

# **Push‑Out Tests on Interlocked Angles Connectors in Steel‑Concrete‑Steel Composite Structure**

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## **Abstract**

This paper reported a new interlocked angle connector (IAC) for steel-concrete-steel sandwich structures. Shear performances of IACs embedded in normal concrete were studied via a push-out testing program, and the failure mode, shear resistance, and load–slip responses of IACs in normal concrete were obtained. The infuences of height, width, thickness, orientation of steel angles, and interlocking bolts on shear behaviours of IACs were experimentally studied. The experimental results indicated that the ultimate shear resistances and slip capacities of IACs were improved via increasing the height, width and thickness of steel angles, while the orientation of steel angles exhibited limited infuence on the ultimate shear resistances and failure modes of IACs. In addition, the analytical models were proposed for predicting ultimate shear resistances and load–slip behaviours of IACs. The experimental results were employed to validate the analytical models, and the proposed analytical models were found to provide more accurate predictions on ultimate shear resistances and load–slip behaviours of IACs as compared to the existing design codes.

**Keywords** Push-out test · Interlocked angles connectors · Shear behaviour · Steel-concrete-steel sandwich structures · Failure mode

# **1 Introduction**

Steel-concrete-steel (SCS) sandwich structure consists of two steel faceplates and a concrete core. Owing to its desirable mechanical performance, SCS sandwich structure has exhibited increasing applications in high-rise buildings (Nie et al., [2013](#page-16-0); Yan et al., [2019](#page-17-0)), shear walls (Qin et al., [2017](#page-16-1)), immersed tunnels (Lin et al., [2018\)](#page-16-2), shield tunnels (Zhang & Koizumi, [2010](#page-17-1)), nuclear shielding walls (Varma et al.,  $2014$ ), ice-resistant walls (Yan et al.,  $2016$ ), offshore decking (Huang & Liew, [2016;](#page-16-3) Sohel & Liew, [2014](#page-17-4)) and protective

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structures (Remennikov et al., [2019](#page-16-4); Wang et al., [2016](#page-17-5)). Compared with traditional steel structures or reinforced concrete structures, SCS sandwich structures have advantages of good sealing, static (Xie et al., [2007](#page-17-6); Yan et al., [2014b](#page-17-7), [2020a\)](#page-17-8) and fatigue (Dai & Liew, [2010](#page-16-5); Foundoukos et al., [2007](#page-16-6)) performance, high resistance to blast (Liew & Wang, [2011;](#page-16-7) Meng et al., [2020](#page-16-8); Remennikov et al., [2019\)](#page-16-4) and impact (Sah et al., [2021](#page-16-9); Wang et al., [2022b](#page-17-9)), outstanding seismic performance (Sener et al., [2015;](#page-16-10) Yan et al., [2019](#page-17-0)), etc.

The bonding between faceplates and concrete is critical in preventing interfacial separation and slip. Adhesive material or mechanical shear connectors can be employed to transfer shear force and tensile force between concrete and steel faceplates as well as maintain integrity of the SCS sandwich structure. The adhesive materials (e.g., epoxy adhesive) were frst adopted for bonding concrete and steel faceplates (Aboobucker et al., [2009](#page-16-11); Solomon et al., [1976\)](#page-16-12), and the push-out test was performed with the aim of evaluating its shear strength (Berthet et al., [2011](#page-16-13)). However, the bonding defects were found to result in separation of steel faceplates from concrete. Previous studies showed that mechanical shear connectors could greatly

improve ultimate strength and seismic performance of the SCS sandwich structure (Yan et al., [2020b](#page-17-10)). Therefore, it is necessary to employ mechanical shear connectors for SCS sandwich structures to overcome low bonding strength when using adhesive material.

Headed studs were generally employed as shear connectors for SCS sandwich structures, and desirable bonding behaviours between concrete and steel faceplates could be realized (Pallarés & Hajjar, [2010](#page-16-14)). Push-out tests were extensively employed to obtain shear behaviours of headed studs (Oduyemi & Wright, [1989](#page-16-15); Wang et al., [2022a](#page-17-11); Wright et al., [1991\)](#page-17-12), and its ultimate shear resistance was found to be strongly dependent on concrete strength (Wang et al., [2022a\)](#page-17-11). The angle connectors were subsequently applied in the SCS sandwich structure for shield tunnels (Yan et al., [2015](#page-17-13)). Xie et al. [\(2004](#page-17-14)) developed Bisteel connectors that directly welded to two faceplates. However, the welding apparatus limited the depth of the SCS sandwich structure in a range of 200–700 mm. This restricted their applications in infrastructures, like slim decking. Double J-hook connectors interlocking in pairs were proposed to overcome the limitation on thickness of Bi-steel structures (Liew et al., [2009](#page-16-16)). In addition, J-hook connectors were also superior to Bi-steel connectors in terms of lower cost and stronger bonding strength. Subsequent experimental studies confrmed that J-hook connectors could efectively bond steel faceplates and concrete (Liew et al., [2009;](#page-16-16) Yan et al., [2020a](#page-17-8)). However, the assembly of a large number of J-hook connectors would probably compromise bonding strength (Yan et al., [2020c\)](#page-17-15). Pushout tests were conducted to obtain the shear behaviours of J-hook connectors, and the formulae were proposed for calculating their ultimate shear resistances (Sohel & Liew, [2011;](#page-17-16) Yan et al., [2014a](#page-17-17)). Recently, a new enhanced C-channel connector was developed (Wang & Yan, [2020\)](#page-17-18), and its shear behaviour was obtained via conducting pushout tests (Yan et al., [2020b](#page-17-10)). The enhanced C-channel connector exhibited strong one-direction shear resistance, but weak shear resistance in the perpendicular direction. In addition, drilling holes on steel faceplates resulted in a decrease in the strength of faceplate, and smooth external surfaces of SCS sandwich structures was not able to be realized owing to the presence of bolts. Hence, a new mechanical shear connector, i.e., interlocked angle connector (IAC), was proposed to provide high bonding strength and assure smooth surfaces of SCS sandwich structures. Figure [1](#page-1-0) presents the applications of SCS sandwich structures with IACs in nuclear shielding wall and immersed tunnel.

