

Miniaturization of automobile radiator by using zinc-water and zinc oxide-water nanofluids†

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Abstract

High performing fluids for energy conservation and energy efficiency replace conventional heat transfer fluids. This study relates to the development of an alternative heat transfer fluid called as nanofluid. Nanofluid is a dispersion of solid nanoparticles in a base fluid having enhanced thermal properties compared to base fluid. Zinc and Zinc oxide, being eco-friendly and having easy nanoparticle production processes, are considered for the synthesis of nanofluids of different volume fractions. In this experimental study related to heat transfer, the preparation of Zinc-water (Zn-H2O) nanofluid involves the single step method, while the preparation of Zinc oxide-water (ZnO-H2O) uses the two-step method. Six nanofluids comprising of three Zn-H2O and three ZnO-H2O in different volume fractions are tried for this study. Conduct an experimental study to calculate the enhancement of heat transfer coefficient and pressure drop compared to water. Apply the performance evaluation criterion to assess the heat transfer performance of the considered nanofluids. Amongst the six nanofluids, Zn-H2O nanofluid of 0.5% volume fraction proves to have the best heat transfer performance. Then, assess this high performing fluid theoretically in an automobile radiator to get benefits of its use. If by replacing the water with Zn-H2O nanofluid of 0.5% volume fraction it is estimated that the size of the radiator, inventory of the fluid, and pumping power is reduced, thus, making this nanofluid an energy efficient fluid for the engine cooling system.

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Keywords: Enhancement; Heat transfer coefficient; Nanofluid; Performance evaluation criteria; Pressure drop

1. Introduction

The coolant of an engine cooling system (ECS) consumes about 30% of the heat generated in the engine and the same quantity of heat is lost in the automobile radiator to atmospheric air. Higher heat removal from ECS will decrease the thermal efficiency of the engine and low heat removal will overheat the engine. Therefore, we need to develop alternative coolants, with enhanced thermal properties, to make the ECS compact and energy efficient. Coolant side heat transfer coefficient and pressure drop, are important parameters which affect the energy efficiency of the automobile radiator. Poor thermo- physical properties of the coolant will increase the heat transfer surface area, inventory of the coolant, and pumping power. Nanofluid, which is a colloidal solution of solid nanoparticles and base fluid, will become the future coolant for ECS due to its enhanced thermal properties over conventional coolants. However, a detailed study about synthesis, heat transfer performance, and benefits of replacement in the radiator is necessary before arriving at the final decision regarding the use of nanofluid in ECS.

Buongiorno [1] studied the contribution of different parameters on the enhancement of thermal conductivity of nanofluid. Thermal conductivity of nanofluid is higher than base fluid because of Brownian motion, thermophoresis, diffusiophoresis, formation of nano layer on nanoparticle, and clustering of nanoparticles. Dalkilic et al. [2] studied different nanofluids and concluded that the heat transfer performance of nanofluid is more than of base fluid, but no definitive agreement emerged on the thermal conductivity and viscosity of the nanofluids. Naraki et al. [3] studied the contribution of different parameters in enhancement of the overall heat transfer coefficient. The air volumetric flow rate has 42% contribution in the overall heat transfer coefficient of CuO/water nanofluid. Nanofluid volumetric flow rate, inlet temperature, and concentration of nanofluid have 23%, 22%, and 13% contribution in the overall heat transfer coefficient of CuO/water nanofluid, respectively. Peyghambarzadeh et al. [4] studied CuO-water and $Fe₂O₃$ nanofluids at different velocities and inlet temperatures in a car radiator and concluded that the overall heat transfer coefficient increases, while the liquid inlet temperature decreases. Leong et al. [5] concluded that if nanofluid replaces ethelene glycol, about 18.7% frontal area of the radia-

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tor reduces. Sebastien et al. [6] concluded that performance evaluation criteria (PEC) for $SiO₂-H₂O$ nanofluid is less than 1 and for ZnO-H2O nanofluid approaching to 1, indicating that ZnO-H2O nanofluids are suitable for heat transfer applications.

All studies have shown enhancement in heat transfer without appreciable enhancement in pressure drop. Due to enhanced thermo-physical properties, nanofluids will become the future working fluid for heat transfer applications. Compared to other metals like copper and aluminum, zinc has a low melting point, so the production process of zinc oxide nanoparticles by high temperature oxidation will become easy and cheap. The selection of Zinc oxide as a solid nanomaterial for the development of Zn-H₂O nanofluid is because it is a stable and environment friendly material [7]. In this study, we intend to present the development of $Zn-H_2O$ and $ZnO-H_2O$ nanofluid in different volume fractions, its heat transfer performance, and the benefits of its use in an automobile radiator. The different steps followed to carry out the present study are thus:

(1) The synthesis of nanofluids of different volume fractions.

(2) Circulating the nanofluids in an experimental set up, at different inlet temperatures, surface temperatures, and mass flow rates to determine the heat transfer coefficient and pressure drop for different nanofluids.

(3) Applying performance evaluation criteria to judge the best performing fluid.

(4) Assessing benefits of replacement of water by nanofluid in an automobile radiator.

2. Synthesis of nanofluids

One-step method and the two-step method are the methods to synthesize nanofluid. In the one- step method, the nanoparticles are synthesized in the base fluid itself, while in the twostep method; the nanoparticles are separately synthesized and then are physically mixed in the proper volume proportions to get the required nanofluid.

Zinc-water nanofluid is synthesized using the metal vapour condensation method. Using this method, heat the pure zinc metal to boiling temperature $(907^{\circ}C)$ and directly condense the vapours into the water in a chamber isolated from atmospheric air. The metallic vapour of the zinc will disperse in the water to form a colloidal solution called nanofluid. The size of the nanoparticle is determined as 42 nm from the diffraction pattern obtained using an X-Ray diffractometer. With measured density of nanofluid, the volume fraction of the synthesized nanofluid is determined as 1.2% from Eq. (1). From the nanofluid of $\phi = 1.2\%$, other nanofluids of $\phi = 0.15\%$, 0.25%, and 0.5% are prepared through dilution and ultra-sonication.

