ORIGINAL PAPER

# X. Song · G. Körtner · F. Geiser Reduction of metabolic rate and thermoregulation during daily torpor

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Abstract Physiological mechanisms causing reduction of metabolic rate during torpor in heterothermic endotherms are controversial. The original view that metabolic rate is reduced below the basal metabolic rate because the lowered body temperature reduces tissue metabolism has been challenged by a recent hypothesis which claims that metabolic rate during torpor is actively downregulated and is a function of the differential between body temperature and ambient temperature, rather than body temperature per se. In the present study, both the steady-state metabolic rate and body temperature of torpid stripe-faced dunnarts, Sminthopsis macroura (Dasyuridae: Marsupialia), showed two clearly different phases in response to change of air temperature. At air temperatures between 14 and 30 °C, metabolic rate and body temperature decreased with air temperature, and metabolic rate showed an exponential relationship with body temperature ( $r^2 = 0.74$ ). The  $Q_{10}$  for metabolic rate was between 2 and 3 over the body temperature range of 16 to 32 °C. The difference between body temperature and air temperature over this temperature range did not change significantly, and the metabolic rate was not related to the difference between body temperature and air temperature (P = 0.35). However, the apparent conductance decreased with air temperature. At air temperatures below 14 °C, metabolic rate increased linearly with the decrease of air temperature  $(r^2 = 0.58)$  and body temperature was maintained above 16 °C, largely independent of air temperature. Over this air temperature range, metabolic rate was positively correlated with the difference between body temperature and air temperature ( $r^2 = 0.61$ ). Nevertheless, the  $Q_{10}$  for metabolic rate between normothermic and torpid thermoregulating animals at the same air temperature was

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also in the range of 2-3. These results suggest that over the air temperature range in which body temperature of *S. macroura* was not metabolically defended, metabolic rate during daily torpor was largely a function of body temperature. At air temperatures below 14 °C, at which the torpid animals showed an increase of metabolic rate to regulate body temperature, the negative relationship between metabolic rate and air temperature was a function of the differential between body temperature and air temperature as during normothermia. However, even in thermoregulating animals, the reduction of metabolic rate from normothermia to torpor at a given air temperature can also be explained by temperature effects.

Key words Daily torpor · Metabolic rate reduction · Temperature · Thermoregulation · Marsupial, Sminthopsis macroura

Abbreviations BM body mass  $\cdot$  BMR basal metabolic rate  $\cdot$  C apparent conductance  $\cdot$  MR metabolic rate  $\cdot$ RMR resting metabolic rate  $\cdot$  RQ respiratory quotient  $\cdot$  $T_a$  air temperature  $\cdot$   $T_b$  body temperature  $\cdot$  $T_{lc}$  lower critical temperature  $\cdot$   $T_{tc}$  critical air temperature during torpor  $\cdot$  TMR metabolic rate during torpor  $\cdot$  TNZ thermoneutral zone  $\cdot \Delta T$ difference between body temperature and air temperature  $\cdot$   $\dot{VO}_2$  rate of oxygen consumption

# Introduction

Heterothermic endotherms are able to substantially reduce their MR and  $T_b$  during periods of torpor (Lyman et al. 1982; Wang 1989). Although low MRs and  $T_b$ s have been observed in many species, the physiological mechanisms causing the reduction of MR and the interrelations between the drop of MR and  $T_b$  during torpor remain controversial (Malan 1986, 1993; Geiser 1988, 1993; Heldmaier and Ruf 1992).

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Because in many species the  $Q_{10}$  of MR reduction is between 2 and 3, which characterises the temperature dependence of many biological reactions, it was originally claimed that MR is reduced by the lowered  $T_b$  (Tucker 1965; Snapp and Heller 1981). However,  $Q_{10}$  values well above 2–3 have been observed in small hibernators and also during entry into torpor (Kayser 1964; Morrison and Ryser 1962; Henshaw 1968; Geiser 1988), and it was concluded that metabolic inhibition, in addition to temperature effects, may cause the low MR during torpor (Malan 1986; Geiser 1988; Storey and Storey 1990).

Recently, this view has been challenged by a new hypothesis, which claims that MR during hibernation and daily torpor is actively downregulated and is entirely independent of  $T_b$ . According to this hypothesis MR during both normothermia and torpor is proportional to  $\Delta T$ , and the drop of  $T_b$  is merely a consequence of an actively suppressed MR (Heldmaier and Ruf 1992).

