**ORIGINAL PAPER**



# **Evaluating Road‑Cut Slope Stability Using Newly Proposed Stability Charts and Rock Microstructure: An Example from Dharasu‑Uttarkashi Roadway, Lesser Himalayas, India**

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# **Abstract**

The natural and cut slopes of a segment of the Dharasu-Uttarkashi Roadway (NH-108), located in the Lesser Himalayan Zone in India, have been studied for the frst time adopting a multi-parametric integrated approach in terms of (1) distribution of magnitude of natural slope (2) engineering geological properties of intact rocks and rock masses, (3) kinematic analysis of slopes, (4) documentation of existing slope failures (5) rock- microstructural implications and (6) multiple geomechanical classifcation of slopes. Assessment of stability of slopes based on the combined study of the above parameters has been performed for twelve locations (L1−L12) on the road-cut sections where the slopes mostly have not yet failed. Magnitude of natural slopes overlooking the road section attains peak slope class of 41°−50°. Kinematic analysis characterizes the intact slopes in the above locations to possess conditions of wedge and toppling modes of failure, either in single or as combined. Existing failed slopes conform to combinations of planar, wedge, toppling and shallow circular failures. Rock microstructural study reveals development of strong shear-strength-weakening foliation anisotropy in the phyllites and schistose quartzites of the slopes that evidently serve as avenues of groundwater percolation and seepage and can promote failure along watersoaked foliation planes that 'day-light' on the road-cut slopes at locations L1, L8 L9 and L10. Based on Geomechanical classifcation systems applied to slopes including Continuous Slope Mass Rating, Q-Slope and Hazard Index, new stability charts have been developed that classify the slopes at each location to be one of the three types: severely unstable, unstable or stable. Based on the new stability charts, road-cut slopes at all twelve locations were found to be unstable and slopes at three locations−L7, L8 and L10 were observed to be severely unstable, particularly hazardous and require immediate mitigation.

# **Highlights**

- Multiparametric integrated approach was adopted to study instability of road-cut slopes in the Dharasu-Uttarkashi highway for the frst time New stability charts were developed combining three Geomechanical slope mass classifcation systems viz.
- The impact of rock microstructure induced foliation anisotropy and water seepage along foliations and fractures on stability of slopes has been recognized.
- The stability of road-cut slopes were evaluated using newly developed stability charts and rock microstructure.
- the C-SMR, Q-Slope and Hazard Index.

**Keywords** Stability chart · Stability assessment · Geomechanical classifcation · Kinematic analysis · Hazard index · Q-Slope

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# **1 Introduction**

Slopes in road-cut sections in hilly terrains are prone to frequent slope failures at diferent scales that are due to combinations of variations of rock mass characteristics and factors

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such as rainfall, blasting and traffic-induced vibrations and earthquakes. Furthermore, the stability of the rock slopes may also be infuenced by road curvature especially in rugged terrains (Hoek and Bray [1981\)](#page-35-0).

Several approaches for addressing slope stability problems are practiced. These include: (1) empirical approach, whereby a slope is assessed by rock mass classifcation systems and the quality of slopes is quantitatively classifed, (2) Geometric and Kinematic approach which examines the potentiality of failure of a slope by analyzing the geometrical relationship of the orientations of discontinuity surfaces and the slope, (3) Limit equilibrium analysis that deals with the driving and resisting forces that act along an existing plane with the potential of failure and characterizes the stability of the slope in terms of safety factors, (4) Numerical analysis including Finite element analysis to deal with factor of safety of slopes in rock masses that do not contain any pre-existing planes or lines of failure. The empirical approach of assessing slope stability using rock mass classifcation system is often adopted as a frst step for any transport engineering project. The advantage of applying Rock mass classifcation system in slopes is that, it can provide quantitative data and guidelines for engineering purposes and can improve originally abstract descriptions of rock mass from inherent and structural parameters (Liu and Chen [2007;](#page-35-1) Pantelidis [2009](#page-35-2)) by simple arithmetic algorithm (Romana [1985](#page-35-3)). Rock Mass classifcation system is therefore applied worldwide and facilitate characterization, classifcation and knowledge of rock mass properties. In empirical approach, slopes are geo-mechanically classifed using rock mass classifcation systems.

Some of the existing geomechanical classifcation for slopes are: Rock Mass rating (RMR, Bieniawski [1989\)](#page-34-0) Rock Mass Strength (RMS, Selby [1980\)](#page-35-4), Slope Mass Rating (SMR, Romana [1985](#page-35-3)), Slope Rock Mass Rating (SRMR, Robertson [1988](#page-35-5)), Mining Rock Mass Rating (MRMR, Laubscher [1990\)](#page-35-6), Mining Rock Mass Rating modifed (MRMR modifed, Haines and Terbrugge [1991\)](#page-35-7), Chinese Slope Mass Rating (CSMR, Chen [1995](#page-34-1)), Natural Slope Methodology (NSM, Shuk [1994\)](#page-35-8), Modifed Rock Mass Rating (M-RMR, Unal [1996\)](#page-36-0), Geological Strength Index (GSI, Marinos and Hoek [2000](#page-35-9), [2001\)](#page-35-10), Modifed GSI (Sonmez and Ulusay [1999,](#page-35-11) [2002\)](#page-35-12), Slope Stability Probability Classifcation (SSPC, Hack [1998](#page-34-2), Hack et al. [2003\)](#page-35-13), Modifed Slope Stability Probability Classifcation (SSPC modifed, Lindsay et al. [2001\)](#page-35-14), Continuous Rock Mass Rating (CRMR, Sen and Sadagah [2003\)](#page-35-15), Continuous Slope Mass rating (Continuous SMR, Tomás et al. [2007](#page-36-1), Tomás et al. [2012\)](#page-36-2), Alternative Rock Mass Classifcation System proposed by Pantelidis, [2010](#page-35-16), Slope Stability Rating (SSR, Taheri and Tani [2010](#page-36-3)), Q-Slope classifcation (Barton and Bar [2015](#page-34-3); Bar and Barton [2017\)](#page-34-4) and Modifed Rock Mass Rating by modifed blockiness index ( $\text{RMR}_{\text{mbi}}$ , Chen and Yin [2020\)](#page-34-5). Slope stability assessment in road-cut sections is widely practiced using several of the above methods (cf. Kentli and Topal [2004](#page-35-17); Umrao et al. [2011](#page-36-4); Gupta and Tandon [2015;](#page-34-6) Basahel and Mitri [2017](#page-34-7); Pradhan and Siddique [2020\)](#page-35-18). However, it has been commonly observed that each scheme of geomechanical classifcation of slopes as stated above, may indicate varying stability grades of slopes that difers from one another. In other words, a slope that is classifed as unstable in one classifcation scheme may get classifed as stable in another. Therefore, development of stability charts combining more than one classifcation schemes seems acutely necessary for a comprehensive judgment of slope stability of a particular locality.

In this paper, we present the results of a comprehensive study of slopes by integrating multiple parameters including natural slope distribution, causes of existing failed slopes, geometric and kinematic analysis of cut slopes, analysis of new feld data on structural elements and cut slopes, laboratory testing of representative rock specimens that occur on slopes, geomechanical classifcation of slopes and rockmicrostructural implications on slope failure to assess the stability of intact slopes in a part of Dharasu-Uttarkashi road section (NH 108), in Uttarkhand in India. *A novel set of stability charts is developed that combines more than one geomechanical classifcation of slopes*. The studied segment of the roadway is located in a landslide prone area in the lesser Himalayas where several shallow landslides occur. The roadway connects Tehri and Uttarkashi and is an important transport way that supports business, pilgrimage, infrastructure development and international tourism round the year. In the event of no systematic study hitherto existing on stability analysis of road-cut slopes in the studied section, the present study accounts for comprehensive stability assessment of cut slopes for the frst time, based on the proposed novel stability charts and rock microstructure.

# **2 Geologic Setting, Seismicity and Climate of the Study Area**

### **2.1 The Study Area**

The study area falls within the Survey of India Toposheet number 53 J/6 and is confned between Dharasu bend and Dunda (Fig. [1](#page-2-0)). The Dharasu-Uttarkashi roadway is the national highway no NH 108 and is the route to go to Gangotri. At Dharasu, the road bifurcates at a sharp bend (Dharasu bend) (Fig. [1\)](#page-2-0) with one part connecting Dharasu and Uttarkashi and onwards to Gangotri whereas the other part links Dharasu and Yamunotri. The Bhagirathi River moves parallel to the Dharasu-Uttarkashi Road segment.



<span id="page-2-0"></span>**Fig. 1** Geological Map of the study area. Studied slope locations are marked as L1, L2… etc. on the Dharasu-Uttarkashi Road section (NH 108). The Dharasu bend (indicated by arrow) is a junction between the two road sections: one leading to Yamunotri Glacier through

Khumla Gad in the north-west and the other one leading to Uttarkashi in the northeast. Shallow landslides occur at locations LS1 and LS2 on the road near Dharasu bend

# **2.2 Site Geology**

The study area forms a part of Lesser Himalayan Sequence of rocks of the Garhwal Himalayas of northern India. The lesser Himalayan sequence corresponds to 1870−800 Ma age and is comprised of meta-sedimentary and meta-volcanic strata and Augen gneiss (Yin [2006;](#page-36-5) Jain et al. [2016](#page-35-19)). The Lesser Himalayan rocks that are exposed in this region belong to the Neoproterozoic Jaunsar Group and the Mesoproterozoic Garhwal Group with the North Almora thrust (NAT) separating the two Groups (Fig. [1\)](#page-2-0). Two formations that are equivalent to each other constitute the Jaunsar Group Shanker et al. [1989,](#page-35-20) Sharma and Singh [2005](#page-35-21). These are the Chandpur/Amri Formation that are exposed near Dharasu bend and the equivalent Morar–Chakrata Formation that outcrops around Junga (Fig. [1\)](#page-2-0). The Jaunsar Group occurs on the west to south-western side of the NAT and forms a part of its hanging wall. The formations are lithologically composed of phyllites, slate, graywacke, schistose quartzites and basic intrusives.

The relatively older Garhwal Group is exposed in the eastern to north-eastern side of the NAT (Fig. [1\)](#page-2-0). Three Formations constitute the Garhwal Group in the region that outcrops between Uttarkashi and the NAT. These are, from relatively older to younger: Uttarkashi, Lameri and Nagnithank Formation. The Uttarkashi formation consists of

<span id="page-3-0"></span>**Table 1** Stratigraphy of the Lesser Himalayas in the study area



interbedded quartzite and slate with lensoidal limestone. The Lameri consists of interbedded limestone, dolomite, phyllite and slate and the Nagnithank is composed of interbedded quartzites, slates and metabasalts.

To the northeast of Uttarkashi, the Garhwal Group is limited by the Main Central Thrust (MCT)-an important tectonic salient. The MCT dips toward northeast and its hanging wall exposes the Central crystalline Group consisting of the Wazri and the Yamunotri Formations. The stratigraphic framework of the study area is presented in Table. [1.](#page-3-0)

The Dharasu-Uttarkashi roadway cuts through the Jaunsar, NAT and the Garhwal Group of rocks as described above and expose the rocks on the cut-slope face. The hanging wall of the NAT is in the form of an antiform that plunges due SSE. The NAT conforms with an out-ofsequence thrust (antithetic thrust) that dips towards west to southwest (Fig. [1\)](#page-2-0). The Garhwal Group of rocks in the footwall side (eastern side) of the NAT is folded into a NW−SE trending antiform-synform pair. The synform occurs near Dunda (Fig. [1](#page-2-0)) and the corresponding antiform occurs near Nakuri (Fig. [1](#page-2-0)).

#### <span id="page-3-1"></span>**2.3 Seismicity and Climate**

The study area lies within Zone-IV of the Seismic map of India and is therefore not a safe place for human settlement. The Uttarkashi earthquake of October 20,  $1991(M, 7.0)$ USGS) and the Chamoli earthquake of March 29, 1999 ( $M<sub>s</sub>$ 6.6 USGS) were devastating seismic activity recorded in the region. The entire area between Main Boundary Thrust (MBT) and MCT i.e., the entire Lesser Himalaya is beset with high peak ground acceleration values between 0.3 g and 0.5 g over a short distance spanning 25 km to 40 km (Kumar et al. [2011\)](#page-35-22). This is indicative of a high seismic hazard zone in the study area and beyond.