In this study, push-out tests were conducted to obtain shear behaviours of IACs, and the parameters that afect shear behaviours of IACs were also experimentally investigated. Moreover, analytical models were proposed for



<span id="page-1-0"></span>**Fig. 1** Application examples of SCS sandwich structure with IACs: (**a**) Nuclear shielding wall and (**b**) Immersed tunnel

calculating shear resistances and shear–slip behaviours of IACs.

# **2 Test Programme**

# **2.1 Design of Specimens**

Figure [2A](#page-2-0) shows the details of proposed IACs, and a pair of IACs consists of two steel angles, two steel sheets and an interlocking bolt. A pair of steel angles is welded to each inner surface of two faceplates for providing interfacial shear strength between faceplates and concrete. The tensile separation is resisted by the interlocked steel angles. Figures [2b](#page-2-0)–e illustrate the fabrication procedures of a pair of IACs. Each

<span id="page-2-0"></span>

component of the IAC is separately prefabricated frst, as shown in Fig. [2](#page-2-0)b. The steel angle, steel sheet and interlocking bolt are assembled via fllet welding to form the two IACs, as illustrated in Fig. [2c](#page-2-0). It should be mentioned that there is no interlocking bolt for the lower IAC. The two IACs are subsequently welded to the two faceplates. The two steel faceplates are assembled via locking the two IACs (see Fig. [2d](#page-2-0)). Finally, concrete is casted after assembling, as presented in Fig. [2e](#page-2-0).

Figure [3a](#page-3-0) presents the dimensions of specimens fabricated for push-out tests. Reinforcement mesh with *φ*8 HRB400 (diameter is 8 mm and standard value of yield stress is 400 MPa) is embedded in concrete to prohibit splitting of concrete core, as suggested by Xie et al. ([2004\)](#page-17-14) and Yan et al. ([2014a\)](#page-17-17). The thickness of the steel faceplates is 8 mm, which was found to be able to prevent bending of steel faceplates during loading (Xie et al., [2004\)](#page-17-14). The two steel faceplates measure 410 and 300 mm in length and

**Different types of IACs** (a) IACs with Steel faceplate interlocking Reinforcement mesh bolt 8 Concrete core IACs with Steel faceplate  $h$ <sub>c</sub> interlocking bolt was 8 rotated by  $45^{\circ}$  $\overline{\mathcal{L}}$ 40 30  $\alpha$  $\frac{30}{6}$ IACs without **Unit: mm** interlocking bolt (b) Steel faceplate (c) Steel template Interlocked angles Spot welding connectors Spot welding Steel bars Steel template Steel faceplate (d) (e)Spot welding Spot welding Casting concrete Concrete Concrete Concrete core Reinforcement mesh

<span id="page-3-0"></span>**Fig. 3** Fabrication procedures of push-out test specimens: (**a**) Dimensions of push-out test specimens, (**b**) Welding a pair of prefabricated IACs and placing vertical stirrups, (**c**) Fixing the two steel faceplates via two steel templates, (**d**) Welding the steel bars to form the reinforcement mesh, and casting concrete, (**e**) Dismantling steel templates

width, respectively. The concrete core has smaller height than the steel faceplates for allowing slipping between faceplates and concrete core.

There are 24 specimens being initially prepared for the push-out test, among which 23 specimens were successfully tested with valid data being recorded. Table [1](#page-4-0) summaries the geometries of the 23 specimens, and the investigated parameters include height of steel angle  $(h_a)$ , width of steel angles  $(l)$ , thickness of steel angles  $(t_a)$ , orientation of steel angles, and presence of interlocking bolts. Specimens A3-1 to A3-8 were designed with diferent heights (63, 83, 98 and 113 mm) to reveal the effect of  $h_a$  on shear behaviours of IACs. Specimens A3-3, A3-4, and A3-9 to A3-12 with diferent widths (i.e., 50, 45 and 40 mm) were fabricated to obtain the infuence of *l*. Specimens A3-3, A3-4, A4-13 to A5-16 were designed with diferent thicknesses (i.e., 3.22, 3.82 and 5.00 mm) to study the influence of  $t_a$ . Moreover, two specimens (A3-17S and A3-18S) were designed with their IACs being rotated by 45° to investigate the infuence of orientation of steel angles, as shown in Fig. [3](#page-3-0)a. The efect of interlocking bolts on shear behaviours of IACs could be revealed by testing the specimens A3-19E to A5-23E (without interlocking bolts in their IACs).

<span id="page-4-0"></span>**Table 1 Summary of** 

specimens

Figure [3](#page-3-0)b–e exhibit fabrication procedures of push-out test specimens, which includes (i) welding a pair of prefabricated IACs to two steel faceplates separately (see Fig. [3](#page-3-0)b), (ii) temporarily fxing two steel faceplates via two steel templates, as shown in Fig. [3](#page-3-0)c, (iii) welding the steel bars to form the reinforcement mesh, and subsequently casting concrete (see Fig. [3d](#page-3-0)), and (iv) dismantling steel templates after specimen being cured for more than 28 days, as shown in Fig. [3e](#page-3-0).

