

Secrecy Rate of Two-Hop AF Relaying Networks with an Untrusted Relay

Nanrun Zhou · Xun Chen · Chisheng Li · Zhi Xue

Published online: 14 August 2013
© Springer Science+Business Media New York 2013

Abstract Two cooperative communication protocols, two-way and one-way half-duplex relaying, are investigated and then compared in the amplify-and-forward (AF) mode. The relay is assumed to play the roles of eavesdropper and relay (i.e., an untrusted relay). With a fair power constraint at each node, the secrecy rate of the one-way relaying protocol is proved to be zero strictly. For the two-way relaying protocol, the signal-to-noise ratio (SNR) threshold is derived, above which the secrecy rate is non-zero. Defining a parameter, namely mistrust level, and non-zero secrecy rate can be achieved for the one-way relaying protocol in certain range of the mistrust level at high SNR. With a fair total power constraint, no matter how unreliable the relay is, the two-way AF half-duplex relaying protocol is proved to be a better choice under high SNR.

Keywords Relaying protocol · Physical layer security · Amplify-and-forward mode · Untrusted relay · Cooperative communication

1 Introduction

The broadcast nature of wireless communication has attracted more and more attention about the privacy and security issues. Wyner indicated that perfect secure communication is possible without relying on secret keys based on physical layer security [1]. As an extension of Wyner's theory, security analyses on broadcast channel [2] and Gaussian wiretap channel [3] were performed respectively. Secure cooperative relaying as an excellent communication technique in the amplify-and-forward mode was also analyzed in detail [4]. The symmetric Gaussian interference channel to enhance secrecy rates in cooperative manner was investigated [5].

N. Zhou (✉) · X. Chen · C. Li
Department of Electronic Information Engineering, Nanchang University, Nanchang 330031, China
e-mail: znr21@163.com; nrzhou@163.com

N. Zhou · X. Chen · Z. Xue
Shanghai Key Laboratory of Integrate Administration Technologies for Information Security, Shanghai Jiao Tong University, Shanghai 200240, China

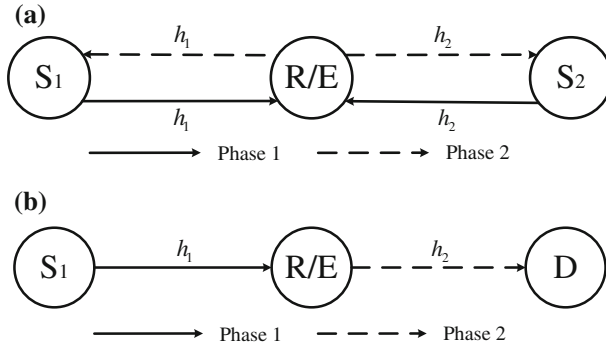


Fig. 1 Two-hop relay networks: **a** system model for one-way relay communications; **b** system model for two-way relay communications

With better spectral efficiency, two-way relaying protocols based on amplify-and-forward have been investigated from a security point of view [6–8]. At the aspect of intensive beamforming, i.e., optimal beamforming, null-space beamforming, and artificial noise beamforming were proposed based on a two-way relay network model with an eavesdropper [8]. In the large-scale relaying field, opportunity relay selection scheme depending on the global instantaneous channels for cooperative networks with secrecy constraints was introduced [9]. Although the two-way relaying protocol can achieve a higher rate than one-way relaying protocol owing to the bidirectional nature [10, 11], its security needs more discussions. Security of communication systems with untrusted relays was examined [7, 12], where it was assured that an untrusted relay is much better than an eavesdropper. Further, an innovative high trust model was proposed [13]. Although cooperative networks with untrusted relays have received much attention by far, the secrecy rate comparison between the one- and two-way untrusted relaying protocols has not yet been investigated.

In this paper, a two-hop AF half-duplex relaying model is proposed, where the relay is captured by the eavesdropper and disguised as a legitimate relay. For one-way relaying protocol, the secrecy rate is proved to be strictly zero with equal power constraint at each node. After introducing the mistrust level, non-zero secrecy rate can be achieved for one-way relaying protocol, and the range of the mistrust level will be derived at high SNR with non-zero secrecy rate constraint. For two-way relaying protocol, the SNR threshold is derived, above which the sum secrecy rate is non-zero. With a fair total power constraint, the two-way relaying protocol is proved to outperform the one-way relaying protocol whatever the mistrust level is under high SNR.