The climate is in general warm and temperate. The Köppen-Geiger classifcation of climate in the area is Cwa. The summers are marked by relatively more rainfall than the winters. The temperatures vary between minimum 3 °C (in January) and maximum 33  $\degree$ C (in June) with an average temperature of 18 °C. The lesser Himalayas acts as an orographic barrier to the moisture-laden winds from the south and induces a medium rainfall pattern in the study area. Analysis of historic precipitation data, obtained from Kharsali Rain gauge station in Uttarkashi and World Weather online website:

([https://www.worldweatheronline.com/lang/en-in/dhara](https://www.worldweatheronline.com/lang/en-in/dharasu-weather-history/uttarakhand/in.aspx) [su-weather-history/uttarakhand/in.aspx\)](https://www.worldweatheronline.com/lang/en-in/dharasu-weather-history/uttarakhand/in.aspx) reveal a mean multi-annual (from 2009 to 2019) rainfall of 761.31 mm (Fig. [2a](#page-4-0)). The monsoon spans from June to September and the cumulative rainfall during monsoon may exceed 1000 mm (Fig. [2b](#page-4-0)). It can be observed from Fig. [2b](#page-4-0), that August remained the rainiest month from 2009–2012 and was replaced by July during 2013–2018. Relative contribution of mean rainfall of each monsoon month to the cumulative mean annual rainfall (Fig. [2c](#page-4-0)) shows that precipitation in the month of August, in general, contributes maximum to the cumulative rainfall during the monsoons.



<span id="page-4-0"></span>**Fig. 2** Rainfall data of the study area. **a** Cumulative multi-annual mean precipitation over the past decade. **b** Distribution of mean annual precipitation during the monsoon months from June to September over the past decade. Note that August remained the rainiest month from 2009 to 2012 and was replaced by July during 2013– 2018. **c** Relative contribution of mean rainfall of each monsoon month to the cumulative mean annual rainfall

# **3 Methodology**

The methodology used in this study is illustrated in the form of a fow-chart diagram in Fig. [3](#page-5-0). It begins with evaluating natural topographic slopes related to the roadcut section of the study area based on satellite imageries and topographic maps. Based on this evaluation, zones on highway sections were identifed where slopes are anticipated to fail. The second step involves an intensive feld investigation based on the above study and includes observations, measurement and documentation of already failed slopes if any, lithology, penetrative and non-penetrative structures, slope characteristics and oriented rock sample collection by continuous walk-over method. The third step involves determination of physical and engineering properties of rock samples collected from the feld locations, by laboratory testing. The fourth step is to perform the kinematic analysis of slopes at each location. The kinematic analysis has been performed from the orientation data of joint sets and slope to examine the possibility of failure and its type. The ffth step is to perform a detailed rock-microstructural study to evaluate the role of mineral grain boundary anisotropy and preferred dimensional orientation of constituent minerals in failure of slopes. In the sixth step, the Rock Mass rating RMR for each location was determined by the Discrete Rock Mass Rating System (Bieniawski [1989\)](#page-34-0). The seventh step in the methodology is to perform a slope mass rating using the results of the kinematic analysis, the joint-slope orientation relationships, and the RMR score. Five systems of geomechanical classifcation of slopes viz. original SMR (Romana [1985\)](#page-35-3), Chinese SMR (Chen [1995](#page-34-1)), Continuous SMR (Tomás et al. [2007](#page-36-1)), Q-slope (Bar and Barton [2017\)](#page-34-4) and Hazard Index (HI) (Pantelidis, [2010](#page-35-16)) were applied to structurally controlled failure of road-cut rock slopes. For non-structurally controlled failure of road-cut rock slopes only the HI method is used. A novel scheme of stability feld chart is developed by combining the various systems of geomechanical classifcation of slopes. Finally integrating results and information from all the above parameters, the stability of the slopes of the road-cut section of the study area has been comprehensively assessed within the framework of proposed stability charts and microstructural implications.

# **4 Studied Parameters and Their Results**

#### **4.1 Natural Topographic Slope Distribution**

The study area is marked by a rugged topography and is a part of north to south fowing Bhagirathi River watershed. The maximum and minimum elevation points of the watershed are 2300 m and 869 m respectively with a relief diference (*Rd*) of 1431 m. The drainage is dendritic to parallel with a drainage density  $(Dd)$  of 3.02 km/km<sup>2</sup>. The ruggedness number  $(Rn)$  expressed as  $Rn = [(Dd \times Rd)/1000]$ is determined to be 4.32 and is considered to be relatively high due to deep dissection by the Bhagirathi River and its tributary valleys. Ruggedness number combines the slope steepness and length indicating the extent of the



<span id="page-5-0"></span>**Fig. 3** Flow chart of the methodology adopted in this work

instability of land surface (Strahler [1957](#page-36-6)). High ruggedness number would therefore signify steep slopes. The Dharasu-Uttarkashi Road section in the study area therefore has steep natural slopes overlooking the road. For estimating the natural topographic slope distribution in the study area 1:50,000 topographic map of Survey of India, has been



<span id="page-6-0"></span>**Fig. 4** Natural Slope map of the Dharasu-Uttarkashi Road section (NH-108). The study area is shown with a rectangular outline. The slopes overlooking the road are documented in four classes with the gentlest slope class 0°−20° and a steepest slope class of 41°−50°. The Bhagirathi River runs approximately parallel to the road section

used. Individual segments were defned by the spur that is fanked by adjacent valleys. Topographic slope angle was determined for each spur from the trigonometric ratio of the shortest map distance from the highest elevation of the spur to the road level and the total elevation obtained from the number of elevation contours in between the road and the highest point of the spur. Frequencies of slopes in degrees of consecutively adjacent segments were recorded and grouped into slope classes and are documented in Fig. [4.](#page-6-0) The results show that the natural slopes overlooking the roadway in the study area can attain a slope of 41°−50° at several segments (Fig. [4\)](#page-6-0). These natural topographic slope segments were further studied in Google Earth Engine by zooming to a scale of 1:1000 and slopes were determined trigonometrically from the ratio of distance from the road level to the nearest slope break along the topographic slope and its corresponding elevation. No attempt was made to remove vegetation cover from Google Earth images during slope determination. This scale of resolution provides the site-specifc slope that ranges 55°−70°. Such high natural topographic slope segments may pose instability along road cuts at several locations and were planned for direct feld investigation and slope stability assessment.

#### **4.2 Slope Failure Incidences**

The study area reveals that even though the study area is rugged with steep natural slopes and the area is seismically active with an average annual rainfall of  $\sim$  760 mm for the last decade, no slope failures occurred in the study area before the year 2011 (Fig. [5](#page-7-0)a). In 2011, there were several cut sections of the road that failed (shown by arrows in Fig. [5b](#page-7-0)). New failure zones were subsequently added along with erosion-induced modifcation of earlier-failed slopes in subsequent years (Fig. [5c](#page-7-0), d). The shallow landslides near Dharasu bend (LS1 and LS2 in Fig. [1\)](#page-2-0) occurred during peak precipitation during August 2011 in presence of an ongoing road widening construction work that adopted uncontrolled blasting. Vibrations from uncontrolled and unsystematic blasting at the road and cut-slope intersection, coupled with heavy spells of rainfall during monsoon months, is attributed to the cause of the failure. The debris from the slope failure events were periodically removed to make the highway functional despite getting blocked by new failure events (Fig. [6](#page-8-0)a).

Failed slopes conform to either single or a combination of several types of failures including rock fall, plane failure, wedge failure, toppling and circular failure (Wyllie and Mah [2004](#page-36-7)). For example, a combination of rock fall and wedge failure has occurred at location no. L10 (Fig. [6a](#page-8-0)). Incipient failure zones with spalling of steep cut slopes can be ascertained from observations like rotation of trees and other vertical markers (Fig. [6b](#page-8-0)). Shallow circular slope failures are observed near Dharasu bend (Fig. [6c](#page-8-0), 6d) with their corresponding locations LS1 and LS2 indicated in Fig. [1](#page-2-0).

In addition to the above, there are several locations where the road-cut slopes apparently have a possibility of failure. For instance, plane failure is anticipated in Fig. [7](#page-9-0)a, wedge failure in Fig. [7](#page-9-0)b, c, combination of planar and wedge sliding in Fig. [7b](#page-9-0), and toppling failure in Fig. [7](#page-9-0)d.

#### **4.3 Field Data and Observations**

Outcrops of every location and in between was examined in the feld by walk-over method. Important observations that were relevant to the stability assessment of slopes were performed along with measurement and documentation. These include, rock type, variation in rock composition and grain size if any, structures including compositional banding, folds, joints, faults, penetrative foliations, lineations, weathering characteristics, geological strength index (GSI), Schmidt hammer rebound value of joints and intact rocks, joint characteristics including joint frequency, joint persistence, joint aperture and flling, joint surface roughness, orientation of structural elements, orientation of slope, magnitude of slope−height, curvature & areal extent, road



<span id="page-7-0"></span>**Fig. 5** Google Earth images of the study area before and after slope failures. Insets contain the date of the image. **a** Image before slope failure. The Dharasu-Uttarkashi Road section (white arrow) runs parallel to the Bhagirathi River (black arrow). **b** Slope failures along

the road-cut section occur at several places. The prominent ones are indicated by arrow. **c** Slope failures in new areas (marked by arrow) located south of the earlier-failed zones. **d** Slope failures on the eastern bank of Bhagirathi River (marked by arrow). Scale bar is 444 m

orientation and groundwater conditions. Oriented samples were collected from the locations for laboratory study. Twelve locations (L1–L12) were identifed during feldwork, where the slopes were anticipated to fail. Table [2](#page-10-0) gives the summary of measured data of the locations L1 to L12 in the feld. The slope heights of the cut slopes vary in the range of 8-30 m. Cut Slopes are steep to very steep and range 55°- 80°. Location L1 possesses fve joint sets; L2, L4, L5, L7, L8 and L10 possesses four sets of joints whereas L3, L6, L9, L11 and L12 possesses three joint sets. Penetrative foliations (schistocity in schistose quartzites and slaty cleavage in phyllites and slates) have a mean orientation of  $62^{\circ} \rightarrow 28^{\circ}$ with dip angles of foliation in the range of 45°−70° and azimuth in the range of 25°−37°. Data presented in Table [2](#page-10-0), in addition to the above, were used to derive other parameters that are subsequently discussed below.

# **4.4 Engineering Geological Properties of Rock Samples**

The engineering geological properties of all the rock types exposed in the study area have been evaluated on the basis of feld observations and laboratory tests including, density, efective porosity, unit weight, point load strength index (PLSI), Uniaxial compressive strength (UCS), Schmidt hammer rebound value (R value), tensile strength (Brazilian test), and ultrasonic wave velocities (both P- and S-waves). The tests were carried out according to ISRM ([1981](#page-35-23)) and the laboratory setting, sample installation and test results for PLSI, Brazilian test and UCS are illustrated in Fig. [8.](#page-11-0) Table [3](#page-12-0) presents the data of the laboratory tests performed in the cored specimens of oriented representative samples of the slope locations. Each test has been repeated fve times for each parameter for each type of rock and the mean value has been presented in the Table [3](#page-12-0).

