NEW MEASUREMENTS OF SUB-MILLIMETRE-WAVE ROTATIONAL TRANSITIONS FOR THE KETENE ( H<sub>2</sub>CCO) MOLECULE

L.  $NEMES<sup>1</sup>$ , J. DEMAISON<sup>2</sup> and G. WLODARCZAK<sup>2</sup>

 $1$ Research Laboratory for Inorganic Chemistry, Hungarian Academy of Scienees, Budapest, Hungary

 $2$ Laboratoire de Spectroscopie Hertzienne, U.E.R. de Physique Fondamentale Universite des Seiences et Teehnlques de Lille, Viileneuve d'Ascq, France

Using the superheterodyne sub-millimetre spectrometer at the Micro-<br>wave Laboratory of the University of Lille I, France some hitherto unavail-<br>able pure rotational transitions have been measured for the ketene molecule<br>( scheme of Watson.

#### Introduetion

Ketene is a fairly abundant molecule in interstellar space  $[1]$  . Since the available milllmetre-wave data for this molecule is restricted to relatively low frequencies [2] , i.e. only up to 200 GHz, it has been considered worthwhile to extend the measurements into the hlgh-frequency submillimetre-wave spectral range. Another motivation for these studies has been to cast the rotational and centrifugal distortion eonstants into the recent notation due to Watson  $[3]$ .

## Experimental

Ketene gas was generated from liquid diketene  $(\text{CH}_2\text{CO})_2$  in a flow system containing a quartz tube heated to about  $600^{\circ}$ C. Diketene was first frozen out in a liquid  $N_2$  trap while the spectrometer was pumped down. Then the sample was allowed to warm up in order to distil at a needle-valve controlled rate into the waveguide, wherefrom it was pumped away. Pure ketene could be produced in this way in sufficient quantities.

The sub-millimetre spectrometer used in these studies was described by Burie et al  $[4]$ . To find the high-frequency rotational transitions their position was predicted using previously reported ground state constants (see: Johns et al [2] ). For this purpose a computer programme wrltten by Dr. Koichi Yamada was used. This procedure facilitated greatly the search for the right ketene line. In the case of the Lille spectrometer this was particularly important since the super-heterodyne detection system applied resulted in very high sensitivity. Once the transition was located its line parameters were measured by the sophisticated data-processing software

> *Acta Physica Hungarica 61, 1987*  Akadémiai Kiadó, Budapest

136 L. NEMES et at

developed at the Laboratoire de Spectroscopie Hertzienne in Lille.

# Analysis of the spectra

The input data for the least-squares calculation of molecular constants consisted of three subsets: i. cm- and mm-wave lines given in ref.  $[2]$ , ii. the presently reported measurements of sub-mm-wave lines, and iii. combination differences recalculated from the b-type  $\mathcal{V}_7$  infrared band frequencies in ref.  $[2]$ . The distribution of data among the three subsets is as follows: i.:52, ii.:82 and iii.: 278.

The least-squares determination of the ground state rotational constant set was made partly in Lille and partly in Giessen, Justus-Liebig-University, West Germany. In Lille we have used a computer programme written by Dr. V. Typke, adapted to the local DPS8 computer. The Giessen calculations were carried out by another programme originally written by Dr.K. Yamada aud later modified by Dr. Brenda Winnewisser for the local computer at the University of Giessen. In this paper only the Giessen calculations shall be reported as they were made on the original Lille data set, but were carried out in both the A- (asymmetric top), and S- (symmetric top) reduction schemes of Watson  $[3]$ .

# Ground state rotational constants of  $H_2$ CCO

#### A-reduction

The following rotational Hamiltonian was used in the data fitting procedure:

$$
\hat{H}_{\text{rot}}^{(A)} = \tilde{\mathbf{A}}_{z}^{2} + \tilde{\mathbf{B}}_{x}^{2} + \tilde{\mathbf{G}}_{y}^{2} - \Delta_{\mathbf{J}}\tilde{\mathbf{A}}^{4} - \Delta_{\mathbf{JK}}\tilde{\mathbf{A}}^{2}\tilde{\mathbf{C}}_{z}^{2} - \Delta_{\mathbf{K}}\tilde{\mathbf{A}}_{z}^{2} + \tilde{\mathbf{A}}_{z}^{2}\tilde{\mathbf{A}}_{z}^{2} + \delta_{\mathbf{K}}\tilde{\mathbf{A}}_{z}^{2} + \tilde{\mathbf{A}}_{z}^{2}\tilde{\mathbf{A}}_{z}^{2} + \tilde{\mathbf{A}}_{z}^{2}\tilde{\math
$$

