# **Formal Specification of Ontology Networks**

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<span id="page-0-2"></span>**Abstract.** Nowadays, it is very often to integrate existing ontologies, combining them in a ontology network to accomplish the requirements of more complex applications. This  $PhD$  research<sup>[1](#page-0-0)</sup> aims to identify and formally define the relationships among the networked ontologies, addressing its use in real applications and taking care of their consistency.

**Keywords:** ontology network, ontology relationships formalization, logical consistency.

# **1 Motivation and Research Questions**

Nowadays, autonomously developed ontologies in different domains (health, learning) are used together in complex applications. However, how they are combined is usually hidden in the application code. This situation leads to think on *ontology networks* as a new engineering concept, which explicitly expresses how ontologies are combined. Let suppose a scenario involving several domains, such as a web resource recommender system (Figure [1\)](#page-0-1). The *Resources* domain describes web contents queried by users, the *Quality* domain, the quality assessment process of web resources, the *User Context* domain, the user profile and context and the *Criteria Selection* domain, the criteria used to recommend a given resource to a user. In this example, the relationship between *Quality* and

<span id="page-0-1"></span>

<span id="page-0-0"></span>**Fig. 1.** A Recommendation Ontology Network

*Resources* domains appears since in this case study, web resources are assessed according to some quality criteria. Then, it is important to explicitly specify not only the semantics of each domain, but moreover adding knowledge about how

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<span id="page-1-0"></span>these domains are related. The main motivation of this thesis is the identification and formal definition of the different relationships among ontologies, to describe a particular application, keeping the logical consistency. That is, there should not be an axiom of an ontology that causes contradictory results over another ontology in an ontology network. In a real application, the ontology network consistency could be computationally hard to be checked, then, the trade-off between keeping the consistency and taking care of the computational properties, is one of the main issues of this work. The main contribution will be to facilitate developers in the design of ontology networks, expliciting how ontologies can be linked, keeping them as independent components. In the remainder of this paper: Section [2](#page-1-0) gives a background overview, Section [3](#page-1-1) explains the PhD approach, Section [4](#page-3-0) introduces methodology issues and Section [5](#page-3-1) presents the work already done.

## **2 State of the Art**

According to the presented motivation, I take as starting point the work of Allocca et al. [\[1\]](#page-4-1), who identify and define general relations between ontologies, such as *includedIn* and *equivalentTo*, describing them in the DOOR ontology.

Grau et al. [\[2\]](#page-4-2) define an  $\varepsilon$  – *connection* as a "set of connected ontologies", introducing *link properties*, which connect two ontologies. The semantic of these properties is like the *useSymbolsOf* relationship, defined in the PhD work. I also based my study in a more recent work of Grau et al. [\[3\]](#page-4-3), which adapts the notions of *module* and *black-box behavior*, to the reuse of ontologies. Konev et al. [\[4\]](#page-4-4) analize the same concepts and others such as *robustness of a query language*, based on the concept of *inseparability* of ontologies. These two works [\[3,](#page-4-3)[4\]](#page-4-4) also analise the computational complexity issue for Description Logics (DL) with different expressivity, so, I am taking advantage of their results.

<span id="page-1-1"></span>The work of Borgida et. al [\[5\]](#page-4-5) defines directional links between ontologies, called *bridge rules* and the concept of *distributed T-box*, DL T-boxes connected through bridge rules. The bridge rules capture the idea of linking ontologies through subsumption as well as more general relationships, while my work intends to clearly distinguish different ways of connecting ontologies, to make them explicit.

Giunchiglia et al. [\[6\]](#page-4-6) define the concept of *abstraction* without relating it to ontologies. However, I take this idea to define the *isTheSchemaFor* relationship.

There also exist works that define the *ontology mapping* between concepts, roles and instances [\[7,](#page-4-7)[8\]](#page-4-8), taken to formalize the relationship *mapsSymbolsTo*.