#### **4.5 Kinematic Analysis of Slopes**

Assessment of slope stability begins with a geometric and kinematic analysis of slopes that involves analysis of the orientation relationships between the discontinuities and the slope in question. Kinematics refers to the motion of bodies without reference to the forces that cause them to move. In general, geometric relationships between discontinuities and slope indicate the possibility of movement of blocks of rocks bounded by discontinuities. If the kinematic analysis



<span id="page-8-0"></span>**Fig. 6** Failed slopes in the Dharasu–Uttarkashi Road section in the study area. For locations refer to Fig. [1](#page-2-0). **a** Wedge blocks and boulders produced by wedge failure at location L8. Traffic has been halted for clean-up operations. **b** Spalling of rock and wedge failure at location L10. Ongoing creep movements on slope are evident from rotation

of tree (indicated by arrow) on the cut slope. **c** Shallow landslides composed of mixed soil and rock fragments at location 800 m north of Dharasu bend (LSI in Fig. [1](#page-2-0)). Arrow indicates the road level. **d** Shallow landslides occurring at 150 m north of Dharasu bend (LS2 in Fig. [1\)](#page-2-0) Arrow indicates road level

indicates that the failure controlled by discontinuities is likely then the stability further needs to be evaluated by a limit equilibrium analysis which considers the shear strength along the failure surface, the efects of pore water pressure and the infuence of external forces such as reinforcing elements and earthquakes (Turner and Schuster [1996\)](#page-36-8).

Kinematic analysis leads to recognition of three types of failure: plane, wedge and topple, using conditions and criteria for each type of failure (Hoek and Bray [1981;](#page-35-0) Goodman [1989;](#page-34-8) Wyllie and Mah [2004](#page-36-7)). A plane failure develops when the dip amount of a discontinuity plane is less than the dip amount of the slope measured in the direction of sliding and is greater than the friction angle of the discontinuity, provided that the strikes of the discontinuity and the slope are parallel or nearly parallel within certain limits  $(\pm 20^{\circ})$ . A wedge failure is recognized when the plunge amount of the line of intersection of two discontinuities is less than the dip amount of the cut slope and exceeds the friction angle, provided that the plunge direction of the intersection line is same as that of the dip direction of the slope within certain limits  $(\pm 40^{\circ})$ . A toppling failure is indicated when the dips of the slope and the discontinuity planes are oppositely directed within certain limits  $(\pm 10^{\circ})$  and the dip amount of the discontinuity and the slope exceeds 60°.

In this study, the kinematic analysis is done for all of the cut slopes of the highway in the study area, distributed over twelve locations (numbered L1 to L12 serially). For the kinematic analysis the lower hemisphere stereographical projection method is used as described by Hoek and Bray ([1981\)](#page-35-0) and Goodman [\(1989](#page-34-8)). From feld observations it is evident that the strike of the cut slopes at each location is parallel to the trend of the highway and is therefore accordingly considered. Kinematic analysis was performed using DIPS 6.0 of Rocscience Inc. [2014](#page-35-24) and the failure modes were identifed for each location as illustrated in Fig. [9.](#page-14-0) The summary of the kinematic analysis for each cut slope is presented in Table [4](#page-15-0). From the kinematic analysis it can be inferred that slopes at locations L6, L10, L11 and L12 tend to have wedge failure instability, slope at location L9 possesses toppling failure instability whereas slopes at−locations L4 have both plane and wedge failure instability, L7 has both plane and toppling failure instability and L1, L3 and L8 possess both



<span id="page-9-0"></span>**Fig. 7** Failure types of slopes anticipated to fail. For locations refer to Fig. [1.](#page-2-0) **a** Plane (black arrow) and toppling (red arrow) failure expected at poorly excavated slope at location L7. Plane failure has already occurred and the failure planes are exposed; **b** Plane (black arrow) and wedge (white arrow) failure expected at location L4 with arrow indicating the down-sliding sense. **c** Wedge failure conditions

with arrow indicating the direction of probable movement of wedge at location L11. **d** Dominantly Toppling failure condition at location L9. Although minor planar failure surfaces dips towards road due to random joints, in general planar failure is not the mode of instability in the area

wedge and toppling failure instability. Based on kinematic analysis, locations L2 and L5 do not show any indications of structurally controlled failure.

# **4.6 Rock Microstructure**

Microstructural study was performed in the oriented thin sections of the rocks of all the locations of the study area from representative samples to understand the control on stability of slopes by anisotropy & inhomogeneity of the rocks that arise out of the variation in mineralogical composition, grain size, grain orientation, grain boundary geometry, texture and microstructure of the rocks. Thin sections were prepared by cutting the oriented specimen orthogonal to foliation and parallel to the elongated mineral lineation observed on the foliation plane. In this section, an account of composition and microstructure of rocks from the slopes of the study area is presented and the effect of rock microstructure on stability of slopes will be explained at a later stage (see Sect. [5.5\)](#page-31-0).

The white and gray quartzite are hard rocks and in general, are composed of dominantly quartz  $(-85-90\%$  by volume) and minor mica  $\left(\sim 10-15\% \text{ by volume}\right)$  (Fig. [10a](#page-16-0)). The quartz grains in quartzite manifest a bimodal grain size consisting of a relatively coarse size population that range 100–250 μm and a relatively fne-grained population ranging 10–40 μm. The coarse grains correspond to the framework detrital clasts whereas the relatively fnegrained population corresponds to dynamically recrystallized quartz grains. The ratio of volumetric proportion in which the detrital quartz and recrystallized quartz populations occur in quartzite is  $\sim$  9:1. Detrital quartz grains in quartzite, manifest two distinct types of grain boundary contact geometry. The frst type (Type-I contact) is of straight to moderately curved (embayed) sharp contact between the grains that, in most instances, are parallel to the long dimension of the grains in contact (Fig. [10a](#page-16-0)). They defne a preferred alignment of the quartz grains and thereby defne the rock cleavage (S1). The cleavage planes are therefore defned by the continuity of the grain



a absent,  $\checkmark$  kinematically possible,  $\times$  kinematically not possible

<span id="page-10-0"></span>a absent,  $\checkmark$  kinematically possible, x kinematically not possible



<span id="page-11-0"></span>**Fig. 8** Laboratory experimental set up for determining engineering geological properties of intact rocks. **a**–**c** Point load Strength Index (PLSI); **a** equipment set up, **b** specimen under test, **c** Specimens after frst round of PLSI test; **d**–**f** Brazilian test; **d** equipment set up, **e** specimen for test loaded between platen before testing, **f** specimen after test; **g**–**i** uniaxial compressive strength (UCS); **a** The Univer-

sal testing machine equipment set up with pressure control and dial gauge on the right and the 1000 Kilo Newton compressing unit on the left, **b** Specimen for test with attached strain gauges for determining strain at peak failure load during UCS determination, **i** specimen after test

contacts (Fig. [10](#page-16-0)a). The second type of grain contacts (Type-II) are at high angles to the cleavage plane contacts and are strongly embayed within one another and frequently show serrated outline (Fig. [10](#page-16-0)a). Type–I contacts refect truncation of an otherwise smooth boundary of a rounded quartz against another grain at the contact and would imply a pressure-solution mechanism origin of the truncated grain contact whereby both grains undergo dissolution at the contact under the existing compressive stress directed orthogonal to the cleavage during tectonic deformation. Occasionally Type-II contacts are characterized by a zone of mica fbers that grow orthogonal to the grain boundary and parallel to the cleavage (Fig. [10a](#page-16-0)) thus defning a pressure shadow. Some of the Type-I contacts



<span id="page-12-0"></span>**Table**

are occasionally serrated (Fig. [10](#page-16-0)a) and sometimes contain mica flms (Fig. [10](#page-16-0)a). Serrated outline in both Type-I and Type-II contacts are attributed to grain boundary migra tion recrystallization with the development of subgrains at the contact (Urai et al. 1986; Passchier and Trouw 2005). In contrast to recrystallized quartz grains, detrital quartz grains show undulose to patchy extinction patterns that attest to intra-crystalline deformation of quartz (Fig. [10a](#page-16-0)).

The volumetric proportion of mica in schistose quartz ite varies in the range of 15−30%. When volumetric pro portion of mica is relatively higher  $\left(\sim 30\%$  by volume), the cleavage is continuous and is defned by the strong dimen sional preferred orientation of both mica and quartz grains (Fig. [10b](#page-16-0)) with the mica-rich cleavage seams being relatively more continuous, thick and anastomosing around the detri tal quartz grains. Mica are often bent in the anastomosing cleavage seams (Fig. [10](#page-16-0)b) and volume proportion of recrys tallized quartz grains increase to give a detrital grain–recrys tallized grain ratio of  $\sim$  4:1.

In schistose quartzites, fibers of quartz-mica aggre gates give rise to "quartz-mica beard" microstructures on the Type-II grain boundaries of detrital quartz grains that are nearly orthogonal to cleavage (Fig. [10](#page-16-0)b) with the long dimension of the fbers parallel to the cleavage. Quartz grains belonging to the larger size fractions, show frequent fracturing (Fig. [10](#page-16-0)a) in addition to their intra-crystalline deformation with sometimes conjugate fractures in a single grain. However, frequency of fracturing apparently decreases with increase in the volume percentage of mica (Fig. [10b](#page-16-0)).

Phyllites are mineralogically composed of 60–80% mica and 20–40% quartz with a size range of 2-30 μm for mica and 2-50 μm for quartz. In phyllites, the cleavage conforms to domainal schistocity as described by Powell ([1979](#page-35-25)), with zones of mica aggregates having strong preferred orienta tion, defning the cleavage domains (Fig. [10c](#page-16-0)) and an assem blage of quartz grains constituting the microlithon domains (Powell, [1979](#page-35-25); Gray, [1978](#page-34-9)) that alternate with cleavage domains (Fig. [10c](#page-16-0)). In general, in the microlithons, the quartz grain aggregates show a weak preferred orientation parallel to the cleavage but the relatively less proportion of mica grains show a strong preferred orientation parallel to the cleavage (Fig. [10c](#page-16-0)). Even though mica grains are, in general, straight and parallel to the cleavage, several of them are kinked (Fig. [10c](#page-16-0)) in both domains.

In Schistose quartzites and phyllites, there are microscale evidences of water percolation along foliation planes; for example, in Fig. [10d](#page-16-0) the locus of the water percolation is marked by ferruginous stains that result due to precipitation of dissolved iron from the percolating water. The stains are multiple and are anastomosing but follow the cleavage in general. This indicate that water percolation afects the rock as a whole over large areas and are networked to produce zones of seepage along foliation planes.

N



L1: Wedge Failure, Toppling



L4: Plane (J1), Wedge Failure



L7: Plane failure(J4), Toppling



L10: Wedge Failure



L2: No Failure



L5: No Failure



L8: Wedge Failure, Toppling







<span id="page-14-0"></span>**Fig. 9** Stereographic projection plots of slope face (SL) and discon-◂tinuity sets (J1, J2. J3 etc.) for kinematic analysis of cut slopes in the studied section at locations L1 to L12 (see Fig. [1](#page-2-0) for reference). The type of failure i.e. plane, wedge, toppling or any combinations thereof are also indicated for each location. The friction circle inside the plot is in accordance with the average friction angle of the discontinuities shown in Table [4](#page-15-0)

# **4.7 Rock Mass Rating (RMRb)**

Rock mass rating (Harrison and Hudson [2000](#page-35-26)), originally established by Bieniawski [\(1973,](#page-34-10) [1989\)](#page-34-0) and herein referred to as  $RMR<sub>b</sub>$  is defined as a comprehensive index of rock mass quality that is derived from cumulative weighted values of signifcant geological parameters of infuence. The RMR system consists of five basic parameters that represent diferent conditions of the rock and discontinuities. These parameters are: (1) UCS of intact rock, (2) rock quality designation (RQD), (3) spacing of discontinuities, (4) condition of discontinuities and  $(5)$  groundwater. RMR<sub>b</sub> is expressed as a rating score in the range of 0−100 (Bieniawski [1973,](#page-34-10) [1989](#page-34-0)) with higher values indicative of relatively better rock mass quality than those with lower values.  $RMR<sub>b</sub>$  is widely used for tunnels, dam foundations and mines but strictly does not apply to slopes (Aksoy [2008](#page-34-11)). The guidelines for assigning rating scores for the parameters in  $RMR<sub>b</sub>$  is provided in details by Bieniawski [\(1973,](#page-34-10) [1989](#page-34-0)). Based on rating scores, the  $RMR<sub>b</sub>$  classifies Rock masses into five classes. They are Class–I (Very good rock, Rating 100–81), Class–II (Good rock, Rating 80–61), Class–III (Fair Rock, Rating 60–41), Class–IV (Poor rock, Rating 40–21) and Class–V (Very poor rock, Rating  $< 20$ ).