#### **2.2 Materials**

Q235 mild steel was employed for the steel angles, steel sheets and steel faceplates. Three diferent thicknesses of steel angles and steel sheets were employed for the specimens, and their coupons were cut from each raw material according to GB/T228.1-2010 (MOHURD, [2011\)](#page-16-17). General ready-mixed concrete was employed as the core material of fabricated specimens. The compressive strength of concrete  $(f_c)$  was determined as 48.1 MPa via conducting uniaxial compressive loading test on concrete cylinders. The material properties of steel sheets, steel angles and concrete determined from material tests are presented in Table [2](#page-5-0).



*t*a*, t–*Thicknesses of steel angle and steel sheet, *h*a, *h*c*–*Height of steel angle and concrete core, *l–*Width of steel angle, the geometric parameters of *t*,  $h_a$ ,  $h_c$ ,  $l$ , and  $r_1$  are depicted in Figs. [2](#page-2-0)a and [3](#page-3-0)a; S denotes the specimen with the steel angles being rotated by 45°; E denotes the specimen without interlocking bolt

<span id="page-5-0"></span>**Table 2** Material parameters of steel sheet, steel angle and concrete

Steel sheet	$E_{ee}$ (GPa)	$f_{\rm sv}$ (MPa)	$f_{\rm su}$ (MPa)	
$t = 2.98$ mm	204	278	548	
$t = 3.66$ mm	201	288	521	
$t = 4.92$ mm	200	310	536	
Steel angle	$E_{s}$ (GPa)	$f_{\rm v}$ (MPa)	$f_{\rm u}$ (MPa)	
$t_{\rm s} = 3.22$ mm	200	351	629	
$t_{\rm s} = 3.82$ mm	205	314	570	
$t_{\rm s} = 5.00$ mm	200	383	673	
Concrete	$E_c$ (GPa)	$f_c$ (MPa)	$\mu$	
	24.9	48.1	0.21	

 $E_{ss}$ ,  $f_{sv}$ ,  $f_{su}$ –Elastic modulus, yield stress and ultimate stress of steel sheet;  $E_s$ ,  $f_v$ ,  $f_u$ –Elastic modulus, yield stress and ultimate stress of steel angle;  $E_c$ ,  $f_c$ ,  $\mu$ –Elastic modulus, compressive strength and Poisson's ratio of concrete

## **2.3 Test Setup and Instrumentation**

Figure [4](#page-5-1) depicts the setup and instrumentation of pushout test on IACs. All the specimens were loaded using a 1000-kN loading machine to obtain their shear behaviours. The specimen was placed on a rigid support. A steel block was installed on the top surface of the concrete, and the displacement-controlled actuator was utilized to apply compressive loading to the concrete via the steel block. A load cell was inserted between the steel block and actuator to record the applied load. To measure the interfacial slip between the concrete and steel faceplates, four Linear Variable Diferential Transformers (LVDTs) were utilized, with two of them being installed at the top surface of concrete and the rest being installed at the bottom surface. The rate of loading was 0.2 mm/min during the whole test. The

signals of LVDTs and load cell were recorded by a data logger, and the sampling rate was 2 Hz.

# <span id="page-5-2"></span>**3 Test Results and Discussions**

# **3.1 Failure Modes**

Table [3](#page-6-0) summaries the test data and failure modes of 23 specimens. Figure [5](#page-7-0)a–c exhibit failure modes of representative specimens A3-3, A5-15, A3-17S, respectively. All the specimens experienced shear fracture of IAC along with the evident crushing of concrete near the IAC. Moreover, the specimens with thickest steel angles and steel sheets (A5-15, A5-16, A5-22E and A5-23E) also exhibited splitting of concrete core owing to their higher shear resistances as compared to other specimens.

The observed failure sequences of all tested specimens were similar. Firstly, diagonal cracks of concrete occurred at the tips of steel angles as the concrete near toes of steel angles received local compressive force from steel angles (see Fig. [5a](#page-7-0)). With further increasing of applied load, the concrete near toe of the steel angle started to be crushed, and diagonal crack continued to develop in its width and length. With the increasing of slip and continuous crushing of concrete, increasing fexural deformation could be observed at the toe of steel angles, which resulted in a gap between concrete and steel angle at the opposite side of crushed concrete. Finally, the specimens lose its load carrying capacity when shear failure occurred to one of the steel angle at its toe.

<span id="page-5-1"></span>

<span id="page-6-0"></span>**Table** 3



 $K_e$ –Elastic stiffness; the parameters of  $P_e$ ,  $P_w$ ,  $P_{RK}$ ,  $\Delta_e$ ,  $\Delta_a$ , and  $\Delta_u$  are depicted in Fig. [7;](#page-9-0) FSC denotes fracture of shear connectors; SC denotes splitting of concrete

# **3.2 Load–Slip Curves**

The load–slip (*P*–*Δ*) curves of all specimens are given in Fig. [6](#page-8-0). The generalized *P*–*Δ* curve that summarizes the *P*–*Δ* curves (i.e., with similar shapes) of all specimens are given in Fig. [7](#page-9-0). The generalized *P*–*Δ* curve exhibits four stages, including elastic (Stage I), nonlinear developing (Stage II), hardening (Stage III), and recession stages (Stage IV), which is consistent with the observations from Yan et al. [\(2020b](#page-17-10)). The elastic stage ends at point A of the generalized *P*–*Δ* curve, as shown in Fig. [7.](#page-9-0) All specimens in this stage exhibit linear relationship between load and slip, and the *P*–*Δ* curves of two same specimens are nearly identical. In the nonlinear development stage (curve AB in Fig. [7\)](#page-9-0), the generalized *P*–*Δ* curve shows evident nonlinearity owing to the yielding of concrete and steel angles, and meanwhile the stifness of specimens exhibits signifcant decrease. In the following hardening stage (curve BC in Fig. [7\)](#page-9-0), the concrete is found to separate from one of the steel faceplates. At point C, the IAC reaches the peak load and subsequently enter recession stage. The load generally exhibits a monotonic decrease in this stage. The concrete at toe of the steel angle is continuously crushed and the steel angle keeps bending, which results in sudden drop of the load (curve DE in Fig. [7](#page-9-0)). Some of *P*–*Δ* curves also exhibit a slight increase in the load, i.e., curve EF in Fig. [7.](#page-9-0) The load continues to be reduced until the toe of a steel angle is fractured at point G. The *P*–*Δ* curves of most specimens exhibit a ductile manner.

