\]](#page-19-8). Researchers have given several methods to analyze the slopes (rock slopes, soil slopes and rock–soil mixed slopes), ranging from simplistic approaches to more complex and sophisticated methods [[4\]](#page-19-3). Rock mass generally consists of two distinct constituents: Intact rock and Discontinuity (rendered as the plane of weakness). The mechanical aspect of the rock mass along which the tensile strength of the rock mass is zero is discontinuity. To evaluate the stability of rock slopes, conventional approaches employ limit equilibrium and kinematic analyses [[10\]](#page-19-9). Numerical modeling techniques utilized to assess the rock slope stability are categorized as continuum, discontinuum, and hybrid. The continuum modeling comprises of fnite element method (FEM) and fnite diference method (FDM), which are the most popular among the three categories and considered the best-ft method for analyzing intact rock and highly fractured or disjointed rock mass [[11\]](#page-19-10). Even if the stability of rock slopes is generally governed by the orientation, condition, and spatial distribution of discontinuities, it is practical to acknowledge the grade of the rock slope concerning an established on-site geological and structural framework [\[12](#page-19-11)]. In this regard, several geomechanical grading systems from time to time have been put forth in the concerned literature based on site-specifc inputs and are accepted globally. The important conventional methods which are globally acknowledged include Rock Quality Designation (RQD), Rock Mass Rating (RMR) [[13](#page-19-12), [14](#page-19-13)], Rock Mass Strength (RMS) [[15](#page-19-14)], Tunnelling Quality Index (Q-System) [[16\]](#page-19-15), Discrete Slope Mass Rating (DSMR) [[17\]](#page-19-16), Geological Strength Index (GSI) [[18\]](#page-19-17), Rock Mass Index (RMI) [[19](#page-19-18)], Slope Stability Probability Classifcation (SSPC) [[20,](#page-19-19) [21](#page-19-20)], and Continuous Slope Mass Rating (CoSMR) [\[22](#page-19-21)]. For elementary assessment of stability conditions of rock slopes, these classifcation systems have been considered efective and reliable tools [\[23](#page-19-22)]. Due to technological advancements, conventional methods are usually coupled with fnite element methods (i.e., integrated analysis) to assess slope stability [[4\]](#page-19-3). The generalized Hoek–Brown criterion is generally contemplated and applied in Shear Strength Reduction (SSR) analysis [[24](#page-19-23)]. The SSR implies a systematic reduction in the material's shear strength to the extent that failure occurs. The SSR analysis produces the Stress Reduction Factor (SRF), which is portrayed as the ultimate factor of the safety of the material [[24,](#page-19-23) [25\]](#page-19-24).

Lesser Himalayas are considered the young, dynamic, and vibrant range of mountains continuously going through some tectonic disturbances. These tectonic disturbances, in conjunction with climatic factors such as rainfall, snowfall, freezing and thawing, avalanches and the topography (steep slopes, narrow gorges, etc.) of mountains, act as driving forces for slope failures [\[26](#page-19-25)]. Even though the Himalayas are prone to slope failures, these are enhanced by anthropogenic activities such as urbanization and other developments. These factors and development work along the ruggedterrain topographies, especially the Highway Development program, disturbs the in-situ equilibrium states of slopes, the consequence being enhanced and large-scale slope failure occurs [\[27](#page-19-26)]*.*

The research carried out herein presents the integrated slope stability assessment of eight slopes along the Mughal Road (Pir-Panjal range of lesser Himalayas) initially using conventional methods such as RMR, SMR, Kinematic analysis using DIPS software [\[28](#page-19-27), [29\]](#page-19-28) and further GSI augmented with a limit equilibrium based static and pseudo-static analysis using Geo-Studio. The comparative analysis of the methods adopted has been presented in the study. Finally, the mineralogical studies using the X-ray difraction technique (XRD) have been worked out to support the overall analysis.

# **Study Area Description**

The Himalayan Mountain range presents fascinating and alluring geological attributes. Its rugged topography results from a strike between the Eurasian Plate (EP) and the Indian Plate (IP). The Himalayas have five structural units with diferent properties [\[30](#page-19-29)]: Sub-Himalaya, Lesser-Himalaya/ Lower-Himalaya, Great/High-Himalaya, Tethys/Tibetan Himalaya, and Indus-Tsangpo. The Lesser Himalayan (young mountain chain) represents a sub-unit of the Himalayan orogeny that evolved from the rift between the Tibetan and the Indian lithospheric plates 50 Mega-annum ago.

The area under consideration in this study appertains to the road-cut slopes along the Mughal Road, which lies in the largest range of lesser Himalayas—the Pir-Panjal (local*: Peer-Panchaal*). The road is quasi-parallel to the main tributary of the river Rambi-ara. The Mughal Road (also called Imperial Road or Namak Road) is one of the critical interstate highways in the union territory of Jammu and Kashmir that connects National Highways NH*-*444 and NH*-*144. The road extends from Shopian (a hilly district in Kashmir valley) to Bafiaz (a small town in the Poonch district of Jammu province) and reduces the distance between the two localities by more than four times that is from 365 miles to a mere 78 miles. It passes through the largest range of lesser Himalayas—the Pir-Panjal range with an average elevation between 3000 and 3500 m above mean sea level.