To test these hypotheses, we measured MR,  $T_b$  and  $T_a$  in a small nocturnal marsupial, the stripe-faced dunnart, *Sminthopsis macroura*, both below and above the set-point for  $T_b$  during torpor and during normothermia. The species was selected because it displays torpor with no apparent defence of  $T_b$  over a wide  $T_a$  range above approximately 15 °C and with physiological thermoregulation below this  $T_a$  (Geiser and Baudinette 1985). The data were used to determine interrelations between MR,  $T_b$  and  $\Delta T$  in these two temperature ranges during torpor and for comparison with values from normothermic individuals.

# **Material and methods**

#### Animals

Sminthopsis macroura is a small dasyurid marsupial, which is found in arid and semiarid areas of central Australia (Morton 1983). The seven animals used in the present study were obtained from a breeding colony at La Trobe University, Melbourne, and were transferred to the University of New England in Armidale. All animals were mature males (about 1.5 years old) with a BM ranging between 21 and 35 g. Animals were maintained individually in cages ( $30 \times 22 \times 14$  cm) containing sawdust, shredded paper and nestboxes. Cages were cleaned once every week. The photoperiod throughout the experiment was 12L:12D (lights on 0600–1800 hours) and  $T_a$  was  $20 \pm 2$  °C. The food, consisting of canned dog food mixed with macerated cat food pellets supplemented with calcium and vitamins, was changed daily. Water was available ad libitum. *Tenebrio* larvae were provided occasionally.

Measurements of MR,  $T_{\rm b}$  and  $T_{\rm a}$ 

For determination of MR, measured as rate of oxygen consumption  $(\dot{V}O_2)$ , animals were placed into 0.5-1 respiratory chambers within a temperature-controlled cabinet ( $\pm 0.5$  °C). Four channels, three animal channels and one reference channel, were scanned with solenoid valves. Each channel was read for 3 min (i.e. outside air and

 $\dot{VO}_2$  of each individual was measured every 12 min). The flow rate (about 200 ml min<sup>-1</sup>) of dry air through the respiratory chamber was measured with a mass flowmeter (FMA-5606, Omega, Stamford). Oxygen content of air leaving the respiratory chamber and in the reference chamber was consecutively measured with a single channel oxygen analyser (Ametek Applied Electrochemistry S-3A/1, Pittsburgh) fitted with a high resolution output board (80335SE).

Temperature-sensitive transmitters (Minimitter Model X-M, accuracy  $\pm 0.1$  °C) were calibrated to the nearest 0.1 °C against a mercury thermometer in a water bath between 5 and 40 °C. The transmitters were implanted intraperitoneally under Halothane anaesthesia. Before the experiments the animals were allowed at least 7 days to recover from the surgery. An antenna consisting of a ferrite rod was placed underneath each respiratory chamber and multiplexed to a receiver (car radio). The transmitter signal was transformed to a square-wave signal after background noise was subtracted.

 $T_{\rm a}$  in the respiratory chamber was measured to the nearest 0.1 °C by a thermocouple inserted about 1 cm into the metabolic chamber. Thermocouple output was amplified by a digital thermometer (Omega DP116). The  $T_{\rm b}$  and  $T_{\rm a}$  of each channel were also determined every 12 min.

Analog outputs from the flowmeter, oxygen analyser, transmitter receiver and digital thermometer were interfaced to a personal computer via a 12 Bit A/D card. Data acquisition and processing were performed with software written by B. Lovegrove, T. Ruf and G. Körtner.  $\dot{VO}_2$  values were calculated according to Eq. 3a of Withers (1977) and presented in STPD condition (0 °C, 760 torr, dry). The RQ was assumed to be 0.85, which would result in a maximal error of  $\pm 3\%$  in  $\dot{VO}_2$  if the RQ was 0.7 or 1.0 (Withers 1977).

## Experimental procedures

For determination of TMR and RMR animals were kept in the respiratory chambers at a constant  $T_a$  for about 1 day. TMR and RMR were measured at  $T_a$ s of 7–30 °C. Measurments of BMR were carried out separately between 0930 and 1700 hours after animals had been in the chambers for at least 2 h. BMR was measured at  $T_a$ s between 25 and 36 °C.  $T_a$  was increased progressively in temperature steps of about 1.5 °C with each step lasting for about 2 h, and no more than four  $T_a$ s were employed on every single day. The light phase inside the cabinet was from 0600 to 1800 hours. BW was recorded before and after each experiment. Food and water were not available during measurements.

