



# Evaluation method of slope stability based on the $Q_{\text{slope}}$ system and BQ method

Yanhui Song<sup>1,2</sup> · Huishi Xue<sup>1,3</sup>  · Xiangling Meng<sup>3</sup>

Received: 14 June 2018 / Accepted: 2 January 2019 / Published online: 18 January 2019  
© Springer-Verlag GmbH Germany, part of Springer Nature 2019

## Abstract

At present, a variety of slope stability assessment methods based on rock mass quality classification have been proposed. However, the rather mature evaluation system for different types of rock slopes is still absent. In this paper, the existing classification methods for rock slope are first discussed, then by combining the  $Q_{\text{slope}}$  and BQ methods based on the relationship between different classification systems, a relatively simple and applicable evaluation system is proposed, which uses the BQ method to obtain the basic quality of the rock slope and then the  $Q_{\text{slope}}$  method to revise this rating according to the geological environment of the slope. The new system can reduce field survey and subjective factors. The case study shows that the evaluation results of the rock slope using the new method coincide with the actual stability status, showing that this method can be further tested in engineering practice.

**Keywords** Rock slope · Rock mass quality classification · Slope stability

## Introduction

The stability evaluation methods of rock slope usually include the limit equilibrium method, numerical calculation method, physical simulation method, rock mass quality classification method, and so on. Among them, the first three methods, especially the limit equilibrium method, are mainly applicable to the slopes which have obvious or potential sliding surfaces. Otherwise, its use will be limited, such as in the case of natural slopes without obvious deformation or excavated slopes. The numerical models seldom coincide with the actual slope due to complex geological structure, and thus the reliability of the calculation results is questionable. Consequently, the stability of natural slopes or excavated rock slopes, which have no obvious signs of deformation, is often evaluated by the method of rock mass quality classification.

Based on the rock mass rating (RMR) method, Romana (1985) and Romana et al. (2003) first proposed the slope mass rating (SMR) system to evaluate rock slope stability. After that, many other methods evaluating rock slope quality have been put forward one after another, which include rock mass strength (RMS, Selby 1980), slope rock mass rating (SRMR, Robertson 1988), Chinese slope mass rating (CSMR, Chen 1995; Sun et al. 1997), rock slope deterioration assessment (RDA, Nicholson and Hencher 1997), slope stability probability classification (SSPC, Hack et al. 2003), volcanic rock face safety rating (VRFSR, Singh and Connolly 2003), falling rock hazard index (FRHI, Singh 2004), and the method used for assessing nature slope stability by Mazzocola and Hudson (1996). In China, Shi et al. (2005) put forward the highway slope mass rating (HSMR) fast evaluation system for the stability of layered rock slopes along mountain highways. Zhang et al. (2010), taking rock slopes along the Tianshan mountain highway as an example, proposed the Tianshan highway slope mass rating (TSMR) for slope stability evaluation in high altitudes and cold regions, which is based on the RMR, SMR, and CSMR rock mass rating systems, where the correction coefficient  $\xi$ , of slope height and condition coefficient  $\lambda$  of structural plane are adjusted by using mathematical statistics tools, and freeze-thaw coefficient  $\delta$  is also introduced.

Among the above methods, SMR is the most widely used and is the base of most of the other methods.

✉ Huishi Xue  
xhs151690@163.com

<sup>1</sup> School of Geology Engineering and Geometrics, Chang'an University, Xi'an 710054, China

<sup>2</sup> Key Laboratory of Western Mineral Resources and Geological Engineering Ministry of Education, Xi'an 710054, China

<sup>3</sup> Northwest Engineering Corporation Limited, Xi'an 710065, China

The basic quality (BQ) system is regarded as the Chinese national rock mass classification system (GB/T 50218-2014 2014) that can be appropriate for use in most types of rock engineering. Two underlying parameters, the uniaxial compressive strength (UCS) and the rock intactness index ( $K_v$ ), are considered to assess the basic BQ value. For rock slope engineering, considering the adverse impact of the existing geological conditions, the BQ value is adjusted to corrected [BQ] by introducing five coefficients of correction to determine the rock slope rating. The BQ system is only applied to rock slopes less than 60 m in height with sliding failure mode.

Barton and Bar (2015) and Bar and Barton (2017) developed a  $Q_{slope}$  method to evaluate the stability of rock slopes, which is based on the Q system rock mass quality classification (Barton et al. 1974; Barton 2002), by adjusting the index meaning and parameter values in the original system to make it qualified for the work. In addition, based on many engineering examples in Asia, Australia, Central America, and European countries, the relationship between the  $Q_{slope}$  value and slope angle that can maintain long-term slope stability under the condition of unsupported is established. However, this system cannot be applied to slopes with interbedding of soft and hard rocks or with weak rock layers, as well as in soil slopes or talus and debris.