The Pir-Panjal's climate is close to the Maritime Snow Climate, portrayed by mild to moderate temperatures and heavy snowfall with a characteristic feature of deep snow cover. It is important to mention here that, the places through which the road passes are Shopian, Heerpora, Dhobijan, Sathren, Zaznaar, Ali-abaad, Lal-Ghulam, and Peer ki Gali on the Kashmir side, while Chatta-Pani, Poushana, Chandimarh, Behram-Gali, and Bafiaz on Jammu side. Eight locations from the Kashmir side have been analyzed in the present study, shown in Fig. [1](#page-2-0).



<span id="page-2-0"></span>**Fig. 1** Study area along with sampling sites (Mughal Road, J&K)

### **Geological and Structural Details**

Along the study area, the main lithological units are Tuffaceous and Clastic Sediment of Nishat-bagh Formation (Lower-Permian), Pebbly Slate and Quartz Arenite Conglomerate of Agglomeratic Slates (Lower-Permian), Schistose, faggy Quartzite and Volcanics of Kalmund Formation (Dogra Group) and Sand, Conglomerate and Lignite of Hirpur Formation (Karewa Group, Middle Miocene to lower Pleistocene). The area is structurally delineated by Panjal Thrust (PT), regional Main Boundary Thrust (MBT), Neo-tectonic thrust, and some local faults like Chandimarh, Beharamgalli, and Dugrian faults [\[31](#page-19-30)].

## **Mineralogical Studies Using X‑Ray Difraction**

The mineralogical analysis in the present study was performed using XRD (X-ray Difraction Test). The XRD test was performed within the Bragg's angles 0°–80° (2*θ*), using copper (Cu) radiations, at voltage 45 kV, 40 mA beam current on Rigaku Smart Lab X-ray Difractometer performed at Central Research Facility Centre (CRFC) of National Institute of Technology, Srinagar. The obtained peaks from XRD were matched with the ICDD PDF card (International Centre for Difraction Data Powder Difraction File Card) for analyzing the mineral. The XRD analysis of the samples showed that the commonly found minerals along the study area were Quartz  $(SiO<sub>2</sub>)$ , Muscovite (hydrated phyllo-silicate of potassium and aluminum,  $(KF)_{2}(A1, O_{3})$   $(SiO_{2})_{6}(H_{2}O)$ , Albite  $(NaAlSi<sub>3</sub>O<sub>8</sub>)$ , Calcite (CaCO<sub>3</sub>), Haematite (Fe<sub>2</sub>O<sub>3</sub>), Cobalt Dysprosium Germanide ( $Co<sub>2</sub>DyGe<sub>2</sub>$ ), and Dysprosium Copper Germanide (DyCuGe). Further, the X-ray difraction analysis of eight sites from the study area is presented in Fig. [2.](#page-3-0) The periodicity in the atomic structure (orderly placement of atoms) causes difraction, i.e., constructive interference, and hence a strong relation exists between periodicity and difraction. For shorter periodicity, higher difraction angles are observed [\[32\]](#page-19-31).

# **Methods and Results**

# **Rock Mass Characterization**

The site under consideration was explored through several visits to the study area. The methodology for assessing slope stability involves using a scan-line survey for creating linear paths (scan lines) on a slope of interest and systematically



<span id="page-3-0"></span>**Fig. 2** XRD analysis results for eight sights along Mughal Road

collecting geological, geotechnical, and topographic data along these lines. This process begins with defning survey objectives and selecting appropriate sites. Surveying equipment, including instruments for precise measurements and safety gear, is then gathered. Scan lines are established, perpendicular to slope contours, and marked with precise starting and ending points. Data collection along these lines includes recording geological features, measuring geotechnical properties, documenting topography, and visually inspecting for signs of instability. Safety precautions are paramount. Data analysis involves stability assessments, identifying potential failure mechanisms, and considering external factors. Adopting the Scan-Line survey, preliminary slope dimensions and discontinuity data as a dip, dip direction, persistence, spacing, and groundwater condition data were captured from the eight locations of the Mughal Road as indicated earlier (Refer to Fig. [1](#page-2-0)). The weathering class of the slopes has been assessed through various techniques including visual inspection, scraping the rock material with hands, and noting the colour variations in the rock mass and sound of the rock mass under the strike of the geological hammer.

Rock-quality designation (RQD) determines roughly the degree of fractures in a rock mass. RQD is expressed as the percentage of the drill core in lengths of 10 cm or more. A high value of RQD indicates high-quality rock mass and vice-versa. The Rock Quality Designation (RQD) is empirically estimated with the help of volumetric joint count  $J_{\nu}$  for road-cut sections as expressed in the following equation:

$$
RQD = 115 - 3.3, J_v = 100 \text{ if } J_v < 4.5.
$$
 (1)

A minimum value of RQD shall be reported as ten even if it is zero [\[33\]](#page-19-32). Further, the volumetric joint count  $(J_V)$ implies the joint number in 1 metric cube of rock mass [\[19](#page-19-18)]. Empirically,  $J_V$  is expressed as per the following equation:

$$
J_{\rm v} = \frac{1}{S_1} + \frac{1}{S_2} + \dots + \frac{1}{S_n}.
$$
 (2)

The  $S_1$ ,  $S_2$ , and  $S_n$  are the mean joint set spacing. The statistical attributes of the joint data are presented in Table [1.](#page-4-0)

<span id="page-4-0"></span>**Table 1** Statistical attributes of discontinuities at various sites along Mughal Road



The block size varies along the study area from small to medium-sized blocks, with block volume varying between  $0.01$  and  $0.35$  m<sup>3</sup>.