#### Data analysis

RMR values were determined from the mean of the three lowest consecutive  $\dot{V}O_2$  values (i.e. over 36 min) in normothermic individuals whose  $T_{b}$ s were not lower than 33 °C. During 1-day measurements, RMR was determined after the animals had been in the chamber for about 2 h during the afternoon. The means of the corresponding three  $T_b$  and  $T_a$  readings were also calculated. The  $T_{1c}$  was determined by the intercept of two regressions fitted through the split data set, whereby the lowest sum of squares for the two regressions determined the best fit (Yeager and Ultsch 1989). BMR was determined as the mean of all mean values of normothermic individuals within the TNZ. Torpor was defined as MR < 75% of RMR at the same  $T_a$ ; TMR,  $T_b$  and  $T_a$  during torpor were obtained by calculating the mean of the consecutive three lowest  $\dot{V}O_2$  values (i.e. over 36 min) and corresponding  $T_{\rm b}$  and  $T_{\rm a}$  values. Only steadystate data from torpor bouts longer than 2 h were taken into account. The  $T_{tc}$ , which separated thermoregulating and non-thermoregulating animals, was determined as the intercept of two linear regressions fitted to TMR versus T<sub>a</sub> (Yeager and Ultsch 1989). A linear decrease of BM throughout each experiment was assumed for calculation of mass-specific MR.

The mass-specific C was calculated from MR,  $T_b$  and  $T_a$  using the equation:

$$C = \frac{MR}{T_{\rm b} - T_{\rm a}} \quad (\text{Schmidt-Nielsen 1990}).$$

 $Q_{10}$ s for MR at different  $T_{\rm b}$ s were calculated according to the equation:

$$Q_{10} = \left(\frac{\mathrm{MR}_1}{\mathrm{MR}_2}\right)^{\overline{T_{b_1} - T_{b_2}}} \quad \text{(Schmidt-Nielsen 1990)}.$$

#### Statistics

Data are presented as mean  $\pm 1$  standard deviation. Differences between means were examined using a Student's t-test. Regressions were determined by the method of least squares. Paired comparisons of regressions were conducted using Student's t-test (Zar 1984). Selection of the appropriate regression models (linear or exponential) was made by comparing the coefficient of determination  $(r^2)$  for the linear model with that for the regression of the predicted y-value for the exponential model versus the measured y-value. Direct comparison of  $r^2$  for the linear and the exponential regressions could not be made because the total sum of squares of the logarithmic form of the exponential model does not equal the total sum of squares of the linear regression. Equality of the total sum of squares is essential if  $r^2$ is to be compared (Doran and Guise 1984). Data values obtained from the same individual at the same  $T_a$  were averaged for statistical analyses. "N" is for number of animals and "n" for total number of measurements.

#### Results

The MR and  $T_b$  of S. macroura showed pronounced daily fluctuations (Fig. 1). During the day the animals were usually resting. After lights off, animals became active and both  $T_b$  and MR were generally elevated. Animals entered torpor between 2200 and 0500 hours. When entering torpor, both MR and  $T_b$  were reduced 293

and steady-state levels were reached after about 2 h. Torpor was terminated by spontaneous arousal, characterised by a steep increase of MR followed by a rise of  $T_{\rm b}$  (Fig. 1).

#### Normothermia

S. macroura increased their RMR linearly with decreasing  $T_a$  ( $r^2 = 0.92$ , P < 0.01) when exposed to  $T_a$ s below the  $T_{lc}$  of  $31.3 \pm 1.0$  °C (N = 7, n = 119, Fig. 2a). The TNZ ranged from  $T_a$  31.3 to 34 °C, and BMR was  $0.89 \pm 0.08 \text{ ml} \cdot \text{g}^{-1} \cdot \text{h}^{-1}$  (BM = 24.8 ± 2.3 g, N = 7, n = 19, Fig. 2a).

