PROPAGATION OF A LASER PULSE OVER A ROUTE WITH A CLOUDY LAYER UNDER CONDITIONS OF KINETIC COOLING

M. P. Gordin, V. P. Sadovnikov, and G. M. Strelkov

In [1, 2] an analysis was performed of the propagation of a continuous laser beam (' $\lambda$  = I0.6 µm) on a vertical atmospheric route containing a cloudy layer with the lower limit at a height of 1 km. In the present paper we consider the propagation of a laser pulse at  $\lambda$  = I0.6 µm along a vertical atmospheric route containing a cloudy layer up to a height of 20 km. The basic effects that influence the process of propagation in the free atmosphere are the following: the molecular absorption by the water vapor and by the carbon dioxide, the kinetic cooling, the thermal self-action, the diffraction divergence. In a cloudy layer there are added to them the absorption by water vapor and the bleaching effect. With allowance for the foregoing effects, the propagation of a pulse on a vertical route can be described by an equation whose dimensionless form is

$$2i\frac{\partial E'}{\partial \overline{z}} = \varepsilon \Delta_{1}E' - \frac{2E'}{\varepsilon} \left\{ \exp(-\tau) \left[ v(\overline{z}) \int_{0}^{\overline{t}} |E'|^{2} dt' + \mu(\overline{z}) \int_{0}^{t} |E'|^{2} dt' \left( 1 - 2,44 \exp\left(\frac{t' - \overline{t}}{\overline{t}_{c}(\overline{z})}\right) \right) \right] + \varepsilon \Delta_{1}E' + \frac{2E'}{\varepsilon} \left\{ \exp(-\tau) \left[ v(\overline{z}) \int_{0}^{\overline{t}} |E'|^{2} dt' + \mu(\overline{z}) \int_{0}^{t} |E'|^{2} dt' \left( 1 - 2,44 \exp\left(\frac{t' - \overline{t}}{\overline{t}_{c}(\overline{z})}\right) \right) \right] + \varepsilon \Delta_{1}E' + \frac{2E'}{\varepsilon} \left\{ \exp(-\tau) \left[ v(\overline{z}) \int_{0}^{\overline{t}} |E'|^{2} dt' + \mu(\overline{z}) \int_{0}^{t} |E'|^{2} dt' \left( 1 - 2,44 \exp\left(\frac{t' - \overline{t}}{\overline{t}_{c}(\overline{z})}\right) \right) \right] + \varepsilon \Delta_{1}E' + \frac{2E'}{\varepsilon} \left\{ \exp(-\tau) \left[ v(\overline{z}) \int_{0}^{\overline{t}} |E'|^{2} dt' + \mu(\overline{z}) \int_{0}^{t} |E'|^{2} dt' \left( 1 - 2,44 \exp\left(\frac{t' - \overline{t}}{\overline{t}_{c}(\overline{z})}\right) \right) \right\} + \varepsilon \Delta_{1}E' + \frac{2E'}{\varepsilon} \left\{ \exp(-\tau) \left[ v(\overline{z}) \int_{0}^{\overline{t}} |E'|^{2} dt' + \mu(\overline{z}) \int_{0}^{t} |E'|^{2} dt' \left( 1 - 2,44 \exp\left(\frac{t' - \overline{t}}{\overline{t}_{c}(\overline{z})}\right) \right) \right\} + \varepsilon \Delta_{1}E' + \frac{2E'}{\varepsilon} \left\{ \exp(-\tau) \left[ v(\overline{z}) \int_{0}^{\overline{t}} |E'|^{2} dt' + \mu(\overline{z}) \int_{0}^{t} |E'|^{2} dt' \left( 1 - 2,44 \exp\left(\frac{t' - \overline{t}}{\overline{t}_{c}(\overline{z})}\right) \right) \right\} + \varepsilon \Delta_{1}E' + \varepsilon$$

$$+ c \in \left[1 - exp(-\tau) \int_{0}^{\overline{t}} \frac{|E'|^{2} dt'}{(\tau_{att}(W_{o}, T_{o})/t_{p})})\right] = ic \tau_{4} E' - ic \tau_{2} E' exp\left[-\frac{exp(-\tau)}{(\tau_{att}(W_{o}, T_{o})/t_{p})}\int_{0}^{\overline{t}} |E'|^{2} dt'\right].$$

$$(1)$$

Here  $\overline{z} = \overline{z}/L_{H_{g0}}(0)$ ;  $\overline{t} = t/t_p$ ;  $\overline{t}_c = t_c/t_p$ ;  $\underline{t}'_{z}(\underline{E}/\underline{E}_o) \exp(\tau/2)$ ;  $\overline{z}$ , height; t, time;  $t_p$ , pulse duration;  $t_c$ , duration of the cooling effect; E, complex amplitude of the field;  $E_o = \sqrt{u_o \overline{z}_B}$ ;  $w_o$ , radiation intensity on the beam axis;  $\overline{z}_B$ , wave resistance of the medium;  $\tau$ , optical depth of the free atmosphere;

