**ORIGINAL PAPER**



# **An Experimental Study on the Mechanical Properties and Expansion Characteristics of a Novel Self‑Swelling Cartridge for Rock Breakage**

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## **Abstract**

The application of conventional soundless (or silent) chemical demolition agents (SCDAs) is complicated and it is easy for the agents to extrude from boreholes; it is also difficult to use it in wet or up-tilt boreholes, which limits their engineering application. In this paper, the components of conventional SCDAs are optimized and an innovative SCDA cartridge is presented, which is called self-swelling cartridge (SSC). Water absorption, expansion pressure and mechanical property tests of the novel SSC after hydration reaction were carried out to investigate the expansibility and the mechanical properties of the new SSC. The test results indicate that the water absorption rate and the water absorption at full saturation decrease with the increase of the agent packing density. The recommended agent packing density is  $1.65$  g/cm<sup>3</sup>, at which the immersion time and the water absorption for full saturation are 9 min and 22%, respectively. The expansion pressure of the SSC is infuenced by roll diameter, agent packing density, and insertion gap. The expansion pressure is most sensitive to the insertion gap and least sensitive to the cartridge diameter. An empirical formula relating the expansion pressure and its infuencing factors is presented. Both the uniaxial compressive strength and the elastic modulus of the SSC after hydration reaction increase with the increase of reaction time, while the Poisson's ratio decreases with the increase of reaction time. With the increase of confning pressure, the peak strength increases linearly, which can be described by the Mohr–Coulomb strength criterion. The novel SSC is easy to be used and the SCDA paste is less likely to be extruded from boreholes. It can be applied to fracturing rock masses using boreholes in any inclination, dry or wet. This is important for broadening the application of SCDA.

**Keywords** Soundless chemical demolition agent (SCDA) · Self-swelling cartridge (SSC) · Rock fracturing · Hydration reaction · Water absorption · Expansion pressure · Strength

# **1 Introduction**

Soundless chemical demolition agents (SCDAs) are superfne powder-like gelling material with excellent expansion properties (Harada et al. [1989\)](#page-12-0). When a SCDA is inserted or placed into a borehole, it expands after hydration reaction, which applies an expansion pressure to the borehole wall.

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Rock fracturing occurs when the expansion pressure reaches the limit above which tensile fractures initiate in the direction perpendicular to the minimum principal stress (Chatterji and Jefery [1966;](#page-12-1) Kasai [1989](#page-12-2); Swanson and Labuz [1999](#page-12-3)). Compared with the conventional drill-and-blast excavation method, rock breakage using SCDAs has the advantages of no vibration, no noises, no fying rocks, higher safety, and lower cost (Laefer et al. [2010](#page-12-4); De Silva et al. [2016](#page-12-5)). Compared with hydraulic fracturing, fracturing rocks using SCDAs is easy and the cost is low (He et al. [2016](#page-12-6), [2017](#page-12-7)). Since 1970s, SCDAs have been widely used for rock fracturing (Arshadnejad et al. [2011\)](#page-12-8), demolition of concrete foundation (Laefer et al. [2010](#page-12-4); De Silva et al. [2016\)](#page-12-5), coal mining (Xu et al. [2015;](#page-13-0) Zhai et al. [2018\)](#page-13-1), and shale gas extraction (Guo et al. [2015a](#page-12-9), [b\)](#page-12-10). In recent years, the application of SCDA has been extended to ground control (Li et al. [2018\)](#page-12-11) and rock bolting (Xu et al. [2019](#page-13-2)).

However, conventional SCDAs have some shortcomings in engineering application. First, powder-like SCDAs need to be converted into a paste form for feld application, which requires complicated feld operation procedures (Ramachandran et al. [1964;](#page-12-12) Chatterji [1995](#page-12-13); Kim et al. [2018](#page-12-14); Shang et al. [2018](#page-13-1); Zhai et al. 2018). Second, it is difficult to use SCDA pastes in boreholes containing water because the water content of the SCDA paste can be changed, which reduces the efectiveness of the SCDAs (Gambatese [2003](#page-12-16); De Silva et al. [2019\)](#page-12-17). Third, SCDA pastes are difficult to be applied in up-tilt boreholes due to gravity fow, which limits its application. Lastly, materials of conventional SCDAs can be extruded from a borehole due to fast hydration reaction, which can reduce the effectiveness of the agent in rock fracturing (Ba and Liu [1988;](#page-12-18) Xie et al. [2018\)](#page-12-19).

To overcome the shortcomings mentioned above, some researchers packaged SCDA powders into bags for feld application (Kasama et al. [1983](#page-12-2)). Permeable bags containing tightly packed SCDA powders are immersed in water for some time and then placed into a borehole. A stick with a point head is used to send the SCDA bags to pre-defned locations, and then the SCDA bags are squashed. The SCDA powders expand after the hydration reaction, generating a large expansion pressure which could fracture the rock mass. Although SCDA bags can be used in up-tile boreholes, it is hard to control the agent packing density. In addition, the water content of the SCDA is also difficult to be maintained in boreholes containing water, and the SCDA paste is easy to be extruded from the boreholes. Hence, the efficiency of using SCDA bags to fracture rock varies considerably.

In this paper, the component of conventional SCDAs is modifed to solve the problems encountered in the applications of conventional SCDA pastes and bags. Binder, waterretaining agent, and inertia materials are added to control the rate of hydration reaction. An innovative self-swelling cartridge (SSC) with axial restraint is designed to prevent the agent from extruding from boreholes. Water absorption, expansion pressure and mechanical property tests of the SSCs after hydration reaction were carried out to reveal their expansion characteristic and the mechanical properties. Water absorption ratios and water immersion time for full saturation of the SSCs with diferent agent packing densities were obtained. Factors that infuence expansion pressure are quantitatively analyzed. The effects of hydration reaction time on uniaxial compressive strength (UCS), elastic modulus, Poisson's ratio, and expansion pressure of the SSCs are studied. In addition, parameters of the Mohr–Coulomb strength criterion for the material of the SSC are determined based on the triaxial compression test results.