At the  $T_{\rm lc}$  the  $T_{\rm b}$  of resting individuals was  $34.3 \pm 0.6$  °C (N = 7, n = 18). Below the  $T_{\rm lc}$ ,  $T_{\rm b}$  was inversely related to  $T_{\rm a}$  ( $r^2 = 0.37$ , P < 0.01). Above the  $T_{\rm lc}$ ,  $T_{\rm b}$  increased with  $T_{\rm a}$  ( $r^2 = 0.65$ , P < 0.01, Fig. 2b).  $\Delta T$  ( $T_{\rm b} - T_{\rm a}$ ) increased linearly below the  $T_{\rm lc}$  ( $r^2 = 0.99$ , P < 0.01). Above the  $T_{\rm lc}$ ,  $\Delta T$  was also negatively correlated with  $T_{\rm a}$  ( $r^2 = 0.75$ , P < 0.01), but the slope was less steep (Fig. 2c).

*C* during normothermia was  $0.20 \pm 0.04 \text{ ml} \cdot \text{g}^{-1} \cdot \text{h}^{-1} \cdot \text{°C}^{-1}$  (*N* = 7, *n* = 76) below the  $T_{\text{lc}}$ . Above the  $T_{\text{lc}}$ , *C* increased markedly with  $T_{\text{a}}$  ( $r^2 = 0.67$ , *P* < 0.01, Fig. 2d).

## Torpor

The  $T_{\rm tc}$  of *S. macroura* occurred at  $T_{\rm a}$  of about 14 °C. Between  $T_{\rm a}$ s of 30–14 °C, torpid individuals showed no evidence of thermoregulation. Both steady-state TMR and  $T_{\rm b}$  in this  $T_{\rm a}$  range decreased with  $T_{\rm a}$  ( $r^2 = 0.64$ , P < 0.01;  $r^2 = 0.93$ , P < 0.01, respectively, Fig. 2a,b), but  $\Delta T$  remained constant at 2.1 ± 0.9 °C (N = 7, n = 31, Fig. 2c). Therefore, the *C* decreased with

Fig. 1 Fluctuations of oxygen consumption  $(\dot{V}O_2)$  and body temperature  $(T_b)$  of *S. macroura* at an air temperature  $(T_a)$  of 19 °C. Food and water were not available. The animal entered torpor just before midnight and aroused at about 0900 hours. The *dark bar* indicates the scotophase



Time of day (hours)

 $T_{\rm a}$  ( $r^2 = 0.50$ , P < 0.01) to the minimum value of  $0.09 \pm 0.05$  ml·g<sup>-1</sup>·h<sup>-1</sup>·°C<sup>-1</sup> (N = 7, n = 13) at  $T_{\rm a}$  of 14–19 °C, which was significantly lower than the C of normothermic individuals in the same  $T_{\rm a}$  range (P < 0.01, Fig. 2d).

Below the  $T_{tc}$ , the response of TMR to  $T_a$  was reversed and showed an increase with a drop of  $T_a (r^2 = 0.58, P < 0.01, Fig. 2a)$ . The  $T_b$  in this  $T_a$  range



did not fall with  $T_a$ , but was regulated above 16 °C (Fig. 2b), which resulted in an increase of  $\Delta T$  ( $r^2 = 0.27$ , P < 0.05, Fig. 2c). With the onset of thermoregulation, C gradually increased with the decreasing  $T_a$  ( $r^2 = 0.43$ , P < 0.01) to levels observed during normothermia (Fig. 2d).

In the  $T_a$  range in which  $T_b$  of torpid *S. macroura* was not metabolically defended, TMR was positively related to  $T_b$  (Fig. 3). Both linear ( $r^2 = 0.79$ ) and exponential ( $r^2 = 0.74$ ) fits were appropriate. However, the exponential fit provided the better model, because the  $r^2$  for the regression of the predicted y-value for the exponential model versus the measured y-value ( $r^2 = 0.83$ ) was larger than that for the linear model (Fig. 3). The  $Q_{10}$  for TMRs between  $T_b$  16 °C at a  $T_a$  of



Fig. 3 Metabolic rate during torpor (TMR) as a function of body temperature  $(T_b)$  above the critical air temperature during torpor  $(T_{tc})$  in *S. macroura*. Both linear fit ( $\bullet$ ) (TMR =  $-0.41 + 0.03 T_b$ ,  $r^2 = 0.79$ , P < 0.01) and exponential fit ( $\bullet$ ) (log TMR =  $-1.56 + 0.04 T_b$ ,  $r^2 = 0.74$ , P < 0.01) were appropriate. However, the exponential fit provided the better model, because the  $r^2$  for the regression of the predicted y-value for the exponential model versus the measured y-value ( $r^2 = 0.83$ ) was larger than that for the linear model