# **3.3 Discussions**

# **3.3.1 Ultimate Shear Resistance, Initial Stifness, and Slip Capacity**

The ultimate shear resistance  $(P_n)$  and its corresponding slip  $(\Delta_a)$  can be directly obtained from the *P*– $\Delta$  curves (see Fig. [7\)](#page-9-0). The initial stiffness  $(K_e)$  can be defined as the ratio of  $P_e$  to  $\Delta_e$ , i.e.,

$$
K_{\rm e} = \frac{P_{\rm e}}{\Delta_{\rm e}}\tag{1}
$$

where  $P_e$  is elastic limit shear load which equals to 50% of  $P_{\rm u}$ , as suggested in Eurocode 4 (BSI, [2004](#page-16-18)), and  $\Delta_{\rm e}$  is slip corresponding to  $P_e$ .

The slip capacity  $(\Delta_{\mathbf{u}})$  is defined as the slip value corresponding to  $P_{\text{RK}}$  which equals to 90% of  $P_{\text{u}}$  following Euroc-ode 4 (BSI, [2004](#page-16-18)). Both  $\Delta$ <sub>u</sub> and  $\Delta$ <sub>a</sub> are generally employed <span id="page-7-0"></span>**Fig. 5** Failure modes of specimens: (**a**) A3-3, (**b**) A5-15, (**c**) A3-17S



<span id="page-8-0"></span>





<span id="page-9-0"></span>**Fig. 7** Generalized load–slip curve

for evaluating the slip capacity of IACs. Table [3](#page-6-0) summaries the values of  $K_e$ ,  $P_u$ ,  $\Delta_a$  and  $\Delta_u$  for all tested specimens.

## **3.3.2 Efect of Height of Steel Angles (***h***a)**

The effect of  $h_a$  on  $P-\Delta$  curves is shown in Fig. [6a](#page-8-0), and increasing *h*a generally results in an improved behaviour of *P*– $\Delta$  curve. As shown in Fig. [8](#page-10-0)a and b, both  $P_{\rm u}$  and  $K_{\rm e}$ are improved as  $h_a$  increases. However,  $\Delta_a$  and  $\Delta_u$  exhibit a decreasing trend with the increase of  $h_a$ . Larger  $h_a$  means thicker concrete core and larger surface area of steel angles embedded into the concrete core, which results in an improvement of  $P_{\rm u}$ . As the interfacial shear force between the concrete core and steel faceplates is transmitted via interaction between steel angles and surrounding concrete,  $P_{\text{u}}$  is evidently affected by the surface area of steel angles (or  $h_a$ ). For the same reason,  $K_e$  is also improved with increasing thickness of concrete core (i.e., increasing  $h_a$ ). Owing to the increased  $K_e$ , the values of slip ( $\Delta_a$  and  $\Delta_u$ ) are generally reduced. When the value of  $h_a$  increases from 63 to 83 mm, 98 mm and 113 mm (increased by 31.8, 55.6 and 79.4%), *P*u is found to be increased by 1.4, 3.7 and 19.5%, respectively, and the corresponding increments for  $K<sub>e</sub>$  are 12.0, 13.5 and 20.1%, respectively (Fig. [8](#page-10-0)a). The increasing percentages of  $P_u$  and  $K_e$  are significantly less than those of  $h_a$ . This is because the interaction magnitude between the concrete core and steel angles exhibits a deceasing trend when it moves away from the toe of steel angle. As the value of  $h_a$  is increased from 63 to 83 mm, only slight variations happen to  $\Delta$ <sub>a</sub> and  $\Delta$ <sub>u</sub>. When  $h$ <sub>a</sub> increases to 98 mm,  $\Delta$ <sub>a</sub> decreases by 11.1%, and the variation of  $\Delta$ <sub>u</sub> is negligible. When  $h_a$  increases to 113 mm,  $\Delta_a$  and  $\Delta_u$  decrease by 21.8% and 13.9%, respectively (Fig. [8b](#page-10-0)).

#### **3.3.3 Efect of Width of Steel Angles (***l***)**

The effect of *l* on *P*−*∆* curves is presented in Fig. [6b](#page-8-0), and the load–slip behaviour of IACs is enhanced with increasing *l*. As shown in Fig. [8c](#page-10-0) and d,  $P_{\rm u}$  exhibits an increasing trend when the value of *l* increases. However, limited variation can be found for  $K_e$ . In terms of  $\Delta_a$  and  $\Delta_u$ , they exhibit an increasing trend with the increase of *l*. It is noted that increasing *l* results in a linear increase in cross-section area of steel angles and interaction zone between the concrete and steel angles, which leads to a nearly linear increase of  $P_{\rm u}$  with increasing *l*, as shown in Fig. [8](#page-10-0)c.  $P_{\rm u}$  is increased by 5.2% and 6.9%, respectively, as *l* increases from 40 to 45 mm and 50 mm (increased by 12.5% and 25%). The improvement of  $P_{\text{u}}$  is found to be less significant as compared to the increase of *l*. As the value of *l* is increased from 40 to 45 mm, both  $\Delta$ <sub>a</sub> and  $\Delta$ <sub>u</sub> exhibit little variation. However, as the value of *l* is increased from 40 to 50 mm, both  $\Delta$ <sub>a</sub> and  $\Delta$ <sub>u</sub> are signifcantly increased (i.e., increased by 29.5 and 36.8%, respectively). Test results indicate that increasing width of steel angle (*l*) can improve both ultimate shear resistance and ductility of IAC owing to the increased cross-section area of steel angles.