In a recent development, a modified  $RMR<sub>b</sub>$  has been proposed by Chen and Yin [\(2020\)](#page-34-5) by introducing a Modifed Blockiness Index in place of RQD, Joint frequency and Joint volume  $(J_{\nu})$  parameters that are inherent within RMR<sub>b</sub> of Bieniawski [\(1989](#page-34-0)). However, when  $\text{RMR}_{\text{mbi}}$  is plotted against  $RMR<sub>b</sub>$  of Bieniawski ([1989\)](#page-34-0), the line of best fit closely conforms to the 1:1 line, meaning that the  $RMR_{\text{mbi}}$ cannot be distinguished from the original  $RMR<sub>b</sub>$  in most of the cases (Fig. 28 of Chen and Yin [2020](#page-34-5)). Therefore, for the present study, the widely used and validated  $RMR<sub>b</sub>$ (Bieniawski [1989\)](#page-34-0) method is used for the road-cut slopes in the study area.

The  $RMR<sub>b</sub>$  scores for all locations are presented in Table [5](#page-17-0). The  $RMR<sub>b</sub>$  of the road-cut slopes in the study area ranges between 55 and 78. The location L10 corresponds to  $RMR<sub>b</sub>$  55 and indicate a 'fair rock' category (Class–III). The rock mass of the remaining locations range between 61and 80 and belong to the 'good rock' category (Class–II). The  $RMR<sub>b</sub>$  is further used for estimating various slope mass rating parameters.

## **4.8 Modifed Geological Strength Index (Modifed GSI)**

Strength of jointed rock masses is difficult to determine since the size of representative specimens is too large for laboratory testing. This restriction led to the development of practical methods, particularly empirical strength criteria, which can provide good estimate for the strength of closely jointed rock masses. Amongst the empirical strength criteria formulated both for intact rock and rock masses, the widely accepted and popular Hoek–Brown criterion (Hoek and Brown [1980\)](#page-35-27) is used in conjunction with the Bieniawski's  $RMR<sub>b</sub>$  System (Bieniawski [1989](#page-34-0)) as an attempt to address the problem, and has been refned and expanded over the years (Hoek [1983,](#page-35-28) [1994;](#page-35-29) Hoek and Brown [1988](#page-35-30); Hoek et al. [1992](#page-35-31), [1995\)](#page-35-32). It was also recognized that  $RMR<sub>b</sub>$ was not fully appropriate for relating the failure criterion to geological observations in the feld, particularly for very weak rock masses. This led to introduction of a new classifcation of rock masses termed as Geological strength Index (GSI) (Hoek et al. [1992](#page-35-31), [1995;](#page-35-32) Hoek [1994](#page-35-29); Hoek and Brown [1997](#page-35-30)). The GSI System is based upon the visual impression on the rock mass structure and has twenty codes to identify each rock mass category and estimates the GSI value ranging between 10 and 85. The GSI was subsequently extended for weak rock masses through a series of publications by Hoek et al. [\(1998\)](#page-35-33), Marinos and Hoek ([2000](#page-35-9), [2001\)](#page-35-10), Marinos et al. ([2005](#page-35-34)).

However, due to lack of measurable and more representative parameters, and related interval limits or ratings for describing the surface conditions of the discontinuities, the GSI for each rock mass category in the chart proposed by Hoek and Brown ([1997\)](#page-35-30), represents a range of values. This implies that, it is possible to estimate diferent GSI values from the chart for the same rock mass by diferent persons, depending on their personal experience.

Therefore, an attempt has been made by Sönmez and Ulusay [\(1999](#page-35-11)) to provide a more quantitative numerical basis for evaluating the GSI and to suggest quantities that make more sense than that of the  $RMR<sub>b</sub>$  System when used for the estimation of the rock mass strength.

The quantitative GSI System and associated approaches and input parameters for its construction are given by Sönmez and Ulusay [\(1999\)](#page-35-11) in detail. The GSI was further modifed by Sönmez and Ulusay ([2002\)](#page-35-12), herein referred to as Modifed GSI, based on the structure and surface condition ratings, including fve rock mass categories to provide a complete GSI rating scores ranging between 5 and 100 in the form of chart as illustrated in Fig. [11.](#page-18-0) Two important parameters that form the framework of modifed GSI classifcation are Structure rating (SR) based on volumetric joint count and the Surface condition rating (SCR) based on roughness, weathering and infltration characteristics.

Slope location	Slope orientation Type of failure Discontinuities involved (dip/ direction in degrees) (joint set) (dip/direction) (degrees)		Friction angle $(\phi)$ (degrees)	Orientation of Wedge axis (plunge/plunge direction) (degrees)		
L1	75/80	Wedge	66/195 (J1), 40/145 (J3)	35	38.4/125.6	
		Topple	31/240 (J4)			
L2	60/125	No failure		35		
L <sub>3</sub>	60/120	Wedge	55/195 (J2), 55/120 (J3)	40	48.6/157.5	
		Topple	51/330 (J1)			
L <sub>4</sub>	80/90	Plane	$47/118$ (J1)	30		
		Wedge	47/118 (J1), 60/230 (J3)		36.4/164	
L <sub>5</sub>	80/90	No failure		35		
L6	70/140	Wedge	50/240 (J1), 66/140 (J3)	40	44.1/204.4	
L7	75/160	Plane	$43/160$ (J4)	40	-	
		Topple	60/330(J3)			
L8	80/60	Wedge	63/20 (J3), 75/350 (J4)	40	58.4/54.2	
		Topple	$51/230$ (J1)			
L <sup>9</sup>	60/90	Topple	$60/250$ (J1)	40		
L10	75/90	Wedge	30/50 (J2), 75/150 (J4)	25	28.7/68.4	
L11	55/160	Wedge	55/30 (J2), 70/180 (J3)	25	25.9/100.2	
L12	70/130	Wedge	52/160 (J2), 70/270 (J3)	40	44.1/200.7	

<span id="page-15-0"></span>**Table 4** Kinematic analysis of slopes in the studied locations

From these values of SR and SCR, modifed GSI can be estimated from the chart (Fig. [11\)](#page-18-0). The modifed GSI scores for the slopes of the studied locations are determined and presented in Table [6,](#page-19-0) where the input parameters correspond to the parameters in the modifed GSI chart as described by Sönmez and Ulusay [\(2002](#page-35-12)).

The modifed GSI scores for each slope locations are further plotted in the GSI chart to show their rock mass characteristics indicated on the left boundary (Fig. [11](#page-18-0)). The modifed GSI values agrees closely with the GSI value range visually estimated in the feld (Table [2](#page-10-0)). The modifed GSI scores were further used as input parameters in other geomechanical classifcation of slopes as subsequently discussed.

#### **4.9 Slope Mass Rating (SMR)**

The RMR system of Bieniawski [\(1973,](#page-34-10) [1989](#page-34-0)), was mainly developed for tunnels, underground excavations and dam foundations but had limited use in assessing stability of slopes. To extend the use of RMR, Romana ([1985](#page-35-3)), proposed a slope mass rating (SMR) classifcation system to characterize the quality of slopes. SMR is originally derived from RMR system and is expressed by the following equation:

$$
SMR = RMR + (F_1 \times F_2 \times F_3) + F_4,\tag{1}
$$

where  $F_1$ ,  $F_2$ ,  $F_3$  and  $F_4$  are factors that are defined as follows:

*F*1 depends on the parallelism between dip-direction of the plane of discontinuity,  $\alpha_j$  (for planar slides and topples) or the plunge azimuth of the line of intersection  $\alpha_i$ , between two discontinuities (in case of wedge failure) and the dipdirection  $\alpha_s$  of the slope.

 $F_2$  depends on the dip amount  $\beta_j$  of the discontinuity in case of plane failure and the plunge  $\beta_j$  of the intersection line of two discontinuities in wedge failure. As regards toppling failure  $F_2$  takes the value 1.0. This parameter is related to probability of discontinuity shear strength (Romana [1993](#page-35-35)).

 $F_3$  depends on the relationship between dip amounts of slope  $\beta_s$  and discontinuity  $\beta_j$  (for toppling and planar failure cases) or plunge of line of intersection  $(\beta_i)$  of two discontinuity planes (wedge failure case). This parameter varies from 0 to−60 rating points and expresses the probability of discontinuity outcropping on the slope face (Romana [1993\)](#page-35-35) for planar and wedge failures. For toppling failure this parameter varies from 0 to  $-25$  rating points.

 $F_4$  is the correction factor that depends on excavation method used to generate the cut slope and the rating value is selected empirically. The SMR of Romana [\(1985](#page-35-3)) was based on discrete functions and considered only planar and toppling-type failure modes. The SMR of Romana [\(1985\)](#page-35-3) was subsequently modified by Anbalagan et al. ([1992\)](#page-34-12) (Table [7](#page-19-1)) by including an addition of wedge failure condition. This modifed SMR (Table [7\)](#page-19-1) is herein referred to as *original SMR* whose parameters and functions (A, B, and C) for assigning rating values are used in this study. Based on SMR scores, slopes can be classifed as completely



<span id="page-16-0"></span>**Fig. 10** Microstructures from oriented thin sections cut orthogonal to foliation and lineation of the representative lithounits of the study area. **a** Preferred orientation of grain boundaries parallel to the long dimensions of quartz grains, defnes cleavage (S1) in White quartzites. Films and fne fbers of mica (m) are oriented parallel to S1. Abbreviations for quartz microstructures: sc–straight grain contact, sr–serrated grain contact, ec–embayed grain contact, r–dynamically recrystallized grains, f–fractures, CPL. **b** relatively higher volume percentage of phyllosilicates show a strong preferred dimensional orientation of mica defning S1 in schistose quartzites. Note that the cleavage defned by mica aggregates anastomose around the quartz grains with development of bent mica (bm) in the cleavage seams.

stable (81–100, Class-I), stable (61–80, Class-II), partially stable (41–60, Class-III), unstable (21–40, Class-IV), and completely unstable (0–20, Class-V), with corresponding probability of failure (Romana [1985;](#page-35-3) Romana et al. [2015\)](#page-35-36) (Table [8](#page-19-2)). The input parameters for determining the original SMR is documented in Table [9](#page-20-0).

The results of original SMR for all the locations are presented for structurally controlled slope failures in Table [10](#page-21-0) that include wedge and toppling failure. The original SMR ranges between 16 and 62.90. Slopes at two locations viz. L8 and L10 that are marked by rating scores of 16 and 24.20 respectively get classifed as completely unstable and unstable category respectively. Slopes at L3 and L6

Quartz-mica beards (qmb) develop at the grain boundaries of detrital quartz grains that are orthogonal to the cleavage, CPL **c** Domainal cleavage (S1) defned by alternating bands (domains) of dominantly quartz grain aggregates as microlithons (M) and dominantly mica grain aggregates as cleavage domains (Clv) in phyllites. Mica grains exhibit kinking (km), CPL. (d) Locus of water movement (arrow) along foliation planes in phyllites, PPL. Brown stains are due to precipitation of ferruginous material during water circulation. Note that the brown stain zones are parallel to the rock cleavage, indicating seepage of water along cleavage (S1). *CPL* crossed polarized light, *PPL* plane polarized light

get classifed as stable whereas the other locations are partially stable.