Fig. 2a-d The effect of air temperature  $(T_a)$  on a metabolic rate measured as rate of oxygen consumption, b body temperature, **c** the temperature differential between  $T_b$  and  $T_a$ , and **d** apparent conductance during daily torpor  $(\bullet)$  and normothermia  $(\bigcirc)$  in S. macroura (N = 7). Regression equations for physiological variables during torpor above 14 °C were: log TMR =  $-1.41 + 0.04 T_a$ ,  $r^2 = 0.64$ , P < 0.01;  $T_b = 3.69 + 0.97 T_a$ ,  $r^2 = 0.93$ , P < 0.01;  $\Delta T = 3.69 - 0.03 T_{a}, r^{2} = 0.01, P = 0.59; C = -0.09 + 0.01 T_{a},$  $r^2 = 0.50$ , P < 0.01. Regression equations for physiological variables during torpor below 14 °C were: TMR =  $4.24 - 0.26 T_{a}$  $r^2 = 0.58$ , P < 0.01;  $T_b = 22.8 - 0.04 T_a, r^2 = 0.001$ , P = 0.90;  $\Delta T = 22.8 - 1.04 T_a, r^2 = 0.27$ , P < 0.05;  $C = 0.26 - 0.01 T_a$ ,  $r^2 = 0.43, P < 0.01$ . Regression equations for physiological variables during normothermia below the  $T_{1c}$  were:  $RMR = 6.68 - 0.19 T_a$ ,  $\begin{array}{ll} r^2 = 0.92, & P < 0.01; & T_{\rm b} = 36.8 - 0.08 \ T_{\rm a}, & r^2 = 0.37, & P < 0.01; \\ \Delta T = 36.7 - 1.08 \ T_{\rm a}, & r^2 = 0.99, & P < 0.01; & C = 0.16 + 0.02 \ T_{\rm a}, \end{array}$  $r^2 = 0.11, P > 0.05$ . Regression equations for physiological variables during normothermia above the  $T_{1c}$  were:  $RMR = 0.64 + 0.01 T_{a}$ ,  $\begin{array}{ll} r^2 = 0.06, & P > 0.05, & T_{\rm b} = 20.5 + 0.44 \ T_{\rm a}, & r^2 = 0.65, & P < 0.01; \\ {\it \Delta}T = 19.4 - 0.53 \ T_{\rm a}, & r^2 = 0.75, & P < 0.01, & C = -3.25 + 0.11 \ T_{\rm a}, \end{array}$  $r^2 = 0.67, P < 0.01$ 

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Fig. 4 Metabolic rate during torpor (TMR) as a function of the temperature differential  $(\Delta T)$  between body temperature  $(T_b)$  and air temperature  $(T_a)$  above the critical air temperature during torpor  $(T_{ic})$  in *S. macroura.* The equation for the regression was: TMR = 0.28 + 0.02  $\Delta T$ ,  $r^2 = 0.03$ , P = 0.35



Fig. 5 Metabolic rate during torpor (TMR) as a function of body temperature  $(T_b)$  below the critical air temperature during torpor  $(T_{tc})$  in *S. macroura.* The equation for the regression was: TMR =  $-0.66 + 0.09 T_b$ ,  $r^2 = 0.21$ , P = 0.04

14 °C and  $T_b$  32 °C at a  $T_a$  of 30 °C was 2.56, and the  $Q_{10}$  for MR between the BMR at  $T_b$  34.3 °C and TMR at  $T_b$  16 °C at a  $T_a$  of 14 °C was 2.79. In contrast to  $T_b$ ,  $\Delta T$  ( $T_b - T_a$ ) was not related to the TMR in the  $T_a$  range in which  $T_b$  was not regulated (P = 0.35, Fig. 4).