# **3.3.4 Efect of Thickness of Steel Angles (***t***a)**

Figure [6C](#page-8-0) presents the effect of  $t_a$  on  $P-\Delta$  curves, and a significant enhancement of load–slip behaviour can be observed with increasing  $t_a$ . As shown in Fig. [8e](#page-10-0) and f,  $P_u$ keeps increasing as the value of  $t_a$  increases. Meanwhile,  $K_e$ initially exhibits increase and subsequently decreases, and both  $\Delta$ <sub>a</sub> and  $\Delta$ <sub>u</sub> exhibit an increasing trend. The larger value of *t*a means larger cross-section area and higher fexural stifness of the steel angle, which results in the improvement of  $P_{\text{u}}$ . When  $t_a$  is increased by 18.6% and 55.3%,  $P_{\text{u}}$ is found to be increased by 8.2 and 30.4%, respectively. It can be observed in Fig. [8](#page-10-0)e that  $P_{\rm u}$  almost exhibits a linear increase with the increment of  $t_a$ , and increasing percentages of  $P_{\rm u}$  are almost half of those of  $t_a$ . Hence, increasing thickness of IACs can be an efective way to enhance its ultimate shear resistance. In the case of  $K_e$ , it is increased by 0.2% and then decreased by 9.1%, respectively, as  $t_a$  is increased from 3.22 mm to 3.82 mm and 5.00 mm. The reduction of  $K_e$  (when  $t_a$  = 5.00 mm) is caused by splitting of concrete, as shown in Fig. [5c](#page-7-0). As the value of  $t_a$  is increased from 3.22 mm to 3.82 mm,  $\Delta$ <sub>a</sub> and  $\Delta$ <sub>u</sub> decrease by 11.8% and 7.8%, respectively. As the value of  $t_a$  is increased from 3.22 mm to 5.00 mm,  $\Delta$ <sub>a</sub> and  $\Delta$ <sub>u</sub> increase by 20.9% and 52.0%, respectively. The evident increase of slip capacity for  $t_a = 5.00$  mm is caused by splitting of concrete that results in larger slip. Figure [6h](#page-8-0) shows that  $t_a$  has similar effect on  $P-\Delta$  curves for IACs without interlocking bolts.

<span id="page-10-0"></span>



#### **3.3.5 Efect of Orientation of Steel Angles**

Figure [6D](#page-8-0) shows the effect of orientation of steel angles on *P*–*Δ* curves, and only slip capacity (or ductility) is evidently afected by orientation of steel angles. As shown in Fig. [8](#page-10-0)g and h,  $P_u$  and  $K_e$  are nearly unchanged (i.e., differences are only 5.0 and 0.4%, respectively) when steel angles are rotated by 45°. However,  $\Delta$ <sub>a</sub> and  $\Delta$ <sub>u</sub> are found to be increased by 15.9 and 26.8%, respectively. The possible reason for the enhancement of slip capacity is that both two webs of steel angles are directly interacted with the concrete during pushout test, which delays the crushing of concrete. The consistent ultimate shear resistance of IACs loaded in diferent directions promises its applications in SCS sandwich panels or walls whose shear connectors may experience interfacial shear force from any direction.

## **3.3.6 Efect of Interlocking Bolts on Shear Connectors**

Figures [6](#page-8-0)e–g illustrate the efect of interlocking bolts on  $P-\Delta$  curves, the ultimate shear resistance is rarely affected by the presence of interlocking bolts; whereas it exhibits evident infuence on the slip capacity (or ductility). As shown in Fig. [9](#page-11-0), the variation of  $P_{\text{u}}$  and  $K_{\text{e}}$  is negligible when comparing specimens with and without interlocking bolts. This is because the interfacial shear force is mainly resisted via the interaction between steel angles and concrete core, which is nearly unafected by interlocking bolt. In addition to the specimens with  $t_a = 3.82$  mm whose slip capacities are enhanced with the presence of interlocking bolts (see Fig. [9](#page-11-0)d), the slip capacities of specimens with  $t_a = 3.22$  mm

<span id="page-11-0"></span>**Fig. 9** Infuences of interlocking bolts on resistance and slip: Efects of (**a**) bolts for specimens with  $t_a = 3.22$  mm on resistance, (**b**) bolts for specimens with  $t_a = 3.22$  mm on slip, (**c**) bolts for specimens with  $t<sub>a</sub> = 3.82$  mm on resistance, (**d**) bolts for specimens with  $t_a = 3.82$  mm on slip, (e) bolts for specimens with  $t_a = 5.00$  mm on resistance, (**f**) bolts for specimens with  $t_a = 5.00$  mm on slip

and 5.00 mm are found to be decreased with presence of interlocking bolts.

# **4 Analysis on Shear Behaviour of IACs**

# **4.1 Ultimate Shear Resistance**

## **4.1.1 Existing Design Formulae for Steel Angle Connectors**

YOKOTA and Kiyomia ([1987\)](#page-17-19) proposed a formula for evaluating ultimate shear resistance of the C-shaped angle connector, which is given as:





$$
P_{\rm Y} = 88rw\sqrt{t_{\rm Y}}\sqrt{f_{\rm c}}\tag{2}
$$

where  $P_Y$  is nominal strength of an angle connector in (kgf),  $t_Y$  is web thickness of angle connector (cm),  $f_c$  is compressive strength of concrete  $(kgf/cm<sup>2</sup>)$ , *w* is length of angle (cm), and *r* is 1.0 for steel angles.