## **2 Experimental Program**

#### **2.1 Materials**

The SCDA used in our study is a superfine power-like material, mainly consisting of  $C_3S$  (3CaO·SiO<sub>2</sub>),  $C_2S$  $(2CaO·SiO<sub>2</sub>)$ , C<sub>4</sub>AF (4CaO·Al<sub>2</sub>O<sub>3</sub>·Fe<sub>2</sub>O<sub>3</sub>), and light-burned calcium oxide (f-CaO). When the SCDA powder contacts with water, the minerals that cover the surface of f-CaO hydrate and generate C–H–S ( $3CaO·2SiO<sub>2</sub>·3H<sub>2</sub>O$ ),  $C<sub>3</sub>FH<sub>6</sub>$  $(CaO·Fe<sub>2</sub>O<sub>3</sub> 6H<sub>2</sub>O)$ , and  $C<sub>3</sub>AH<sub>6</sub> (3CaO·Al<sub>2</sub>O<sub>3</sub>·6H<sub>2</sub>O)$  (You [2008](#page-13-2); Dai [2016](#page-12-20)). These hydrates have cementation capacity and provide the strength for the SCDA. When CaO contacts with water, it generates  $Ca(OH)$ <sub>2</sub> crystals after hydration reaction. With continuous generation of  $Ca(OH)_{2}$  crystals, the volume of the solid increases, leading to the expansion of the SCDA (Ramachandran et al. [1964](#page-12-21); Chatterji and Jeffery [1966;](#page-12-1) Harada et al. [1989,](#page-12-10) [1993](#page-12-0); Chatterji [1995](#page-12-13); De Silva et al. [2017](#page-12-22)). If the hydration reaction occurs in an unrestricted space, the hydrates will crack and fnally become a powder-like loose material. However, if the hydration reaction occurs in a restricted space, the hydrates will generate an expansion pressure against the constraining boundaries.

In feld applications, due to the fast rate of hydration reaction, the water content and the cohesion of the SCDA decease with water evaporation. The SCDA paste is likely to leak from the borehole, leading to a low efficiency of rock fracturing (Swanson and Labuz [1999](#page-12-15); Étkin and Azarkovich [2006;](#page-12-23) Huynh and Laefer [2009](#page-12-24)). In this study, povidone binder, polymer resin water-retaining agents (aquasorb), sand (inert material), and starch (disintegrant) are added to the SCDA to adjust the rate of hydration reaction of the SCDA, control the water content, and improve the cohesion so as to prevent SCDA pastes from leaking from the boreholes. The components of the improved SCDA are listed in Table [1](#page-1-0).

#### **2.2 Structure Design of SSC**

For easy and efective feld application of SCDAs, we developed a self-swelling cartridge (SSC). A SSC is mainly composed of SCDAs, permeable paper, and sponge, a thread rod, two gaskets, two plates, and two plate nuts. Figure [1a](#page-2-0) presents the structure of the SSC with a diameter of 50 mm and a length of 100 mm. The packing cover is made of

<span id="page-1-0"></span>**Table 1** Composition of raw materials of SSC cartridge

		CaO $(\%)$ Binder $(\%)$ Aquasorb $(\%)$ Inert material Disintegrant	(% )	$(\%)$
60–70	$10 - 15$	$2 - 5$	$2 - 6$	$1 - 4$



<span id="page-2-0"></span>**Fig. 1 a** Structure of SSC and **b** examples of SSC

kraft paper and sponge with thicknesses of 0.8 and 1.0 mm, respectively. The self-swelling powder is mixed with a moderate amount of binder, aquasorb, and inert material and then flled into the packing cover. The mixture is tightly compressed and packed manually or using a machine. The density of the packed roll agent is normally in the range of  $1.65 - 2.05$  g/cm<sup>3</sup>. A 5.0-mm diameter thread rod passes through the center of the gasket and the cartridge, which is assembled with the plates, gaskets, and nuts. Figure [1](#page-2-0)b shows two examples of the SSCs used in the experiments conducted in this study.

#### **2.3 Test Methods**

#### **2.3.1 Water Absorption Test**

Water absorption properties of the SSC include water absorption and water absorption rate. The water absorption determines the water to cement ratio of the SSC, which infuences the expansion pressure. The water absorption rate determines the time needed to fully saturate a SSC in water. If the immersion time is too short, the water absorption is low and the SSC cannot react with water completely, which can reduce the expansion of the SCDA. If the immersion time is too long, hydration reaction can occur before a SSC is inserted into a borehole, which can lead to poor rock fracturing. In addition, the time needed to fully saturate a SSC depends on the agent packing density. Hence, immersion times of the SSCs with diferent agent packing densities needs to be determined by the water absorption test.

SSCs with a dimension of 50 mm (diameter) $\times$ 100 mm (length) were used for the water absorption tests. Three cartridge densities, 1.65, 1.85, and 2.05  $g/cm<sup>3</sup>$ , were considered. A SSC was immersed in the 20 °C water and then taken out at a 50-s interval and the weight of the saturated SSC was measured. A water absorption test was terminated when the change of the weight of the cartridge was less than 0.5 g in three consecutive measurements. Three tests for each packing density case were conducted.

#### **2.3.2 Expansion Pressure Test**

Expansion pressure is a key index to evaluate the expansion characteristics of the SSC, and it is afected by many factors such as roll diameter, agent packing density, and installation gap. The roll diameter and the agent packing density control the amount of SCDAs and the water to cement ratio, which in turn afect the expansion pressure of the SSC. The installation gap between the roll and the borehole afects the easiness of installation and expansion pressure of the SSC. The larger the installation gap, the easier it is to install the cartridge and the smaller the expansion pressure will be. In this case, expansion-induced cracking will be less. On the other hand, the smaller the installation gap is, the more difficult it is to install the SSC but the expansion pressure is higher. Therefore, it is necessary to carry out the expansion pressure test of the SSCs considering diferent roll diameters, agent packing densities, and installation gaps. The test scheme is shown in Table [2.](#page-3-0) SSCs with diferent agent packing densities were immersed in 20 °C water, and after water absorption saturation was reached, the expansion pressure