2 System Model

Suppose all nodes receive equal additive white Gaussian noise power σ^2 . As shown in Fig. 1, the channel coefficient h_i is modeled as a zero-mean, independent, circularly symmetric complex Gaussian random variable with variance d_i^{-c} , where d_i is the Euclidean distance from S_i to R , $i = 1, 2$, c is the channel fading exponent. Let $\gamma_i = |h_i|^2$ for link $S_i \rightarrow R$. Suppose the channels are reciprocal. P_1 and P_2 denote the transmit powers of the nodes in one- and two-way relaying protocols, respectively, i.e., all nodes in a relaying protocol have the same transmit power.

For the one-way relaying network shown in Fig. 1a, source S_1 transmits information symbol $s_1^\#$ to the relay with expectation $E\{|s_1^\#|^2\} = 1$ in the first phase. The relay receives

$$r^\# = \sqrt{P_1}h_1s_1^\# + n^\# \tag{1}$$

where $n^\#$ is the noise received by the relay. In the second phase, the relay amplifies and forwards the received signal to the destination. The relay broadcasts the signal

$$x_R^\# = \rho_1 r^\# \tag{2}$$

where $\rho_1 = \sqrt{P_1/(\sigma^2 + P_1\gamma_1)}$ is the power normalization factor. The destination receives

$$y^\# = \rho_1\sqrt{P_1}h_1h_2s_1^\# + \rho_1h_2n^\# + v^\# \tag{3}$$

where $v^\#$ is the noise received by the destination.

For the two-way relaying network shown in Fig. 1b, the two sources send information symbols s_1^* and s_2^* , respectively, in the first phase. The relay receives

$$r^* = \sqrt{P_2}h_1s_1^* + \sqrt{P_2}h_2s_2^* + n^* \tag{4}$$

where n^* denotes the noise received by the relay. In the second phase, the relay broadcasts signal

$$x_R^* = \rho_2 r^* \tag{5}$$

where $\rho_2 = \sqrt{P_2/(\gamma_1P_2 + \gamma_2P_2 + \sigma^2)}$ is the power normalization factor. Since S_i knows s_i^* ($i = 1, 2$), it can cancel its own data. Therefore, S_1 and S_2 get

$$y_1^* = \rho_2\sqrt{P_2}h_1h_2s_2^* + \rho_2h_1n^* + v_1^* \tag{6}$$

$$y_2^* = \rho_2\sqrt{P_2}h_1h_2s_1^* + \rho_2h_2n^* + v_2^* \tag{7}$$

where v_1^* and v_2^* denote the noise received by S_1 and S_2 , respectively.

3 Security of Two-Hop Relay Networks

3.1 Secrecy Rate of One-Way AF Relaying Protocol

With equal power constraint at each node, the secrecy rate of one-way untrusted relaying protocol is

$$R_1^s = \left[\frac{1}{2} \log_2 (R_{S_1}^\#) - \frac{1}{2} \log_2 (R_{E_1}^\#) \right]^+ \tag{8}$$

Where $[x]^+ = \max\{0, x\}$, $R_{S_1}^\# = 1 + \frac{\rho_1^2\gamma_1\gamma_2P_1}{\rho_1^2\gamma_2\sigma^2 + \sigma^2}$, and $R_{E_1}^\# = 1 + \frac{P_1\gamma_1}{\sigma^2}$.

Theorem 1 *With equal power constraint at each node, the secrecy rate R_1^s of one-way AF half-duplex untrusted relaying protocol is strictly zero for all P_1/σ^2 .*

Proof $R_1^s = 0$ can be converted to $R_{S_1}^\# - R_{E_1}^\# \leq 0$ due to the monotonicity of logarithm function. From (8), one can get

$$\begin{aligned}
 R_{S_1}^\# - R_{E_1}^\# &= \frac{\rho_1^2 \gamma_1 \gamma_2 P_1}{\rho_1^2 \gamma_2 \sigma^2 + \sigma^2} - \frac{P_1 \gamma_1}{\sigma^2} \\
 &= \frac{-\left(\frac{P_1}{\sigma^2}\right)^2 \gamma_2^2 - \left(\frac{P_1}{\sigma^2}\right) \gamma_2}{\frac{P_1}{\sigma^2} (\gamma_1 + \gamma_2) + 1}
 \end{aligned} \tag{9}$$

The numerator of Eq. (9) is always negative, and the corresponding denominator is positive, therefore the secrecy rate is strictly zero for all P_1/σ^2 .