Khalilian et al. [\(2015\)](#page-16-19) suggested a formula for predicting shear resistance of C-shaped angle connector, and validated the model with push-out tests. The formula is given as below:

$$
P_{\rm K} = \min\left(4300L^{0.64}t_{\rm K}^{0.27}f_{\rm c}^{0.11},\ 0.6F_{\rm u}t_{\rm K}L\right)
$$
 (3)

where  $P_K$  is shear resistance of angle connector in (N),  $t_K$  is web thickness of angle connector (mm), *L* is length of angle connector (mm),  $F_u$  is ultimate strength of steel (MPa), and  $f_c$  is compressive strength of concrete (MPa).

Kiyomiya and Yokota ([1986\)](#page-16-20) proposed an equation to evaluate shear resistance of angle connectors. The formula is presented as:

$$
P_{\text{K&Y}} = 75\sqrt{t_{\text{w}}}L_{\text{c}}\sqrt{f_{\text{c}}}
$$
\n<sup>(4)</sup>

where  $P_{K&Y}$  is shear resistance of angle connector in (lb),  $t_w$ is web thickness of connector in  $(in)$ ,  $L_c$  is length of connector in (in), and  $f_c$  is compressive strength of concrete in (psi).

#### **4.1.2 Proposed Formulae for Shear Resistance of IACs**

Equations ([2\)](#page-12-0) and ([3](#page-12-1)) were used for C-shaped angle connectors when calculating their shear resistances. In addition, Eq. ([4\)](#page-12-2) was developed for angle connectors. There is currently no design guideline available to calculate shear resistance of proposed IACs.

The main parameters that affect shear behaviours of IACs were discussed and presented in Sect. [3](#page-5-2). The ultimate shear resistance  $(P_u)$  of IAC is evidently affected by  $h_a$ , *l* and  $t_a$ ; whereas orientation of steel angles and presence of interlocking bolts exhibited limited influence on  $P_{\text{u}}$ . GB50017-2017 (MOHURD, [2017](#page-16-21)) reports that the concrete at toe of shear connectors (e.g., headed stud and steel channel) is subjected to local compression when transmitting interfacial shear force, and therefore the strength and modulus of concrete also afect shear resistance of IACs. The pushout test results in this study also indicate that the interfacial <span id="page-12-0"></span>shear force transmitting mechanism of IACs is similar to those of headed studs and steel channels. In addition, it was proved that the ultimate shear resistance of steel angle was signifcantly infuenced by mechanical properties of concrete (Kiyomiya & Yokota, [1986](#page-16-20); Yokota & Kiyomia, [1987;](#page-17-19) AASHTO, [2004](#page-16-22); Khorramian et al., [2015;](#page-16-23) MOHURD, [2017\)](#page-16-21). Shariati et al., [\(2012,](#page-16-24) [2013](#page-16-25), [2016\)](#page-16-26) studied the ultimate shear resistance of angle connectors with diferent concrete strengths. The experimental results revealed that the ultimate shear resistance of the angle connector in normal concrete was lower than that in high-strength concrete, which further proved that the ultimate shear resistance of the angle connector was related to the strength and elastic modulus of concrete. Hence, the ultimate shear resistance of IACs is mainly afected by the geometry of steel angle and mechanical properties of concrete.

<span id="page-12-1"></span>In this study, multiple regression analysis is performed to establish the relationship between ultimate shear resistance of IACs and its geometrical and material properties. The shear resistance of a single IAC  $(P_t)$  is the dependent variable, and  $h_a$ ,  $l$ ,  $t_a$ ,  $f_c$  and  $E_c$  are considered as independent variables. A general exponential model that contains all the above variables is initially selected, as given below:

<span id="page-12-3"></span><span id="page-12-2"></span>
$$
P_{\rm t} = \alpha h_a^x t_a^y l^z \sqrt{f_{\rm c} E_{\rm c}} \tag{5}
$$

where  $\alpha$ ,  $x$ ,  $y$  and  $z$  are coefficients and can be determined by regression analysis.

According to test setup,  $P_{\rm u}$  of a pair of IACs is twice of a single IAC. Hence,  $P_{\rm u}$  can be determined as:

$$
P_{\rm u} = 2P_{\rm t} \tag{6}
$$

Logarithmic transformation was applied to Eq. ([5](#page-12-3)) in order to obtain the equation for linear regression analysis. Four different combinations of coefficients  $\alpha$ ,  $x$ ,  $y$  and  $z$  are considered, among which three models are selected for comparison. Table [4](#page-12-4) shows the regression analysis results. The coefficients of variation and correlation for Model 1 are better than the other two models. However, the dimension of the independent variables in this model is not consistent with the dependent variable. Model 2 is the regression analysis model with consistent dimension, as shown in Fig. [10a](#page-13-0). Since the ftted values of *x*, *y* and *z* are close to 0.5, 0.5 and 1, respectively, Model 3 is obtained after fxing the aforementioned

<span id="page-12-4"></span>**Table 4** Results of regression analysis using logarithmic transformations

Model Num- ber	<b>Obtained Exponents</b>				Coefficient of Vari-	Coefficient
	$\alpha$	$\boldsymbol{x}$			ation $(\%)$	of Correla- tion
	0.0044	0.265	0.506	0.418	0.90	0.84
	0.196	0.418	0.552	1.030	1.38	0.62
	0.163	0.500	0.500	1.000	1.42	0.64

<span id="page-13-0"></span>



values of *x*, *y* and *z*, as shown in Fig. [10](#page-13-0)b. It can be observed from Table [4](#page-12-4) that there is no signifcant diference between Model 2 and Model 3. Considering the consistent dimension of the proposed formula, both Model 2 and Model 3 can be utilized to predict the ultimate shear resistance of IACs.