## **4.10 Continuous Slope Mass Rating (Continuous SMR)**

The discrete SMR functions of Romana ([1985\)](#page-35-3) were replaced by continuous functions for the parameters  $F_1$ ,  $F_2$  and  $F_3$  by Tomás et al. ([2007](#page-36-1)) to propose the new system of continuous SMR. The new functions are expressed as follows:

<span id="page-17-0"></span>





<span id="page-18-0"></span>**Fig. 11** Plot of Modifed GSI values of the slopes of the studied locations on the modifed GSI chart designed by Sonmez and Ulusay ([2002\)](#page-35-12)

$$
F_1 = \frac{16}{25} - \frac{3}{500} \arctan\left[\frac{1}{10}(|A| - 17)\right],\tag{2}
$$

where,  $|A| = |\alpha_i - \alpha_s|$  for plane failure,  $|A| = |\alpha_i - \alpha_s - 180^\circ|$  for toppling failure and  $|A| = |\alpha_i - \alpha_s|$  for wedge failure.  $\alpha_j$  and  $\alpha_s$ are, respectively, the dip directions of the joint and slope.  $\alpha$ <sub>i</sub> is the plunge direction of the line of intersection of two planes defning the wedge.

<span id="page-19-0"></span>**Table 6** Determination of Modifed Geological Strength Index (GSI) of the slopes in the studied locations

Slope Location	$J_{\nu}$	$R_r$	$R_{w}$	$R_f$	<b>SCR</b>	<b>SR</b>	Modified GSI
L1	18	3	5	6	14	29.21	48.30
L2	15	3	5	6	14	32.41	50.00
L <sub>3</sub>	9	3	5	6	14	41.34	53.50
L <sub>4</sub>	9	3	5	6	14	41.34	53.50
L <sub>5</sub>	9	3	5	6	14	41.34	53.50
L6	8	5	5	6	16	43.40	59.50
L7	8	6	5	6	17	43.40	64.50
L <sub>8</sub>	9	5	5	6	16	41.34	58.30
L <sub>9</sub>	10	6	5	6	17	39.50	60.50
L10	21	5	3	$\overline{2}$	10	26.52	38.25
L11	18	3	5	6	14	29.21	48.30
L12	10	3	5	6	14	39.50	52.50

<span id="page-19-1"></span>**Table 7** Adjustment ratings for  $F_1$ ,  $F_2$ ,  $F_3$  (modified from Romana ([1985\)](#page-35-3) by Anbalagan et. al. (1992)) and  $F_4$  (Romana 1985). A, B, and C are functions for assigning rating values to factors  $F_1$ ,  $F_2$  and F3 respectively



Excavation Method  $(F_4)$  (Rating as indicated below):

Natural Slope: +**15**, Pre-splitting: +**10**, Smooth Blasting: +**8**, Normal Blasting or Mechanical Excavation: **0**, Defcient Blasting: −**8**

*P:* planar sliding, *W:* wedge sliding, *T:* toppling

The factors and their ratings are shown in bold

<span id="page-19-2"></span>**Table 8** Description of SMR Classes (Romana [1985](#page-35-3))

Class	<b>SMR</b>	Description	Stability	Failure probabil- ity
T	$81 - 100$	Very Good	Completely stable	0.0
П	$61 - 80$	Good	Stable	0.2
Ш	$41 - 60$	Normal	Partially stable	0.4
IV	$21 - 40$	Bad	Unstable	0.6
V	$0 - 20$	Very bad	Completely unstable	0.9

$$
F_2 = \frac{9}{16} - \frac{1}{195} \arctan\left[\frac{17}{100}B - 5\right].
$$
 (3)

where, *B* (measured in degrees) is the magnitude of dip of joint for planar and toppling failure modes i.e.  $\beta_j$  and the magnitude of plunge  $\beta_i$  of the line of intersection of two planes for wedge-type failure.

<span id="page-19-3"></span>
$$
F_3 = -30 + \frac{1}{3} \arctan C.
$$
 (4)

<span id="page-19-4"></span>
$$
F_3 = -30 + \frac{1}{3}\arctan(C - 120),\tag{5}
$$

where *C* (in degrees) is defined as follows:

(1) The diference in angle between the dip amounts of joint and slope i.e.  $(\beta_j - \beta_s)$  for planar- type failure mode;

- (2) The diference in angle between the plunge amount of the line of intersection of two planes and the dip amount of the slope, i.e.  $(\beta_i - \beta_s)$  for wedge-type failure mode;
- (3) The sum of the two dip amounts of joint and slope i.e.  $(\beta_i + \beta_s)$  for toppling-type failure mode.

Equation [\(4](#page-19-3)) is used for slopes with planar -or wedgetype failure mode and Eq. ([5](#page-19-4)) is used for slopes with toppling-type failure mode. The input parameters for determining the continuous SMR as applicable to the slopes whose failures are structurally controlled are presented in Table [9.](#page-20-0) The results of continuous SMR of the slopes for wedge failure and toppling failure are presented in Table [10](#page-21-0). The continuous SMR varies between 14.17 and 64.68. Slopes at location L8 with rating 14.17 and location L10 with rating 22.69 get classifed as completely unstable and unstable respectively. The slopes of location L3 and L4 are stable whilst the slopes of the remaining locations belong to partially stable category.

#### **4.11 Chinese Slope Mass Rating (CSMR)**

Chinese slope mass rating (CSMR) system was proposed by Chen ([1995](#page-34-1)) and is a modification of the SMR of Romana ([1985\)](#page-35-3), whereby it introduces two new components to Romana's SMR system. These are the slope

height factor (*ζ*) and the discontinuity factor (*λ*) as follows:

<span id="page-20-1"></span>
$$
CSMR = \varsigma RMR + \lambda F_1 F_2 F_3 + F_4. \tag{6}
$$

where *ζ* is a non-dimensional parameter that accounts for the effect of slope height and is given by  $\zeta = 0.57 + 0.43 \times (80/H)$ , where H is the slope height in meters. *λ* is a parameter accounted for the effect of discontinuity type and is defined as follows:

- (1)  $\lambda = 1$  for faults of long weak seams filled with clay;
- (2) *λ*=0.8−0.9 for bedding planes of large-scale joints with gouge and
- (3) *λ*=0.7 for joints of tightly interlocked bedding planes.

 $F_1$ ,  $F_2$ ,  $F_3$  and  $F_4$  are the same factors of the original SMR. Regarding the slope height, Eq. ([6](#page-20-1)) is applicable when slope height H exceeds 80 m. For  $H < 80$  m,  $\zeta = 1$ . The CSMR rating scores for all the slopes whose failure is structurally controlled is presented in Table [10](#page-21-0) for wedge and toppling failure. CSMR scores of the study area range between 31.3 and 63.32. Locations L8 and L10 have scores of 31.3 and 29.24 respectively and both belong to unstable category. Locations L3, L4 and L6 belong to stable and the remaining locations belong to partially stable category.



<span id="page-20-0"></span>**Table 9** Input parameters for determining SMR, CSMR and Chinese SMR in the slopes of the studied locations

Slope location	Type of failure	RMR	Original SMR				<b>Continuous SMR</b>				<b>Chinese SMR</b>				
			F1	F <sub>2</sub>	F <sub>3</sub>	F <sub>4</sub>	Score	F1	F <sub>2</sub>	F <sub>3</sub>	F4	Score $\varsigma$		λ	Score
L1	Wedge	64	0.15	0.85	$-60$	$-8$	48.35	0.21	0.85	$-59.47$	$-8$	45.18	$\overline{1}$	0.7	53.88
	Topple		0.70	1.00	$\Omega$	$-8$	56.00	0.54	0.64	$-0.73$	$-8$	55.74		0.7	56.00
L2	Non structurally controlled	68													
L <sub>3</sub>	Wedge	73	0.15	1.00	$-60$	$-8$	56.00	0.26	0.94	$-58.32$	$-8$	51.02		0.7	58.70
	Topple		0.40	1.00	-6	$-8$	62.60	0.32	0.95	$-1.05$	$-8$	64.68		0.7	63.32
L4	Plane	73	0.40	1.00	$-60$	$-8$	41.00	0.35	0.93	$-59.42$	$-8$	46.02	$\overline{1}$	0.7	51.71
	Wedge	73	0.15	0.85	$-60$	$-8$	57.35	0.16	0.83	$-59.50$	$-8$	57.09	-1	0.7	59.55
L <sub>5</sub>	Non structurally controlled	73													
L <sub>6</sub>	Wedge	75	0.15	0.85	$-60$	$-8$	59.35	0.17	0.91	$-59.20$	$-8$	57.84	-1	0.7	61.64
L7	Plane	73	1.00	0.85	$-60$	$-8$	14.00	0.99	0.90	$-59.40$	$-8$	12.07	$\blacksquare$	0.7	29.30
	Topple	73	0.85	1.00	$-25$	$-8$	43.75	0.85	0.96	$-25.30$	$-8$	44.35	$\overline{1}$	0.7	50.12
L8	Wedge	75	0.85	1.00	$-60$	$-8$	16.00	0.93	0.96	$-59.11$	$-8$	14.17	$\blacksquare$	0.7	31.30
	Topple		0.85	1.00	$-25$	$-8$	45.75	0.85	0.96	$-25$	$-8$	47.02	- 1	0.7	52.12
L <sub>9</sub>	Topple	73	0.70	1.00	$-25$	$-8$	47.50	0.85	0.97	$-19.40$	$-8$	49.00		0.7	52.75
L10	Wedge	49	0.40	0.70	$-60$	$-8$	24.20	0.54	0.60	$-59.57$	$-8$	22.69	$\overline{1}$	0.7	29.24
L11	Wedge	64	0.15	0.40	$-60$	$-8$	52.40	0.18	0.41	$-59.34$	$-8$	51.66	$\blacksquare$	0.7	53.48
L12	Wedge	66	0.15	0.85	$-60$	$-8$	50.35	0.16	0.98	$-59.26$	$-8$	48.39	- 1	0.7	52.64

<span id="page-21-0"></span>**Table 10** Determination of various slope mass rating scores of adjustment factors determined from respective functions, for the slopes of the studied locations

# **4.12 Q‑Slope Rating**

The Q- slope system stemmed out from the necessity and tendency of applying to slopes the widely accepted Q-system of rock mass classifcation that was originally developed for tunnels (Barton et al. [1974\)](#page-34-13). The original Q-system is a quantitative classifcation system for estimates of tunnel support, based on a numerical assessment of the rock mass quality using the following six parameters:

- 1. Rock quality designation (RQD).
- 2. Number of joint sets  $(J_n)$ .
- 3. Roughness of the most unfavorable joint or discontinuity  $(J_r)$ .
- 4. Degree of alteration or flling along the weakest joint  $(J_a)$ .
- 5. Water inflow  $(J_w)$ .
- 6. Stress condition given as the stress reduction factor (SRF); composed of:
	- (a) Loosening load in the case of shear zones and clay bearing rock,
	- (b) Rock stress in competent rock, and
	- (c) Squeezing and swelling loads in plastic, incompetent rock.

The above six parameters are grouped into three quotients to give the overall rock mass quality as follows:

$$
Q = \frac{RQD}{J_n} \times \frac{J_r}{J_a} \times \frac{J_w}{SRF}
$$
 (7)

- i. The frst two parameters represent the overall structure of the rock mass, and their quotient is a relative measure of the block size.
- ii. The second quotient is described as an indicator of the inter-block shear strength.
- iii. The third quotient is described as the "active stresses".

However, the Q-system was not applicable to slopes. To extend the application of Q-system of geomechanical classifcation to slopes, Bar and Barton ([2015\)](#page-34-3) proposed the new Q-slope classifcation system.

Q-slope is an empirical rock slope engineering method for assessing the stability of excavated rock slopes in the feld. Intended for use in reinforcement-free road or railway cuttings or in opencast mines, Q-slope allows potential adjustments to be made to slope angles as rock mass conditions become apparent during construction. Through worldwide case studies, a simple correlation between Q-slope and long-term stable slopes was established. Q-slope was developed by supplementing the Q-system

<span id="page-22-1"></span>



which has been extensively used for characterizing rock exposures, drillcore, and tunnels under construction for several decades (Barton and Grimstad [2014\)](#page-34-14). The parameters RQD,  $J_n$ ,  $J_a$ , and  $J_r$  in original Q-system remain unchanged in Q-slope. However, a new method for applying  $J_y/J_a$  ratios to both sides of potential wedges (in case of wedge failure indications), is used, with relative orientation weightings for each side. The term  $J_w$ , is replaced with  $J_{\text{wire}}$  that accounts for long-term exposure of slopes to various climatic and environmental conditions such as intense erosive rainfall and ice-wedging efects. Slope-relevant SRF categories for slope surface conditions, stressstrength ratios, and major discontinuities such as faults, weakness zones, or joint swarms have also been incorporated (Tables [7](#page-19-1) and [8](#page-19-2) of Bar and Barton [2017](#page-34-4)). Q-slope method is applicable to slopes ranging from less than 5 m to more than 250 m in height and is therefore applicable to the slope locations of the present study.