$$
\rho_{nf} = (1 - \varnothing) \rho_p + \varnothing \rho_f \ . \tag{1}
$$

Synthesis of Zinc oxide-water nanofluid using the two- step method: The high temperature oxidation of zinc vapours at the outlet of the tube furnace synthesizes ZnO nanoparticles. The size of the ZnO particle is determined as 32nm. Then, physically mix the synthesized ZnO particles in the water and ultrasonicate it to get the ZnO-H₂O nanofluid. From Eq. (2), we can estimate the required mass of nanoparticles to mix in the water to get nanofluid of different volume fractions such as 0.15%, 0.25%, and 0.5%. *ehnology 29 (5) (2015) 2177~2185*

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synthesized ZnO particles in the water and ultra-

by get the ZnO-H₂O nanofluid. From Eq. (2), we

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ix the synthesized ZnO particles in the water and ultra-

te it to get the ZnO-H₂O nanofluid. From Eq. (2), we

timate the re

$$
m_p = \left(\frac{\varphi}{1-\varphi}\right) \left(\frac{\rho_p}{\rho_w}\right) m_w \,. \tag{2}
$$

Koo and Kleinstreuer [8] have done impact analysis of nanoparticle motion on thermal conductivity of nanofluid, and concluded that the impact of nanoparticle Brownian motion is much more significant than the thermophoretic and osmophoretic effects at dilute suspension. They also concluded that at 0.5% volume fraction, the particle interaction is negligible, and while for more than 1%, it is profound. Hence, for the present study, we are taking three volume fractions of less than 0.5% into consideration. We will study 0.15%, 0.25%, and 0.5% volume fractions of Zn-H₂O and ZnO-H₂O nanofluids to determine h and ∆P.

3. Experimental method

3.1 Experimental set up

Fig. 1(a) shows the experimental set up to determine the h and ∆P of different nanofluids. All nanofluids will be circulated through the set up.

proper many than the three communication of the setupe and the setupe of the magnitude of the mathematic state of the mathematic state of the communication of the setupe of the setupe of the setupe of the setupe of the se A fluid is pumped through the test section made of a stainless steel (SS304) tube with an inner diameter of 4.93 mm and outer diameter of 6.23 mm and length 0.5 m. The details of the test section are shown in Fig. 1(b). Immerse the test section completely into the constant temperature bath. In the auxiliary heater, heat the fluid to the inlet temperature, which is maintained constant by controlling the power to heater by temperature controller by taking feedback from the resistance temperature detector (RTD) mounted at the outlet section of the heater. Mount two K-Type thermocouples at the inlet and outlet of the test section to measure the temperature of the respective locations. In addition, mount four K-Type thermocouples on the surface of the test section to measure the surface temperature. Temperature is indicated with $\pm 3\%$ accuracy. Use the inverted U tube air filled manometer to measure the pressure drop across the test section. Measure the mass flow rate of the fluid by collecting the fluid in a particular time and weigh it using the micro-weighing machine. Do the uncertainty analysis of the mass flow rate measurement. The measured value is accurate within $\pm 3.45\%$ with 95% confidence level.

3.2 Experimental procedure

Perform experiments on different volume fractions of nanofluids and water. Note the observations at steady state condition for inlet temperature ranging $30-35^{\circ}$ C, surface tempera-

Fig. 1. (a) Experimental setup for determination of h and ∆P; (b) details of test section.

ture ranging $70-90^{\circ}$ C, and Reynolds number ranging 4000 to 20000 for all the fluids. Try different volume fractions such as 0.15%, 0.25%, and 0.5% of the Zn-H₂O and ZnO-H₂O nanofluids in the set up. Reduce the experimental observations, taken for water and six nanofluids, to get the inner side heat transfer coefficient (h). Following is a step-by- step procedure to determine h and ∆P. Take all thermo- physical properties of water required for calculation at the bulk mean temperature. The range of the bulk mean temperature is 34 to 47° C. 2.1. (a) Experimental setup for determination of h and ΔP ; (b) details of test section.

2 non ranging 70-90°C, and Reynolds number ranging 4000 to Step 5. As per mixture theory, spot

3%, 0.25%, and 0.5% of the Zn-H₂ 13%, 0.23%, and 0.3% of the 21-ri₂O and 210-ri₂O inal-

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six for coefficient (h). Following is a step-by--step procedure

determine h and AP. Take all thermo-physical properties of

ter required for calculation at the

Step 1. Viscosity of nanofluid is estimated from Eq. (3) proposed by Batchelor [9] considering the effect of Brownian motion on the viscosity

$$
\mu_{nf} = (1 + 2.5\varnothing + 6.5\varnothing^2)\mu_w.
$$
\n(3) the inner surface temperature is calculated from Eq. (9)

Step 2.
$$
Re = \frac{mD}{A_c \mu_{nf}}
$$
. (4)

Step 3. Cengel Y. A. [10] presented Bhatti and Shah equation (5) for calculation of entry length (L_h) for turbulent flow.

$$
L_h = 1.359 D \, Re^{0.25} \,. \tag{5}
$$

Step 4. Effective length (L_e) which is to be considered for calculation of inner side average heat transfer coefficient is calculated from Eq. (6) Lead by Batchelor [9] considering the effect of Brownian $q = m_{nf} C p_{nf} (I_0 - I_i)$
 $\mu_{nf} = (1 + 2.5\emptyset + 6.5\emptyset^2) \mu_w$.

Step 2. $Re = \frac{mD}{A_c \mu_{nf}}$.

Step 2. $Re = \frac{mD}{A_c \mu_{nf}}$.

(4) $q = \frac{1}{\ln(r_o / r_i)/(2\pi L_e})$

Step 3. Cengel Y. A.

$$
L_e = L_t - L_h \tag{6}
$$

Step 5. As per mixture theory, specific heat for nanofluid is determined from Eq. (7)

Section.