## **3 The Proposed Approach**

I have formalized a set of *ontology relationships*, which allowed me to design ontology networks for some case studies. For these case studies, this set of relationships was adecuate to explicitly express the links among the different domain ontologies. Next, I give an intuitive description of each ontology relationship.

*isAConsistentExtensionOf* : describes an extension of an ontology by a number of additional axioms.

*usesSymbolsOf* : this relationship holds when an ontology *O* needs to be linked to individuals from another ontology  $O'$ , through a property which relates them.<br>mans symbols To: an ontology  $O$  mans Symbols To an ontology  $O'$  if there exists

*mapsSymbolsTo*: an ontology *O mapsSymbolsTo* an ontology *O'* if there exists an alignment from  $O$  to  $O'$ , covering part of the vocabulary of  $O$ .<br>is The Schema Far: keeps the link between a model and its meta

*isTheSchemaFor* : keeps the link between a model and its meta-model.

In the web resource recommender system introduced in Section [1,](#page-0-2) the *Resources* domain is composed by three ontologies, illustrated in Figure [2](#page-2-0) in a simplified version. The main concepts of the *WebSite Specification* ontology are



<span id="page-2-0"></span>**Fig. 2.** Resources and Quality domains

*WebResource* and *WebResourceProperty*. A web resource is any resource identified by an URL, for instance a webpage. A web resource property models the properties of a web resource, for instance, *hasContent* and *hasAuthor*. The *WebSite* ontology has as main concepts: *WebContent*, *WebPage* and *WebSite*. The *WebSite Specialization* ontology adds properties to these concepts, such as *hasAuthor* and *hasSource*. In the Resources domain the *isTheSchemaFor* relationship links some ontologies. The *WebSite Specification* ontology is the metamodel for the *Website* and *WebSite Specialization* ontologies, since the concepts and relations of these ontologies are instances of *WebResource* and *WebResourceProperty* concepts.

The *Quality* domain is composed by three ontologies: *Metric Specification*, *Quality Specification* and *Quality Assessment*. They conceptualize metrics, quality assurance specifications and quality assessments. Figure [2](#page-2-0) shows a simplified version. Some of these ontologies are related to ontologies of the *Resources* domain. The *mapSymbolsTo* relationship links the *Quality Assessment* and *WebSite* ontologies, through an alignment of the *Resource* and *WebContent* concepts. This relationship is also used between *Metric Specification* and *WebSite Specification* ontologies, mapping the *Feature* and *WebResourceProperty* concepts, to specify that a metric is based on some web resource property. Here, it is clear the convenience of having some ontologies that play the role of metamodel for others.

In the formalization of the ontology relationships I consider the language  $\mathcal{Q}\mathcal{L}$ , which is the selected DL with the adequate expressivity for the application

to be described. That is, besides the knowledge represented by each ontology, I consider the expressivity required by the application, for the knowledge inference of the ontology network. For a case study, maybe it is enough a DL, for example  $\mathcal{ALC}$ , and not a more expressive DL like  $\mathcal{ALCQ}$ , computationally more expensive [\[9,](#page-4-9)[10\]](#page-4-10). I am addressing the study of the logical consistency of the *ontology network* based on the concept of *inseparability* introduced by Konev et.al [\[4\]](#page-4-4), w.r.t. this language  $\mathcal{Q}\mathcal{L}$  and I am starting to study the computational complexity of the algorithms for checking the consistency. The results obtained will be analized varying the DL expressivity of the  $\mathcal{Q}\mathcal{L}$ , for the different relationships.

<span id="page-3-0"></span>Although my work is inspired on [\[1\]](#page-4-1), it is different since the main focus in [\[1\]](#page-4-1) is the detection and definition of ontology relationships in a large ontology repository, while my focus is the identification and DL formalization of a set of ontology relationships, enough to design an ontology network for a particular application. This is done considering the logical consistency of the ontology network as well as computational complexity issues. A tool to design ontology networks allowing modelers to define different relationships, can benefit from the formalization.