### **Rock Mass Rating (RMR)**

Rock Mass Rating (RMR), introduced by Bieniawski [\[13,](#page-19-12) [14](#page-19-13)], is colossally used in many rock engineering projects related to slope stability, underground excavations, mining, tunnelling, and dams. The RMR proposed by Bieniawski [[13](#page-19-12)] was updated by many researchers on experience gained through intensive feldwork in the following years. The developed RMR system uses six parameters, namely, Uniaxial Compressive Strength (UCS) of rock material, Rock Quality Designation (RQD), features of discontinuities (i.e., Spacing, Condition, and Orientation), and Groundwater conditions. However, in RMR basic ( $RMR<sub>basic</sub>$ ), five parameters are used to study the rock mass, and the orientation of discontinuities needs to be considered. An indigenously fabricated low-cost cylindrical core cutter of NX, shown in, Fig. [3,](#page-5-0) has been used to extract the test specimens for UCS [\[20\]](#page-19-19).

# **Geological Strength Index (GSI)**

A rock mass's deformation and strength properties are estimated by the Hoek–Brown criterion using the Geological Strength Index (GSI), as introduced by Hoek and Brown [\[15](#page-19-14)] and later modified by Russo and Hormazabal [\[21](#page-19-20)]. The Hoek–Brown model assumes that the rock mass behaves as an isotropic, homogeneous material with uniform properties. Rock masses often contain geological features such as joints, faults, bedding planes, and shear zones that can signifcantly afect their behavior. These discontinuities are not explicitly considered in the Hoek–Brown model. The GSI characterizes the blocky rock mass based on visual inspection of the outcrop, jointing conditions, and interlocking. The GSI value ranges from 0 to 100. The rock mass classifcation and characterization as per GSI are uncomplicated as it is based upon the visible perception of the rock-mass structure in terms of top surface properties of the joints indicated by joint alteration and roughness, and blockiness of the surface.

To simplify the procedure further, Hoek et al. and other researchers [[18,](#page-19-17) [42](#page-19-33)] have suggested a more simplistic approach to calculate the GSI using RQD and the condition of joints, which is as follows:

$$
GSI = \left(\frac{RQD}{2}\right) + \left(1.5 \times J_{\text{cond89}}\right),\tag{3}
$$

where

$$
J_{\text{CONDS9}} = 35 \times \left[ \frac{J_{\text{r}}/J_{\text{a}}}{1 + J_{\text{r}}/J_{\text{a}}} \right]. \tag{4}
$$

 $J_r$  is the joint roughness rating, and  $J_a$  is the joint alteration rating. This is referred to as GSI quantifcation [[42\]](#page-19-33). The RMR<sub>basic</sub> and GSI values along the study area are presented



<span id="page-5-0"></span>**Fig. 3** Isometric and fabricated views of rock core cutter

in Table [2](#page-6-0). The RMR for the sites varies from 44 to 78, representing fair to good rock, and GSI varies between 40 and 85.

### **Slope Characterization**

### **Assessment Through Slope Mass Rating (SMR)**

Slope mass rating (SMR) represents the rock slope charac t[eri](#page-19-34)zation scheme introduced by Manuel Romana in 1985 [[44\]](#page-19-34) to characterize and assess the slope in terms of susceptibility to various failures. Later, Anbalagan [[28](#page-19-27)] added the adjustment ratings for the wedge failure. This system incorporates an RMR<sub>basic</sub> scheme in conjunction with the parameters defned by the orientation of the joints [[44](#page-19-34), [45](#page-20-0)]. The equation for SMR:

$$
SMR = RMR_b + (F_1 \times F_2 \times F_3) + F_4. \tag{5}
$$

 $RMR<sub>b</sub>$  is the basic RMR considering the five parameters discussed above. The  $F_1$  depends on parallelism between the slope and the discontinuity;  $F_2$  depends on the dip of discontinuity;  $F_3$  depends on the relationship between the discontinuity dip and slope inclination; and  $F_4$  depends on the excavation method used. Tomás et al. [\[22\]](#page-19-21) described alternative continuous functions for calculating  $F_1$ ,  $F_2$ , and  $F_3$  correction parameters. This method is referred to as Continuous Slope Mass rating (CSMR). These continuous func tions vary from discrete functions by less than 7–8 points and thus retard the subjective interpretations signifcantly. Withal, the proposed continuous functions for SMR altera tion factors ambiguity generated due to the rounding off the discrete factors. The SMR, both discrete and continuous for the selected slopes, is presented in Table [3](#page-7-0). The SMR table indicates that the stability class along the study area varies from Class-II (Stable) to Class-V (Completely unstable). Also, the probability of failure ranging from 0 to 0.9 repre - sents the stability classes for respective sites [\[44](#page-19-34), [45](#page-20-0)].