Compared to the BQ method, the  $Q_{slope}$  system is more widely applicable. However, it utilizes six parameters RQD,  $J_n$ ,  $J_r$ ,  $J_a$ ,  $J_{wice}$ , and  $SRF_{slope}$ , and the first four parameters which determine the basic quality of rock mass Q' need to be observed carefully in the field. Different geologists may vary the value of each parameter, thereby getting different results. The BQ method only uses UCS and  $K_v$ , both of which are quantitative indexes, thus reducing the subjective factors of the geological engineer to judge rock mass basic quality. Based on the above, a relatively simple and applicable evaluation system is proposed by combining the  $Q_{slope}$  and BQ method, which not only reduces field survey but also subjective factors to a certain extent.

## $Q_{slope}$ and BQ system

### $Q_{slope}$ system

For Q-system users, the formula for estimating  $Q_{slope}$  is mostly familiar (Barton and Bar 2015; Bar and Barton 2017):

$$Q_{slope} = \frac{RQD}{J_n} \times \left( \frac{J_r}{J_a} \right)_o \times \frac{J_{wice}}{SRF_{slope}} \tag{1}$$

Here:

- RQD is the rock quality designation, which varies between 0 and 100; if its value is  $\leq 10$  (including zero), then a nominal value of 10 is used to evaluate the  $Q_{slope}$ .
- $J_n$  is the joint set number that maintains the values established in the Q system.
- $J_r$  and  $J_a$  are the joint roughness number and the joint alteration number, respectively, and maintain the values of the Q system. The factor  $(J_r/J_a)_o$  considers the favorable or unfavorable orientation of the major discontinuity or of those forming a wedge by an adjustment factor referred to as the "O-factor".
- $J_{wice}$  is the environmental and geological condition number that substitutes the joint water reduction factor ( $J_w$ ) of the Q system.
- $SRF_{slope}$  is the stress reduction factor for the slope, the maximum value among  $SRF_a$  (which deals with physical condition),  $SRF_b$  (which addresses both in situ stress and UCS of the rock, similarly to the one used in the Q system), and  $SRF_c$  (which considers major discontinuity).

The reader is referred to the work of Barton and Bar (2015) and Bar and Barton (2017) for a detailed description and weighting of each of the aforementioned factors. A simple equation for the steepest angle ( $\beta$ ), which does not require reinforcements for slope, is established by Barton and Bar (2015) and Bar and Barton (2017):

$$\beta = 20 \log_{10} Q_{slope} + \alpha \tag{2}$$

**Table 1** The correction factor  $K_4$  in the [BQ]

Ground water conditions	Correction factor $K_4$				
	BQ>550	550 ≥ BQ ≥ 451	450 ≥ BQ ≥ 351	350 ≥ BQ ≥ 251	BQ ≤ 250
Wet or dripping, $p_w < 0.2H$	0.0	0.0	0.0–0.1	0.2–0.3	0.4–0.6
Threadlet-like flowing, $0.2H < p_w \leq 0.5H$	0.0–0.1	0.1–0.2	0.2–0.3	0.4–0.6	0.7–0.9
Gushing, $p_w > 0.5H$	0.1–0.2	0.2–0.3	0.4–0.6	0.7–0.9	1.0

Here:  $p_w$  is the phreatic water or artesian head (m) in the slope, H is the slope height (m)

**Table 2** The correction factor  $\lambda$  in the [BQ]

Discontinuities types and extensibility	Correction factor $\lambda$
Fault, weak intercalation	1.0
Bedding plane, joint or fracture with good connectivity	0.9–0.8
Interrupted joint or fracture	0.7–0.6

Here:

- $\beta$  is the steepest angle to maintain slope stability not requiring reinforcements.
- $Q_{slope}$  is the value obtained from formula 1.
- $\alpha$  is the angle corresponding to the different failure probability, i.e., when the failure probability is 1%, 15%, 30%, 50%, the  $\alpha$  value is 65°, 67.5°, 70.5°, and 73.5°, respectively.