<span id="page-3-0"></span>**Table 2** Test cases for studying the infuence of roll diameter, agent packing density, and insertion gap on expansion pressure

Specimen#	Roll diameter (mm)	Agent packing density $(g/cm^3)$	Hole diameter (mm)	Installation gap (mm)
$A-#1$	40.0	1.65	42.0	1.0
$A-#2$	40.0	1.85	52.0	6.0
$A-#3$	40.0	2.05	47.0	3.5
$A-#4$	45.0	1.65	52.0	3.5
$A - #5$	45.0	1.85	47.0	1.0
A-#6	45.0	2.05	57.0	6.0
$A-#7$	50.0	1.65	52.0	1.0
$A-48$	50.0	1.85	57.0	3.5
A-#9	50.0	2.05	52.0	1.0

test was conducted based on the method described in literature (Deighton [1976](#page-12-25); Pawlik and Reisman [1980](#page-12-26); Hertzberg and Saunders [1985\)](#page-12-27).

The expansion pressure of a SSC is calculated by applying the theory of elasticity to a stainless-steel cylinder, based on the theory of thick-wall cylinders (Pawlik and Reisman [1980;](#page-12-26) Hertzberg and Saunders [1985;](#page-12-27) Lawn [1993\)](#page-12-4). Under the loading condition of uniform internal and external pressures, the radial and tangential stresses of a thick-wall steel cylinder are given by

$$
\sigma_r = -\frac{\frac{b^2}{r^2} - 1}{\frac{b^2}{a^2} - 1} \times P_a - \frac{1 - \frac{a^2}{r^2}}{1 - \frac{a^2}{b^2}} \times P_b,
$$
\n(1)

$$
\sigma_{\varphi} = \frac{\frac{b^2}{r^2} + 1}{\frac{b^2}{a^2} - 1} \times P_a - \frac{1 + \frac{a^2}{r^2}}{1 - \frac{a^2}{b^2}} \times P_b,
$$
\n(2)

where  $\sigma_r$  and  $\sigma_\omega$  are the compressive and tensile stresses, respectively, *r* is the radial distance from the center of the thick-wall steel cylinder, *a* and *b* are the inner and outer radii of the cylinder,  $P_a$  and  $P_b$  are the internal and external pressures acting on the cylinder, respectively. During a expansion pressure test, the pressure acting on the outer wall is  $P_b$ =0 at  $r = b$ ; thus, Eqs. [\(1](#page-3-1)) and [\(2](#page-3-2)) can be simplified to:

$$
\sigma_{\varphi} = \frac{2a^2}{b^2 - a^2} \times P_a.
$$
\n(3)

The tangential and axial stresses in a small unit on the outer wall of the expansion pressure testing device satisfy the condition of plane stress. The generalized Hooke's law in the polar coordinate system is written as

$$
\begin{cases}\n\varepsilon_{\varphi} = \frac{1}{E} (\sigma_{\varphi} - \mu \sigma_{a}) \\
\varepsilon_{a} = \frac{1}{E} (\sigma_{a} - \mu \sigma_{\varphi})\n\end{cases}.
$$
\n(4)

<span id="page-3-5"></span>Combining Eqs.  $(3)$  $(3)$  and  $(4)$  $(4)$  leads to

$$
P = P_a = \frac{E(k^2 - 1)}{2(1 - \mu^2)} (\varepsilon_{\varphi} + \mu \varepsilon_a),
$$
\n(5)

where  $P$  and  $P_a$  are the expansion pressure and internal expansion pressure of the SSC, respectively, *E* is the elasticity modulus of the steel cylinder (with a value of 206 GPa),  $\mu$  is the Poisson's ratio of the steel cylinder (with a value of 0.3), *k* is the ratio of outer to inner radii, and  $\varepsilon_a$  and  $\varepsilon_a$ are the circumferential and axial strains, respectively, of the thick-wall steel cylinder. By measuring the circumferential and axial strains resulted from the expansion of the SCDA on the surface of the cylinder, the expansion pressure *P* can be calculated using Eq. ([5\)](#page-3-5). The strains are measured using strain gauges glued on the outer surface of the steel cylinder (Harada et al. [1993](#page-12-0); China [2008](#page-12-28); De Silva et al. [2017\)](#page-12-22).

#### **2.3.3 Mechanical Property Test After Hydration Reaction**

<span id="page-3-1"></span>A specimen preparation equipment was designed for the hydration reaction of the SSC and to provide a constraint space for the hydration swelling of a SSC and for taking out the SSC specimen after hydration reaction. The equipment consists of a split steel pipe with a wall thickness of 5.0 mm, circumferential restraint hoops, pressure pads at both ends, and threaded rods with clamp nuts (Fig. [2](#page-4-0)). The gap between the SSC and the steel pipe is 1 mm. Before a test, the SSC (with a dimension of 50 mm (diameter) $\times$ 100 mm (length) and an agent packing density of  $1.65$  g/cm<sup>3</sup>) was immersed in 20 °C water. After the SSC was fully saturated, it was placed into the specimen preparation equipment for hydration reaction. After the completion of the hydration reaction at a specifed time, the threaded rods and the circumferential restraint hoops were removed to get the SSC specimen. Finally, the physical properties of the SSC specimens were tested, including the mass and the longitudinal wave velocity. To reduce the dispersion of the test results, SSC specimens with similar physical properties were selected to perform uniaxial and conventional triaxial compression tests.

<span id="page-3-4"></span><span id="page-3-3"></span><span id="page-3-2"></span>The RockMan-207 triaxial compression test machine (Fig. [3](#page-4-1)), developed by Northeastern University, China, was used to conduct the compression tests. The frame stifness, maximum axial loading force, and maximum confning pressure of the machine are 5 GN/m, 2000 kN, and 100 MPa, respectively. Three types of loading control methods, i.e., load-controlled, axial-displacement-controlled, and circumferential-displacement-controlled loadings are available. Two axial linear variable diferential transducers (LVDTs) and one circumferential LVDT were used to measure the axial and circumferential deformations. The measurement range and precision of the LVDTs are  $\pm$  6.25 mm and 0.05%, respectively.