### **Assessment Using Kinematic Method**

<span id="page-6-0"></span>The kinematic analysis of rock mass is a function of discon tinuity attitudes/orientation. Kinematic analysis calculates if the blocks or rock masses move along geologic features/ attitudes and slide out of the slope [[34](#page-19-35)]. The following three types of failure modes have broadly been identifed in rock engineering throughout the years of research and experience: plane failure, wedge failure, and toppling [\[35](#page-19-36)]. Through scan-line mapping, the discontinuity data have been collected from the sites. The kinematic analysis has been performed using DIPS software using stereographic projec tions (Schmidt's equal angle method).



Site	Joint set	RMR basic	Failure observed	$F_1*F_2*F_3$		$F_4$	<b>SMR</b>		Class of stability	Failure
				Romana discrete	Tomas continuous		Dis.	Cont.		probabil- ity
$L-1$	$JS-I$	78	P/W	$-1$	$-2$	$\overline{0}$	77	76	II/S	0.2
	$JS-2$	78		$\overline{0}$	$\boldsymbol{0}$		78	78	II/S	0.2
	$JS-3$	78		$-24$	$-21$		54	57	<b>III/PS</b>	0.4
$L-2$	$JS-I$	55	P/W	$-24$	$-34$	$\mathbf{0}$	31	21	IV/U	0.6
	$JS-2$	55	Toppling	$\boldsymbol{0}$	$\boldsymbol{0}$		55	55	II/S	0.2
	$JS-3$	55	P/W	$-8$	$-9$		47	46	<b>III/PS</b>	0.4
$L-3$	$JS-I$	54	Toppling	$-18$	$-19$	$\mathbf{0}$	36	35	IV/U	0.6
	$JS-2$	54		$-4$	$-6$		50	48	II/S	0.2
	$JS-3$	54		$-4$	$-5$		50	49	<b>III/PS</b>	0.4
$L-4$	$JS-I$	50	Toppling	$-18$	$-16$	$\mathbf{0}$	32	34	IV/U	0.6
	$JS-2$	50	P/W	$-4$	$-3$		46	47	<b>III/PS</b>	0.2
	$JS-3$	50	P/W	$-4$	$-3$		46	47	<b>III/PS</b>	0.4
$L-5$	$JS-I$	46	P/W	$-42$	$-31$	$\mathbf{0}$	$\overline{4}$	15	V/CU	0.9
	$JS-2$	46	Toppling	$\boldsymbol{0}$	$\mathbf{0}$		46	46	<b>III/PS</b>	0.2
	$JS-3$	46	P/W	$\mathbf{0}$	$\boldsymbol{0}$		46	46	<b>III/PS</b>	0.4
$L-6$	$JS-1$	49	Toppling	$-1$	$\boldsymbol{0}$	$\mathbf{0}$	48	49	<b>III/PS</b>	0.2
	$JS-2$	49	P/W	$\mathbf{0}$	$\mathbf{0}$		49	49	<b>III/PS</b>	0.2
	$JS-3$	49	P/W	$-8$	$-16$		41	33	$III$ -IV	0.4
$L-7$	$JS-1$	44	P/W	$-4$	$-4$	$\mathbf{0}$	40	40	IV/U	0.6
	$JS-2$	44	Toppling	$-25$	$-25$		19	19	V/CU	0.9
	$JS-3$	44	P/W	$\boldsymbol{0}$	$\mathbf{0}$		44	44	<b>III/PS</b>	0.4
$L-8$	$JS-1$	56	P/W	$-21$	$-23$	$\overline{0}$	35	33	IV/U	0.6
	$JS-2$	56	Toppling	$-8$	$-10$		48	46	<b>III/PS</b>	0.2
	$JS-3$	56	P/W	$-8$	$-10$		48	46	<b>III/PS</b>	0.2

<span id="page-7-0"></span>**Table 3** SMR indices (discrete and continuous) and stability class thereof

Planar failures represent the movement of sliding on a unique and distinct surface that nearly approximates a plane. Hoek et al. [\[36](#page-19-37)] and later Hoek and Brown [[15](#page-19-14)] set up the conditions for the planar failure viz; The dip of the discontinuity must lie within 20 degrees of the dip of slope face, shall not exceed the dip of the slope face, shall not be less than the angle of friction of the surface. Also, the sideward extent of the failure surface shall be defned either by lateral release surfaces or by a convex slope shape intersected by discontinuity.

Wedge failures in a rock mass occur when a slide of rock mass exists along the two intersecting joints dipping out of the excavated slope at an angle concerning the cut slope, forming a wedge-shaped feature. Primarily the formation and hence occurrence of these wedge failures are functions of rock-mass structure and lithology [[1](#page-19-0), [36\]](#page-19-37). Limestones, shale, clay stones, and fne-bedded siltstones are more inclined to wedge failures than other rock types. The three essential structural conditions described for wedge failures by Hoek et al. [[36](#page-19-37)] and can be summed up as follows: The trend of the line of intersection shall be

close to the dip of the slope face; the Plunge of the intersection line shall not be greater than the slope dip. The plunge of the intersection line shall not be less than the internal friction angle of the surface.