**BQ method**

The BQ method was first proposed to evaluate the stability of engineering rock mass and assist the support selection, and it is recommended as the only national guideline that satisfied most various rock engineering fields, such as hydropower underground caverns, railway or highway tunnels, building foundations, coal mines, and so on. A linear regression equation determining the BQ value was expressed as follows in the national standard called *Standard for Engineering Classification of Rock Mass* (GB/T 50218-2014 2014):

$$BQ = 100 + 3R_c + 250K_v \tag{3}$$

Here:

- BQ is the rock mass basic quality.
- $R_c$  is the uniaxial compressive strength (UCS), in MPa.
- $K_v$  is the rock intactness index, which can be calculated from the acoustic velocity of rock mass,  $V_{pm}$ , and the intact rock velocity,  $V_{pr}$ , using the following formula:

$$K_v = \frac{V_{pm}^2}{V_{pr}^2} 0 \leq K_v \leq 1 \tag{4}$$

During the application of Eq. 3, two important constraint criteria should be noticed: (1) when  $R_c > 90 K_v + 30$ , then the value of  $90 K_v + 30$  should be used for  $R_c$  to determine the BQ value; (2) when  $K_v > 0.04 R_c + 0.4$ , then  $K_v$  should be calculated from the equation  $K_v = 0.04 R_c + 0.4$  to obtain the BQ value.

For rock slope engineering, the BQ value derived from Eq. 3 should be revised considering the adverse impact of the existing geological and environment conditions, the revised formula being:

$$[BQ] = BQ - 100(K_4 + \lambda K_5) \tag{5}$$

Here:

- [BQ] is the revised value of BQ.
- BQ is the rating for rock mass basic quality, which can be calculated from Eq. 3.
- $K_4$  is the correction factor of groundwater conditions (see Table 1).
- $\lambda$  is the correction factor for key discontinuities types and extensibility, which is the same as the CSMR method (Chen 1995; Sun et al. 1997), see Table 2.
- $K_5$  is the correction factor for key discontinuities attitude, which can be expressed as follows:

$$K_5 = F_1 \times F_2 \times F_3 \tag{6}$$

Here:

- $F_1$  is related to the relationship between dip direction of key discontinuity and slope
- $F_2$  is the correction factor of dip angle for key discontinuity
- $F_3$  concerning the relationship between dip angle of key discontinuity and slope (see Table 3).

**Table 3** The correction factors  $F_1$ ,  $F_2$ , and  $F_3$  in the [BQ]

Conditions and correction factor	Influence degree				
	Slight	Less	Moderate	Remarkable	Significant
The angle between dip direction of key discontinuity and slope surface (°)	>30	30~20	20~10	10~5	≤5
$F_1$	0.15	0.40	0.70	0.85	1.0
Dip angle of discontinuity (°)	<20	20~30	30~35	35~45	≥45
$F_2$	0.15	0.40	0.70	0.85	1.0
The difference between dip angle of discontinuity and slope angle	>10	10~0	0	0~-10	≤-10
$F_3$	0	0.2	0.8	2.0	2.5

**Table 4** Rock slope classification and stability based on [BQ]

Class	[BQ]	Description
I	>550	The slope can retain long-term stability
II	451–550	The slope can retain long-term stability when its height is less than 30 m, for the slope range of 30–60 m in height, the slope will be basically stable, wedge failure may occur locally
III	351–450	The slope will be basically stable if the slope height is less than 15 m, wedge failure may also occur locally, for slope height of 10–15 m, which can remain stable for a few months
IV	251–350	The slope can remain stable for a few months or no more than 1 month for slope height less than 8 m or 8–15 m, respectively
V	≤250	Unstable

The [BQ] method classifies all slope rock masses into five classes (same as BQ). The boundary values of each class and slope stability status are listed as Table 4.

The [BQ] rock mass quality classification for slopes is only applicable to slopes with height less than 60 m, and only sliding failure is considered. Therefore, it has certain limitations in engineering application.

**BQ-Q<sub>slope</sub> system**

Bar and Barton (2017) suggest that Q<sub>slope</sub> applies to all slope heights and slope angles that range between 30° and 90°, which covers most of the rock slopes, thus having a broad application prospect. However, the first four parameters in this system, RQD, J<sub>n</sub>, J<sub>r</sub>, and J<sub>a</sub>, need to be observed carefully in the field and maybe different geologists have different results. To overcome this shortcoming, the BQ method is introduced to reduce the number of parameters in the Q<sub>slope</sub> system and improve the objectivity of the method.

According to the regression analysis of more than 200 sets of measured BQ values and RMR based on more than ten projects involving hydropower plants and highways, the Chinese national standard called the *Standard for Engineering Classification of Rock Mass* (The National Standards Compilation Group of People’s Republic of China 2014) reveals a good linear relationship between the BQ value and the RMR as follows:

$$BQ = 80.786 + 6.0943RMR \quad (r = 0.81) \tag{7}$$

Here:

RMR is the revised rating value of the Bieniawski rock mass classification from 1989.