\nStep 5. As per mixture theory, specific heat for nanofluid is terminated from Eq. (7)

\n
$$
C_{p_{n}f} = \frac{\varnothing(\rho C_p)_p + (1-\varnothing)(\rho C_p)_w}{\varnothing\rho_p + (1-\varnothing)\rho_w}.
$$
\n(7)

\nStep 6. Heat gained (q) by nanofluid while flowing through

\nbe is estimated from energy equation (Eq. (8))

\n
$$
q = m_{n}Cp_{n}f(T_0 - T_i).
$$
\n(8)

\nStep 7. With measured value of outer surface temperature, inner surface temperature is calculated from Eq. (9)

\n
$$
q = \frac{T_{so} - T_{si}}{\ln(r_o/r_i)/(2\pi L_e K_t)}
$$
\n(9)

\nwhere K_t is thermal conductivity of test section wall)

\noutside surface temperature of the test section is measured

\nthe mean fluid temperature, hence outside convective resist-

Step 6. Heat gained (q) by nanofluid while flowing through tube is estimated from energy equation (Eq. (8))

$$
q = m_{nf} C p_{nf} (T_0 - T_i). \tag{8}
$$

Step 7. With measured value of outer surface temperature,

$$
q = \frac{T_{so} - T_{si}}{\ln(r_o / r_i) / (2\pi L_e K_t)}
$$
(9)

(where K_t is thermal conductivity of test section wall)

As per mixture theory, specific heat for nanofluid is
 f from Eq. (7)
 $\frac{\varphi(\rho C_p)_p + (1-\varphi)(\rho C_p)_w}{\varphi \rho_p + (1-\varphi)\rho_w}$. (7)

Heat gained (q) by nanofluid while flowing through

finated from energy equation (Eq. (8))
 $\frac{Cp$ as outside surface temperature of the test section is measured rather than fluid temperature, hence outside convective resistance is not considered. m Eq. (*I*)
 (C_p) _p + (1- \emptyset)(ρC_p)_w. (7)
 $\emptyset \rho_p$ + (1- \emptyset) ρ_w

(3) gained (q) by nanofluid while flowing through

d from energy equation (Eq. (8))

($T_0 - T_i$). (8)

1) measured value of outer surface temper $\left(\frac{r_p}{p}\right)_p + (1-\emptyset)\left(\rho C_p\right)_w$ (7)
 $\frac{2}{p}\rho_p + (1-\emptyset)\rho_w$ (7)

gained (q) by nanofluid while flowing through

f from energy equation (Eq. (8))
 $(T_0 - T_i)$ (8)

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temperature is c *measured value of outer surface temperature,*
 temperature is calculated from Eq. (9)
 $\frac{-T_{si}}{/(2\pi L_e K_t)}$ (9)
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thinic mean temperature difference (ΔT_{LMTD})

Eq. (1 *Theorem 1* The temperature of outer surface temperature,
 $(T_0 - T_i)$. (8)

measured value of outer surface temperature,
 $\frac{1}{2} \frac{-T_{si}}{T}$ (9)
 $\frac{1}{2} \frac{2T_{si}}{T}$ (9)

The temperature is calculated from Eq. (9)

The t *ln T T T T* $q = m_{nf} C p_{nf} (T_0 - T_i)$. (8)
 $q = m_{nf} C p_{nf} (T_0 - T_i)$. (8)

Step 7. With measured value of outer surface temperature,

inner surface temperature is calculated from Eq. (9)
 $q = \frac{T_{so} - T_{si}}{\ln(r_o / r_i) / (2\pi L_e K_t)}$ (9)

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 $\frac{\pi L_e K_t}$ (9)

conductivity of test section wall)

emperature of the test section is measured

operature, hence outside conve

Step 8. Logarithmic mean temperature difference (ΔT_{LMTD}) is calculated from Eq. (10)

$$
\Delta T_{LMTD} = \frac{(T_{si} - T_i) - (T_{si} - T_o)}{\ln(T_{si} - T_i) / (T_{si} - T_o)}.
$$
\n(10)

Fig. 2. Scatter diagram of Re versus h for ZnO-H₂O nanofluid.

Fig. 3. Scatter diagram of Re versus h for Zn-H₂O nanofluid.

Step 9. Nanofluid side surface heat transfer coefficient is calculated from

$$
q = h_{nf} A_{si} \Delta T_{LMTD} \tag{11}
$$

4. Results and discussion

4.1 Heat transfer characteristics of nanofluids

With experimental observations, the heat transfer coefficient and pressure drop is determined as per the procedure explained in Sec. 3.2 of this paper. The scatter diagram plotted is shown in Figs. 2 and 3 for different volume fractions of ZnO-H2O and Zn-H2O, respectively. Based on the nature of the experimental data of the scatter diagram, we decide to fit the power law relation amongst the data points by regression analysis. The trend line of each nanofluid and water shows a general trend of increase in h with increase in Re. with experimental observations, the heat transfer coeri-
i **i h** are the procedure
 i **a** *n* **i n i n s i c i s i c i i c i i c i c i** *n i i s c C D_{^{1}<i>C***} ***n*</sub>

The equation of best fitted curve for the experimental data takes the form presented by equation Eq. (12). We have also presented the value of coefficient of determination (R^2) of curve fitting in the equation. Table 1 presents the value of constants a, b, c obtained by the curve fitting technique for different nanofluids. In the present experimental work, for all nanofluids R^2 is greater than 0.72. It indicates that there exists a strong correlation amongst the data.

$$
h_i = aRe^b \quad \text{with} \quad R^2 = c \tag{12}
$$

For a fixed Re, it is necessary to compare the enhancement

Table 1. The value of a, b, c in Eq. (12) obtained by regression analysis for different nanofluids.

Water		$Zn-H2O$			$ZnO-H2O$		
		$\phi =$ 0.15%	$\phi =$ 0.25%	$\phi =$ 0.5%	$\Phi =$ 0.15%	$\phi =$ 0.25%	$\phi =$ 0.5%
a	0.773	0.996	0.111	0.006	0.073	0.075	0.042
b	1.025	1.058	1.307	1.627	1.338	1.332	1.390
$\mathbf c$	0.967	0.725	0.778	0.837	0.896	0.876	0.959

Fig. 4. Trendlines of best fitted curves in the experimental data for ZnO-H2O nanofluid.

Fig. 5. Trendlines of best fitted curves in the experimental data for Zn-H2O nanofluid.

ratio of nanofluid of different volume fractions to get a better understanding about the heat transfer performance. With the equations of best fitted curves, the enhancement ratio $(h_{\text{nf}}/h_{\text{w}})$ for the Reynolds number ranging from 4000 to 20000 in steps of 2000 is calculated, and the graph of $h_{\text{nf}}/h_{\text{w}}$ versus Reynolds number is shown in Figs. 4 and 5.