Toppling failures occur mostly in rock masses divided into slabs or columns (fragmentation). These fragments/ fractures have a geological attitude such that they strike nearly parallel to the face of the slope and steeply dip into the slope face. Hoek et al. [[36](#page-19-37)] and later Hoek and Bray [[37](#page-19-38)] defined types of toppling failures, such as block toppling, fexural toppling, or a union of the above two types. These failure types in the study area are shown in Fig. [4.](#page-8-0)

The kinematic analysis is two-dimensional; hence it is presumed that zero-strength sideward release surfaces are there or that the failure of rock mass is described in the plan by a convex slope [\[37](#page-19-38)]. The results from the kinematic analysis are tabulated in Table [4,](#page-8-1) and corresponding Stereonets are presented in Fig. [5](#page-9-0). The kinematic analysis implies that the selected slopes along the study are susceptible to various slope failures with varying degrees of severity.



**Fig. 4** Four types of failure identifed along the study area

Site	Slope Dip <sup>o</sup>	Critical intersection % age for following failures									
		Wedge	Planar	Direct toppling	Flexural toppling	Oblique toppling	Base plane				
$L-1$	65	28.65	6.06	33.33	0.00	1.90	33.33				
$L-2$	77	14.77	16.67	3.22	0.00	0.00	51.52				
$L-3$	72	2.08	0.00	12.31	27.27	0.19	$\mathbf{0}$				
$L-4$	76	4.55	3.03	2.85	24.24	0.57	39.39				
$L-5$	62	17.70	26.67	1.61	0.00	1.61	20.00				
$L-6$	68	34.05	0.00	1.61	0.00	1.29	16.13				
$L-7$	72	0.00	9.38	3.02	31.25	3.47	34.38				
$L-8$	65	5.29	6.25	9.38	34.38	1.16	34.38				

<span id="page-8-1"></span><span id="page-8-0"></span>**Table 4** Kinematic analysis results using DIPS software

## **Limit Equilibrium Methods**

The limit equilibrium implies the condition where the driving and resisting forces are equal (limit state status), and the corresponding safety factor equals unity. This condition implies that the block under consideration is on the verge of failure; even a slight disturbance to the equilibrium conditions can set the block to tumble/slide [[38\]](#page-19-39). The basic methodology involved in the limit equilibrium analysis includes the calculation of the factor of safety by giving the driving and the resisting forces as inputs to the rock mass. For an FOS greater than unity, the block under consideration is safe for a given set of inputs, while in other cases, the block is not safe. This method divides the material overlying the assumed slip surface vertical slices. The LE analysis has been assessed using SLOPE/W software using the Morgenstern–Price method using Hoek–Brown failure criteria. This method was chosen since it is an accurate procedure applicable to virtually all slope geometries and soil profles, a rigorous, well-established, complete



<span id="page-9-0"></span>**Fig. 5** Stereonets for diferent failure modes along selected slopes

equilibrium procedure. Further, it helps in more reliable and robust designs of slopes.

The modeling procedure was validated with the study of Rajhans et al. [\[39\]](#page-19-40), where the stability of the mine dumps was determined after improving the dump using soil nails. The Geo-studio Slope/w was also used in the referred study, in which the Morgenstern–Price approach is used for the analysis, with the constant interslice force function, and the slip surfaces are constructed using an entry–exit procedure. The model dimensions and material properties were directly taken from the referred study. As seen from Fig. [6,](#page-10-0) the obtained FOS from the present study is in good agreement with the referred study of Rajhans et al. [[39\]](#page-19-40). This shows that the adopted modeling procedure can be applied to simulate the problem at hand.

The Mohr–Coulomb failure criterion can be expressed for the rock mass as follows:

$$
\tau = C' + \sigma_n' \times \tan\left(\phi'\right),\tag{6}
$$

where  $C'$  is the effective cohesion and  $\phi'$  is the effective friction angle. The Mohr–Coulomb failure criterion parameters are estimated empirically computed using the following equations  $[37, 40]$  $[37, 40]$  $[37, 40]$ :

$$
\phi' = \sin^{-1} \left[ \frac{6 \times a \times m_{b} \times (s + m_{b} \sigma'_{3n})^{a-1}}{2(1 + a)(2 + a) + 6 \times a \times m_{b} \times (s + m_{b} \sigma'_{3n})^{a-1}} \right]
$$
(7)

and



<span id="page-10-0"></span>**Fig. 6** The validation of present study with the Rajhans et al. [[39](#page-19-40)]

$$
C' = \frac{\sigma_{ci} \left[ (1 + 2a)s + (1 - a)m_b \sigma'_{3n} \right] \times \left( s + m_b \sigma'_{3n} \right)^{a-1}}{(1 + a)(2 + a) \times \sqrt{1 + \frac{6 \times a \times m_b \times \left( s + m_b \sigma'_{3n} \right)^{a-1}}{(1 + a)(2 + a)}}},
$$
(8)

where

$$
\sigma'_{3n} = \left(\sigma'_{3\,\text{max}}/UCS\right). \tag{9}
$$

In the case of slopes, the relation between  $\sigma_{3\text{max}}'$  and  $\sigma_{\text{cm}}'$ can be found using the following equation [\[18](#page-19-17)]:

$$
\sigma'_{3\,\text{max}} = \sigma'_{\text{cm}} \times 0.72 \times \left(\frac{\sigma'_{\text{cm}}}{\gamma \times H}\right)^{-0.91},\tag{10}
$$

where *γ* represents the rock-mass unit weight; *H* represents slope height and  $\sigma_{\rm cm}$ ' compressive rock mass strength. Hoek et al. [[18\]](#page-19-17) produced the generalized Hoek–Brown failure criterion for rock masses and is given by:

$$
\sigma_1' = \sigma_3' + \left\{ \operatorname{UCS} \times \left( m_\text{b} \times \frac{\sigma_3'}{\operatorname{UCS}} + s \right)^a \right\},\tag{11}
$$

where  $\sigma_1'$  and  $\sigma_3'$  represent the maximum and minimum effective principal stresses;  $m<sub>b</sub>$  represents the Hoek–Brown constant for rock mass; *s* and *a* are the constants that are functions of rock mass characteristics, and UCS represents the uniaxial compressive strength of rock mass. The deformation properties of rock mass generally include the modulus of deformation and the Poisson's ratio (*μ*). Following are the methods to compute deformation modulus:

(i)(i)(i)The deformation modulus for  $UCS \le 100$  MPa, is given by:

$$
E_m = \left(1 - \frac{D}{2}\right) \times \sqrt{\frac{\sigma_{ci}}{100}} \times 10^{\left(\frac{\text{CSI} - 10}{40}\right)}.
$$
 (12)

(ii)(ii)(iii) For UCS > 100 MPa the value of  $E_m$  is given by:

$$
E_m = \left(1 - \frac{D}{2}\right) \times 10^{\left(\frac{\text{CSI} - 10}{40}\right)}.\tag{13}
$$

A value of 0.3 for Poisson's ratio has been judiciously chosen in the present study following Latha and Garaga [\[9](#page-19-8)]. The bulk and shear moduli  $(K_r$  and  $G_r$ , respectively) are computed by the following equation:

$$
G_{\rm r} = \frac{E_{\rm r}}{2 \times (1 + \mu_{\rm r})}; \quad \text{and} \quad K_{\rm r} = \frac{E_{\rm r}}{3 \times (1 - 2\mu_{\rm r})}.
$$
 (14)

The rock mass parameters are calculated using the above equations and are tabulated in Table [5.](#page-11-0) The cross-section

<span id="page-11-0"></span>



of diferent study sites is shown in Fig. [7](#page-11-1) (analyzed using Bhuvan 3D, Indian remote Sensing Satellites, ISRO, GoI).

landslide. However, the slope encountered in the present studies are generally steeper.

as the product of seismic acceleration and the mass of rock

# **Pseudo‑static Analysis**

The Pseudo-static analysis incorporates the imitation of the ground motion as the fxed static horizontal force which acts out of slope-face [[41\]](#page-19-42). This methodology involves the efects caused due to the pseudo-static acceleration during an earthquake which generates the inertial forces, also called pseudo-forces, the magnitude of which is described



The pre-exiting rock mass composition is consistent with the XRD analysis results. It reveals no expandable or clay minerals exists and major minerals are quartz and muscovite within the rock mass to allow the soil to slide. It is worth mentioning that, the clay forming minerals generally formed from the chemical weathering which may cause debris

<span id="page-11-1"></span>

block under effect. The value of  $\alpha_h$  (horizontal seismic coefficient) is generally taken as design Peak Ground Acceleration (PGA) expressed in terms of gravity acceleration. The resisting forces are reduced and driving forces are increased by horizontal seismic force while the vertical seismic force has the least significant effect on the stability analysis, hence usually neglected in the pseudo-static analysis. However, to get conservative results, the present study covers the efect of vertical acceleration as well.

Hence, the value of  $\alpha_h$  shall be carefully and judiciously chosen. MCE (Most Credible Earthquake) data are generally reliable to choose the value of the horizontal coefficient. The study area is in a high-risk seismic zone and hence a value of 0.32 g following Metya et al. [[42](#page-19-33)] has been chosen for the present study based on the previous history of the region. The vertical coefficient  $(\alpha_v)$  has been taken as 0.667 times the  $\alpha_h$  [\[42](#page-19-33)].

In present study, the pseudo-static analysis of the slopes under consideration has been done for two cases:

- (i) Considering both horizontal and vertical seismic accelerations; and
- (ii) Only horizontal seismic acceleration has been considered.

Pseudo-static analysis has been also been worked out in SLOPE/W of Geo-Studio. The LE and Pseudo-static analysis results are interpreted in Fig. [8](#page-13-0). The results obtained from limit equilibrium analysis and pseudo-static analysis using the Morgenstern–Price method considering Mohr–Coulomb and Hoek–Brown failure criteria are tabulated below in Table [6](#page-15-0). The factor of safety varies from 0.4 to 0.8 under static loading while from 0.35 to 0.75 under pseudo-static loading.