The Q-slope method requires the assignment of ratings for rock quality designation (RQD), joint set number  $(J_n)$ , joint roughness number  $(J_r)$ , and joint alteration number  $(J_a)$ , from the Q-system (Barton et al. [1974\)](#page-34-13). The formula for estimating Q-slope is as follows:

$$
Q = \frac{RQD}{J_n} \times \left(\frac{J_r}{J_a} \times O\right) \times \frac{J_{wice}}{SRF_{slope}}
$$
 (8)

where, *O* is the Discontinuity orientation factor. As with the *Q*-system, the rock mass quality in *Q*-slope can be considered a function of three parameters, which are crude measures of:

- 1. Block size:  $(RQD/J_n)$ .<br>2. Shear strength: least 1
- 2. Shear strength: least favorable  $(J_r/i_a)$  or average shear strength in the case of wedges  $(J_r / J_a) 1 \times (J_r / J_a) 2$ .
- 3. External factors and stress:  $(J_{\text{wice}}/SRF_{\text{slope}})$ .

Shear resistance, $\tau$ , is approximated using:

$$
\tau \approx \sigma_n \tan^{-1} \left( \frac{J_r}{J_a} \right) \tag{9}
$$

The Q-slope ratings for rock quality designation, RQD (Deere [1963](#page-34-15); Deere et al. [1967\)](#page-34-16), joint set number  $(J_n)$ , joint roughness number  $(J_r)$ , and joint alteration number  $(J_a)$ remain unchanged from the Q-system (Barton et al. [1974](#page-34-13); Barton and Bar [2015](#page-34-3)). The discontinuity orientation factor (O-factor) described in Table [5](#page-17-0) of Barton and Bar [\(2017\)](#page-34-4) provides orientation adjustments for discontinuities in rock slopes.

<span id="page-22-0"></span>The environmental and geological condition number,  $J_{\text{wice}}$ , is more sophisticated than  $J_w$  of the original Q-system, since slopes are outside and exposed to the elements of weathering for a long time and includes tropical rainfall, erosion efects and ice-wedging efects (Table [6](#page-19-0) of Bar and Barton [2017](#page-34-4)). Adjustment factors in case of slope reinforcement or drainage measures are also included.

Based on the evaluation of the parameters of Eq. ([8\)](#page-22-0), the slopes can be classifed as stable or unstable when related between the Q-slope score of the slope in question and



<span id="page-23-0"></span>**Table 11** Determination of Q- Slope scores and safe slope angles in the studied locations

<span id="page-24-1"></span>**Table 12** Rating criteria and scores for the subfactors used for quantification of  $f_{NC}$  (after Pantelidis [\(2010](#page-35-16)))

$f_n$	Failure hazard subfactors	Rating Criteria and score							
				<sub>6</sub>	10				
$f_I$	Safety factor, F	2.0	1.5	1.25	$\leq 1.0$				
f <sub>2</sub>	$ \alpha_{\rm d}$ - $\alpha_{\rm s} $	$\geq 40^{\circ} + \Delta \alpha$	$30^\circ + \Delta \alpha$	$20^\circ + \Delta \alpha$	$\leq 10^{\circ} + \Delta \alpha$				
$f_3$	<b>GSI</b>	$\geq 90$	80	65	$\leq$ 45				
$f_4$	Volume of suspended rock mass per one-meter slope length	$0.25 \text{ m}^3$	$0.5 \text{ m}^3$	1.0 m <sup>3</sup>	$\geq$ 2.0 m <sup>3</sup>				

 $\Delta \alpha = 0^{\circ}$ , 20°, 30° or 40° for planar slides in rock masses that belong to the R3(or greater), R2, R1 and R0 Wall Strength Grade class (Brown, ([1981\)](#page-35-23)), respectively.  $\Delta \alpha = 10^{\circ}$  for flexural and block toppling (default value)

the existing slope angle or slope dip in the form of a chart (Fig. [12](#page-22-1)). The Q-slope scores for the slopes of each location in the study area are determined and the results are presented in Table [11.](#page-23-0) The scores are plotted on the Q-slope stability chart to show their stability when their existing slopes are considered (Fig. [12\)](#page-22-1).

One important aspect of Q-slope classifcation is the prediction of safe slope angles based on the Q-slope scores. Barton and Bar (2017) provided equations for four categories of probability of failure (PoF) namely 1% PoF, 15% PoF, 30% PoF and 50% PoF. They are as follows:

PoF 1% : 
$$
\beta = 20 \log_{10} Q_{\text{slope}} + 65^{\circ}
$$
 (10)

PoF 15% : 
$$
\beta = 20\log_{10} Q_{\text{slope}} + 67.5^{\circ}
$$
 (11)

 $PoF 30\%$  :  $\beta = 20 \log_{10} Q_{\text{slope}} + 70.5^{\circ}$  (12)

PoF 50% : 
$$
\beta = 20 \log_{10} Q_{\text{slope}} + 73.5^{\circ}
$$
 (13)

In the present study the safe slope angle *β* with 1% PoF is considered from Eq.  $(10)$  $(10)$ . The safe slope angles are presented against each slope locations that have structurally controlled failure in the last column of Table [11](#page-23-0). From the plots in the Q-slope stability chart (Fig. [12\)](#page-22-1) it can be observed that L1, L3, L4, L8, L10 and L12 are presently unstable slopes, and L9, L6 are stable slopes. The condition of L11 and L7 are quasi-stable with uncertainty.

#### **4.13 Hazard Index**

An alternative rock mass classification system for rock slopes in terms of rating scores that defne a Hazard Index (HI) was proposed by Pantelidis [\(2010](#page-35-16)). The failure hazard of rock slopes is quantifed in the form of rating tables where two separate functions are combined to give the hazard index. These are (1) function for normal (drained) condition of rock cutting, denoted as  $f_{NC}$  and (2) function for triggering mechanism for failure, denoted as  $f_{TM}$ . This model

of rock mass classifcation of slopes strongly considers the action of water in slope failure in addition to other factors and also applies to both structurally and non-structurally controlled slope failures. Since the study area experiences heavy rainfall during the monsoons (Fig. [2\)](#page-4-0) and rock slopes in the study area are susceptible to triggering of failure by water including the two slope locations L2 and L5 whose instability is not structurally controlled, this classifcation is well applicable for the present study.

<span id="page-24-2"></span><span id="page-24-0"></span>The  $f_{NC}$  is obtained from a combination of one or two out of four subfactors listed in Table [12.](#page-24-1) Each of these subfactors is rated according to pre-determined quantitative criterion on a scale from 1 to 10, including intermediate scores if required. Subfactor  $f_1$  applies only to the structurally controlled failure (planar and wedge slides and topples) and is largely based on the apparent shear strength of the discontinuities. Subfactor  $f_2$  is used only in the case of planar and toppling failure and refers to the relative orientation of the dominant failure planes with respect to the slope face  $(\alpha_d - \alpha_s)$ where  $\alpha_d$  and  $\alpha_s$  are strikes of the discontinuity plane and slope face respectively. For planar slides and fexural and block topples, Pantelidis ([2010\)](#page-35-16) showed that:

$$
f_{NC} = 0.1f_1f_2\tag{14}
$$

For wedge slides and toppling of individual blocks:

$$
f_{NC} = f_1 \tag{15}
$$

Subfactors  $f_3$  and  $f_4$  applies to non-structurally controlled slope failures and are related to the GSI and diferential weathering respectively. The GSI is based on assessment of lithology, structure and conditions of discontinuity in rock mass. Here the modifed GSI values of the slope locations as determined earlier have been used. Diferential weathering refers to the weight of the exposed unsupported (due to undercutting by preferentially weathering of weaker rocks) rock mass per one-meter length of slope. The stability conditions of an undercut slope under drained conditions is given by:

$$
f_{NC} = (f_3 f_4)^{0.5}
$$
 (16)

If there is no undercutting by diferential weathering and the slope has a non-structurally controlled failure that includes rock mass containing randomly oriented discontinuities but behaves as if it were isotropic, or excavations with a loose surface (e.g. due to inefficient blasting) or highly weathered rock slope masses, then the stability of such slopes under drained conditions is given by:

$$
f_{NC} = f_3 \tag{17}
$$

The quantitative attribution of the triggering mechanism  $(f<sub>TM</sub>)$  is specified by the influence of surface and groundwater (drainage factor  $f<sub>D</sub>$ ) and the ratio of the mean annual precipitation to the critical annual precipitation against the stability behavior of the rock slope. Drainage factor  $f<sub>D</sub>$  is obtained by field observation of the slope materials and the structures of the rock slopes and subsequently by assigning scores  $(1, 3, 6 \text{ or } 10)$  (Pantelidis  $2010$ ) as described in Table [13.](#page-26-0)

The final score of the triggering mechanism  $f_{TM}$  is obtained by the product of the score of drainage factor  $f_D$ and the ratio of mean annual precipitation to the critical annual precipitation as follows:

$$
f_{TM} = \frac{I_m}{I_{cr}} f_D \tag{18}
$$

where  $I_m$  is the mean annual precipitation,  $I_{cr}$  is the critical annual precipitation height  $(I_{cr}=700$  mm, fixed conservative value) and  $f_D$  is the drainage factor. If  $I_m > I_{cr}$  then the ratio  $(I_m/I_{cr})=1$  in Eq. [11](#page-24-2) (Pantelidis [2010](#page-35-16)). In studied slope locations,  $I_m$  = 761.31 mm (Sect. [2.3,](#page-3-1) Fig. [2](#page-4-0)) and is therefore greater than  $I_{cr}$ . Therefore, in the study area  $(I_m / I_{cr}) = 1$ .

The hazard index (HI) is expressed as follows:

$$
HI = \left(f_{NC} \times f_{TM}\right)^{\frac{1}{2}} \tag{19}
$$

HI is given on a scale of 1−10 defning four intervals, i.e., 1−4 (good), 4−6 (fair), 6−8 (poor) and 8−10 (very poor). The HI for the slopes of all the twelve locations in the studied road-cut section is presented for both structurally controlled and non-structurally controlled failure in Table [14.](#page-27-0) The HI in the study area range between 2.19 and 8.9 and correspond to good to very poor category. For wedge failure, HI varies between 3.46 and 8.94 corresponding to the range of good to very poor category (Table [14\)](#page-27-0). Location L8 gets classifed as very poor and L11 as good category. The remaining locations belong to poor category as shown in Table [14.](#page-27-0) For toppling failure, the HI range is 2.19−8.94 (Table [4\)](#page-15-0) and therefore ranges between good and very poor category. L1 and L3 belong to good, L9 is of fair, and L7, L8 are of very poor category.

For non-structurally controlled slopes, L2 belongs to poor and L5 to very poor category.

## **5 Discussions**

#### **5.1 Identifcation of Unstable Slopes**

From geological feld investigations and from the several slope mass rating classifcations, locations L7, L8 and L10 are considered to be highly prone to failure. In these locations the road is  $\sim$  6 m wide and the slope height is between 26 and 30 m (Table [2](#page-10-0)). Since the slope height is several times larger than the road width, failure along 'day-lighted' discontinuity surfaces or wedge axis on the slope face at the base of the slope, can translate large volumes of hanging wall materials (debris) on to the road. The debris materials can efectively block the road and can even overshoot the road to the adjoining slope of the Bhagirathi River valley, similar to what is observed in Fig. [6](#page-8-0)c, d. The slope height and the road width are therefore important parameters to be taken into account during design of safe cut slopes. Figure [13](#page-28-0) illustrates the probabilities of failure for the structurally controlled slopes. As can be seen from Fig. [13](#page-28-0)a, the probability of planar failure in L7 and wedge failure in L8 is 0.9 and that of L10 is 0.8. The slopes at L8 and L10 therefore require immediate mitigation. The probability of failure by toppling (Fig. [13b](#page-28-0)) in these two slopes is relatively lower. It has been particularly observed in the feld, that slopes at L7 (Fig. [7a](#page-9-0)) and L8 (Fig. [6a](#page-8-0)) have failed to a large extent, exactly in accordance with kinematic predictions.