Both, Figs. 4 and 5 indicate that heat transfer enhancement increases with increase in Re for nanofluids of all volume fractions. We will now discuss the reason. When we disperse nanoparticles in a fluid, they remain in an aggregated form due to Van Der Waal's forces of attraction. Turbulence in the fluid flow increases with increase in Re. The nanoparticles separate from the agglomerates due to increased turbulence making the fluid flow more homogeneous. Decreased agglomerate size and increased homogeneity of the fluid enhances the Brownian motion thereby, increasing the thermal conductivity of the fluid and thermal dispersion. Buongiorno [1] observed Brownian motion to be the measure contributor

Fig. 6. Variation of $h_{\text{n}}/h_{\text{w}}$ as per volume fraction for ZnO-H₂O nanofluid.

Fig. 7. Variation of h_n/h_w as per volume fraction for Zn-H₂O nanofluid.

to enhancement in the thermal conductivity of nanofluids, and due to the enhanced k, the heat transfer coefficient increases as per Re. The theory explained by King [11] supports the above explanation. As per his study, higher the velocity, higher is the turbulence level and greater the ability of the carrier fluid to keep the particle in suspension. It is the upward motion of the eddy currents transverse to the main direction of the flow of slurry that is responsible for maintaining the particle in suspension. The study of Kole and Dey [12] also supports the explanation of enhanced h with increase in Re. As per their study, the high thermal conductivity enhancement in ZnO-EG nanofluid is believed to be associated with the superior fragmentation and dispersion of ZnO nanoparticle clusters in EG due to the prolonged period of sonication $($ > 60 hours). The fragmentation of nanoparticle clusters into smaller ones leads to significant enhancement in the thermal conductivity of nanofluids.

Figs. 6 and 7 indicate that enhancement in h increases for Zn-H2O nanofluid and decreases for ZnO-H2O nanofluid with increase in volume fraction. We will now discuss the reasons for this kind of opposite behavior.

With increase in volume fraction, the aggregation tendency and viscosity of the fluid increases for both the nanofluids. Zinc oxide, being non-metal, has a very low k compared to zinc. For Zinc oxide nanofluid, due to increased aggregate size, the Brownian motion reduces which makes the thermal conductivity of ZnO-H₂O to reduce with increase in volume fraction, and in addition, the viscosity increases which reduces the turbulence and thermal dispersion. The increased size of aggregates of ZnO and its low thermal conductivity act as barriers to heat transfer near the wall. Gharagozloo [13] concluded that enhancement in thermal conductivity increases with increase in volume fraction, but the enhancement is temporal. They also observed the fast aggregation of higher concentration fluid compared to lower concentration fluid, and the aggregation reduces thermal diffusion. Karthikeyan et al. [14] measured k for 0.8% and 0.3% volume concentrations of 8nm for CuO particles in water and found enhancement of 23% and 17%, respectively, and the enhancement decreases to 0% over 20 minutes, which indicates that the enhancement is temporal.

Thermal conductivity is one of the six parameters responsible for heat transfer enhancement. Due to increased volume fraction, thermal conductivity enhances temporarily but other parameters gets affected significantly reducing heat transfer coefficient with increase in volume fraction. The reduced heat transfer near wall due to low k of ZnO and reduced Brownian motion due to higher aggregate size reduces enhancement in h with increase in volume fraction.

For Zn-H₂O nanofluid, the enhancement in h increases with increase in volume fraction, and this enhancement are profound. As the volume fraction increases due to the increased size of aggregates and higher conductivity of zinc compared to zinc oxide, near wall heat transfer increases and quantity of thermal dispersion is also more in comparison to $ZnO-H₂O$ nanofluid, so h increases. The results of Gosselin [15] are consistent with the present study. As per his study, if the particles are few, the augmentation of effective thermal conductivity is small, but the convective movements are strong due to the low viscosity. On the other hand, too large a concentration of particles breaks the flow, but also increases the thermal conductivity. <p>\n 6.13 shows the present study. As per his study, if the part is small, but the convection of effective thermal conductivity is small, but the convection is comparable, but the convection is not viscosity. On the other hand, too large a concentration particles breaks the flow, but also increases the thermal dductivity.\n</p>\n<p>\n <i>Pressure drop characteristic</i>\n</p>\n<p>\n The experimental values of ΔP obtained for water and all nanofluids is plotted to get the graph of Re versus h shown Figs. 8 and 9. Considering the scatter of the data we can fit the best fitted equation to regression analysis.\n</p>\n<p>\n The best fitted equation takes the form as shown in Eq. (13).\n</p>\n<p>\n The best fitted equation takes the form as shown in Eq. (13).\n</p>\n<p>\n coefficients 1, m, no

4.2 Pressure drop characteristic

The experimental values of ∆P obtained for water and all the nanofluids is plotted to get the graph of Re versus h shown in Figs. 8 and 9. Considering the scatter of the data we can fit power law relation by regression analysis.

The best fitted equation takes the form as shown in Eq. (13). The coefficients l, m, n (coefficient of determination) by regression analysis for different nanofluids is presented in Table 2.

$$
\Delta P = lRe^{m} \qquad with \, R^2 = n \,. \tag{13}
$$

To compare the pressure drop characteristic of different nanofluids for a fixed Re, the graph of Re versus ∆P is plotted with calculated values of ∆P from the equation of best fitted curve. We are presenting the graphs in Figs. 10 and 11 for ZnO-H2O and Zn-H2O nanofluids, respectively.

All nanofluids show a general trend of increasing ∆p with increasing Re. The variation of ∆P, for all volume fractions, is within $\pm 10\%$ for ZnO-H₂O nanofluid and within $\pm 5\%$ for Zn-

Water		$Zn-H2O$			$ZnO-H2O$		
		$\varphi =$ 0.15%	$\varphi =$ 0.25%	$\varphi =$ 0.5%	$\varphi =$ 0.15%	$\varphi =$ 0.25%	$\varphi =$ 0.5%
	0.006	0.012	0.011	0.014	0.005	0.003	0.003
m	1.405	1.337	1.349	1.325	1.442	1.49	1.511
n	0.949	0.719	0.879	0.922	0.968	0.88	0.926

Table 2. The values of l, m, n in Eq. (13) obtained by regression analysis for different nanofluids.

Fig. 8. Scatter diagram of Re verses ∆P for ZnO-H2O.

Fig. 9. Scatter diagram of Re verses ∆P for Zn-H2O.

H2O nanofluid. Based on the trends it can be concluded that enhancement in ∆P is negligible for all the nanofluids. The small increase is due to particle-particle, particle-fluid, and particle-wall interactions. We shall now discuss the reason for the nearly same pressure drop for water and nanofluid.