In the  $T_a$  range below the  $T_{tc}$  where  $T_b$  was regulated,  $T_b$  was also correlated with TMR ( $r^2 = 0.21$ , P = 0.04, Fig. 5). In contrast to the situation at high  $T_a$ s, in this  $T_a$  range  $\Delta T$  ( $T_b - T_a$ ) increased with decreasing  $T_a$  and TMR showed a significant relationship with  $\Delta T$ (Fig. 6). Both the slope and the intercept for the regression of TMR versus  $\Delta T$  were not significantly different from those for the regression of RMR versus  $\Delta T$ (P = 0.50, P = 0.31, respectively, Fig. 6). The  $Q_{10}$  for



Fig. 6 Metabolic rate during torpor (TMR) ( $\bullet$ ) below the critical air temperature ( $T_{tc}$ ) and the resting metabolic rate of normothermic individuals (RMR) ( $\bigcirc$ ) below the lower critical temperature ( $T_{tc}$ ) as a function of the temperature differential ( $\Delta T$ ) between body temperature ( $T_b$ ) and air temperature ( $T_a$ ). The equations for the regressions were TMR =  $-0.08 + 0.13 \Delta T$ ,  $r^2 = 0.61$ , P < 0.01;  $RMR = 0.17 + 0.18 \Delta T$ ,  $r^2 = 0.92$ , P < 0.01. Both the slope and the intercept of the two regressions were not significantly different (P = 0.50, P = 0.31, respectively)

MR between RMR at  $T_b$  34.9 °C and TMR at  $T_b$  22.7 °C at a  $T_a$  of 10 °C was 2.38.

# Discussion

Two responses of TMR to  $T_a$ 

Torpid S. macroura showed two clearly different responses of TMR to a change of  $T_a$ . Above a  $T_{tc}$ , when  $T_b$  of torpid animals was above the set-point for  $T_b$  during torpor,  $T_b$  was not defended and both TMR and  $T_b$  fell with  $T_a$ . Below the  $T_{tc}$ , when  $T_b$  of torpid animals was metabolically defended, TMR was inversely related to  $T_a$ . Similar observations have been reported for many mammalian hibernators (Hock 1951; Davis and Reite 1967; Heller and Colliver 1974; Geiser and Kenagy 1988; Song and Zeng 1991) and for daily torpor in mammals and birds (Hainsworth and Wolf 1970; Nagel 1985; Geiser and Baudinette 1987). The differences between these two responses must be kept in mind when interrelations between physiological variables measured during torpor are to be investigated.

## Reduction of TMR

In the  $T_a$  range in which  $T_b$  was not metabolically defended, TMR showed an exponential relationship to  $T_b$ . Since the  $Q_{10}$  between BMR and TMR in this  $T_a$  range was between 2 and 3, it is likely that the reduction of TMR below BMR was mainly caused by above the set-point. The effect of temperature on enzyme and tissue metabolism is well documented for both ectothermic and endothermic organisms (Roberts and Smith 1967; Geiser and McMurchie 1984; Aloia and Raison 1989). In agreement with the values determined in vitro, the  $Q_{10}$  of mammalian TMR is generally within the range 2-3 (Tucker 1965; Tähti 1978; Snapp and Heller 1981). However,  $Q_{10}$ s above this range have been observed for MRs of small hibernators and during entry into torpor and it appears that in these cases metabolic inhibition, in addition to temperature effects, may cause a further reduction of TMR (Malan 1986, 1988; Geiser 1988). Nevertheless, as pointed out by Snapp and Heller (1981), some of the  $Q_{10}$  values above the "normal" range can also be due to experimental artefacts such as "BMRs" measured below the TNZ or determination of TMR during approve. Moreover, illogical or inconsistent calculations comparing thermoregulating and non-thermoregulating individuals for calculating  $Q_{10}$ s for TMR (Snyder and Nestler 1990) may lead to values that are not within the predicted range (Malan 1993). The logic behind applying  $Q_{10}$  to endotherms is unsound (Snyder and Nestler 1990) only when basic rules for calculation of  $Q_{10}$  as an expression of the direct effect of temperature on rates (Schmidt-Nielsen 1990) are violated.

ing torpor, were analysed as a single data set and,

therefore, do not explain the thermal response of TMR

The minimum C of both normothermic and torpid S. macroura were close to those calculated for similarsized rodents (Snyder and Nestler 1990). The C of torpid animals was similar to that of normothermic inactive animals at high  $T_{a}$ s below the  $T_{lc}$ , but it decreased with  $T_{a}$  in non-thermoregulating torpid animals. This lowered C may prevent  $T_{b}$  from reaching the set-point during torpor, which would induce an increase of TMR. Our findings appear to be in contrast to those by Heldmaier and Ruf (1992), who reported similar conductance in torpid and normothermic hamsters, *Phodopus sungorus*. However, their measurements concentrated on  $T_{a}$ s below the set-point for  $T_{b}$ . At very low  $T_{a}$ s, C of torpid S. macroura was also similar to that of normothermic individuals.