Two slopes, L2 and L5 show no structurally controlled failure potentiality as indicated by kinematic analysis (Fig. [9\)](#page-14-0) but are marked by poor GSI values and poor to very poor HI (Table [14\)](#page-27-0). These slopes are therefore considered potentially hazardous too, especially during monsoons. Slope failure, if occurs in these locations, can initiate even from natural slope portions that overlook the cut slopes and may be shallow circular type and would resemble that of failures illustrated in Fig. [6c](#page-8-0), d. Cut slopes of locations other than those mentioned above in the study area and those that are evaluated as partially stable, need to be under careful monitoring and surveillance.

#### <span id="page-25-0"></span>**5.2 Proposition of New Stability Charts**

Several geomechanical classification systems applied to slopes have been used in this study for slope stability assessment. Since the parameters chosen in each of these classifcation systems vary from one another, slopes classifed as stable or partially stable in one system may appear as unstable in others and vice-versa. For example, slopes at L1 appear to be partially stable when classifed



<span id="page-26-0"></span>Table 13 Rating criteria and scores for the drainage subfactors  $f<sub>D</sub>$  (after Pantelidis (2010)) **Table 13** Rating criteria and scores for the drainage subfactors  $f<sub>D</sub>$  (after Pantelidis ([2010\)](#page-35-16))

Intermediate scores are allowed in Case 1a (e.g., if the total of the three conditions regarding mantle, upslope gradient, and vegetation are neither favorable nor unfavorable then the rating value<br>equals 4.5, if two of th Intermediate scores are allowed in Case 1a (e.g., if the total of the three conditions regarding mantle, upslope gradient, and vegetation are neither favorable nor unfavorable then the rating value equals 4.5, if two of the conditions are unfavorable and one neither favorable nor unfavorable then the rating value equals 8)

The rating criteria of the last two columns of Case 1b and 2c can be combined, that is, (I) with (IV) and (II) with (III), giving a score equal to 8 The rating criteria of the last two columns of Case 1b and 2c can be combined, that is, (I) with (IV) and (II) with (III), giving a score equal to 8

If underground water is unlikely to trigger a failure incident, the drainage subfactors  $f<sub>D</sub>$ ,  $_{1a}$  and  $f<sub>D</sub>$ ,  $_{1b}$  equal unity If underground water is unlikely to trigger a failure incident, the drainage subfactors  $f_D$ ,  $f_D$  and  $f_D$ ,  $f_D$  equal unity

 $f_D$  is determined by the condition:  $f_D = \max\{(\mathbf{f}_{D\text{-}1a} \times (\mathbf{f}_{D\text{-}1b})^{0.5}, \mathbf{f}_{D\text{-}2b} \mathbf{f}_{D\text{-}3}\}$  (Pantelidis (2010)) *f*<sub>D</sub> is determined by the condition:  $f_D = \max\{(f_{D\cdot1a} \times f_{D\cdot1b})^{0.5}, f_{D,2b} f_{D,3}\}$  (Pantelidis [\(2010](#page-35-16)))





<span id="page-27-0"></span> $\mathcal{L}$  Springer



<span id="page-28-0"></span>Fig. 13 The plot of Continuous SMR values and classes against their corresponding probability of failure (Romana [1985](#page-35-3); Romana et al. [2015\)](#page-35-36), for the locations of the study area for **a** Plane failure, **b** wedge failure and **c** toppling failure

with continuous SMR (scores from Table [10](#page-21-0) and corresponding stability from Table [8\)](#page-19-2), but appear unstable when classifed with Q-slope (Fig. [12](#page-22-1)). The same slope has a good category HI (Table [14](#page-27-0)) for wedge and a poor category for toppling (Table [14\)](#page-27-0). It is therefore proposed to combine more than one classifcation systems simultaneously to defne empirical stability felds in the form of charts that characterizes the stability of a slope under consideration. Two of the three geomechanical classifcation systems – Continuous SMR, HI and Q-Slope are considered at a time to develop two-dimensional chart where the

stability felds are bounded by dark bold lines (Fig. [14](#page-29-0)). Three charts are proposed namely Chart-1, Chart-2 and Chart-3. These charts now characterize the stability of a slope more objectively.

Chart-1 (Fig. [14a](#page-29-0)) is developed by combining the stability classes of the continuous SMR and the HI. The chart includes three stability felds viz. stable, severely unstable and unstable. The slopes with structurally controlled failures are plotted in the chart to illustrate that L7 (plane), L8 (wedge) and L10 (wedge) are severely unstable.



<span id="page-29-0"></span>**Fig. 14** Stability charts proposed in this work, based on combination of three geomechanical classifcation of slopes that include Continuous Slope Mass rating, Q-Slope and Hazard Index. Plots of the values of the slopes of the studied locations in the charts (p–plane, w– wedge, t–topple) are also shown. **a** Chart-1 based on Hazard index and continuous SMR, **b** Chart-2 based on Hazard Index and Q-Slope and **c** Chart-3 based on Continuous SMR and Q-Slope. In all the charts, stability felds are bound by the bold lines

Chart-2 (Fig. [14b](#page-29-0)) is developed combining the HI and the Q-Slope system and consists of three stability felds: stable, unstable and severely unstable. A plot of the scores of all slopes with structurally controlled failure in the Chart-2 reveals that L1 (wedge) and L10 (wedge) falls in the severely unstable feld. It is to be noted that L1 (wedge) which is severely unstable in Chart-2 does not fgure as unstable in the Continuous SMR classifcation whereby its score corresponds to partially stable class (Table [8\)](#page-19-2) as it is having a score of 45.18 (Table [10\)](#page-21-0). In Chart-2, L6 (wedge) is at the boundary between stable and unstable and therefore will be considered as unstable. L7 (plane) plots at the boundary between severely unstable and unstable and will be considered severely unstable.

Chart-3 (Fig. [14](#page-29-0)c) is designed to combine the continuous SMR and the Q-slope systems and comprises of three stability felds: stable, severely unstable and unstable. Plots of the studied slopes in this chart shows that the slope L7 (plane), L8 (wedge) and L10 (wedge) figure as severely unstable. However, L1 (topple) and L6 (wedge) plot as stable slopes in Chart-3 but these same slopes plot as unstable in Charts-1 and 2.

In general, it is therefore suggested that all three charts be used simultaneously for slope stability assessment at a particular location and judgment has to be made accordingly. For example, if a slope is classifed to be stable in one chart but unstable in other two charts, then the slope shall be treated unstable. Based on the newly proposed charts, the stability conditions of the studied slopes and the resulting judgements are summarized in Table [15](#page-30-0).

#### **5.3 Validation of the Proposed Charts**

Assessment of the stability conditions of the slopes in the study area, based on the charts presented in Sect. [5.2](#page-25-0) agrees well with real life slope conditions in the feld and therefore stands validated. *Severely unstable* condition represents those slopes that have already failed partially and can fail further under the existing conditions, or those that are at the verge of failure or are presently failing. Slopes at locations L7, L8, and L10 belong to the severely unstable category. L7 slope is heavily jointed and have already failed by plane sliding with the plane of failure exposed (Fig. [7](#page-9-0)a). In this location, similar plane failure is imminent on blocks that await to be transported down by plane sliding (Fig. [7a](#page-9-0)). Some blocks apparently are on the verge of toppling and few already toppled down as evidenced by blocky boulders lying at the foot of the slope (Fig. [7](#page-9-0)a). Slope at location L8 is severely unstable and a part of it has wedge failed during this study (Fig. [6](#page-8-0)a). Similar wedge failure in other parts of the slope can get activated any moment under the present condition and are therefore at the verge of failure. Slope at L10 is severely unstable as it frequently shows wedge failure at several parts of the slope (Fig. [6b](#page-8-0)) where wedge blocks after failure pile up at the foot of the slope (Fig. [6](#page-8-0)b). In addition to that, slope at L10 undergoes spalling of partly weathered shells of the slope outward (Fig. [6](#page-8-0)b) that contribute to frequent rock falls.

*Unstable* condition represents those slopes that have potential failure surfaces or wedge axis exposed for sliding of overlying blocks or exposed tilted blocks ready for topple. From the stability charts, slopes at several locations refect unstable conditions viz. L1, L3, L4, L6, L9, L11, and L12. Slopes of these locations in the feld are in good agreement with the assessed stability conditions. For example, L4 <span id="page-30-0"></span>**Table 15** Stability conditions of slopes in the studied locations, based on newly proposed stability charts



is having both plane and wedge instability (Table [15](#page-30-0)) and Fig. [7b](#page-9-0) illustrates the slope condition of L4 where plane and wedge elements (indicated by black and white arrows respectively) lie exposed, along which failures have occurred earlier. Several blocks that overlie the plane and wedge elements await sliding down. The whole slope is therefore unstable.

A second example of unstable slope is L9 where instability in indicated by toppling failure. Figure [7d](#page-9-0) illustrate this condition at L9 where several blocks project out of the slope, especially at the high grounds that are likely to topple. As a validation of such unstable condition, it can be observed that some blocks have already toppled (top right corner of Fig. [7d](#page-9-0)) creating a vacant space where the toppled block originally existed.

Similarly, a third example of unstable slope condition is that of L11 where a wedge instability is indicated. This is illustrated in Fig. [7](#page-9-0)c. The large wedge block tends to slide out of the slope face along the direction of the black arrow (wedge axis). Several vacant spaces exist along the slope where wedge blocks were originally secured, have now slid down. Similar validations apply in all other locations where unstable slopes are indicated.

# **5.4 Comparison Between Geo‑Mechanical Classifcation Methods for Slopes**

The results of the analysis for the locations in the study area markedly vary in their scores for diferent parameters of evaluation (Tables [10](#page-21-0), [11](#page-23-0), [14](#page-27-0)). All SMR methods used in this study apply to structurally controlled failure of slopes whereas the HI is used for both structurally and non-structurally controlled slope failures. The original SMR values for every location in general are reduced to some extent while evaluating by continuous-SMR method, but in both cases the stability class and category remain unchanged. The Chinese SMR predicts a relatively higher value for each location when compared to original SMR and continuous SMR. This is due to modifcation of original SMR by addition of two factors i.e., the height factor ζ for slopes higher than 80 m and the discontinuity condition factor  $\lambda$ . For our study, since all the heights of slopes of the road-cuts are less than 80 m, the height factor ζ is taken as 1. The discontinuity factor *λ* induces an increase while calculating Chinese SMR. It can be observed that Chinese SMR also predicts relatively safer slope conditions that are otherwise classifed as unstable or partially stable by original and continuous SMR. Therefore, the continuous-SMR is a preferred method of slope assessment since it predicts the lowest scores.



■ Original SMR ■ Continuous SMR ■ Chinese SMR ■ Hazard Index ■ Q-Slope



<span id="page-31-1"></span>**Fig. 15** Comparative column plots of original SMR, Continuous SMR, Chinese SMR, Hazard Index and Q-Slope for locations that have potential for **a** plane failure, **b** wedge failure and **c** toppling failure

The Q-Slope is important in depicting the stability status of the slope that is largely controlled by existing slope dip and its corresponding Q- slope score. The Q-slope also provides a safe slope angle amount with 1% probability of failure for unstable slopes. In addition to that the Q-slope considers the environmental conditions to which the slope is exposed and that includes rainfall and extremes of temperature which the study area is frequently exposed to. Therefore Q-Slope is a preferred method for slope stability assessment.