The test schemes for the compression tests of the SSC specimens with diferent hydration reaction times and confning pressures are shown in Table [3.](#page-4-2) The experimental procedure and result calculation follow the ISRM-suggested methods (Kovari et al. [1983;](#page-12-14) Fairhurst and Hudson [1999](#page-12-29)). Since the SSC specimens show ductile and large deformations, to obtain complete stress–strain curves of the specimens, the axial-displacement-controlled loading was used in the early stage of loading with an axial strain rate of  $1 \times 10^{-3}$ /s until the stress reached 70% of the peak strength. Then, the axial strain rate was changed to  $1 \times 10^{-6}$ /s until the stress decreased to 50% of the peak strength. After that, the axial strain rate was increased to  $1 \times 10^{-3}$ /s again until the stress reached the residual strength of the specimen or the strain reached the measurement range of the LVDT. Five specimens were tested in each test scenario.

<span id="page-4-0"></span>



<span id="page-4-2"></span>**Table 3** Test cases for diferent confnements and hydration reaction times

<span id="page-4-1"></span>compression test machine



# **3 Test Results**

# **3.1 Water Absorption Test Results**

The water absorptions of the SSCs with diferent agent packing densities at diferent immersion times are presented in Fig. [4.](#page-5-0) For the agent packing densities of 1.65, 1.85, and 2.05  $g/cm<sup>3</sup>$ , the immersion times required for the SSCs to become fully saturated are 9, 10, and 13 min, respectively. The corresponding water absorptions of these SSCs are 22%, 21%, and 20%, respectively. The test results indicate that the water absorption and water absorption rate of the SSCs decrease gradually as the agent packing density increases. A higher agent packing density results in a lower internal porosity, which can lead to a decrease of water absorption and the water absorption rate. The water absorption of a fully saturated SSC specimen after hydration reaction determines the water to cement ratio. When the water to cement ratio is 25%, the agent has the highest utilization rate and the best expansion effect (De Silva et al. [2016](#page-12-5)). To ensure that the water to cement ratio of the SSC approaches the optimal value, and with the consideration of cost, the utilization ratio and the absorption rate of the SCDAs, the recommended agent packing density, immersion time, and water absorption of fully saturated SSCs are  $1.65$  g/cm<sup>3</sup>, 9 min, and  $22\%$ , respectively.

#### <span id="page-5-2"></span>**3.2 Expansion Pressure Test Results**

The expansion pressure test results of the SSCs with diferent roll diameters, agent packing densities and insertion gaps are presented in Fig. [5.](#page-5-1) When the agent packing density and the insertion gap are kept constant, the expansion pressure is positively related to the roll diameter. The test results of Specimens A-#1 and A-#7 show that when the agent packing density and the insertion gap are  $1.65$  g/cm<sup>3</sup> and  $1.0$  mm, respectively, the expansion pressure increases from 14.7 to 20.5 MPa when the roll diameter increases from 40 to 50 mm. If the roll diameter and the insertion gap are kept constant, the expansion pressure increases as the agent packing density increases. The test results of Specimens A-#7 and A-#9 show that when the roll diameter and the insertion gap are 50 mm and 1.0 mm, respectively, the expansion pressure increases from 20.5 to 52.3 MPa when the agent packing density increases from 1.65 to 2.05  $g/cm<sup>3</sup>$ .

The test results of Specimens A-#1 and A-#6 show that when both the roll diameter and the agent packing density increase, the expansion pressure decreases as the insertion gap increases. The expansion pressure reaches 14.7 MPa when the agent packing density, roll diameter, and insertion gap are  $1.65$  g/cm<sup>3</sup>, 40 mm, and 1.0 mm, respectively. The expansion pressure decreases to 2.3 MPa when the agent packing density, roll diameter, and insertion gap are 2.05  $\text{g/cm}^3$ , 45 mm, and 6.0 mm, respectively. It is seen that compared with roll diameter and agent packing density, the insertion gap has a larger effect on the expansion pressure. The test results of Specimens A-#5 and A-#7 show that for a given insertion gap, the expansion pressure decreases when the roll diameter is increased while the agent packing density is decreased. When the roll diameter is increased from 40 to 45 mm and the agent packing density is decreased from 1.85



<span id="page-5-0"></span>**Fig. 4** Water absorption of SSCs with diferent agent packing densities



<span id="page-5-1"></span>**Fig. 5** Infuence of roll diameter, agent packing density, and insertion gap on expansion pressure

to 1.65  $g/cm<sup>3</sup>$ , the expansion pressure decreases from 29.3 to 20.5 MPa. Hence, the expansion pressure is more sensitive to the agent packing density than to the roll diameter.

In summary, the expansion pressure of a SSC is infuenced by roll diameter, agent packing density, and insertion gap. Among them, it is more sensitive to insertion gap, followed by agent packing density, and is less sensitive to roll diameter.

# **3.3 Uniaxial Compression Test Results**

Complete stress–strain curves under uniaxial compression and photos of the failed SSC specimens at diferent hydration reaction times are presented in Fig. [6.](#page-6-0) The dimensions of the specimens are 50 mm in diameter and 100 mm in length, with an agent packing density of  $1.65$  g/cm<sup>3</sup>.

When the hydration reaction time is 4 h, the UCS  $(\sigma_c)$ , peak strain (the strain that corresponds to the peak strength), elastic modulus  $(E)$ , and Poisson's ratio  $(\nu)$  of the SSC specimens are 1.2 MPa, 1.276%, 0.20 GPa, and 0.30, respectively. The photo of the tested specimen shows that there are several distinct fractures, one main fracture propagating through the specimen, one local axial fracture and one circumferential fracture at each end of the specimen. The failure modes are splitting failure. When the hydration reaction time is increased to 24 h, the UCS and the elastic modulus increase to 9.6 MPa and 1.24 GPa, respectively, while the peak strain and the Poisson's ratio decrease to 0.926% and 0.18, respectively. In this case, two main fractures propagate through the specimen, and three local axial fractures and two local circumferential fractures occur at each end of the specimen. The failure mode is also splitting failure, showing a more characteristic brittle failure with spalling of some small fragments during the test. Overall, with the increase of the hydration reaction time, the UCS and the elastic modulus of the SSC specimens increase and its peak strain and Poisson's ratio decrease gradually. The failure modes are splitting failure. In addition, the number of fractures increases and brittle failure becomes more noticeable.