The ultimate shear resistance of headed stud has an upper limit related to the tensile strength of headed stud, which is  $0.8f<sub>n</sub>A<sub>s</sub>$  (BSI, [2004](#page-16-18)). Hence, the same upper limit is also employed for the IAC based on the assumption that the shear strength of the weld connection between the steel angle and steel faceplate is greater than that of the steel angle. The formula for calculating  $P_t$  is finally given as:

$$
P_{\rm t} = \min\left(0.163h_{\rm a}^{0.5}t_{\rm a}^{0.5}l\sqrt{f_{\rm c}E_{\rm c}},\ 0.8f_{\rm u}A_{\rm s}\right) \tag{7}
$$

where  $f_{\rm u}$  and  $A_{\rm s}$  are ultimate tensile strength (MPa) and cross-section area of steel angles  $(mm<sup>2</sup>)$ , respectively.

## **4.1.3 Verifcation of Proposed Formulae**

The ultimate shear resistances  $(P_u)$  of IACs predicted by aforementioned formulae are compared with test data. Figure [11](#page-13-1) shows the comparison of test values with predicted values in terms of prediction-to-test ratio. Equation [\(7](#page-13-2)) ofers the best predictions with an average prediction-to-test ratio to be  $1.00$ , and the standard deviation  $(SD)$  and coefficient of variation (COV) of prediction-to-test ratio are found to be 0.014 and 1.42%, respectively. In addition, all the main parameters that afect shear resistance of IACs are considered in the proposed formula. However, the existing design formulae for angle connectors signifcantly underestimate the shear resistance of IACs. The average prediction-to-test ratio from Eq.  $(3)$  $(3)$  is 0.44 with SD of 0.013 and COV of 2.96%. The models predicted by Eq. ([2](#page-12-0)) provide an average prediction-to-test ratio of 0.37 (SD and COV are 0.005 and  $1.38\%$ , respectively). It means that Eq.  $(2)$  $(2)$  $(2)$  also offers lower predictions on shear resistances of IACs. The lowest predictions are given by Eq. ([4\)](#page-12-2) with average predictionto-test ratio of 0.13 (SD and COV are 0.002 and 1.38%,



<span id="page-13-2"></span><span id="page-13-1"></span>**Fig. 11** Scatter of prediction-to-test ratios by diferent equations

respectively). Hence, considering accuracies of the predictions, Eq. [\(7\)](#page-13-2) is recommended for predicting the ultimate shear resistance of IACs used in SCS sandwich structures.

Table [5](#page-14-0) shows the comparison of ultimate shear resistances of angle connectors between the predictions and tests by Arévalo et al. ([2021](#page-16-27)). The developed empirical formula averagely overestimates the ultimate shear resistances of angle connectors by 10%. The SD and COV of predictionto-test ratio of the ultimate shear resistance are 0.064 and 5.82%, respectively. This also confrms the accuracy of the proposed empirical formula in predicting the ultimate shear resistances of angle connectors.

#### **4.2 Load–Slip Curves of IACs**

According to the test data, nonlinear regression analysis on load–slip curves is performed based on the formulae proposed by Xue et al. [\(2008\)](#page-17-20), Ollgaard et al. ([1971\)](#page-16-28) as well as Gattesco and Giuriani [\(1996\)](#page-16-29). These load–slip relations are proposed as follows:

<span id="page-14-0"></span>**Table 5** Validation of developed empirical formula against push-out tests by Arévalo et al. [\(2021](#page-16-27))

Specimen	$P_{\text{u\_test}}\left(\text{kN}\right)$	$P_{\rm u A}$ by Eq. (7) (kN)	$P_{\rm u\ A}$ / $P_{\rm u\_test}$
$45 - 1$	137.20	158.39	1.15
$45 - 2$	140.55	158.39	1.13
$45 - 3$	138.85	158.39	1.14
$45 - 4$	154.40	158.39	1.03
$45 - 5$	136.00	158.39	1.16
$45 - 6$	152.15	158.39	1.04
$90 - 1$	161.75	158.39	0.98
$90 - 2$	142.15	158.39	1.11
$90 - 3$	149.65	158.39	1.06
$90 - 4$	148.75	158.39	1.06
$90 - 5$	141.55	158.39	1.12
$90 - 6$	132.90	158.39	1.19
Mean			1.10
SD			0.064
$COV(\%)$			5.82

 $P_{\rm u}$ <sub>A</sub> denotes the analytically-predicted ultimate shear resistance of steel angles;  $P_{\text{u test}}$  denotes the ultimate shear resistance by test; SD denotes the standard deviation; COV denotes the coefficient of variation

$$
\frac{P}{P_{\rm u}} = \frac{A\Delta}{1 + B\Delta} \tag{8a}
$$

$$
\frac{P}{P_{\rm u}} = \left(1 - e^{A\Delta}\right)^B \tag{8b}
$$

$$
\frac{P}{P_{\rm u}} = A\sqrt{1 - e^{-B\Delta/A}} + C\Delta \tag{8c}
$$

where  $A$ ,  $B$ , and  $C$  are coefficients obtained via fitting the experimental data.