# **Discussion and Analysis**

# **Rock Mass Characterization**

The fracture data or discontinuity data from the eight selected sites along the study area were collected from the site using scan-line mapping. The collected data include orientation, spacing, roughness, persistence, aperture, flling, seepage, number of sets, and block size. The relation between volumetric joint count and block volume,  $J_v$  and  $V_{\rm b}$ , respectively, for the selected slopes, are shown in Fig. [9.](#page-15-1)  $J_v$  and  $V_b$  share a reciprocal relationship, i.e., for higher values of joints per volume, the block size is smaller. The inverse relationship between joint and block volumes originates from geometric and mechanical factors in rock slope analysis. Higher joint density increases joint volume but smaller intact rock blocks, infuencing stability. Joints act as stress concentrators, afecting load distribution, and shear strength. Block failures are common with low joint density, while joint-controlled failures often occur with high joint density. Slope angle and rock mass quality further infuence this relationship. Field data from the selected slope suggest that the block size varies from small to medium size with medium to high volumetric joint count. The results from the statistical analysis showed that the selected sites along the study area contain three joint sets with varying degrees of block volume. These fndings are attributed to the location and lithology of the area. The sites with smaller block sizes require a small triggering force to cause failure; hence it can be put forth that these sites are more susceptible to failure.

The RMR basic analysis showed the rock quality along the area varied from fair to good rock with basic RMR values varying between 40 and 80. While GSI values varied between 40 and 80. The variation of RMR and GSI along the study area is represented in Fig. [10.](#page-15-2) The variation of GSI-Visual and GSI quantifed are presented in Fig. [11](#page-15-3).

The visual GSI as put forth by Hoek et al. [\[15\]](#page-19-14), based on visual inspection has been simplifed and quantifed by different workers. The above comparison shows the two aspects of GSI, i.e., visual, and quantifed are in good agreement with each other concerning the numerical valuation.

### **Slope Characterization**

#### **Slope Mass Rating**

Slope Mass Ratings both discrete and continuous put forward by Romana and Tomas, respectively, have been assessed for the slopes along the study area.

The SMR analysis procured that the slope mass varies from completely unstable to stable for diferent modes of failure with a probability of failure at some slopes as high as 0.9. The variation of CSMR along the diferent joint sets for selected slopes is shown in Fig. [12](#page-16-0).

The slope mass rating indices put forth by Romana [[17\]](#page-19-16) and later Tomás et al. [\[22](#page-19-21)] difer from each other as the former has used discrete valuation while the latter has adopted continuous function. The discrete adjustment indices  $(F_1, F_2,$ and  $F_3$ ) usually overestimate the toppling-related stability condition. Hence to resolve this over-conservative nature of discrete SMR systems [[22\]](#page-19-21), put forth the concept of continuous indices. The variation between DSMR and CSMR is depicted in Fig. [13.](#page-16-1)

### **Kinematic Analysis**

The kinematic analysis of these slopes indicates a variety of slope failures along diferent orientations. The overall critical intersections for diferent modes of failure vary between 0 and 52%. The orientation of the joints along the study area



a) LE analysis under static Conditions (L-1) b) Pseudo-Static Analysis (L-1)



c) LE analysis under static Conditions (L-2) d) Pseudo-Static Analysis (L-2)



e) LE analysis under static Conditions (L-3) f) Pseudo-Static Analysis (L-3)









<span id="page-13-0"></span>**Fig. 8** Observed factor of safety for selected slopes under diferent conditions

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i) LE analysis under static Conditions  $(L-5)$  j) Pseudo-Static Analysis  $(L-5)$ 



k) LE analysis under static Conditions (L-6) l) Pseudo-Static Analysis (L-6)



m) LE analysis under static Conditions (L-7) n) Pseudo-Static Analysis (L-7)



o) LE analysis under static Conditions  $(L-8)$  p) Pseudo-Static Analysis  $(L-8)$ 









**Fig. 8** (continued)



<span id="page-15-0"></span>



<span id="page-15-1"></span>**Fig. 9** Relation between Joint volume & Block volume along the study area



<span id="page-15-2"></span>**Fig. 10** Variation of RMR with GSI along the selected location of Mughal Road

defnes its type of failure. The variation and relation of different failure types are presented in Fig. [14.](#page-17-0)

The more precise quantifcation of the most susceptible zone in these rock-cut slopes has been presented as the frequency variation of critical intersections of discontinuities (in %) and the slope face dips. The critical intersections are focused on a particular range of dip of slope face  $(70^{\circ} - 80^{\circ})$ 



<span id="page-15-3"></span>**Fig. 11** Comparison of observed and calculated GSI

as is shown in Fig. [15.](#page-18-0) However, as seen from the variation chart, it can be inferred that some rock-cut slope dips show scattered variations of potential kinematic failures.

### **Limit Equilibrium and Pseudo‑static Analysis**

The LE and pseudo-static analyses for the selected slopes along the study area show FOS less than unity for all the slopes. The FOS has been calculated using both Mohr–Coulomb and Hoek–Brown models. The Mohr–Coulomb model was chosen as it is a widely used and practical choice for analysing rock slopes in the limit equilibrium. However, the Hoek–Brown model provides a more comprehensive and rockspecifc approach, particularly for slopes with complex geological conditions. Hence, these soil models were adopted in this study for an accurate stability assessment. The LE analysis using diferent methods under static and pseudo-static loading indicates that the factor of safety varies from 0.4 to 0.8 under static loading and from 0.35 to 0.75 under pseudo-static

<span id="page-16-0"></span>



# *y = 0.921x + 3.8096*  $R^2 = 0.9458$ 0 20 40 60 80 100 0 50 100 **Continuos SM R Discrete SMR**

<span id="page-16-1"></span>**Fig. 13** Comparison of discrete and continuous SMR

loading. The low factor of safety is attributed to the randomly oriented joints and their persistence. Further, the lower FOS observed on the on-site slope is likely due to the severe slope conditions present, which may fail at any time. The variation of FOS as calculated from both the failure criteria is presented in Fig. [16.](#page-18-1) From the above comparison of FOS from two failure criteria, it can be inferred that Mohr–Coulomb Model for rock masses gives conservative results. This variation results due to the non-inclusion of discontinuity data of rock mass in the Mohr Coulomb model.