Although the C of torpid thermoregulating S. macroura at very low  $T_a$ s was indistinguishable from that of normothermic individuals, their TMR was only about 25–40% of RMR, demonstrating that a reduction of C is not a prerequisite for a low TMR as has been suggested by Snyder and Nestler (1990). Moreover, a C lower than that of normothermic individual is obviously not required for thermoregulation during torpor.

# $T_{\rm b}$ regulation during torpor and temperature effects

Below the critical  $T_a$  torpid S. macroura showed the ability of  $T_{\rm b}$  regulation. The metabolic heat production in this  $T_a$  range was proportional to  $\Delta T$ , demonstrating that animals compensated for the increased heat loss at low  $T_{\rm a}$ s. Metabolic defence of  $T_{\rm b}$  during torpor has been demonstrated during hibernation and daily torpor (Hainsworth and Wolf 1970; Wolf and Hainsworth 1972; Heller and Hammel 1972; Heldmaier and Ruf 1992). Since both the slope and the intercept of TMR as a function of  $\Delta T$  in torpid and normothermic S. macro*ura* were similar, it appears that the physiological processes underlying thermoregulation at low  $T_{a}$ s during torpor are the same as those during normothermia. Although  $T_{\rm b}$  of both normothermic and torpid thermoregulating S. macroura was independent of  $T_a$ , it increased slightly at very low  $T_{a}s$ . Heller and Colliver (1974) have observed the same phenomenon in hibernating ground squirrels, Spermophilus lateralis. Nevertheless thermoregulation of S. macroura during daily torpor was less precise than during normothermia, since  $T_{\rm h}$  during torpor was maintained in the range between 16 and 28 °C. This response suggested a relatively variable set-point for  $T_{\rm b}$  during daily torpor.

Our results suggest that thermoregulation during torpor and effects of  $T_b$  on TMR are not mutually exclusive. As during normothermia, the ability of thermoregulation does exist during the entire processes of torpor. Torpid animals show this ability whenever their  $T_b$ s reach a set-point for  $T_b$  during torpor, at which  $T_b$  is metabolically defended. When  $T_b$ s do not reach a set-point for  $T_b$ , TMR appears to be well explained by the effect of low  $T_b$  on metabolic reactions. Furthermore, even in thermoregulating animals, the drop of MR from normothermia to torpor appears to be a function of  $T_b$ . These observations strongly suggest that the steady-state MR during daily torpor is largely a function of  $T_b$ .

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### References

- Aloia RC, Raison JK (1989) Membrane function in mammalian hibernation. Biochim Biophys Acta 988: 123–146
- Doran HE, Guise JWB (1984) Single equation methods in econometrics: applied regression analysis. University of New England Press, Armidale, Australia
- Davis WH, Reite OB (1967) Responses of bats from temperate regions to changes in ambient temperature. Biol Bull 132: 320-328