The nonlinear regression analysis results of load–slip curves are summarized as follows:

$$
\frac{P}{P_u} = \frac{1.62\Delta}{1 + 1.28\Delta} \tag{9a}
$$

$$
\frac{P}{P_{\rm u}} = \left(1 - e^{-1.39\Delta}\right)^{1.12} \tag{9b}
$$

$$
\frac{P}{P_{\rm u}} = 1.17\sqrt{1 - e^{-0.5\Delta/1.17}} + 0.0048\Delta
$$
 (9c)

Figure [12](#page-14-1) presents comparison of load–slip curves between predictions by Eqs.  $(9a-9c)$  $(9a-9c)$  $(9a-9c)$  and test data. It is noted that the load–slip curve predicted by Eq. ([9b\)](#page-14-4) exhibits the best ft with experimental results. However, the predictions of load–slip curves based on Eq. ([9b](#page-14-4)) are still not well



<span id="page-14-1"></span>**Fig. 12** Experimental and predicted generalized load–slip curves of IACs

matched for all cases. Hence, the quadratic regression analysis that considers the influences of  $h_a$ ,  $t_a$  and *l* are adopted for the estimation of coefficients  $A$  and  $B$  in Eq. [\(8b\)](#page-14-5). The coefficients  $A$  and  $B$  can be determined as follows:

$$
A = a_0 + \sum_{i=1}^{n} a_i x_i + \sum_{i=1}^{n} \sum_{j \ge i}^{n} a_{ij} x_i x_j
$$
 (10)

<span id="page-14-5"></span>
$$
B = b_0 + \sum_{i=1}^{n} b_i x_i + \sum_{i=1}^{n} \sum_{j\geq i}^{n} b_{ij} x_i x_j
$$
 (11)

where *n* is 3,  $a_0$  and  $b_0$  are constants,  $a_i$ ,  $a_{ij}$ ,  $b_i$ ,  $b_{ij}$  ( $i$ ,  $j = 1, 2$ , 3) are regression coefficients,  $x_i$  and  $x_j$  (*i*, *j* = 1, 2, 3) denote the influenced parameters, i.e.,  $x_1$ ,  $x_2$  and  $x_3$  denote  $h_a$ ,  $t_a$ ,  $l$ , respectively.

<span id="page-14-2"></span>The corresponding coefficients  $A$  and  $B$  of each tested specimen for Eq. [\(8b\)](#page-14-5) were obtained by the nonlinear regression analysis. Based on the results of the nonlinear regression analysis, the quadratic regression estimation models of the coefficients  $A$  and  $B$  for all the specimens are given as follows:

<span id="page-14-4"></span>
$$
A = -0.064333h_a + 0.00099867h_a^2 + 0.074614h_a t_a
$$
  
-0.0068074h\_a l + 0.95603t\_a^2 - 0.27476t\_a l + 0.0157l<sup>2</sup> (12)

<span id="page-14-6"></span><span id="page-14-3"></span>
$$
B = -0.0088297h_a - 0.00041909h_a^2 + 0.029434h_a t_a
$$
  
-0.00038122h\_a l - 0.44586t\_a^2 + 0.024516t\_a l - 0.00023657l<sup>2</sup> (13)

<span id="page-14-7"></span>The comparisons of load–slip curves between experiments and predictions are exhibited in Fig. [13.](#page-15-0) The results <span id="page-15-0"></span>**Fig. 13** Comparisons of load– slip curves between experiments and predictions for the specimens: (**a**) A3-1 to A3-6, (**b**) A3-7 to A3-12, (**c**) A4-13 to A3-18S, (**d**) A3-19E to A5-23E



reveal that the predicted load–slip curves are successful in ftting with the load–slip curves of the tests. Thus, Eq. ([8b\)](#page-14-5) and Eqs.  $(12-13)$  $(12-13)$  $(12-13)$  $(12-13)$  $(12-13)$  are recommended for predicting the load–slip response of IACs embedded in normal concrete.

# **5 Conclusions**

A novel IAC was developed for SCS sandwich structures, and its shear performance was experimentally and analytically studied. A total of 23 push-out tests were frst conducted to obtain failure modes, shear resistances and load–slip behaviours of IACs. Furthermore, analytical models were developed to predict the ultimate shear resistances of IACs. Finally, regression analysis was conducted to yield formulae for predicting load–slip behaviours of IACs. Based on test results and analysis, the following conclusions could be obtained:

(1) The dominate failure mode occurred in the push-out tests on IACs was shear fracture of the steel angle and crushing of concrete. In addition, splitting of concrete was observed for specimens with thicker steel angle and higher shear resistance.

- (2) The load–slip (*P*–*Δ*) curves of all tested specimens exhibited a similar shape, which could be divided into four stages, i.e., elastic, nonlinear developing, hardening, and recession stage.
- (3) The height of steel angles  $(h_a)$ , width of steel angles  $(l)$ and thickness of steel angles  $(t<sub>a</sub>)$  exhibited significant effects on ultimate shear resistance  $(P<sub>u</sub>)$  and slip capacity  $(\Delta_{\rm u})$  of IACs. Test results indicated that  $P_{\rm u}$  could be increased by improving  $h_a$ , *l*, and  $t_a$ . Moreover,  $h_a$  and *t*a was found to afect the failure mode of IACs. The orientation of steel angles and presence of interlocking bolts exhibited limited influence on  $P_u$  and failure mode of IACs.
- (4) The empirical formula for predicting the ultimate shear resistance of IACs was obtained via performing regression analysis of test data, and the SD and COV of prediction-to-test ratio were 0.014 and 1.42%, respectively. Furthermore, a new formula was developed to predict the load–slip behaviour of IACs. The recommended formulae can be employed to facilitate the design of SCS sandwich structures with proposed IACs.

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## **Declarations**

**Conflict of interest** All the authors that they have no confict of interest.

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