The assumption of theorem 1 is that the relay is an untrusted relay. Assuming there is a mistrust level T ($0 \leq T \leq 1$). If $T = 0$, the relay is regarded as a legitimate relay, while if $T = 1$, the relay is a complete untrusted relay. That's to say, if n subchannels are eavesdropped in total N for orthogonal frequency division multiplexing (OFDM) link $S_i \rightarrow R$, and $T = n/N$ can be regarded as the mistrust level. Thus, the ergodic secrecy rate of one-way AF relaying protocol is

$$R_1^{s'} = \left[\frac{1}{2} \log_2 (R_{S_1}^\#) - \frac{1}{2} T \log_2 (R_{E_1}^\#) \right]^+ \tag{10}$$

□

Proposition Under high SNR, the secrecy rate $R_1^{s'}$ of the one-way AF half-duplex relaying protocol is non-zero when $0 \leq T < 1 + \frac{\log_2 \gamma_2 - \log_2 (\gamma_1 + \gamma_2)}{\log_2 P_1 \gamma_1 / \sigma^2}$.

Proof Under high SNR, $\rho_1^2 \approx 1/\gamma_1$, thus $R_1^{s'} > 0$ can be transformed to

$$\begin{aligned}
 T &< \frac{\log_2 (R_{S_1}^\#)}{\log_2 (R_{E_1}^\#)} = \frac{\log_2 \left(1 + \frac{P_1}{\sigma^2} \frac{\gamma_1 \gamma_2}{\gamma_1 + \gamma_2} \right)}{\log_2 \left(1 + \frac{P_1}{\sigma^2} \gamma_1 \right)} \\
 &\approx \frac{\log_2 \frac{P_1}{\sigma^2} \frac{\gamma_1 \gamma_2}{\gamma_1 + \gamma_2}}{\log_2 \frac{P_1}{\sigma^2} \gamma_1} = 1 + \frac{\log_2 \gamma_2 - \log_2 (\gamma_1 + \gamma_2)}{\log_2 \gamma_1 P_1 / \sigma^2}
 \end{aligned} \tag{11}$$

From Eq. (11), the upper bound of T increases as P_1/σ^2 increases, i.e., in practice, OFDM communication systems can bear more subchannels eavesdropped with non-zero secrecy rate constraint under high SNR. Specially, if $\gamma_1 = \gamma_2 = \gamma$, the upper bound can be further simplified to $1 - \log_2^{-1} \frac{P_1}{\sigma^2} \gamma$. □

3.2 Secrecy Rate of Two-Way AF Relaying Protocol

With equal power constraint at each node, the sum secrecy rate of two sources in the two-way AF half-duplex relaying protocol is

$$R_2^s = \sum_{i=1,2} \left[\frac{1}{2} (\log_2 (R_{S_i}^*) - \log_2 (R_{E_i}^*)) \right]^+ \tag{12}$$

where $R_{S_i}^* = 1 + \frac{\rho_j^2 \gamma_1 \gamma_2 P_2}{\rho_j^2 \gamma_j \sigma^2 + \sigma^2}$, and $R_{E_i}^* = 1 + \frac{\gamma_i P_2}{\gamma_j P_2 + \sigma^2}$, $i, j = 1, 2$.