- Geiser F (1988) Reduction of metabolism during hibernation and daily torpor in mammals and birds: temperature effect or physiological inhibition? J Comp Physiol B 158: 25–37
- Geiser F (1993) Metabolic rate reduction during hibernation. In: Carey C et al. (eds) Life in the cold: ecological, physiological, and molecular mechanisms. Westview Press, Boulder, pp 549–552
- Geiser F, McMurchie EJ (1984) Differences in the thermotropic behaviour of mitochondrial membrane respiratory enzymes from homeothermic and heterothermic endotherms. J Comp Physiol B 155: 125-133
- Geiser F, Baudinette RV (1985) The influence of temperature and photophase on daily torpor in *Sminthopsis macroura* (Dasyuridae: Marsupialia). J Comp Physiol B 156: 129-134
- Geiser F, Baudinette RV (1987) Seasonality of torpor and thermoregulation in three dasyurid marsupials. J Comp Physiol B 157: 335-344
- Geiser F, Kenagy GJ (1988) Torpor duration in relation to temperature and metabolism in hibernating ground squirrels. Physiol Zool 61: 442-449
- Hainsworth FR, Wolf LL (1970) Regulation of oxygen consumption and body temperature during torpor in a hummingbird, *Eulampis jugularis*. Science 168: 368–369
- Heldmaier G, Ruf T (1992) Body temperature and metabolic rate during natural hypothermia in endotherms. J Comp Physiol B 162: 696-706
- Heller HC, Colliver GW (1974) CNS regulation of body temperature during hibernation. Am J Physiol 227: 583–589
- Heller HC, Hammel HT (1972) CNS control of body temperature during hibernation. Comp Biochem Physiol 41A: 349–359
- Henshaw RE (1968) Thermoregulation during hibernation: application of Newton's law of cooling. J Theor Biol 20: 79–90
- Hock RJ (1951) The metabolic rates and body temperatures of bats. Biol Bull 101: 289–299
- Kayser C (1964) La dépense d'énergie des mammiferes en hibernation. Arch Sci Physiol 18: 137–150
- Lyman CP, Willis JS, Malan A, Wang LCH (eds) (1982) Hibernation and torpor in mammals and birds. Academic Press, New York
- Malan A (1986) pH as a control factor in hibernation. In: Heller HC et al. (eds) Living in the cold. Elsevier, New York, pp 61–70
- Malan A (1988) pH and hypometabolism in mammalian hibernation. Can J Zool 66: 95–98
- Malan A (1993) Temperature regulation, enzyme kinetics, and metabolic depression in mammalian hibernation. In: Carey C et al (eds) Life in the cold: ecological, physiological, and molecular mechanisms. Westview Press, Boulder, pp 241–251
- Morrison P, Ryser FA (1962) Metabolism and body temperature in a small hibernator, the meadow jumping mouse, *Zapus hudsonicus*. J Cell Comp Physiol 60: 169–180

- Morton SR (1983) Stripe-faced dunnart, *Sminthopsis macroura*. In: Strahan R (ed) Complete book of Australian mammals. Angus and Robertson, Sydney, pp 63–64
- Nagel A (1985) Sauerstoffverbrauch, Temperaturregulation und Herzfrequenz bei europäischen Spitzmäusen (Soricidae). Z Säugetierkunde 50: 249–266
- Roberts JC, Smith RE (1967) Effect of temperature on metabolic rates of liver and brown fat homogenates. Can J Biochem 45: 1763-1771
- Schmidt-Nielsen K (1990) Animal physiology: adaptation and environment. Cambridge University Press, Cambridge
- Snapp BD, Heller HC (1981) Suppression of metabolism during hibernation in ground squirrels (*Citellus lateralis*). Physiol Zool 54: 297-307
- Snyder GK, Nestler JR (1990) Relationship between body temperature, thermal conductance,  $Q_{10}$  and energy metabolism during daily torpor and hibernation in rodents. J Comp Physiol B 159: 667–675
- Song X, Zeng J (1991) Seasonal variation in energy metabolism of the ground squirrel (*Citellus dauricus*). Acta Theriologica Sinica 11: 48-55
- Storey KB, Storey JM (1990) Metabolic rate depression and biochemical adaptation in anaerobiosis, hibernation and estivation. Q Rev Biol 65: 145–174
- Tähti H (1978) Seasonal differences in  $O_2$  consumption and respiratory quotient in a hibernator (*Erinaceus europaeus* L). Ann Zool Fenn 15: 69–75
- Tucker VA (1965) Oxygen consumption, thermal conductance, and torpor in the California pocket mouse *Perognathus californicus*. J Cell Comp Physiol 65: 393–404
- Wang LCH (1989) Ecological, physiological, and biochemical aspects of torpor in mammals and birds. In: Wang LCH (ed) Advances in comparative environmental physiology 4. Springer-Verlag, Berlin
- Withers PC (1977) Measurement of  $\dot{V}O_2$ ,  $\dot{V}CO_2$ , and evaporative water loss with a flow-through mask. J Appl Physiol 42: 120–123
- Wolf LL, Hainsworth FR (1972) Environmental influence on regulated body temperature in torpid hummingbirds. Comp Biochem Physiol 41A: 167–173
- Yeager DP, Ultsch GR (1989) Physiological regulation and conformation: a BASIC program for the determination of critical points. Physiol Zool 62: 888-907
- Zar JH (1984) Biostatistical analysis. Prentice-Hall, Englewood Cliffs

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