Water gets adsorbed over the surface of nanoparticles forming a nanolayer of water on the nanoparticle surface. Pei and James [16] calculated 0.2845 nm as the thickness of the water nanolayer around nanoparticles based on a model by Wang et al.

Due to the nanolayer around the nanoparticle and on the wall, the wall of the pipe experiences the same frictional drag for the nanofluid as that of base fluid. Moreover, the particleparticle, particle-wall, and particle-fluid interaction is less as the volume fraction of nanofluids is less than 1%. The results obtained from the present study are consistent with the study of Koo and Kleinstreuer [8] who concluded that particle interaction is less for nanofluids having volume fraction less than 0.5%, and particle interaction is profound for volume fraction more than 1%. This is the reason that pressure drop for all nanofluids is negligibly small.

Fig. 10. Graph of Re verses ∆P plotted from Equation of best fitted curves for ZnO-H₂O.

Fig. 11. Graph of Re verses ∆P plotted from Equation of best fitted curves for Zn-H2O.

4.3 Evaluation of heat transfer performance for nanofluids

We can conclude from our study of the nanofluids in the preceding sections, that enhancement in h and ∆P increases with increase in Reynolds number for all the nanofluids of different volume fractions and at the same time pressure drop also increases. Due to replacement of conventional fluids by nanofluids in heat transfer applications, heat transfer increases, but the pumping power also increases. A performance evaluation criteria (PEC) is required to make an overall conclusion about energy efficiency of nanofluids compared to water. Sébastien et al. [6] defined PEC based on energy global approach. PEC is the ratio of heat flow rate transferred to the required pumping power in the test section. **Example 19**
 Example 199
 Ex . *m m CP T_i m <i>m m m <i>m n m n n n m n n n n* of heat transfer performance for nanofluids
clude from our study of the nanofluids in the
ions, that enhancement in h and ΔP increases
in Reynolds number for all the nanofluids of
e fractions and at the same time press

$$
PEC = \frac{m.Cp(T_0 - T_i)}{v.\Delta P}
$$
 (Where, *v* is discharge in m³.sec⁻¹).

This criterion directly relates to the gains and losses of energy in an industrial plant. The PEC is determined for all the nanofluids considered for the present study. The graph of enhancement in PEC is plotted against Re and the same is presented in Fig. 12. We can observe from the graph, that 0.5% Zn-H₂O nanofluid has the highest enhancement in PEC indicating high performing fluid. In addition, to having a clear understanding about enhancement in h and enhancement in ∆P for 0.5% Zn-H2O nanofluid, the graph of hnf/hw and ∆pnf/∆pw is also plotted and presented in Fig. 13.

Fig. 12. Ratio of PEC versus Re for all nanofluids under study.

Fig. 13. Enhancement in h and ∆P versus Re for 0.5% Zn-H2O nanofluid.

4.4 Assessment of benefits for use of nanofluid in automobile radiato

Amongst all the nanofluids under consideration, 0.5% Zn-H2O proved to be a high performing fluid. Hence, we shall now consider the benefits when the nanofluid in automobile radiator of ECS replaces water. In ECS, higher heat rejection to coolant will reduce the thermal efficiency of the engine, and lower heat rejection will cause overheating of the engine. Hence, to assess the performance of nanofluid in automobile radiator, the following benefit evaluation criteria (BEC) is suitable. Amongst all the nanofluids under consideration, 0.5% Zn-

Combining the above two relations

or proved to be a high performing fluid. Hence, we shall

w consider the benefits when the nanofluid in automobile

itator of EC 2.0.0 The *D* **Example 1.1 Form** Exc., ungless what in the present rejection will reduce the thermal efficiency of the engine, and

ver heat rejection will cause overheating of the engine, and

ver heat rejection will ca

For the same heat transfer, temperature difference, and Reynolds number, determination of reduction in area, pumping power, and inventory of the coolant if the nanofluid replaces the water in the heat exchanger. or anothud in automobile

aluation criteria (BEC) is

Inventory of the fluid (v) is

equality of the fluid (v) is

colonit if the nanofluid re-

er.
 $\theta_{nf} = \frac{\pi}{4} D_{nf}^2 L$.

A heat transfer relations for

Taking ratio of

We shall now derive the required heat transfer relations for assessment of benefits as per BEC -

For the same heat transfer to nanofluid and water

$$
q = h_w A_w \Delta T_{LMTDw} = h_{nf} A_{nf} \Delta T_{LMTDnf}
$$

However, for the same temperature difference:

Combining above two relations $A_{nf} = \frac{n_w}{l} A_w$. Inventory of t

As heat transferred is equal to heat flow rate for both fluids

$$
m_{w}C p_{w} (T o_{w} - T i_{w}) = m_{nf} C p_{nf} (T o_{nf} - T i_{nf})
$$

ence and Technology 29 (5) (2015) 2177-2185

As heat transferred is equal to heat flow rate for both fluids
 $m_w C p_w (T o_w - T i_w) = m_{nf} C p_{nf} (T o_{nf} - T i_{nf})$.

For the same temperature difference, the above equation be-

mes
 m_w For the same temperature difference, the above equation becomes *mee and Technology 29 (3) (2015) 2177~2185*
 As heat transferred is equal to heat flow rate for both fluids
 $m_w C p_w (T o_w - T i_w) = m_{nf} C p_{nf} (T o_{nf} - T i_{nf})$.