Theorem 2 *With equal power constraint at each node, the sum secrecy rate of two sources in the two-way AF half-duplex untrusted relaying protocol is non-zero when $P_2/\sigma^2 > \min\{\Gamma_1, \Gamma_2\}$, where Γ_1 and Γ_2 will be given in the proof section.*

Proof Let $R_{S_1}^s = \left[\frac{1}{2} \left(\log_2 \left(R_{S_1}^*\right) - \log_2 \left(R_{E_1}^*\right)\right)\right]^+$, $R_{S_2}^s = \left[\frac{1}{2} \left(\log_2 \left(R_{S_2}^*\right) - \log_2 \left(R_{E_2}^*\right)\right)\right]^+$. Equation (12) is equal to

$$R_2^s = R_{S_1}^s + R_{S_2}^s \tag{13}$$

To make $R_2^s > 0$, there exists one positive in $\{R_{S_1}^s, R_{S_2}^s\}$ at least. For $R_{S_1}^s > 0$, it can be transformed to $R_{S_1}^* - R_{E_1}^* > 0$ due to the monotonicity of logarithm function. Thus,

$$R_{S_1}^* - R_{E_1}^* = \gamma_1 \gamma_2^2 \left(\frac{P_2}{\sigma^2}\right)^2 - (\gamma_1 \gamma_2 + \gamma_1^2) \frac{P_2}{\sigma^2} - \gamma_1 \tag{14}$$

Let $x = P_2/\sigma^2$, $y = R_{S_1}^* - R_{E_1}^*$, and Eq. (14) can be rewritten as

$$y = \gamma_1 \gamma_2^2 x^2 - (\gamma_1 \gamma_2 + \gamma_1^2) x - \gamma_1 \tag{15}$$

Quadratic function in Eq. (15) is concave, and the number of points of intersection on the horizontal axis depends on

$$\Delta_1 = (\gamma_1 \gamma_2 + \gamma_1^2)^2 + 4\gamma_1^2 \gamma_2^2 \tag{16}$$

From Eq. (16), Δ_1 is strictly positive, therefore y has two different points of intersection on the horizontal axis, one is negative, while the other is positive. Denote the positive one as

$$\Gamma_1 = \frac{\gamma_1 \gamma_2 + \gamma_1^2 + \Delta_1^{1/2}}{2\gamma_1 \gamma_2^2} \tag{17}$$

This concludes that $y = R_{S_1}^* - R_{E_1}^* > 0$ while $x = P_2/\sigma^2 > \Gamma_1$. Namely, if $P_2/\sigma^2 > \Gamma_1$, $R_{S_1}^s > 0$ can be obtained, and $R_{S_1}^s = 0$ only when $0 < P_2/\sigma^2 < \Gamma_1$.

Similarly, $R_{S_2}^s > 0$ can be obtained when $P_2/\sigma^2 > \Gamma_2$, and $R_{S_2}^s = 0$ when $0 < P_2/\sigma^2 < \Gamma_2$, and Γ_2 is

$$\Gamma_2 = \frac{\gamma_1 \gamma_2 + \gamma_2^2 + \Delta_2^{1/2}}{2\gamma_2 \gamma_1^2} \tag{18}$$

where $\Delta_2 = (\gamma_1 \gamma_2 + \gamma_2^2)^2 + 4\gamma_1^2 \gamma_2^2$.

Further, to obtain non-zero secrecy rate of both sources, i.e., $\{R_{S_1}^s > 0, R_{S_2}^s > 0\}$, the corresponding intersection should be known, such as if $\Gamma_1 > \Gamma_2$ (i.e. $\gamma_1 > \gamma_2$), the SNR range is $P_2/\sigma^2 > \Gamma_1$, or else $P_2/\sigma^2 > \Gamma_2$. \square

3.3 Secrecy Rates for One- and Two-Way AF Relaying Protocols with Fair Power Constraint

With a fair total power constraint, the total transmit power is equal for both one- and two-way relaying protocols, i.e., $P_t = 2P_1 = 3P_2$. The secrecy rate of the one-way relaying protocol

and the secrecy sum-rate of the two-way relaying protocol with the same mistrust level T are, respectively

$$R_{1,t}^s = \left[\frac{1}{2} \log_2 (R_{S_{1,t}}^\#) - \frac{1}{2} T \log_2 (R_{E_{1,t}}^\#) \right]^+ = [M]^+ \tag{19}$$

$$R_{2,t}^s = \sum_{i=1,2} \left[\frac{1}{2} (\log_2 (R_{S_i,t}^*) - T \log_2 (R_{E_i,t}^*)) \right]^+ = \sum_{i=1,2} [N_i]^+ \tag{20}$$