In addition, according to Hoek et al. (1995), the relationship between RMR and GSI, GSI and Q' can be expressed as follows:

$$GSI = RMR'_{89} - 5 \tag{8}$$

$$GSI = 9 \ln Q' + 44 \tag{9}$$

Here:

GSI is the geological strength index.  
 RMR'<sub>89</sub> is the revised rating value of the Bieniawski rock mass classification from 1989, which is for dry condition. The corresponding groundwater parameter is 15. Formula 7 becomes the following when taking groundwater into account:

$$BQ = 80.786 + 6.0943(RMR'_{89} - 15G_c) \tag{10}$$

Here:

G<sub>c</sub> is the correction coefficient of groundwater, and its value is between 0 and 1. The Bieniawski rock mass classification and the G<sub>c</sub> scoring criteria are shown in Table 5.

Q' representing the basic quality of rock slope in the Q<sub>slope</sub> system, which is:

$$Q' = \frac{RQD}{J_n} \times \frac{J_r}{J_a} \tag{11}$$

After formulas 8 and 10, the relationship between BQ and GSI is as follows:

$$GSI = 0.164BQ - 18.256 + 15G_c \tag{12}$$

**Table 5** The correction factor G<sub>c</sub> of BQ-Q<sub>slope</sub> system

Groundwater conditions	Completely dry	Damp	Wet	Dripping	Flowing
Correction factor G <sub>c</sub>	0	0.33	0.53	0.73	1



Fig. 1 The Moon River valley slope

Similarly, from formulas 9 and 12, the expression of  $Q'$  using BQ is:

$$Q' = \text{EXP}(0.0182\text{BQ} - 6.9173 + 1.667G_c) \quad (13)$$

To be more simplified, formula 13 can also be written by:

$$Q' = 0.001 \times 5.945^{G_c} \times \text{EXP}(0.018\text{BQ}) \quad (14)$$

Combining formulas 1 and 14,  $Q_{slope}$  can be simplified by:

$$\text{BQ-}Q_{slope} = \lambda \times \text{EXP}(0.018\text{BQ}) \quad (15)$$

Here:

$\lambda$  is the correction factor,  $\lambda = 0.001 \times 5.294^{G_c} \times F_1 \times F_2 / F_3$ ,  $F_1$ ,  $F_2$ , and  $F_3$  are the O-factor,  $J_{\text{wice}}$ , and  $\text{SRF}_{\text{slope}}$ , respectively, in the  $Q_{slope}$  system.

Using BQ- $Q_{slope}$  (formula 15) to replace the  $Q_{slope}$  in formula 2, we can get the steepest slope angle maintaining slope stability as formula 16 (the failure probability is 1%):

$$\beta = 0.156\text{BQ} + 20\log_{10}\lambda + 65 \quad (16)$$

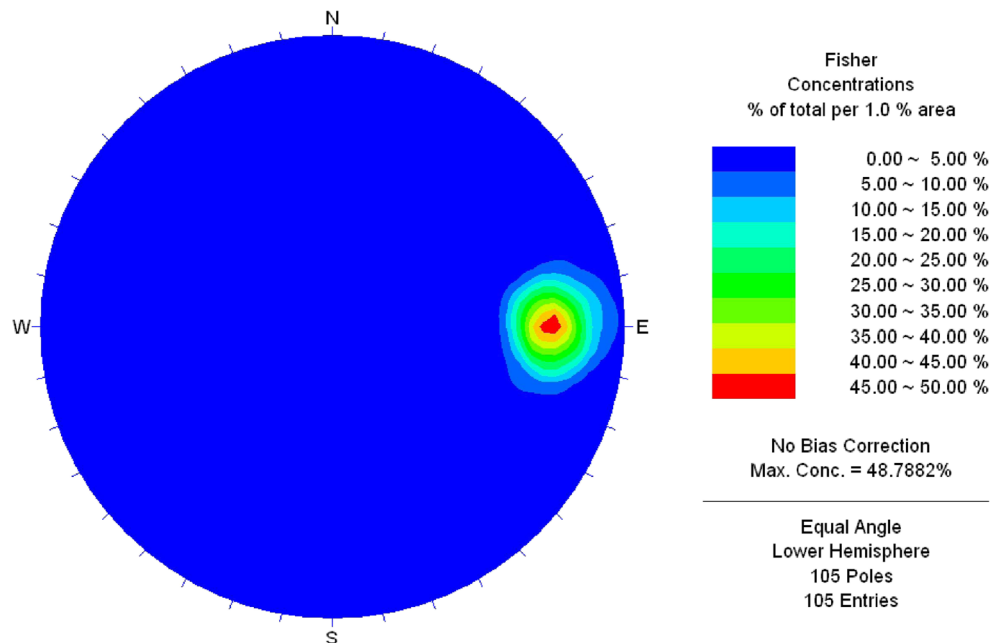
From formulas 3 and 16, it can be seen that the first four parameters ( $RQD$ ,  $J_n$ ,  $J_p$ , and  $J_a$ ) in the  $Q_{slope}$  system are replaced by two parameters ( $UCS$  and  $K_v$ ) in the BQ method, which need to be measured accurately in the field work. The former can be measured using a portable point loader and the latter using a sonic instrument or through measuring  $J_v$ . Based on the above and taking into account the existing geological and environment conditions of the slope, the stability status of the slope can be instantly estimated.