For the same temperature difference, the above equation be-

mes
 m *n* (2015) 2177~2185 2183

equal to heat flow rate for both fluids
 $m_{nf} C p_{nf} (T o_{nf} - T i_{nf})$.

ure difference, the above equation be-
 $\frac{m_w}{m_{nf}} = \frac{C p_{nf}}{C p_w}$.

quired is *(2015)* 2177-2185 2183

equal to heat flow rate for both fluids
 $m_{nf}Cp_{nf}\left(To_{nf} - Ti_{nf}\right)$.

ture difference, the above equation be-
 $\frac{m_w}{m_{nf}} = \frac{Cp_{nf}}{Cp_w}$.

quired is $u_w C p_w (T o_w - T i_w) = m_{nj} C p_{nj} (T o_{nj} - T i_{nj})$.

or the same temperature difference, the above equation be-

es
 $u_w C p_w = m_{nj} C p_{nj}$, $\frac{m_w}{m_{nj}} = \frac{C p_{nj}}{C p_w}$.

umping power (P) required is
 $v_w = \frac{m_w}{\rho_w} \Delta P_w$,
 $v_w = \frac{m_{nj}}{\rho_{nj}}$

$$
m_w C p_w = m_{nf} C p_{nf} , \frac{m_w}{m_{nf}} = \frac{C p_{nf}}{C p_w}.
$$

Pumping power (P) required is

\n hence and Technology 29 (5) (2015) 2177–2185
\n 2183
\n As heat transferred is equal to heat flow rate for both fluids
\n
$$
m_w C p_w (T o_w - T i_w) = m_{nj} C p_{nj} (T o_{nj} - T i_{nj})
$$
\n

\n\n For the same temperature difference, the above equation becomes
\n
$$
m_w C p_w = m_{nj} C p_{nj}
$$
,
$$
\frac{m_w}{m_{nj}} = \frac{C p_{nj}}{C p_w}
$$
\n

\n\n Plumping power (P) required is
\n
$$
P_w = \frac{m_w}{\rho_w} \Delta P_w
$$
,
\n
$$
P_{nj} = \frac{m_{nj}}{\rho_{nj}} \Delta P_{nj}
$$
,
\n
$$
\frac{P_w}{P_{nj}} = \frac{m_w}{m_{nj}} \frac{\rho_{nj}}{\rho_w} \frac{\Delta P_w}{\Delta P_{nj}}
$$
.\n

\n\n For same Reynolds number
\n
$$
\frac{4m_w}{\pi D \mu_w} = \frac{4m_{nj}}{\pi D \mu_{nj}}
$$
,
\n
$$
\frac{m_w}{m_{nj}} = \frac{\mu_w}{\mu_{nj}}
$$
,
\n Combining the above two relations
\n
$$
\frac{P_w}{P_{nj}} = \frac{\mu_w}{\mu_{nj}} \frac{\rho_{nj}}{\rho_w} \frac{\Delta P_w}{\Delta P_{nj}}
$$
,
\n
$$
P_{nj} = \frac{\mu_{nj}}{\mu_{nj}} \frac{\rho_{nj}}{\rho_{nj}} \frac{\Delta P_w}{\Delta P_{nj}}
$$
,
\n
$$
P_{nj} = \frac{\mu_{nj}}{\mu_{nj}} \frac{\rho_{nj}}{\rho_{nj}} \frac{\Delta P_w}{\Delta P_{nj}}
$$
,
\n Inventory of the fluid (v) is\n

For same Reynolds number

$$
\frac{4m_w}{\pi D \mu_w} = \frac{4m_{nf}}{\pi D \mu_{nf}} ,
$$

$$
\frac{m_w}{m_{nf}} = \frac{\mu_w}{\mu_{nf}} .
$$

$$
P_{nf} = \frac{P_{w}}{\rho_{nf}} \Delta P_{nf}
$$
\n
$$
\frac{P_{w}}{P_{nf}} = \frac{m_{w}}{m_{nf}} \frac{\rho_{nf}}{\rho_{w}} \Delta P_{w}
$$
\nFor same Reynolds number\n
$$
\frac{4m_{w}}{\pi D \mu_{w}} = \frac{4m_{nf}}{\pi D \mu_{nf}}
$$
\n
$$
\frac{m_{w}}{m_{nf}} = \frac{\mu_{w}}{\mu_{nf}}
$$
\nCombining the above two relations\n
$$
\frac{P_{w}}{P_{nf}} = \frac{\mu_{w}}{\mu_{nf}} \frac{\rho_{nf}}{\rho_{w}} \Delta P_{w}
$$
\n
$$
P_{nf} = \frac{\mu_{nf}}{\mu_{nr}} \frac{\rho_{w}}{\rho_{nf}} \Delta P_{nf}
$$
\n
$$
P_{nf} = \frac{\mu_{nf}}{\mu_{w}} \frac{\rho_{w}}{\rho_{nf}} \Delta P_{nf}
$$
\nInventory of the fluid (v) is\n
$$
\Delta_{w} = \frac{\pi}{4} D_{w}^{2} L
$$
\n
$$
\Delta_{mf} = \frac{\mu_{0f}}{4} D_{nf}^{2} L
$$
\nTaking ratio of above equations\n
$$
\frac{\Delta_{w}}{\Delta_{nf}} = \left(\frac{D_{w}}{\rho_{nf}}\right)^{2}
$$
\n
$$
\frac{\Delta_{w}}{\Delta_{nf}} = \left(\frac{\rho_{w}}{\rho_{nf}}\right)^{2}
$$
\nInventory of the fluids in terms of heat transfer enhance-

Inventory of the fluid (*v*) is

$$
\mathcal{G}_w = \frac{\pi}{4} D_w^2 L ,
$$

$$
\mathcal{G}_{nf} = \frac{\pi}{4} D_{nf}^2 L .
$$

Taking ratio of above equations

nf w ² *w w nf nf D D* J J , 2 *A A* J J

 $\frac{n_w}{h_{nf}} A_w$. Inventory of ment will becomventory of the fluid (v) is
 $w = \frac{\pi}{4} D_w^2 L$,
 $w_f = \frac{\pi}{4} D_{nf}^2 L$.
 $\frac{w}{f} = \left(\frac{D_w}{D_{nf}}\right)^2$,
 $\frac{w}{f} = \left(\frac{A_w}{A_{nf}}\right)^2$,
 $\frac{1}{w} = \left(\frac{A_w}{A_{nf}}\right)^2$. *nf nf* $\frac{\mu_{nf}}{\mu_{nf}} \frac{\rho_w}{\rho_w} \frac{\Delta P_w}{\Delta P_{nf}}$,
 $\frac{\mu_{nf}}{\mu_w} \frac{\rho_w}{\rho_{nf}} \frac{\Delta P_w}{\Delta P_{nf}} P_w$.

tory of the fluid (v) is
 $\frac{\pi}{4} D_w^2 L$,
 $\frac{\pi}{4} D_{nf}^2 L$.

gradio of above equations
 $= \left(\frac{D_w}{D_{nf}}\right)^2$,
 $= \left(\frac{A_w}{A_{nf}}\right)^2$. $\frac{\mu_{nf}}{\mu_w} \frac{\rho_w}{\rho_{nf}} \frac{\Delta P_w}{\Delta P_{nf}} P_w$.

yives of the fluid (v) is
 $\frac{\pi}{4} D_{nf}^2 L$,

and $\frac{\pi}{4} D_{nf}^2 L$.

and $\left(\frac{D_w}{D_{nf}}\right)^2$,
 $\left(\frac{A_w}{A_{nf}}\right)^2$. Inventory of the fluids in terms of heat transfer enhancement will become

Fig. 14. Variation of reduction in surface area, inventory of the fluid, pumping power as per Re when 0.5% Zn-H2O nanofluid replaces the water in an automobile radiator.