where $R_{S_{1,t}}^\# = 1 + \frac{\rho_3^2 \gamma_1 \gamma_2 P_t / 2}{\rho_3^2 \gamma_2 \sigma^2 + \sigma^2}$, $R_{E_{1,t}}^\# = 1 + \frac{\gamma_1 P_t / 2}{\sigma^2}$, $R_{S_i,t}^* = 1 + \frac{\rho_4^2 \gamma_1 \gamma_2 P_t / 3}{\rho_4^2 \gamma_j \sigma^2 + \sigma^2}$ and $R_{E_i,t}^* = 1 + \frac{\gamma_i P_t / 3}{\gamma_j P_t / 3 + \sigma^2}$, and the corresponding power amplification factors are, respectively

$$\rho_3 = \sqrt{\frac{P_t / 2}{P_t \gamma_1 / 2 + \sigma^2}}$$

$$\rho_4 = \sqrt{\frac{P_t / 3}{P_t \gamma_1 / 3 + P_t \gamma_2 / 3 + \sigma^2}}$$

Theorem 3 *With equal total power constraint, i.e., $2P_1 = 3P_2 = P_t$, the secrecy sum-rate of the two-way AF half-duplex relaying protocol is higher than that of the one-way AF half-duplex relaying protocol in the high SNR regime, i.e.*

$$R_{2,t}^s - R_{1,t}^s > 0 \tag{21}$$

Proof The secrecy rate of the one-way AF half-duplex relaying protocol is strictly zero when the relay is a complete untrusted node. In particular, a secrecy rate comparison between the one- and two-way AF half-duplex relaying protocols will be investigated in specific mistrust level range, where the secrecy rates of both one- and two-way relaying protocols are non-zero. In the high SNR regime, one can obtain

$$R_{S_i,t}^* = 1 + \frac{\rho_4^2 \gamma_1 \gamma_2 P_t / 3}{\rho_4^2 \gamma_j \sigma^2 + \sigma^2} \approx 1 + \frac{P_t}{\sigma^2} \frac{\gamma_1 \gamma_2}{3(\gamma_1 + \gamma_2 + \gamma_j)} \tag{22}$$

$$R_{E_i,t}^* = 1 + \frac{\gamma_i P_t / 3}{\gamma_j P_t / 3 + \sigma^2} \approx 1 + \frac{\gamma_i}{\gamma_j} \tag{23}$$

From Eqs. (22) and (23), one can obtain $R_{S_i,t}^* \gg R_{E_i,t}^* > 1$, thus $N_i > 0$ for any T . Therefore, $\sum_{i=1,2} N_i - M > 0$ is equivalent to $R_{2,t}^s - R_{1,t}^s > 0$ whether M is positive or not. From Eqs. (19) and (20),

$$\sum_{i=1,2} N_i - M = \frac{1}{2} \log_2 \frac{R_{S_{1,t}}^* R_{S_{2,t}}^*}{R_{S_{1,t}}^\#} - \frac{1}{2} T \log_2 \frac{R_{E_{1,t}}^* R_{E_{2,t}}^*}{R_{E_{1,t}}^\#} > 0 \tag{24}$$

In the high SNR regime, Eq. (24) will be simplified to

$$T \log_2 \frac{2(\gamma_1 + \gamma_2)^2}{\gamma_1^2 \gamma_2 P_t / \sigma^2} < \log_2 \frac{2 P_t}{9 \sigma^2} \frac{\gamma_1 \gamma_2 (\gamma_1 + \gamma_2)}{(2\gamma_1 + \gamma_2)(\gamma_1 + 2\gamma_2)} \tag{25}$$