# **3.4 Triaxial Compression Test Results**

Complete stress–strain curves under triaxial compression and photos of the failed SSC specimens (with a diameter of 50 mm, a length of 100 mm and an agent packing density of 1.65 g/cm<sup>3</sup>) after 24 h hydration reaction are shown in Fig. [7.](#page-6-1)





<span id="page-6-0"></span>**Fig. 6 a** Complete stress–strain curves and **b** failure modes of SSC specimens under uniaxial compression, with diferent hydration reaction times.  $\varepsilon_1$ ,  $\varepsilon_3$ ,  $\sigma_1$  and *t* are axial strain, lateral strain, axial stress and hydration reaction time, respectively

<span id="page-6-1"></span>**Fig. 7 a** Complete stress–strain curves and **b** failure modes of SSC specimens under triaxial compression, with a hydration reaction time of 24 h.  $\varepsilon_1$ ,  $\varepsilon_3$ ,  $\sigma_1$  and  $\sigma_3$  are axial strain, lateral strain, axial stress and confning pressure, respectively

At 1.0 MPa confining pressure, the peak strength  $(\sigma_1)$  of the specimen is 15.1 MPa and the failure mode is splitting failure. At 5.0 MPa confining pressure, the peak strength is 31.7 MPa and both splitting and shear failures occur in the specimen. When the confning pressure is 10.0 MPa, the peak strength increases to 53.2 MPa and the specimen fails in shear. At 20.0 MPa confning pressure, the peak strength is 93.9 MPa and the specimen also fails in shear. With the increase of confning pressure, the number of the observed fractures decreases and the peak strength increases gradually. The  $(\sigma_1 - \sigma_3) - \varepsilon_1$  curves near the peak stress become fat, and the failure modes change gradually from splitting to shear. In particular, when the confning pressure is equal to 20.0 MPa, strain hardening occurs for the SSC specimens after hydration reaction. For this case, plastic deformation occurs when the axial strain and the axial stress are 0.286% and 47.95 MPa, respectively, and strain hardening occurs when the axial strain and the axial stress are higher than 1.495% and 72.82 MPa, respectively. At an axial strain of 5.420%, the axial stress reaches the peak value of 93.9 MPa, and strain softening occurs in the post-peak deformation stage.

## **4 Discussions**

# **4.1 Quantitative Analysis of Factors that Infuence Expansion Pressure**

Assume that the roll diameter, agent packing density, installation gap, and free expansion time are denoted as *d*,  $\rho$ ,  $\Delta l$ , and  $t_f$ , respectively, and we use the dimensional analysis method (Barenblatt [1987](#page-12-30); Szirtes [2007;](#page-12-3) Bowers and Schatzman [2009;](#page-12-31) He et al. [2018](#page-12-7)) to study the infuence of those factors on the expansion pressure of the SSC quantitatively. Using the selected variables, the objective function of the expansion pressure *P* can be written as:

$$
f(d, \rho, \Delta l, t_{\rm f}, P) = 0. \tag{6}
$$

Taking mass (*M*), length (*L*), and time (*T*) as the basic dimensions, the variables can be expressed in the power forms of the basic dimensions as:

$$
[d] = M^{0}L^{1}T^{0}
$$
  
\n
$$
[\rho] = M^{1}L^{-3}T^{0}
$$
  
\n
$$
[\Delta I] = M^{0}L^{1}T^{0}
$$
  
\n
$$
[t_{f}] = M^{0}L^{0}T^{1}
$$
  
\n
$$
[P] = M^{1}L^{-1}T^{-2}
$$
\n(7)

A dimensional matrix can be obtained as:

$$
AT = \begin{bmatrix} 0 & 1 & 0 & 0 & 1 \\ 1 & -3 & 1 & 0 & -1 \\ 0 & 0 & 0 & 1 & -2 \end{bmatrix}.
$$
 (8)

From the dimensional harmony theorem, we have

$$
[d]^{x_1}[\rho]^{x_2}[\Delta I]^{x_3}[t_f]^{x_4}[P]^{x_5} = M^0 L^0 T^0,
$$
\n(9)

where  $x_1, x_2, x_3, x_4$ , and  $x_5$  represent the undetermined coefficients of  $[d]$ ,  $[\rho]$ ,  $[\Delta l]$ ,  $[t_f]$ , and  $[P]$ , respectively.

Using matrix  $X = (x_1, x_2, x_3, x_4, x_5)^T$ , Eq. ([9](#page-7-0)) can be transformed into a basic solution vector for solving the linear homogeneous equations of  $A^T X = 0$ , as shown in the following equation:

$$
\begin{aligned}\n0 \cdot x_1 + 1 \cdot x_2 + 0 \cdot x_3 + 0 \cdot x_4 + 1 \cdot x_5 &= 0 \\
1 \cdot x_1 - 3 \cdot x_2 + 1 \cdot x_3 + 0 \cdot x_4 - 1 \cdot x_5 &= 0 \\
0 \cdot x_1 + 0 \cdot x_2 + 0 \cdot x_3 + 1 \cdot x_4 - 2 \cdot x_5 &= 0\n\end{aligned}
$$
\n(10)

<span id="page-7-0"></span> $\mathbf{A}$ 

The rank of  $A<sup>T</sup>$  is 3 and the basic solutions of the equations of  $A^T X = 0$  are

$$
X_1 = \left(-\frac{1}{4}, -\frac{1}{2}, \frac{1}{4}, \frac{3}{4}, -\frac{1}{4}\right)^T
$$
  
\n
$$
X_2 = \left(-\frac{3}{4}, \frac{1}{2}, -\frac{1}{4}, \frac{1}{4}, \frac{1}{4}\right)^T
$$
 (11)