### Limits of applicability of the BQ- $Q_{slope}$ system

For rock mass with poor quality, the GSI value cannot be estimated by the  $\text{RMR}'_{89}$  value. Referring to related literature, the  $\text{GSI} = \text{RMR}'_{89} - 5$  formula is established on the condition that  $\text{RMR}'_{89} > 23$ . According to formula 10,  $\text{BQ} > 220.59 - 91.41G_c$ , where  $G_c$  is between 0 and 1. The  $G_c$  values under different conditions can be looked up in Table 5.

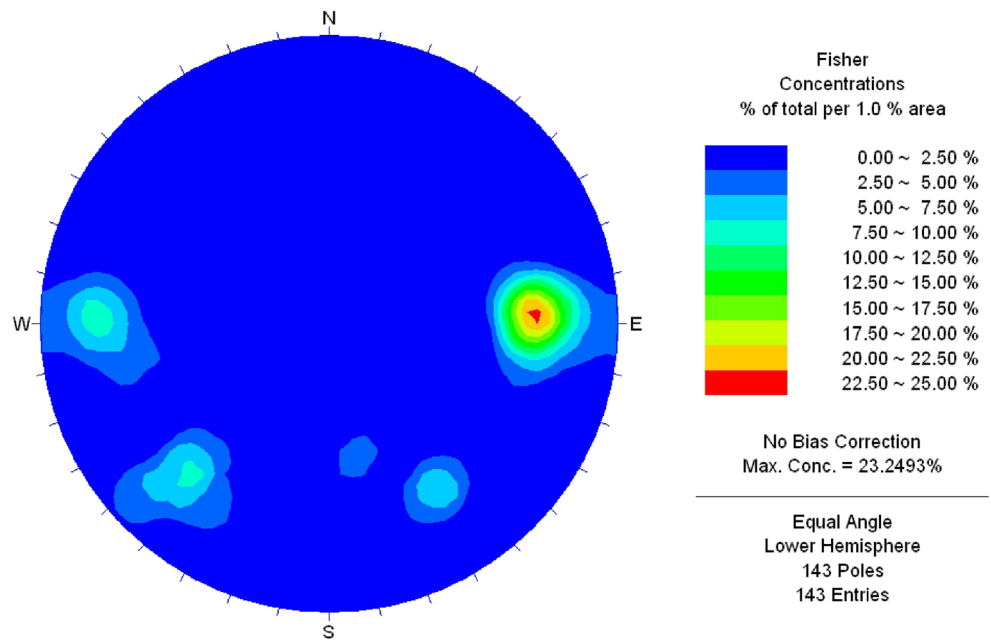
In addition, it can be seen from the above that the BQ- $Q_{slope}$  system only replaces  $Q'$  in the  $Q_{slope}$  method with BQ by means of the relationship among BQ, RMR, GSI, and  $Q'$  and without any changes to other parts. Therefore, the application conditions of the BQ- $Q_{slope}$  system are consistent with that of  $Q_{slope}$ , and there is no restriction on slope height.

Fig. 2 The contours of joints in the left slope rock mass





**Fig. 3** The contours of joints in the right slope rock mass



**Case study**

The Zhen’an Pumped Storage Power Station is located in the Territory of Yuehe Township, Shangluo City, Shaanxi Province, 128 km from Xi’an. The power station hub consists

of the upper reservoir, the lower reservoir, water conveyance system, underground powerhouse, switch station, and other components. Among them, the lower reservoir is located in the main stream of the Moon River, which trends approximately SE120~150° and the river elevation is between