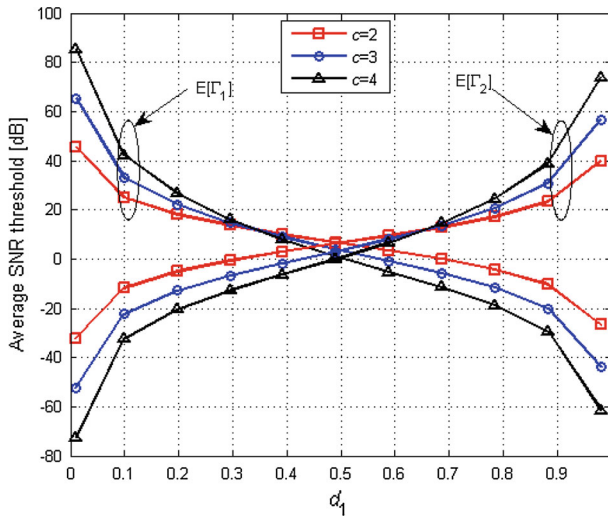


Fig. 2 Average SNR threshold of two-way relaying protocol for different c

$\log_2 \frac{2(\gamma_1 + \gamma_2)^2}{\gamma_1^2 \gamma_2 P_t / \sigma^2}$ is negative, thus

$$\begin{aligned}
 T &> \log_2 \frac{2 P_t}{9 \sigma^2} \frac{\gamma_1 \gamma_2 (\gamma_1 + \gamma_2)}{(2\gamma_1 + \gamma_2)(\gamma_1 + 2\gamma_2)} \bigg/ \log_2 \frac{2(\gamma_1 + \gamma_2)^2}{\gamma_1^2 \gamma_2 P_t / \sigma^2} \\
 &\approx -1 - \frac{\log_2 \frac{2}{9} \frac{(\gamma_1 + \gamma_2)^3}{\gamma_1 (2\gamma_1 + \gamma_2)(\gamma_1 + 2\gamma_2)}}{\log_2 P_t / \sigma^2} \tag{26}
 \end{aligned}$$

Under high SNR, $P_t / \sigma^2 > \frac{2}{9} \frac{(\gamma_1 + \gamma_2)^3}{\gamma_1 (2\gamma_1 + \gamma_2)(\gamma_1 + 2\gamma_2)}$, and Eq. (26) is strictly true for any T . \square

4 Simulation Results

Assume the distance between S_1 and S_2 meets $d_1 + d_2 = 1$ with $0 < d_1, d_2 < 1$. Monte Carlo experiment with 10^5 independent trials is performed to obtain the average results.

In Fig. 2, the average SNR threshold, above which the two-way relaying protocol can obtain non-zero secrecy rate, is plotted for different d_1 at $c = 2, 3, 4$. Since the secrecy rate of the two-way relaying protocol is the sum secrecy rate of two sources, the corresponding SNR threshold consists of two thresholds, namely, $E[\Gamma_1]$ of S_1 and $E[\Gamma_2]$ of S_2 , $E[\cdot]$ denotes expectation. Take $c = 4$ as an example, in the extremely low SNR interval $[-80, 0]$, the curves show the SNR threshold of the overall system, the corresponding maximal SNR threshold is at $d_1 = d_2 = 0.5$, and a higher path loss exponent leads to a lower average SNR threshold. In the interval $[0, 100]$, the curves show the SNR threshold of only one source, while the threshold at $d_1 = d_2 = 0.5$ is minimum, and a higher path loss exponent will lead to a higher average SNR threshold.

Figure 3 shows the SNR requirement versus mistrust levels in one-way relaying protocol with different secrecy rate constraints. The noise power is $\sigma^2 = -30$ dBm, the channel fading exponent is 3, and the SNR range is from 0 to 30 dB. For the same mistrust level and d_1 , the source needs more transmit power to obtain higher secrecy rate. It is interesting to

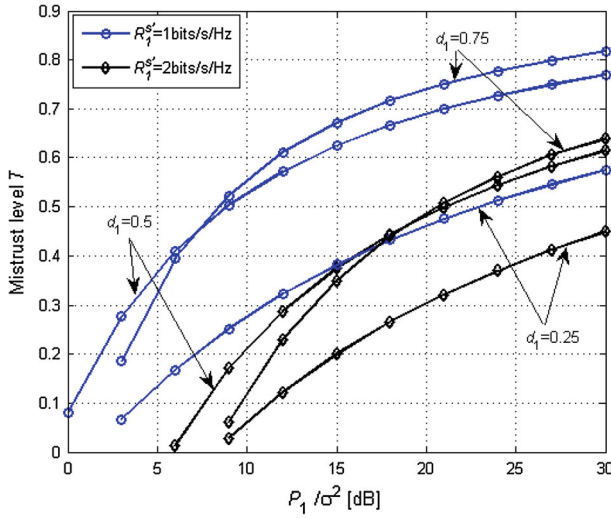


Fig. 3 Mistrust level versus transmit power with different secrecy rate constraints