 $\frac{1}{2} w - \left(\frac{h_{\eta f}}{2}\right)^2$ **a** $-\left(\frac{h_w}{2}\right)^2$ **a** h_w h_{mf} h_{mf} $\mathcal{G}_{\mu\nu}$ $\left\{h_{n\tau}\right\}$ $\left\{h_{\mu\nu}\right\}$ $\frac{\partial_w}{\partial_{hf}} = \left(\frac{h_{hf}}{h_w}\right)^2$, $\mathcal{G}_{hf} = \left(\frac{h_w}{h_{hf}}\right)^2 \mathcal{G}_w$.

when he mumber h_w h_{nf}

Finally, following relations achieved as per BEC

$$
A_{nf} = \frac{h_w}{h_{nf}} A_w \tag{14}
$$

$$
P_{nf} = \frac{\mu_{nf}}{\mu_w} \frac{\rho_w}{\rho_{nf}} \frac{\Delta P_w}{\Delta P_{nf}} P_w
$$
 (15) of the

$$
\mathcal{G}_{nf} = \left(\frac{h_w}{h_{nf}}\right)^2 \mathcal{G}_w \,. \tag{16}
$$

For a fixed Reynolds number, with the above equations (Eqs. (14)-(16)), and the experimentally estimated value of 0.5% Zn-H₂O nanofluid, the area ratio = A_n/A_n , pumping are estimated. The graphs of all the ratios versus Reynolds number is presented in Fig. 14. From the graph and best fitted equation by regression analysis, for the automobile radiator, it can be concluded that heat transfer area reduces as per Eq. (17), pumping power reduces as per Eq. (18), and inventory of the fluid reduces as per Eq. (19). The antice of the experiment of the above equations of the actions and the experimentally estimated value of h_w and $\Delta P_{m}/L P_w$ from the equation of best curve for $\frac{A_{m}}{A_w} = 733.3Re^{0.78}$, $\frac{A_w}{A_w} = 733.3Re^{0.78}$,

$$
\frac{A_{nf}}{A_w} = 733.3Re^{0.78}
$$
 (17)

$$
\frac{P_{nf}}{P_w} = 0.420 Re^{0.08}
$$
 (18)

$$
\frac{v_{nf}}{v_w} = 53777Re^{-1.57} \tag{19}
$$

Esmaeili Sany et al. [17] observed Reynolds number of K flow in a radiator of 4 stroke 1300 CC car engine as a 6000, m

when a car is running at 55 Km/hr. If water is replaced by 0.5% Zn-H₂O nanofluid in such a engine cooling system then surface area of the radiator reduces by 24%, inventory of the fluid reduces by 40%, and pumping power reduces by 16% making engine cooling system compact.

5. Conclusions

When a can'ts community and 32 nm for Zing at 32 single and 18 cm and 18 cm and 18 cm and 20 cm and 20 cm and 20 cm and 20 cm and 32 nm for Zing Cm and 20 cm and 32 nm for Zing Cm and 20 cm and 32 nm for Zing Cm and 20 cm When a car is running at 55 Km/hr. If 0.5% Zn-H₂O nanofluid in such a engine

surface area of the radiator reduces by 2003

and reduces by 200₆, and pumping poverally and Aw

making engine cooling system compact.
 Example 10 37% 24.1-150 manofluid in such a signing
 Example 10 37% 24.1-150 manofluid is such a signing experimental and a signing potentially when the control of the function of the particle of the transfer and pr **5. Conclusions**

^{V.nfV}W

²

0

0

0

4000 8000 12000 16000 2000
 Example 11

A V.ariation of reduction in surface area, inventory of the fluid,

1.4. Variation of reduction in surface area, inventory of the fluid,
 transfer and provide in surface area, inventory of the fluid, have been exportant as per Re when 0.5% Zn-H₂O nanofluid replaces the (0.15%, 0.25%, sideration for the heat transfer in the of the heat transfer in the tran **Example 10** and the reduction in surface area, inventory of the fluid, have been exported by the fluid of reduction in surface area, inventory of the fluid (0.15%, 0.25%, sidention for the fluid for the heat transform of one- step method and the characterization in surface area, inventory of the fluid, have been experimentalled

transfer and pressure drot and 32 nm for ZnO nare

wave to ger Re when 0.5% Zn-H₂O nanofluid replaces the (0. **Example 12**

14. Variation of reduction in surface area, inventory of the fluid, have been experimentally

transfer and *32* mm for ZAO and $\frac{g_w}{g_{yf}} = \left(\frac{h_{yf}}{h_{yf}}\right)^2$, $g_{yf} = \left(\frac{h_{wf}}{h_{yf}}\right)^2$, $g_{yf} = \left(\frac{h_{$ 4000 8000 12000 16000 20000

Variation of reduction in surface area, inventory of the fluid, have been experimentally expect as power as per Re when 0.5% Zn-H₂O nanofluid replaces the (0.15%, 0.25%, 0.5%) of an automobi Pariation of reduction in surface area, inventory of the fluid thank externed pressure and pressure are periodic random and the model in a more externed in a more intend of $\left(\frac{h_{w}}{h_{w}}\right)^2$, $\theta_{yf} = \left(\frac{h_{w}}{h_{yf}}\right)^$ (16) creases with Reynolds number slightly. Based on the follow- $\frac{\partial_w}{\partial_{yy}} = \left(\frac{h_{wf}}{h_{yy}}\right)^2$, $\partial_{xy} = \left(\frac{h_{w}}{h_{xy}}\right)^2 \partial_{y}$.