### **4 Research Methodology**

This work is being carried out following an iterative process. I started with the analysis of case studies to identify ontology relationships. This led to investigate the way other authors addressed this issue, reviewing theoretical foundations about DL and computational complexity when necessary. As a result, a set of relationship definitions is obtained, which is validated in a case study, and from the weakenesses found a new iteration starts, refining the previous definitions.

<span id="page-3-1"></span>Regarding the evaluation of the approach, the implementation of an application to design ontology networks is being carried out. It will allow to validate a lot of important aspects: (i) its usability to define different relationships, reaching the adecuate abstraction level (ii) the evaluation of the user satisfaction when the ontology network evolves. Here, it is important to know about the imposed restrictions for ensuring the ontology network consistency: if they help at the moment of introducing changes or they difficult the task in practice.

### **5 Results**

I have formalized four ontology relationships, introduced in Section [3.](#page-1-1) A first formalization and its use to describe a web recommender system was presented in [\[11\]](#page-4-11). In the following, I present the *usesSymbolsOf* relationship.

First, I define a *relationship between two ontologies O and O' w.r.t. a query language*  $\mathcal{Q} \mathcal{L}$  as a set of axioms  $A_r$ , called *relationship axioms* such that:

 $A_r \subseteq \{ \alpha \in \mathcal{QL} \mid sig(\alpha) \subseteq sig(O) \cup sig(O') \cup S_r \}$  where<br> $S \subseteq \{ X \mid X \subseteq N_G \cup N_D \cup N_r \}$  is called the *relationship* 

 $S_r \subseteq \{X \mid X \in N_C \cup N_R \cup N_I\}$  is called the *relationship signature* with:

 $N_C$  the set of all the concept names,  $N_R$  the set of all the role names,  $N_I$  the set of all the individual names

 $S_r \cap sig(O \cup O') = \emptyset$ 

<span id="page-4-0"></span> $u$ sesSymbolsO $f(O, O', \mathcal{QL})$  is defined by a set of *relationship axioms*  $A_r$  such at: that:

 $S_r \subseteq \{r \mid r \in N_R\}$  is the relationship signature,  $sig(O) \cap sig(O') = \emptyset$ <br>  $A \subseteq \{r(i, i) \mid r \in S \mid i \in N_L \cap sig(O) \mid i \in N_L \cap sig(O')\}$ 

 $A_r \subseteq \{r(i,j) \mid r \in S_r, i \in N_I \cap sig(O), j \in N_I \cap sig(O')\} \cup \{A \sqsubseteq C \mid A \in S \cap sig(O), G \text{ is a concept description of one of the forms:  $\exists r \in B \ \forall r \in B} > nr \in B$$  $N_C \cap sig(O), C$  is a concept description of one of the forms:  $\exists r.B, \forall r.B, \geq nr.B$ with  $r \in S_r$ ,  $B \in N_C \cap sig(O')$ , *n* a natural number  $\}, A_r \neq \emptyset$ <br>  $Q \cup A$  and  $Q'$  are S-inseparable w.r.t.  $QC$  for  $S - sig(A)$ 

 $O \cup A_r$  and  $O'$  are S-inseparable w.r.t.  $\mathcal{QL}$  for  $S = sig(A_r) \cap sig(O')$ <br> $O \cup A_r$  and  $O$  are S-inseparable w.r.t.  $OC$  for  $S = sig(O)$ 

 $O \cup A_r$  and O are S-inseparable w.r.t.  $\mathcal{QL}$  for  $S = sig(O)$ 

The two last statements ensure the consistency, preventing contradictory results over the symbols of  $O'$  being used and over the ontology  $O$ , extended by the set of axioms <sup>A</sup>*<sup>r</sup>*.

<span id="page-4-2"></span><span id="page-4-1"></span>These relationships have been adressed by different authors separately, not always related to ontologies, some of them taking care of the logical consistency. This work intend to uniformly address the definition of a set of ontology relationships, enough to describe a real application, ensuring its consistency without neglecting complexity issues. I think this work will contribute to the definition of a methodology to design ontology networks.

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