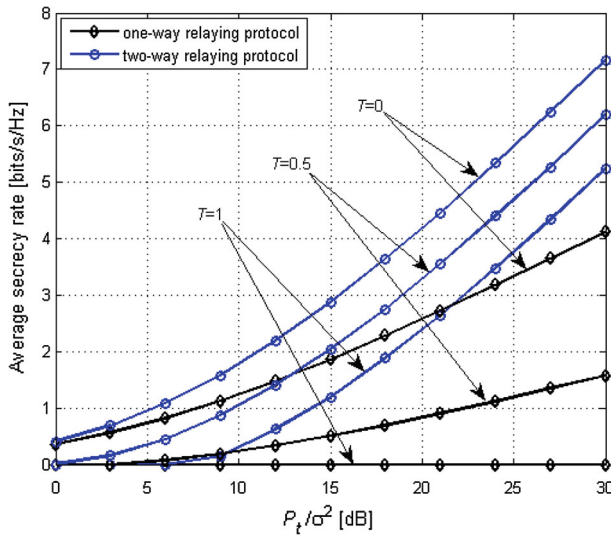


Fig. 4 Average secrecy rate for different mistrust levels

note that the system needs less power to meet the secrecy rate constraint under low mistrust level for $d_1 = 0.5$ compared with that for $d_1 = 0.75$, while it is opposite when the mistrust level is high, since the middle between the source and the destination is the better position for a higher rate, and the long distance from the source will weaken the eavesdropper-source link. For secrecy rate constraint $R_{S_1}^s = 1$ bits/s/Hz, when the transmit power is small, any mistrust level will not meet the secrecy rate constraint, so the curves are not drawn in this case.

Figure 4 shows the average secrecy sum-rate of the two-way relaying protocol and the average secrecy rate of the one-way relaying protocol for different SNRs. The relay is located at the middle point of the two sources (i.e., $d_1 = d_2 = 0.5$). The noise power, the channel

fading exponent, and the SNR range are set the same as Fig. 3. When the mistrust level is 0, the comparison of rate curves indicates that the two-way relaying protocol outperforms the one-way relaying protocol. The secrecy rates of one- and two-way relaying protocols increase overall as the total transmit power increases except that the mistrust level of one-way relaying protocol is $T = 1$, and the two-way relaying protocol will have much more superiority. As expected, the secrecy rate of the one-way relaying protocol is zero when the mistrust level is 1. For any mistrust level, the two-way relaying protocol has higher secrecy rate than the one-way relaying protocol in the given high SNR range.

Under high SNR, the two-way relaying protocol is a better choice over the one-way relaying protocol, especially in the wireless sensor networks, whose relays are captured easily. When the SNR achieves a special threshold, the security of the system can be ensured without considering the mistrust level of the relay. The capture tolerability or the secrecy rate of the system can be improved by increasing the transmit power, namely, increasing transmit power makes the system tolerates more subchannels eavesdropped with secrecy rate constraint in OFDM systems.

5 Conclusions

The secrecy rates of the one- and two-way half-duplex AF relaying protocols with an untrusted relay were investigated and then compared. By increasing the transmit power, the range of the mistrust level will be extended with non-zero secrecy rate constraint for one-way relaying protocol. The one-way relaying protocol is not secure any more when the mistrust level of the relay is 1, no matter how large the transmit power is. For the two-way relaying protocol, even though the mistrust level is 1, the non-zero secrecy rate can be achieved in certain SNR threshold, which has been derived. With a fair power constraint, where the two relaying protocols have equal total transmit power, the two-way relaying protocol is always superior to the one-way relaying protocol under high SNR.