# **Conclusion and Future Scope**

## **Conclusion**

Based on the tests and methods adopted, the following conclusions are drawn.

- (i) The RQD of the rock mass indicates the rock varies from 50 to 100 with small to medium-sized rock blocks and in this instance; the joint volume is as high as 17, which implies more susceptibility to failure.
- (ii) The uniaxial strength of the samples varies between 50 and 110 MPa. Such a vast diversity in the UCS results is attributed to the lithological features of the samples. The sample density, texture, and compactness along the study area varied drastically. The samples obtained at some locations had high surface voids, while others were too compact. It is worth mentioning here that the actual UCS of the rock mass varies from intact samples due to the presence of joints and discontinuities. Hence, the proper adjustments concerning joints as indicated by the GSI values were applied to arrive at the UCS of the rock mass.
- (iii) The RMR basic varies from 40 to 80, indicating fair to good rock mass.
- (iv) The SMR analysis shows that the slope mass varies from completely unstable to stable for diferent failure modes, with a probability of failure at some slopes as high as 0.9.
- (v) The kinematic analysis of these slopes indicates a variety of slope failures along diferent orientations. The overall critical intersections for diferent failure modes vary between 0 and 52%. The orientation of the joints along the study area defnes its type of failure.



<span id="page-17-0"></span>**Fig. 14** Variation of failure modes with RMR along study sites

(vi) The LE analysis using diferent methods under static and pseudo-static loading indicates that the factor of safety varies from 0.4 to 0.8 under static loading while from 0.35 to 0.75 under pseudo-static loading.

The low factor of safety is attributed to the randomly oriented joints and their persistence. The alternate freeze and thaw, owing to the climate in the study, also plays an additional role in decreasing the resis-



<span id="page-18-0"></span>**Fig. 15** Variation of failure potential with slope dip amount along the study area



<span id="page-18-1"></span>**Fig. 16** Comparison of FOS from MC and HB Models

tive force. The heavy snow loads during the winters also weaken the slopes there.

Overall, the Rock Mass Quality (RQD) values, ranging from 50 to 100, signify a rock mass with a substantial joint presence, indicating heightened susceptibility to instability. This assessment is substantiated by the wide variability in Unconfned Compressive Strength (UCS) results, spanning 50 to 110 MPa, which can be attributed to varying sample properties. The Rock Mass Rating (RMR) values between 40 and 80 denote a rock mass ranging from fair to good quality. However, the Slope Mass Rating (SMR) analysis suggests that some slopes exhibit a high probability of failure (up to 90%). When considering the results of Limit Equilibrium (LE) analysis, the factor of safety ranges from 0.35 to 0.8 under static and pseudostatic loading conditions, indicating a lower level of stability. Together, these fndings underscore the complex and heterogeneous nature of the rock mass, emphasizing the need for thorough site-specifc assessments, tailored engineering measures, and rigorous monitoring to ensure slope stability and mitigate potential risks efectively.

### **Limitations and Future Scope**

Even though the present work was done with proper interest and in line with the standards set by pioneer workers, the limitations and hence future scope is discussed below:

- (i) *Survey Part*: Scanning the discontinuities was done using a scan-line survey which involves manual measurement and recording of the data. The main disadvantage is that a small or lesser distances are traversed in a given time. Hence to overcome this limitation, modern methods like LiDAR (Light Detection and Ranging) and Photogrammetry with automatic data acquisition and processing can be resorted to.
- (ii) *Investigation Part*: The GSI was used in conjunction with the Hoek Brown failure criterion to determine rock mass characteristics in this present. The Hoek–Brown and GSI failure criteria are both based on empirical charts and calculations. The capacity and precision of these methods are restricted. It is advised that rock mass characteristics be estimated using numerical modeling by integrating discontinuity geometry parameter estimations acquired from fracture mapping fndings with intact rock and discontinuity properties established in the lab.
- (iii) *Numerical Analysis*: The slopes were analyzed in the Geo-Studio software and LE analysis was carried out using Hoek–Brown and Mohr–Coulomb failure criteria. Wu and Kulatilake [[46\]](#page-20-1) proposed a method for estimating rock mass characteristics that consider both intact rock and small discontinuities. They have developed the software 3DEC (3-Dimensional Distinct Element Code) for fracture mapping. However, analysis using 3DEC is not considered in the present study.

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**Data availability** All the data is presented in the manuscript.

### **Declarations**

**Conflict of interest** The authors have no competing interests to declare that are relevant to the content of this article.

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