The HI is an important rating parameter applied for both structurally and non-structurally controlled slopes. This parameter has an added advantage of considering the efect of rainfall, surface and groundwater, vegetation and weatherability of the slope that constitute the triggering factor and are combined with subfactors for normally drained conditions of rock slopes to give a stability index. HI can therefore be clearly considered as a preferred method of slope stability assessment.

Figure [15](#page-31-1) illustrates the column plots of all the Geomechanical classifcation systems of the slopes applied in the present study for the slopes that have indications of plane failure (Fig. [15a](#page-31-1)), wedge failure (Fig. [15](#page-31-1)b) and toppling failure (Fig. [15](#page-31-1)c). It can be inferred from Fig. 15a, b, that the Q-Slope is more sensitive as it distinguishes the stability of slopes with relatively more contrast when compared to continuous SMR and HI for plane and wedge failures respectively. In case of toppling failures (Fig. [15c](#page-31-1)), the HI and Q-slope are apparently both sensitive when compared with the Continuous SMR for the slopes of the study area.

#### <span id="page-31-0"></span>**5.5 Microstructural Implications on Slope Failure**

Microstructural study reveals that there are several important parameters by which rock microstructure can trigger rock slope instability in the studied slope locations. The frst is the anisotropy induced by foliation planes in quartzite, schistose quartzite and phyllite. Strength anisotropies of foliated rocks can be pronounced with compressive strengths varying as a function of angle  $(\beta)$ , measured between foliation (S1) and vertically oriented compression axis (Fig. [16a](#page-32-0)) It is now well recognized that foliated rock samples loaded in orientations that result in large shear stresses resolved on the foliation plane are often several times weaker than those shortened parallel to or perpendicular to the foliation (Shea and Kronenberg [1993\)](#page-35-37) as established from the experimental study of strength anisotropy of foliated rocks in compression tests (Donath [1964](#page-34-17), McLamore and Gray [1967](#page-35-38), Hoek [1968,](#page-35-39) Attewell and Sandford [1974,](#page-34-18) Brown et al. [1977](#page-34-19), on shales and slates, Ramamurthy et al. [1988](#page-35-40), on phyllites, Akai et al. [1970,](#page-34-20) McCabe and Koerner [1975,](#page-35-41) Shea and Kronenberg [1993,](#page-35-37) Behrestagi et al. [1996](#page-34-21), Nasseri et al. [1997,](#page-35-42) [2003,](#page-35-43) Singh et al. [2001](#page-35-44), Zhang et al. [2011](#page-36-9) and Ferreidooni et al. [2016](#page-34-22) on gneisses, phyllites and schists). For tested foliated rocks, it has been established that the maximum value of cohesion and friction angles were obtained at  $\beta = 90^{\circ}$  and  $\beta = 0^{\circ}$ , and the minimum value of these parameters were obtained at  $0^{\circ} < \beta < 30^{\circ}$  and  $30^{\circ} < \beta < 90^{\circ}$  respectively (Ferreidooni et al. [2016](#page-34-22)). Hence, strength of foliated rocks is higher for values of  $\beta = 0^{\circ}$  and  $\beta = 90^{\circ}$ , and the unconfined strength has a minimum range of 2.5–7 MPa for phyllites when 15°≤*β*≤30° (Ferreidooni et al[. 2016](#page-34-22)). In the locations of



<span id="page-32-0"></span>**Fig. 16** Vertical loading on foliations; **a** Defnition of *β* as angle between foliation and vertical **b** vertical loading on the foliation plane by the weight W of the hanging wall block; **c** equal area lower hemispherical projection of poles (black flled circles) to the penetrative foliation at the locations of the study area. Great circle represents the mean orientation of the foliation. Pole to mean orientation of the foliation is indicated as red flled circle

the study area,  $\beta$  is equivalent to the vertical component of the load of the hanging wall of the foliated rocks on the foliation plane (Fig. [16b](#page-32-0)) and the foliations have mean orientation of  $62^{\circ} \rightarrow 28^{\circ}$  (Fig. [16](#page-32-0)c). The dip of the foliation (α) range  $45^{\circ} - 70^{\circ}$  and therefore  $β = (90^{\circ} - α)$  ranges 45°−20° and thus corresponds to the loading orientations (15°≤*β*≤30°) of rocks that lead to reduction in cohesion, friction angle and strength along foliation joints under the infuence of vertical load. The mean strength (UCS) of the phyllites with  $\beta = 90^\circ$  is [3](#page-12-0)0.27 MPa (Table 3) under dry condition as determined in the laboratory. This is even less than the strength of phyllites (UCS 48 MPa) when compressed with  $\beta = 90^\circ$  in the experiments by Ferreidooni et al. ([2016\)](#page-34-22). In the study area, the vertical stress acting on the foliation plane in phyllites located at a depth of as low as 130 m is 3.48 MPa considering the density of phyllites determined as 2.727 (Table [3\)](#page-12-0). Under these conditions the phyllites are liable to fail along foliation plane if *β* is  $20^{\circ}$ (i.e., dip of the foliation is 70°), if the cut slope exposes the phyllites on the slope face along the dip-direction of the foliation. However, it is to be noted that the height difference between the road level on the slope and the nearest peak of the topography is frequently  $>$  300 m and therefore the hanging wall thickness measured along vertical, above the foliation is commonly 300-400 m and is far greater than 130 m considered above. Consequently, this implies 8–10 MPa vertical stress on the foliation and that could lead to failure along foliation planes with dip amounts in the range of 56°−60°, if unconfned (Fig. [2](#page-4-0) of Ferreidooni et al. [2016](#page-34-22)).

A second microstructural parameter that contributes to strength anisotropy is the volume percentage of mica in the foliated rocks. Several theoretical studies have shown that the strength of polyphase aggregates including quartz, feldspar, and mica depend strongly on the volume proportion of the weakest phase i.e., mica. In general, under vertical loads with  $30^{\circ} < \beta < 90^{\circ}$ , decreasing strength, decreasing anisotropy and increasing ductility are observed with increasing mica content in foliated rocks with volumetric proportion of mica range of 15–75% and stress–strain response and grain scale deformation microstructures in such rocks both indicate that mechanical behavior is strongly infuenced by concentration and spatial arrangement of micas (Shea and Kronenberg [1993\)](#page-35-37). In the study area mica volume proportions vary between 15% (quartzite) to 80% (phyllite) and micas defne the cleavage by strong shape preferred orientation in schist and phyllite (Fig. [10b](#page-16-0), c). This therefore indicate the possibility of slip by ductile glide along mica long dimensions in the micarich cleavage domains under persistent vertical load on dipping foliations emulating the condition  $30^{\circ} < \beta < 90^{\circ}$ . Possibility of failure based on the above microstructural properties apply to the slopes of L8.

The third and a very important parameter is the presence of water seepage pathways along foliation planes that can largely reduce friction angle along discontinuities and cleavage planes due to lubrication efect or water-induced decomposition of rock material along foliation, if water infltrates during heavy rainfall. For example, in location L9 (Fig. [9,](#page-14-0) L9), only toppling failure is indicated by kinematic analysis. The wedge axis formed by intersection of joints J2 and J3 lies outside the friction circle and therefore a wedge failure is precluded. However, if infltrated water along foliation planes and J2 and J3 act as a lubricant and increase the water pressure and thereby decrease the friction angle of the discontinuities, then the diameter of the friction circle may become large enough in the stereogram of L9 in Fig. [9](#page-14-0) to contain the wedge axis inside it. Consequently, a wedge failure then becomes kinematically possible, in addition to the toppling failure in L9 (Fig. [9\)](#page-14-0). In such a situation the foliations will act as a release surface since they dip towards northeast. This is true for all those locations where such conditions apply.

# **5.6 Integrating Rock Microstructure with Proposed Stability Charts**

As indicated in Fig. [3](#page-5-0), the fnal judgment on slope stability condition should be formed after integration of microstructural information with the geomechanical stability information from the proposed charts. The importance of this integration stems out from the fact that geomechanical stability condition of slopes may be additionally infuenced by rock microstructure and composition as discussed in the previous section. Weakening of cohesive strength along penetrative foliation planes due to water seepage may induce a failure along foliation plane in an otherwise 'stable' looking slope especially during monsoons.

Some slopes that have been identifed as unstable from the proposed stability charts may convert to 'severely unstable' category if the slope contain appropriately oriented 'day-lighted' foliation planes that are dominantly defned by mica and where volume percentage of mica is relatively higher in the foliated rocks that dip out from the slope. This is often the case when phyllites and slates are intercalated with other rock types that constitute a slope, for example L1, L8, L9 and L10.

In the study area, foliations are sometimes parallel or sub-parallel to one set of joint (for example J3 in L8) and sometimes at an angle to other joint set (for example J2 in L8). This forms a favorable situation for water to permeate through J2 and soak and seep through the foliations and consequently increases the tendency of the foliated block of rock overlying J3 to slide along J3. L8 has already been identifed as a severely unstable slope. Likewise, other unstable slopes need to be further examined for their 'severity', if any, caused by rock microstructure and composition.

# **5.7 Interlink and Interdependence Between the Studied Parameters**

The parameters used in this study, indicate particular conditions of slopes when studied individually, and also provides new information on the stability conditions of rock slopes when interlinked and studied in combinations. Natural slope distribution controls the steepness of slopes at diferent locations along the highway. Where valleys dissect spurs and intersect the road section, the slopes are relatively gentler compared to those on spurs and do not pose any risk of slope failures. However, these points may be hazardous during the monsoons at peak precipitation times due to surface run-off. The orientation of the cut-slope face depends on the natural slope distribution and the method of excavation and are therefore interlinked. The kinematic analysis involving orientations of cut slope and discontinuities and internal friction angle are therefore linked to the distribution and orientation of natural slopes. The several slope mass rating parameters used in this study generated rating scores using engineering properties of rocks, slope height, slope vegetation, rainfall, weatherability, rock mass properties, type of kinematic failure possibilities and geometric orientation of−natural slopes, slope face and discontinuities in various combinations and thereby indicate the interdependence of the parameters. Microstructural characterization provides additional information on directional anisotropy and evidence of water circulation along incipient planes parallel to rock cleavage and both of which can contribute to slope failure by strength reduction during the monsoon along planes that are apparently safe in dry conditions. Microstructures contributing to directional anisotropy also controls the engineering geological properties of rocks viz. UCS, PLSI and tensile strength and are therefore interlinked.

# **6 Conclusions**

A multi-parametric integrated approach has been adopted in the study of slope stability assessment along a stretch of Dharasu-Uttarkashi highway in the topographically rugged terrains of the Lesser Himalayas in India. The parameters used in the study include distribution of steepness of natural slopes, feld observations and new data on existing slope failures, cut-slope height, cut-slope face orientation, number of discontinuities and their orientations, structural elements, rock mass characteristics, weatherability, kinematic analysis of slopes, rock microstructures and geomechanical classifcation of slopes. The parameters are all interlinked and interdependent and therefore yield results and information on stability conditions of road-cut slopes that are fairly comprehensive. Based on the combined study of the above parameters, the assessment of stability of road-cut slopes in the study area has been performed for twelve locations (L1−L12) on the road-cut sections where

the slopes have not yet failed. A new set of stability charts is developed on the basis of continuous slope mass rating, hazard index and Q-Slope systems of geomechanical classifcation of slopes. The slopes with possibility of structurally controlled failure were classifed on the basis of this newly proposed stability charts as one of the three types: severely unstable, unstable and stable. The slopes whose failure potentials are not structurally controlled were assessed to have a Hazard Index of poor to very poor category and could lead to rainfallinduced failures. Based on new stability charts, slopes at locations L7, L8 and L10 were assessed to be severely unstable. Rock microstructural strength anisotropy and water seepage along foliation planes can additionally induce failure in slope locations L1, L8, L9 and L10, especially during monsoons. From reconnaissance, it was observed that, particularly in the southern side beyond the study area, several other sections of the Dharasu-Uttarkashi roadway are threatened by slope instabilities. Similar studies in those sections need to be performed systematically in future to ensure safety of the entire roadway.

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#### **Declarations**

**Conflict of Interest** The authors hereby declare that there is no confict of interest in the present work.

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