Acknowledgments The authors thank the anonymous reviewers for the valuable comments and suggestions. The work is supported by the National Natural Science Foundation of China (Grant Nos. 61262084 and 61141007), the Natural Science Foundation of Jiangxi Province, China (Grant Nos. 20132BAB201019 and 20114BAB201018), the Foundation for Young Scientists of Jiangxi Province (Jinggang Star) (Grant No. 20122BCB23002), and the Opening Project of Shanghai Key Laboratory of Integrate Administration Technologies for Information Security (No. AGK2012005).

References

1. Wyner, A. D. (1975). The wire-tap channel. *Bell System Technical Journal*, 54(8), 1355–1387.
2. Csiszár, I., & Körner, J. (1978). Broadcast channels with confidential messages. *IEEE Transactions on Information Theory*, 24, 339–348.
3. Leung-Yan-Cheong, S. K., & Hellman, M. E. (1978). The Gaussian wiretap channel. *IEEE Transactions on Information Theory*, 24, 451–456.
4. Dong, L., et al. (2010). Improving wireless physical layer security via cooperating relays. *IEEE Transactions on Signal Processing*, 58(3), 1875–1888.
5. Zhu, J., Mo, J., & Tao, M. (2010). Cooperative secret communication with artificial noise in symmetric interference channel. *IEEE Communications Letters*, 14(10), 885–887.
6. Zhang, R., et al. (2010). Physical layer security for two way relay communications with friendly jammers. In *IEEE GLOBECOM 10*, Miami, FL, 2010.

7. Jeong, C., Kim, I. M., & Kim, D. I. (2012). Joint secure beamforming design at the source and the relay for an amplify-and-forward MIMO untrusted relay system. *IEEE Transactions on Signal Processing*, 60(1), 310–325.
8. Wang, H. M., Yin, Q., & Xia, X. G. (2012). Distributed beamforming for physical-layer security of two-way relay networks. *IEEE Transactions on Signal Processing*, 60(7), 3532–3545.
9. Krikidis, I. (2010). Opportunistic relay selection for cooperative networks with secrecy constraints. *IET Communications*, 4(15), 1787–1791.
10. Han, Y., et al. (2009). Performance bounds for two-way amplify-and-forward relaying. *IEEE Transactions on Wireless Communications*, 8(1), 432–439.
11. Ping, J., & Ting, S. H. (2009). Rate performance of AF two-way relaying in low SNR region. *IEEE Communications Letters*, 13(4), 233–235.
12. He, X., & Yener, A. (2008). Two-hop secure communication using an untrusted relay: A case for cooperative jamming. In *IEEE GLOBECOM 08*, New Orleans, LA, 2008.
13. Gómez Marmol, F., Martínez Pérez, G., & Gómez Skarmeta, A. F. (2009). TACS, a trust model for P2P networks. *Wireless Personal Communications*, 51(1), 153–164.

Author Biographies



Nanrun Zhou received his Ph.D. in Communication & Information Systems from Shanghai Jiaotong University in 2005. Since 2006 he has served as one of the Faculty of Department of Electronic Information Engineering, Nanchang University, where he is currently a Professor. Dr. NR Zhou has been selected in the first or second rank of the “Jiangxi Province Baiqianwan Talents for the New Century” Programme, the “Young Scientists of Jiangxi Province (Jinggang Star)” and the “Ganpo Programme 555 for Outstanding Talent”, leading a team of researchers carrying out cutting-edge research in the field of information security. He has published over 100 papers, in refereed international conferences and journals.



Xun Chen received the M.S. degree in Electronic Information Engineering from Nanchang University in 2013. His current research interest mainly focuses on physical-layer security in wireless cooperative networks.



Chisheng Li received his M.S. in Communication & Information Systems from Nanjing University of Posts and Telecommunications in 1987. He serves as a professor of Department of Electronic Information Engineering, Nanchang University. His research interest focuses on signal and information processing, communication countermeasures, and wireless communications.



Zhi Xue received his Ph.D. in Communication & Information Systems from Shanghai Jiaotong University in 2001. In 1997, he was a visiting scholar in the Bell Labs, America. Since 2001 he has served as one of the Faculty of School of Information Security Engineering, Shanghai Jiaotong University, where he is currently a Professor and Vice Dean. Dr. Z Xue has been awarded prizes for scientific and technological progress of Shanghai, holds many patents, and also has published a number of papers.