## S-reduction

In the S-reduction scheme the Hamiltonian is of the following form:

$$
\hat{H}_{\text{rot}}^{(S)} = (\tilde{A} - (\tilde{B} + \tilde{c})/2) \hat{J}_z^2 + ((\tilde{B} + \tilde{c})/2) \hat{J}_z^2 - D_J \hat{J}_z^4 - \tilde{D}_{JK} \tilde{J}_z^2 \hat{J}_z^2 - D_K \hat{J}_z^4 + H_J \hat{J}_x^6 + H_{JK} \hat{J}_z^4 \hat{J}_z^2 + H_{KJ} \hat{J}_z^2 \hat{J}_z^4 + \tilde{H}_K \hat{J}_z^6 + ((\tilde{B} - \tilde{c})/4 + d_I \hat{J}_z^2 + h_I \hat{J}_z^4)(\hat{J}_z^2 + \hat{J}_z^2) + \tilde{H}_K (\tilde{d}_2 + h_2 \hat{J}_z^2)(\hat{J}_+^4 + \hat{J}_z^4) + h_3(\hat{J}_+^6 + \hat{J}_z^6).
$$
\n(2)

It is possible to relate the rotational constants in the A- and Sreduction forms ( see: Table 8.16 in ref.  $[5]$  ). Such a comparison was performed amcng the least-squares determined A-reduction constants and those calculated from S-reduction constants using the relationships in ref.  $[5]$ . In addition to this the least-squares errors were checked by error propagation. It was found that the data in Table I **and** II satisfy such relations

within the calculated error limits. The only exception is  $\Phi_{JK}$  that is significantly different from  $H_{JK}$  although these constants are expected to be identical in the present constraint:  $h_2=h_3=0$ .





Table II

The correlations among the A-reduction parameters and those for the S-reduction parameters are significantly different. In the asymmetric top reduction the strongest correlations  $($ >0.9) are between members of pairs:  $(A, \Delta_{\gamma\chi});$   $(A, \lambda_\chi);$   $(A, \Psi_{K,\tau})$  and  $(\lambda_\chi, \Phi_{K,\tau})$  whereas in the symmetric top reduction  $((A-B^*)$ , $D_K$ );  $((A-B^*)$ , $d_2$ ) and  $((B-C)$ , $d_1$ ), where  $B^* = (B+C)/2$ .

Although a direct comparison to the results of Johns et al  $[2]$  is not possible due to the different notations, it is interesting to note that in the present S-reduction  $D_K$  is significantly larger, whereas  $H_{JK}$  is significantly smaller than in  $ref.[2]$ .

Further work is in progress for the more accurate determination of the

**I\_NEMFS** et al.

ground state rotational constante. Dr. J.W.C. Johns and one of the present authors (L.N.) have recorded Doppler-limited resolution spectra of ketene in the spectral range  $1100-350$  cm<sup>-1</sup> using the BOMEM DA3.002 FTIR spectrometer at the Herzberg Institute of Astrophysics, National Research Council of Canada, Ottawa. New, highly dependable ground state combination differences have already been derived from the rotational structure of the  $v<sub>o</sub>$  fundamental and these have been used to extend the scope of the present work significantly  $[6]$ .

## Acknowledgements

This work was carried out malnly at the Lille University during the tenure of visiting professorship awarded to L.N. The computations done at the Justus-Liebig University, Giessen, West Germany were made possible by the support from the Alexander von Humboldt Foundation, Bonn, West Germany. L.N. is grateful to Or. Jean Demaison, Prof. Manfred Winnewieser and Dr. Brenda P. Winnewisser for the extensive help given to this work.

### References

- 1. Å. Hjalmarson. Astrochemistry Observational Aspects, ESO-IRAM-Onsala Workshop on (Sub)millimeter Astronomy, Aspenas, June 1985.
- 2. J.W.C. Johns, J.M.R. Stone and G. Winnewisser, J. Mol. Spectr., 42, 523,
- 1972 .<br>3. J.K.G. Watson, Chapter 1. in Vibrational Spectra and Structure, ed.<br>J.R. Durig, Vol. 6, Marcel Dekker, New York, 1977.<br>4. J. Burie, D. Boucher, J. Demaison and A. Dubrulle, J. Physique, <u>43</u>,
- 
- 1919, 1982 .<br>5. W. Gordy and R.L. Cook, Microwave Molecular Spectra, 3rd Edition, Tech-<br>niques of Chemistry, Vol. XVIII, ed. A. Weissberger, Wiley-Interscience<br>Publ., New York, 1984.
- 6. J.W.C. Johns, private communication.