$$\begin{split} \mathcal{L}_{H_{2}0}(\mathbf{z}) &= \mathcal{R}c_{p}\rho a^{4}/(|dn/dT| \alpha_{H_{2}0} E_{P}); & \mathcal{E} &= \mathcal{L}_{H_{2}0}(0)/(|k|a|^{2}); \\ \mathcal{L}_{CO_{2}}(\mathbf{z}) &= \mathcal{R}c_{p}\rho a^{4}/(|dn/dT| \alpha_{CO_{2}} E_{P}); & \mathcal{T}_{I} &= \alpha_{H_{2}0}^{\circ} \mathcal{L}_{H_{2}0}(0); \\ \mathcal{V}(\mathbf{z}) &= (\mathcal{L}_{H_{2}0}(0)/\mathcal{L}_{H_{2}0}(\mathbf{z}))^{2}; & \mathcal{T}_{2} &= \mathcal{T}_{att}^{\circ} \mathcal{L}_{H_{2}0}(0); \\ \mathcal{M}(\mathbf{z}) &= (\mathcal{L}_{H_{2}0}(0)/\mathcal{L}_{CO_{2}}(\mathbf{z}))^{2}; & \mathcal{L}_{0} &= (a^{2}/(|dT||dn/dT|))^{1/2}; \end{split}$$

 $\rho$ , density of the air;  $c_p$ , heat capacity of the air at constant pressure; T, temperature;  $\alpha_{H_20}$  and  $\alpha_{co_2}$ , molecular coefficients of absorption of water vapor and carbon dioxide; n, refractive index; a, radius of the beam;  $\mathbb{E}_p$  pulse energy; k, wave number;

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 $\Delta T , \text{ maximum possible overheating of the medium on account of the evaporation of the drops [3]; <math> \boldsymbol{\varkappa}_{\mu_{\ell}0}^{\circ}$ , molecular coefficient of absorption of water vapor in the cloudy layer;  $\boldsymbol{\Gamma}_{att}^{\circ}$ , attenuation coefficient of aqueous aerosol;  $\mathcal{T}_{att}$ , characteristic time of change of the value of  $\boldsymbol{\Gamma}_{att}^{\circ}$  due to the evaporation of the drops [3];  $\mathbf{T}_{o}$ , initial temperature of the cloud layer;  $\boldsymbol{C} = 0$  at  $0 \leq \mathbf{Z} < \mathbf{Z}_{1}, \mathbf{Z}_{2} < \mathbf{Z} \leq 20$  km and  $\boldsymbol{C} = \mathbf{I}$  at  $\mathbf{Z}_{1} \leq \mathbf{Z} \leq \mathbf{Z}_{2}$ ;  $\mathbf{Z}_{1}$  and  $\mathbf{Z}_{2}$  are the lower and upper limits of the cloud layer. The distributions of the quantities  $\boldsymbol{\beta}, \boldsymbol{n}, \boldsymbol{\varkappa}_{\mu_{2}0}, \boldsymbol{\varkappa}_{co_{2}}, \boldsymbol{\varkappa}_{co_{2}}, \boldsymbol{\varkappa}_{co_{2}}$ , and T were taken for the standard model of the summer atmosphere from [4]. The effect of cooling is taken into account in (1) in accordance with [5, 6], and the dependence of the quantity  $\boldsymbol{t}_{p}$  on the height was taken from [7]. A cloud layer with temperature 253°K is assumed to be located at heights from 7.0 to 7.5 km. The solution of (1) was obtained numerically by a method described in [8].

A number of calculation results for the case of a Gaussian beam and a water content of the layer  $W_0 = 10^{-2}$  g/m<sup>3</sup> are given in Figs. 1-3. For convenience, the vertical axes are calibrated in quantities normalized to their initial values. Figure 1 illustrate the change, along the route, of the radiation intensity W(r, z, t), of the energy density  $\Psi(r, z, t) = \int_{0}^{t} w dt'$  and of the effective radius of the beam  $\tilde{a} = \int_{0}^{t} r \Phi r dr / \int_{0}^{t} \Phi r dr$  on the

beam axis ( $\mathbf{r} = 0$ ) at the end of the pulse  $/\mathbf{t} = \mathbf{t}_{p}$  for  $L_{\mu_{2}0}/0/=$  3.6 km and  $\mathbf{\hat{\varepsilon}} = 0.0243$ . Curves 1 and 2 of Fig. 1 correspond to the values of the parameter  $\mathbf{\bar{t}}_{c}/0/=2$  and 6. The cloud layer leads to a noticeable deterioration of the energy characteristics of the beam and, in particular, to a decrease of the paraxial focusing of the beam. Nonetheless, at the end of the route at  $\overline{t}_c/0/=6$ , owing to the kinetic cooling, the intensity of the radiation on the beam axis exceeds its initial value. Figures 2 and 3 show the distributions of w and  $\varphi$ , corresponding to the data of Fig. 1, in the beam cross section ( $\overline{r} = r/a$ ). Curves 1, 2 and 3 in Fig. 2 pertain to heights 0.5, 7.2, and 20 km and are plotted for  $\overline{t}_c/0/=6$ . Figure 3 illustrates the influence of the contraction of the pulse on the degree of its focusing in the atmosphere. On going from  $\overline{t}_c/0/=2$  (curve 1) to  $\overline{t}_c/0/=6$  (curve 2) the intensity on the beam axis at the end of the pulse increases by ~6,7 times while the pulse energy reaching the level  $\overline{z} = 20$  km remains practically unchanged.

Also discussed in the paper is the influence of the water content of the cloud layer on the characteristics of the pulse propagation.

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