Two dimensionless factors can be obtained, which are  $\pi_1 = d^{-\frac{1}{4}} t_f^{-\frac{2}{2}} \rho^{\frac{1}{4}} \Delta l^{\frac{3}{4}} P^{-\frac{1}{4}}$  and  $\pi_2 = d^{-\frac{3}{4}} t_f^{\frac{2}{4}} \rho^{-\frac{1}{4}} \Delta l^{\frac{1}{4}} P^{\frac{1}{4}}$ . The objective function of Eq.  $(6)$  $(6)$  can be expressed as:

$$
g(\pi_1, \pi_2) = 0. \tag{12}
$$

To obtain the relation between the expansion pressure of the SSC and its infuencing factors, the dimensionless factors  $\pi_1$  and  $\pi_2$  are calculated based on the data shown in Table [4,](#page-8-0) using the regression analysis software Origin (Norušis [2011;](#page-12-32) Egbert and Staples [2019\)](#page-12-33), and the results are shown in Fig. [8](#page-8-1). The free expansion rate refers to the expansion rate of the specimen before it contacts the boundary of the stainless-steel cylinder of the test equipment (National Development and Reform Commission [2008](#page-12-11)). The expansion rate is calculated using  $\Delta l/t_f$ , where  $\Delta l$  is the installation gap and  $t_f$  is the free expansion time.

<span id="page-7-1"></span>Using the relation between the dimensionless factors shown in Fig. [8,](#page-8-1) the relation between the expansion pressure and the infuencing factors is obtained as:

$$
P = 0.440^2 \times d \times \rho \times \frac{\Delta L}{t_{\rm f}} \times \frac{1}{t_{\rm f}}.
$$
\n(13)

<span id="page-7-2"></span>It can be seen from Eq.  $(13)$  $(13)$  that the expansion pressure of the SSC is positively correlated with the roll diameter, agent packing density and free expansion rate, and negatively correlated with the free expansion time. The results shown in

Specimen#	Roll diameter $d$ (mm)	Agent packing density $\rho(g/cm^3)$	Installation gap $\Delta l$ (mm)	Free expansion time $t_f(h)$	Expansion pres- sure $P(MPa)$	Free expansion rate (mm/h)	$\pi_1$	$\pi_2$
$A-#1$	40.0	1.65	1.0	0.95	14.7	1.05	0.24	0.11
$A-#2$	40.0	1.85	6.0	6	2.1	0.97	0.59	0.25
$A-#3$	40.0	2.05	3.5	2.95	6.6	1.19	0.44	0.20
$A-#4$	45.0	1.65	3.5	$\overline{4}$	3.6	0.88	0.41	0.19
$A-#5$	45.0	1.85	1.0	0.75	29.3	1.33	0.22	0.10
$A-#6$	45.0	2.05	6.0	6.5	2.9	1.00	0.55	0.24
$A-#7$	50.0	1.65	1.0	0.9	20.5	1.11	0.21	0.09
$A-#8$	50.0	1.85	3.5	2.5	10.8	1.40	0.39	0.18
$A-#9$	50.0	2.05	1.0	0.6	52.3	1.67	0.22	0.09

<span id="page-8-0"></span>**Table 4** Sample data and numerical table of dimensionless factor calculation



<span id="page-8-1"></span>**Fig. 8** Regression analysis for the dimensionless factors

Table [4](#page-8-0) indicate that the variation of the free expansion rate is small, which is between 0.88 and 1.67 mm/h. Hence, the free expansion time depends mainly on the installation gap, i.e., the larger the installation gap is, the longer the free expansion time and the smaller the expansion pressure will be. Therefore, the expansion pressure and the installation gap are negatively correlated with each other, and this is consistent with the test results shown in Sect. [3.2](#page-5-2).

#### **4.2 Time‑Dependent Expansion Pressure and UCS**

Based on the crystal growth theory (Chatterji [1995](#page-12-13)), the excess pressure acting on the wall of the constraint is coming from the crystal growth pressure  $(\Delta P)$ , which is given by

$$
\Delta P = \frac{R \times T}{V_{\rm M}} \times \ln \frac{a_{\rm s}}{a_0},\tag{14}
$$



<span id="page-8-2"></span>**Fig. 9**  $\sigma_c$ –*t* and *P*–*t* curves and fitting formulas of SSCs

where  $V_M$  is the molar volume of the crystal,  $a_s$  is the mean activity of the supersaturated solution,  $a_0$  is the mean activity of the saturated solution, *R* is the gas constant, and *T* is the absolute temperature of the system.

During the hydration reaction, the activity of an oversaturated solution  $(a<sub>s</sub>)$  and the absolute temperature of the system (*T*) change continuously. The pressure increment  $(\Delta P)$  due to the crystallization of Ca(OH)<sub>2</sub> varies accordingly, which can lead to a variation of the expansion pressure and the peak strength of the specimen with reaction time. The UCS and the expansion pressures of the SSC specimens (with an agent packing density of  $1.65$  g/cm<sup>3</sup>) at different reaction times (4, 6, 8, 10, 16 and 24 h) are used to plot the  $\sigma_c$ –*t* and the *P*–*t* curves shown in Fig. [9](#page-8-2).

The hydration reaction process of the SSC specimens can be divided into three stages: the initial stage (*t*≤4 h) in which the expansion pressure grows rapidly, the middle stage  $(4 h < t \leq 10 h)$  in which the growth rate of the expansion pressure decreases, and the final stage ( $t \ge 10$  h) in which the expansion pressure increases slowly. The expansion pressure increases with the reaction time at a power of three. The reason is that in the initial stage, heat is released rapidly and the  $Ca(OH)$ <sub>2</sub> crystals are generated quickly due to the hydration reaction. This leads to a rapid increase of the activity of the oversaturated solution and the absolute temperature of the system. As a result, in the initial stage of the hydration reaction, the  $\Delta P$  increase rate is high, and the expansion pressure increases rapidly. With the increase of the reaction time (4 h <  $t \le 10$  h), the rates of heat release and Ca(OH)<sub>2</sub> crystal growth decrease gradually. This leads to a gradual decrease of the activity of the oversaturated solution and the absolute temperature of the system, which results in a continuous decrease of the rate of expansion pressure increase. The growth rate of the expansion pressure decelerates in this stage. In the final stage of the hydration reaction ( $t \ge 10$  h), the rates of heat release and  $Ca(OH)$ <sub>2</sub> crystal growth further decrease, leading to a further decrease of the activity of the oversaturated solution and the absolute temperature of the system. As a result, the rate of expansion pressure increase further decreases and approaches zero in the end.