**Table 6** The left bank slope rock mass quality by BQ-Q<sub>slope</sub> and Q<sub>slope</sub> methods

Adit section (m-m)	Weathering degree	Major joints attitude	Effect of major joints on slope stability	Lithology	UCS (MPa)	Rock intactness index K <sub>v</sub>	RQD(%)	J <sub>n</sub>	J <sub>r</sub>	J <sub>a</sub>	G <sub>c</sub>		
0–5	Intensely	270°∠74°	Favorable	Granodi-orite	55	0.04	6	18	1	3	0		
5–10						0.19	56	20	1	3	0		
10–15						Moderately	72	0.06	71	18	1	5	0
15–20							0.52	86	9	1	3	0	
20–25							0.47	88	9	1	3	0	
25–30							0.55	81	4	1	3	0	
30–35							0.52	73	4	1	3	0	
35–40							0.47	86	9	1	3	0	
40–45							0.45	74	9	1	3	0	
45–50							0.62	85	4	1	3	0	
50–55	0.57	81	12	1	3	0							
55–60	Slightly				96	0.62	88	2	1	3	0		
60–65						0.33	82	2	1	3	0		
65–70						0.36	89	2	1	3	0		
70–75						0.36	84	4	1	3	0		
75–80						0.36	89	4	1	3	0		
80–85						0.43	90	2	1	3	0		
85–90						0.38	92	2	1	3	0		
90–95						0.28	70	9	1	3	0		
95–100						0.23	80	4	1	3	0		

Rock intactness index K<sub>v</sub> is estimated from volumetric joint count J<sub>v</sub>, which is obtained by measuring the joints along the adit wall

**Table 7** The right bank slope rock mass quality by BQ- $Q_{slope}$  and  $Q_{slope}$  methods

Adit section (m-m)	Weathering degree	Major joints attitude	Effect of major joints on slope stability	Lithology	UCS (MPa)	Rock intactness index $K_v$	RQD(%)	$J_n$	$J_r$	$J_a$	$G_c$
0-5	Intensely	267°∠70°	Favorable	Granodi-orite	55	0.31	42	20	1	3	0
5-10							66	9	1	3	0
10-15	Moderately				72	0.59	71	15	1	4	0
15-20							82	4	1	3	0
20-25							81	9	1	3	0
25-30							86	4	1	3	0
30-35							68	12	1	3	0
35-40							52	9	1	4	0
40-45							51	4	1	3	0
45-50	42°∠70°					0.30	51	12	1	3	0
50-55							86	4	1	3	0
55-60							81	4	1	3	0
60-65	267°∠70°					0.94	92	2	1	3	0
65-70							66	12	1	3	0
70-75	327°∠68°		Very favorable			0.59	66	12	1	3	0
75-80							44	4	1	3	0
80-85							50	9	1	3	0
85-90	42°∠70°		Favorable			0.35	50	9	1	3	0
80-85							267°∠70°				0.38
85-90	60	12	1.5	3	0						

Rock intactness index  $K_v$  is estimated from volumetric joint count  $J_v$ , which is obtained by measuring the joints along the adit wall

960~822 m. The Moon River valley shows a V-shaped profile with bottom width of 40–60 m. The bank slope is steep from the bottom of the valley to above 50 m, usually at 50~70° with local steep cliffs, and the upper part of the slope is usually at 40~45°. The total height of the bank slope is about 130~150 m. Typical valley shape is shown in Fig. 1.

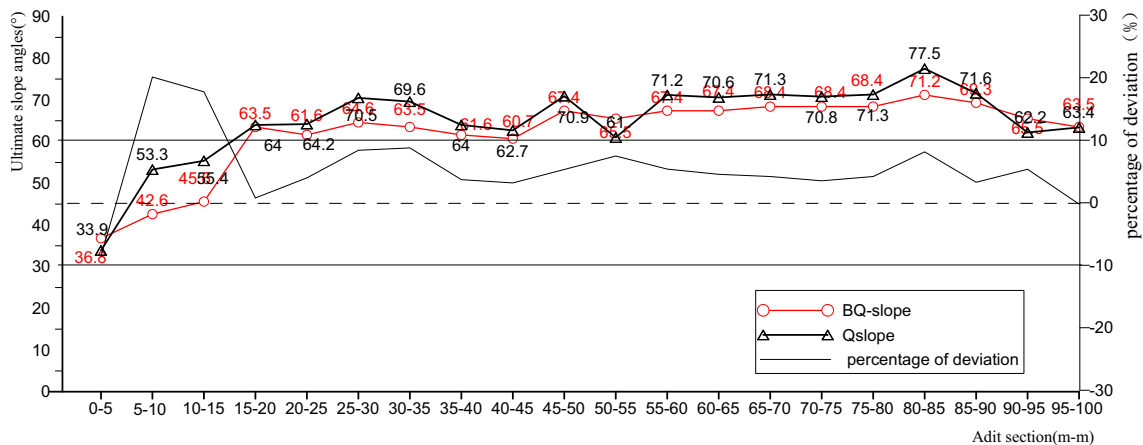
The lower reservoir bank slope at the dam site trends about SE170°, formed by Mesozoic grayish-white granodiorite with hypautomorphic granular texture. The slope structure is characterized as blocky.