Finally, following relations achieved as per BEC

Finally, following relations achieved as per BEC

Finally, following relations achieved as per BEC

Fin $\frac{1}{\theta_{0f}} = \left(\frac{h}{h_{0f}}\right)^2$, $\theta_{0f} = \left(\frac{h}{h_{0f}}\right)^2$ when fitesting the luminosity removes the contained investigate of the studiation of the fluid ratio and the set of the studiation of the fluid ratio and the set o $Zn-H_2O$ and $ZnO-H_2O$ nanofluid's synthesis involves the one- step method and two- step method, respectively. The characterization indicated nanoparticle size of 41 nm for Zn and 32 nm for ZnO nanoparticles. The studies of the heat transfer and pressure drop characteristics of both nanofluids have been experimentally proven. Three volume fractions $(0.15\%, 0.25\%, 0.5\%)$ of both nanofluids are taken in to consideration for the study. We have estimated the enhancement of the heat transfer coefficient and pressure drop from experimental observations at constant wall temperature condition when heating the fluid for turbulent flow regime of Reynolds number range 4000 to 20000. The application of performance evaluation criteria proved that 0.5% Zn-H₂O nanofluid has the best heat transfer performance amongst considered nanofluids. Hence, we are taking into consideration 0.5% Zn-H₂O nanofluid to assess the benefits of its use in an automobile radiator. Theoretically, we can derive the relations required for assessment of benefits. The heat transfer surface area and inventory of the coolant for the automobile radiator reduces considerably, and the reduction increases with increase in Reynolds number. While the reduction in pumping power is very small, it ining relations, it can be concluded that 0.5% Zn-H₂O nanofluid is an energy efficient fluid compared to water for the automobile radiator. ce, we are taking into consideration 0.5% Zn-H₂O nan-
id to assess the benefits of its use in an automobile radiator.
orteically, we can derive the relations required for assess-
to f benefits. The heat transfer surface

$$
\frac{A_{nf}}{A_w} = 733.3Re^{0.78},
$$

$$
\frac{P_{nf}}{P_w} = 0.420Re^{0.08},
$$

$$
\frac{v_{nf}}{v_w} = 53777Re^{-1.57}.
$$

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Nomenclature--

 ΔP : Pressure drop (N.m⁻²) ∆T : Temperature difference (K)

 A_s : Area (m^2)

 C_p : Specific Heat (J.kg⁻¹. K⁻¹)

- : Thermal conductivity $(W.m^{-1} K^{-1})$
- : Mass flow rate ($Kg \text{ sec}^{-1}$)
- P : Pumping power (Watt)
- Re : Reynolds number
- T : Temperature (K)
- *v* : Inventory of the fluid $(m⁻³)$
- μ : Dynamic viscosity (pa.s)
- ρ : Density (kg.m⁻³)
- φ : Volume fraction of nanoparticles in nanofluid

Subscripts

- LMTD : Logarithmic mean temperature difference
- nf : Nanofluid
- s : Surface
- o : Outer
- i : Inner
w : Water
-

References

- [1] J. Buongiorno, Convective transport in nanofluids, *Transactions of the ASME,* 128 (2006) 240-249.
- [2] A. S. Dalkilic, N. Kayacıa, A. Celen, M. Tabatabaei, O. Yildiz, W. Daungthongsuk and S. Wongwises, Forced convective heat transfer of nanofluids - A review of the recent literature, *Current Nanoscience*, 8 (2012) 949-969.
- [3] M. Naraki, S. M. Peyghambarzadeh, S. H. Hashemabadi and Y. Vermahmoudi, Parametric study of overall heat transfer coefficient of CuO/water nanofluids in a car radiator, *International Journal of Thermal Sciences*, 66 (2013) 82-90.
- [4] S. M. Peyghambarzadeh, S. H. Hashemabadi, M. Naraki and Y. Vermahmoudi, Experimental study of overall heat transfer coefficient in the application of dilute nanofluids in the car radiator, *Applied Thermal Engineering*, 52 (2013) 8-16.
- [5] K. Y. Leong, R. Saidur, S. N. Kazi and A. H. Mamun, Performance investigation of an automotive car radiator operated with nanofluid-based coolants (Nanofluid as a coolant in a radiator), *Applied Thermal Engineering*, 30 (2010) 2685-2692.
- [6] F. Sébastien, B. Andre, P. Olivier, S. Olivier and G. Jean-Antoine, Influence of nanoparticle shape factor on convective heat transfer and energetic performance of water-based SiO2 and ZnO nanofluids, *J. of Applied Thermal Engineering*, 51 (2013) 839-851.
- [7] ASM Handbook, *Powder metal technologies and applications*, *ASM International*, Ohio (1998).
- [8] J. Koo and C. Kleinstreuer, Impact analysis of nanoparticle motion mechanisms on thermal conductivity of nanofluids, *Int. J. Heat & Mass Transfer*, 43 (2000) 3701-3707.
- [9] G. K. Batchelor, The effect of Brownian motion on the

bulk stress in suspension of spherical particles, *J. Fluid Mech.*, 83 (1) (1977) 97-117.

- [10] Y. A. Cengel, *Heat and mass transfer- A practical approach*, Tata McGraw-Hill, New York (2007) 455-458.
- [11] R. P. King, *Introduction to practical fluid flow, Butterworth-Heinemann an imprint of Elsevier Science,* England (2002).
- [12] M. Kole and T. K. Dey, Investigations on the pool boiling heat transfer and critical heat flux of ZnO-ethylene glycol nanofluids, *Applied Thermal Engineering*, 37 (2012) 112- 119.
- [13] P. E. Gharagozloo, J. K. Eaton and K. E. Goodson, Diffusion, aggregation, and the thermal conductivity of nanofluids, *Applied Physics Letters*, 93 (2008) 103-110.
- [14] N. R. Karthikeyan, J. Philip and B. Raj, Effect of clustering on the thermal conductivity of nanofluids, *Materials Chemistry and Physics*, 109 (2008) 50-55.
- [15] L. Gosselin and A. K. da Silva, Combined "heat transfer and power dissipation" optimization of nanofluid flows, *Applied Physics Letters*, 85 (18) (2004) 4160.
- [16] T. Pei and M. H. James, Determination of nanolayer thickness for a nanofluid, *Int. Communication in Heat & Mass Transfer*, 34 (2007) 399-407.
- [17] A. R. E. Sany, M. H. Saidi and J. Neyestani, Experimental prediction of Nusselt number and Coolant heat transfer coefficient in compact heat exchanger performed with *ε- NTU* method, *The Journal of Engine Research*, 18 (2010) 62-70.

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