The mechanism of expansion pressure development of the SSC specimens can be used to explain the increase of *E* and the decrease of  $\nu$  over the time of hydration reaction. As shown in Fig. [10,](#page-9-0) as the hydration reaction time increases, the elastic modulus increases while the Poisson's ratio decreases. When the reaction time is less than 6 h, the elastic moduli and the Poisson's ratios of the SSC specimens, respectively, increase and decrease quickly with the hydration reaction time. The elastic moduli and Poisson's ratios are 0.20 GPa and 0.30, 0.42 GPa and 0.26, respectively, for hydration reaction times of 4 h and 6 h. The growth rate of the  $Ca(OH)$ , crystals is relatively fast in the initial stage of hydration reaction. In a constraint space, the internal pores in the specimen are crushed quickly and the SSC is compacted continuously. This is why there is a gradual increase of elastic modulus and decrease of Poisson's ratio. When the



<span id="page-9-0"></span>**Fig. 10**  $E-t$  and  $\nu-t$  curves as well as fitting formulas of SSCs

hydration reaction time is 8 h, the elastic modulus and the Poisson's ratio are 0.58 GPa and 0.22, respectively. When the reaction time is 10 h, the elastic modulus and the Poisson's ratio change to 0.80 GPa and 0.20, respectively. The generation rate of the  $Ca(OH)_2$  crystals decelerates in the middle stage of the hydration reaction. As a result, the rate of the collapse of internal pores in the specimen decreases, leading to a gradual decrease of the compaction rate of the SSC and a decrease of the rates of change of the elastic modulus and the Poisson's ratio over hydration reaction time. If the hydration reaction time is more than 10 h, the rates of change of the elastic modulus and Poisson's ratio over hydration reaction time further decrease. When the hydration reaction time is 16 h, the elastic modulus and the Poisson's ratio are 1.20 GPa and 0.19, respectively. In comparison, when the hydration reaction time is 24 h, the elastic modulus and the Poisson's ratio are 1.24 GPa and 0.18, respectively. There are only slight changes of the elastic modulus and the Poisson's ratio for a diference of 8 h of hydration reaction time. In the fnal stage of hydration reaction, the growth rate of the  $Ca(OH)$ <sub>2</sub> crystals further decreases and the internal pores in the specimen are completely flled. As a result, the elastic modulus and the Poisson's ratio vary very little and approach their respective stable values.

It is seen that the evolution of the expansion pressure of the SSCs can be used to explain the increase of elastic modulus and the decrease of Poisson's ratio with hydration reaction time. Empirical formulas of the  $\sigma_c$ –*t*, *P*–*t*, *E*–*t*, and *ν*–*t* curves are given in Figs. [9](#page-8-2) and [10,](#page-9-0) which can be used in numerical modeling to further study the expansion mechanism of the SSCs.

#### **4.3 Failure Criterion**

With a failure criterion in place, mechanical property parameters can be obtained, which can be used in numerical simulation of the SSCs in feld application. Using the Mohr–Coulomb failure criterion, the relation between the shear stress  $\tau$ and the normal stress  $\sigma_n$  acting on a shear plane is

<span id="page-9-1"></span>
$$
\tau = c + \sigma_n \times \tan \phi,\tag{15}
$$

where  $c$  is the cohesion and  $\phi$  is the internal friction angle.

Assume that the angle between the shear plane and the horizontal is  $\theta$ , as shown in Fig. [11,](#page-10-0) then  $\tau$ <sub>and</sub>  $\sigma_n$  can be represented by the maximum  $\sigma_1$  and the minimum  $\sigma_3$  principal stresses as:

<span id="page-9-2"></span>
$$
\sigma_n = \frac{1}{2} \times (\sigma_1 + \sigma_3) + \frac{1}{2} \times (\sigma_1 - \sigma_3) \times \cos 2\theta
$$
  

$$
\tau = \frac{1}{2} \times (\sigma_1 - \sigma_3) \times \sin 2\theta
$$
 (16)



<span id="page-10-0"></span>**Fig. 11** M–C peak strength envelope and ftting formula for SSC

Combining Eqs. [\(15](#page-9-1)) and [\(16](#page-9-2)), the Mohr–Coulomb failure criterion can be expressed as:

$$
\sigma_1 = \frac{1 + \sin \phi}{1 - \sin \phi} \times \sigma_3 + \frac{2c \times \cos \phi}{1 - \sin \phi}.
$$
 (17)

For  $\sigma_3$ =0, we obtain the uniaxial compressive strength, which is

$$
\sigma_c = \frac{2c \times \cos \phi}{1 - \sin \phi}.
$$
\n(18)

The relation between  $\theta$  and  $\phi$  is

$$
\frac{1+\sin\phi}{1-\sin\phi} = \tan^2\theta.
$$
 (19)

Substituting Eqs.  $(19)$  $(19)$  $(19)$  and  $(18)$  $(18)$  $(18)$  into Eq.  $(15)$  $(15)$ , we have

$$
\sigma_1 = \sigma_3 \times \tan^2 \theta + \sigma_c. \tag{20}
$$

Based on the test data shown in Fig. [7,](#page-6-1) the parameters for the Mohr–Coulomb failure criterion are calculated as  $c=2.52$  MPa and  $\phi = 38.03^{\circ}$ . Thus, the Mohr–Coulomb failure criterion for the SSC is

$$
\sigma_1 = 4.21 \times \sigma_3 + 10.32 \text{ (MPa)}.
$$
 (21)

Using the Mohr–Coulomb failure criterion, the relation between the shear stress  $\tau$  and the normal stress  $\sigma_n$  acting on a shear plane is

$$
\tau = 0.7822 \times \sigma_n + 2.52 \text{ (MPa)}.
$$
\n
$$
(22)
$$

<span id="page-10-3"></span>**Table 5** Mechanical properties of standard concrete specimens