There are no regional large faults passing through the dam site except for some minor faults. The rock joints developed in the slope show mostly steep angles. For the left bank slope,

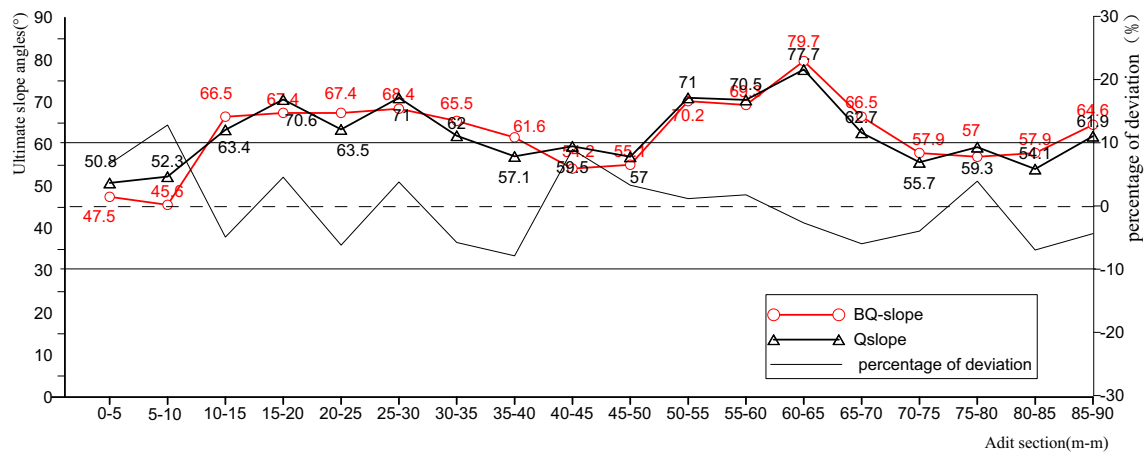
there is only one joint set striking nearly S-N with E or W dip direction, dip angle about 74° (Fig. 2). In the right bank slope, four joints sets are found in the rock mass, the detailed information is depicted in Fig. 3.

For the sake of stability evaluation of the bank slope at the dam site and thus supporting the design of excavation, two exploratory adits have been excavated, one in the middle part of the left slope and the other in the right one. The slope angles in different adit segments are estimated by using  $Q_{slope}$  and  $Q_{slope}$ -BQ systems for comparison, so as to verify the correctness of the  $Q_{slope}$ -BQ system.

Through the measurement and test work along the adit wall, the rock’s degree of weathering, UCS, and the rock



**Fig. 4** The left bank slope ultimate slope angles



**Fig. 5** The right bank slope ultimate slope angles

intactness index in different adit segments have been obtained, which would be used in the BQ- $Q_{\text{slope}}$  system.  $RQD$ ,  $J_n$ ,  $J_p$ , and  $J_a$  are used in the  $Q_{\text{slope}}$  system. The results are shown in Tables 6 and 7.

In addition, the joints both in the left and right bank slope are all favorable to the stability of the slope. Therefore, the  $O$ -factor should be 1.0; the  $J_{\text{wice}}$  factor should be 0.7 because the study site is located in the transition section of the north subtropical zone to the warm temperate zone with annual rainfall of about 800 mm, which belongs to the semi humid climate and wet environment. The slope structure is favorable to the stability, and the rock (granodiorite) that constitutes the slope is a competent rock; so the factors  $SRF_a$ ,  $SRF_b$ , and  $SRF_c$  should be 2.5, 2.5, and 1.0, respectively, according to the geological conditions of the slope, and thus the maximum value 2.5 should be chosen as the factor  $SRF_{\text{slope}}$ . In addition, the slope is in a dry state as a whole, and the value of  $G_c$  is 0.

Based on the above, the ultimate slope angles corresponding to the different excavation depths in the horizontal direction are calculated from  $Q_{\text{slope}}$  and  $Q_{\text{slope}}$ -BQ systems, respectively, and the results are shown in Figs. 4 and 5 (failure probability is 1%).

The above results show that the lower reservoir bank slope at the dam site can usually remain stable in a steep slope angle apart from the highly weathered rock mass in the slope shallow surface. This is in accordance with the actual situation of the river valley slope; for example, the lower part of the slope is often steep due to slightly weathered rock, but in the upper part, the slope angle is relatively small to maintain the stability of the slope due to highly weathered rock and poor intactness. The field investigation shows that the slope angle of the upper part is generally  $40\sim 45^\circ$ , which is in agreement with the calculation results (the left bank slope is  $37\sim 46^\circ$  and the right is about  $46\sim 48^\circ$ ). This fact shows that the evaluation method of slope stability presented in this paper is applicable.