Test number	$\sigma_{\rm cc}$ (MPa)	$\sigma_{\text{tc}}$ (MPa)	$E_c$ (GPa)	$\nu_{\scriptscriptstyle\alpha}$
$C-#1$	31.3	2.59	30.18	0.271
$C-#2$	33.2	2.49	30.25	0.264
$C-#3$	30.4	2.63	30.34	0.266
Average value	31.6	2.54	30.26	0.267

 $\sigma_{\rm cc}$  is the uniaxial compressive strength;  $\sigma_{\rm tc}$  is the tensile strength;  $E_c$ and  $\nu_c$  are the Young's modulus and Poisson's ratio of the concrete, respectively

## **4.4 Fracturing Performance of SSC**

To further understand the fracturing performance of SSC, a concrete block, which has a dimension of 300 mm  $(length) \times 300$  mm (height)  $\times 250$  mm (thickness), was used for breakage test. There was a 52.0-mm circular hole in the center of the block in the thickness direction. Through uniaxial compression and Brazilian tests, the mechanical properties of the concrete were obtained and shown in Table [5](#page-10-3).

A SSC with a diameter of 50.0 mm, a length of 100.0 mm and a density of 1.65  $g/cm<sup>3</sup>$  was soaked in 20 °C water for 9 min. After the SSC was saturated with water, it was placed in the center position of the hole in the concrete block. In the process of testing, the surface deformation of the concrete block was measured using a Digital Image Correlation Measurement System (DICMS) (Peng et al. [2019](#page-12-34); Zhang et al. [2019](#page-13-1)) to obtain the surface strain, and crack propagation during the fracturing process was recorded using photoimages.

<span id="page-10-2"></span><span id="page-10-1"></span>The test result is shown in Fig. [12.](#page-11-0) When the hydration reaction time was 0.7 h, the calculated expansion pressure generated by the SSC was 0.55 MPa according to the ftting formula in Fig. [9](#page-8-2). At this time, stress concentration appeared on the surface of the concrete block near the hole perimeter, and the maximum principal strain was about 0.26–0.27%. When the hydration reaction time increased to 1 h, the calculated expansion pressure of the SSC was 1.42 MPa. The strains on the surface of the concrete block increased in the vertical centerline, and the maximum principal strains ranged from 0.33 to 0.36%. Spalling occurred in the lower half of the specimen. With further hydration reaction, the principal strains along the vertical center line increased. When the hydration reaction time was 1.5 h, the calculated expansion pressure reached 2.88 MPa, which exceeded the tensile strength of the concrete ( $\sigma_{tc}$ =2.54 MPa). The concrete block cracked along the vertical centerline. When hydration reaction time was 4.0 h, the crack width reached 20.4 mm. The maximum crack width reached 30.6 mm when the hydration reaction time was more than 24 h (Fig. [12](#page-11-0)).

The results of the laboratory fracturing test of the concrete block using SSC show that the expansion pressure



<span id="page-11-0"></span>**Fig. 12** Cracking process of concrete based on DICMS

produced by SSC increases with the increase of hydration reaction time. Under the expansion pressure of SSC, spalling failure occurred in the concrete block in 1 h, microcracks were observed in 1.3 h, and macrocracks appeared in 1.5 h. The crack width reached 20.4 mm in 2 h. This demonstrates that the SSC has a good cracking performance and a high cracking efficiency, and it can be used for concrete demolition and rock fracturing. In addition, the expansion pressure of SSC can be calculated using the ftting formula of the mechanical and expansion properties under diferent hydration reaction time and confning pressure. Combined with the mechanical properties of the objects to be fractured (e.g., rock or rock mass), de-stress in highly stressed brittle rock can be carried out by fracturing the rock using the SSCs to reduce rock burst risk. They can also be used in other engineering applications such as secondary breakage of rocks. Furthermore, the developed SSCs can be used to fracture rock in wet boreholes or up-tilt boreholes. We plan to conduct feld experiments of rock fracturing using the developed SSC in our future studies.

# **5 Conclusions**

Water absorption, expansion pressure and mechanical property tests of specimens of the novel SSC after hydration reaction were carried out in this study. The following conclusions are made based on the test results.

The water absorption and the water absorption rate of the newly developed SSC decrease as the agent packing density increases. A SSC can be fully saturated after immersing it in 20 °C water for 9–13 min. The water absorption is between 20 and 25%, which is close to the optimal water to cement ratio of 25% of SCDAs. The recommended agent packing density is  $1.65$  g/cm<sup>3</sup>, at which the immersion time and the water absorption are 9 min and 22%, respectively.

The expansion pressure of the SSC is positively correlated with the roll diameter and the agent packing density and negatively correlated with the insertion gap. The expansion pressure is most sensitive to insertion gap and least sensitive to roll diameter. A mathematical model relating the expansion pressure and its infuencing factors is established through dimensional analysis and regression analysis.

When the reaction time is less than 24 h, both UCS and elastic modulus of the SSC after hydration reaction increase with the hydration reaction time, while the Poisson's ratio decreases with the hydration reaction time. When the hydration reaction time is 24 h, the UCS, expansion pressure, elastic modulus and Poisson's ratio approach their corresponding stable values, which are 9.6 MPa, 20.5 MPa, 1.24 GPa and 0.18, respectively. With the increase of confning pressure, the peak strength of the SSC increases linearly. The cohesion and the internal friction angle for the Mohr–Coulomb failure criterion are 2.52 MPa and 38.01°, respectively.

The application of the newly developed SSC is easy and the SCDA paste is less likely to be extruded from boreholes. It can be applied to fracturing rock masses using boreholes in any inclination, dry or wet. This is important for broadening the application of SCDAs. In future studies, we will investigate the expansion and strength characteristics of the SSC in complex underground environments with chemical water and extreme (high or low) temperatures.

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#### **Compliance with Ethical Standards**

**Conflict of interest** The authors declare that they have no confict of interests.

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