In addition, it can be seen that the slope angle estimated by  $Q_{\text{slope}}$  and  $Q_{\text{slope}}$ -BQ methods is basically the same except at

the entrance of the adits, and the percentage of deviation basically within 10%. Therefore, it is feasible to replace four parameters of  $Q_{\text{slope}}$  with two parameters of the BQ system to estimate slope angle.

At the entrance of the adits, with developed fractures and fractured rock mass, the integrity index  $K_v$  obtained from volumetric joint count  $J_v$  is low, resulting in a relatively low BQ value in the BQ- $Q_{\text{slope}}$  method. However, the fitting degree of the two results is higher for the intact rock mass in the adits.

## Conclusions

The  $Q_{\text{slope}}$  method used for slope stability evaluation is based on the rock mass classification method Q system, which needs to take into account the rock quality index  $RQD$ , the number of rock joint sets, the joint roughness, and alteration through detailed investigation in the field. The BQ method only employs two parameters, UCS and rock intactness index  $K_v$ , both of which are quantitative indexes and easy to obtain through laboratory or field tests and measuring. In this paper, the BQ- $Q_{\text{slope}}$  method is put forward through combining the BQ method and  $Q_{\text{slope}}$  system based on the relationships between different rock mass classification methods, which not only simplifies the field survey but also makes the results more objective. The case study shows that evaluation results using the method presented in this paper are coherent with what is observed; however, due to the lack of application, further studies are required in more engineering projects to improve and expand the application of the method.

## References

- Bar N, Barton N (2017) The Q-slope method for rock slope engineering. *Rock Mech Rock Eng.* <https://doi.org/10.1007/s00603-017-1305-0>



- Barton N (2002) Some new Q-value correlations to assist in site characterization and tunnel design. *Int J Rock Mech Min Sci* 39:185–216
- Barton N, Bar N (2015) Introducing the Q-slope method and its intended use within civil and mining engineering projects. *ISRM regional symposium EUROCK 2015 — future development of rock mechanics*, 7–10 October 2015, Salzburg, Austria, pp 157–162
- Barton N, Lien R, Lunde J (1974) Engineering classification of rock masses for the design of tunnel support. *Rock Mech* 6(4):189–236
- Chen Z (1995) Recent developments in slope stability analysis. In: *Proceedings of the 8th international congress. ISRM, Tokyo*, pp 1041–1048
- Hack R, Price D, Rengers N (2003) A new approach to rock slope stability—a probability classification (SSPC). *Bull Eng Geol Environ* 62:167–184
- Hoek E, Kaiser PK, Bawden WF (1995) *Support of underground excavation in hard rock*. Balkema, Rotterdam, p 105
- Mazzocola DF, Hudson JA (1996) A comprehensive method of rock mass characterization for indicating natural slope instability. *Q J Eng Geol* 29:37–56
- Nicholson DT, Hencher SR (1997) Assessing the potential for deterioration of engineered rock slopes. In: *Proceedings of the IAEG symposium, Athens*, pp 911–917
- Robertson AM (1988) Estimating weak rock strength. In: *Proceedings of the SME annual meeting, Phoenix*, pp 1–5
- Romana M (1985) New adjustment ratings for application of Bieniawski classification to slopes. In: *Proceedings of the international symposium on role of rock mechanics, Zacatecas, Mexico*, pp 49–53
- Romana M, Serón JB, Montalar E (2003) SMR Geomechanics classification: application, experience and validation. In: *Proceedings of the international symposium on role of rock mechanics, South African Institute of Mining and Metallurgy*, pp 1–4
- Selby MJ (1980) A rock mass strength classification for geomorphic purposes: with tests from Antarctica and New Zealand. *Z Geomorphol* 24(1):31–51
- Shi YC, Wang Z, Wan GR et al (2005) Study of mountain highway slope mass rating. *Chin J Rock Mech Eng* 24(6):939–944 (In Chinese)
- Singh A (2004) FRHI—a system to evaluate and mitigate rockfall hazard in stable rock excavations. *J Div Civ Eng Inst Eng (India)* 85:62–75
- Singh A, Connolly M (2003) VRFSR—an empirical method for determining volcanic rock excavation safety on construction sites. *J Div Civ Eng Inst Eng (India)* 84:176–191
- Sun DY, Chen ZY, Du BH et al (1997) Modification to the RMR-SMR system for slope stability evaluation. *Chin J Rock Mech Eng* 16(4): 297–304 (In Chinese)
- The National Standards Compilation Group of People's Republic of China (2014) GB/T 50218—2014 standard for engineering classification of rock masses. China Planning Press, Beijing (in Chinese)
- Zhang YC, Huang RQ, Zhao LD et al (2010) Study of Tianshan slope rock mass rating (TSMR) system. *Chin J Rock Mech Eng* 29(3): 617–623 (in Chinese)